# Aligning Neuronal Coding of Dynamic Visual Scenes with Foundation Vision Models (Supplementary Materials)

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#### 1 SD-KL Metric

For considering the duration of spikes, we designed a metric called Spike Duration — Kullback-Leibler Divergence (SD-KL). The pseudocode of SD-KL is demonstrated in Algorithm 1.

# Algorithm 1 Pseudocode of the SD-KL

```
Input: \hat{y} \in \mathbb{R}^{N \times F}, y \in \mathbb{R}^{N \times F}, \alpha = 0.3, \beta = 1.0

Output: score

1: \hat{\mathcal{D}} \leftarrow \mathbf{peak} widths(\min(\max(0, \hat{y}), \beta)), \hat{\mathcal{D}} \subset \mathbb{R}

2: \mathcal{D} \leftarrow \mathbf{peak} widths(\min(\max(0, y), \beta)), \mathcal{D} \subset \mathbb{R}

3: Var_{\cup} \leftarrow \frac{\alpha}{n} \sum_{i=1}^{n} (x_{i} - \bar{x})^{2}, x_{i} \in \{D, \hat{D}\}

4: \mathcal{L}_{\cup} \leftarrow \left\{ (lower_{\cup} - 3 * Var_{\cup}) + i \cdot \frac{(upper_{\cup} + 3 * Var_{\cup}) - (lower_{\cup} - 3 * Var_{\cup})}{199} \mid i = 0, 1, \dots, 199 \right\}

5: pdf_{\mathcal{D}} \leftarrow \mathbf{KDE}(\mathcal{D}, \alpha)

6: pdf_{\hat{\mathcal{D}}} \leftarrow \mathbf{KDE}(\hat{\mathcal{D}}, \alpha)

7: P_{\mathcal{D}} = \left\{ \left( x_{i}, \frac{pdf_{\mathcal{D}}(x_{i})}{\sum_{j=1}^{N} pdf_{\mathcal{D}}(x_{j})} \right) \mid x_{i} \in \mathcal{L}_{\cup} \right\}

8: P_{\hat{\mathcal{D}}} = \left\{ \left( x_{i}, \frac{pdf_{\mathcal{D}}(x_{i})}{\sum_{j=1}^{N} pdf_{\mathcal{D}}(x_{j})} \right) \mid x_{i} \in \mathcal{L}_{\cup} \right\}

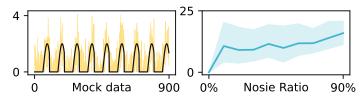
9: \operatorname{score} \leftarrow D_{KL}(P_{\hat{\mathcal{D}}} || P_{\mathcal{D}})

10: \operatorname{score} \leftarrow \min(\max(0, \operatorname{score}), 1000)

11: 
12: \operatorname{return} \operatorname{score}
```

Where  $\alpha$  is the bandwidth of the kernel density estimation (KDE), set to 0.3,  $\beta$  is the high cut of the spike duration, set to 1.0, N is the number of RGCs, F is the number of frames, and  $y, \hat{y}$  are the ground truth and predicted FR, respectively. Furthermore, the *peak widths* calculates durations of each spike then returns the set of durations [1]. The KDE algorithm calculates the probability density function (PDF) of the input set of durations with a given bandwidth  $\alpha$ .

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 $\bf Fig.~1:~{\rm SD\text{-}KL}~{\rm Metric}~{\rm Baseline}$ 

We selected several signals simulated using the sine function and added random noise at different ratios to obtain the baseline of the SD-KL metric, as Fig. 1.

# 2 Experimental Results

We choose the best, middle, and worst cases of the CC to demonstrate the real predictions of the Vi-ST.

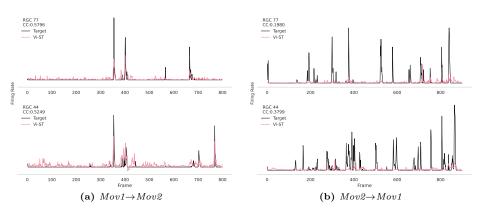


Fig. 2: Real Predictions of good CC

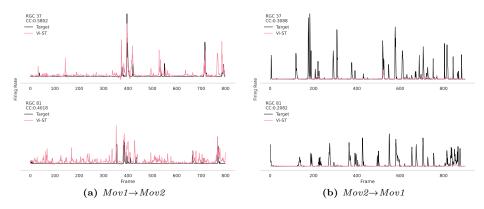


Fig. 3: Real Predictions of good CC

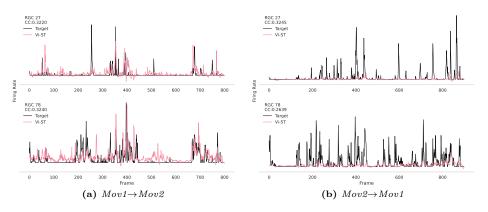


Fig. 4: Real Predictions of middle CC

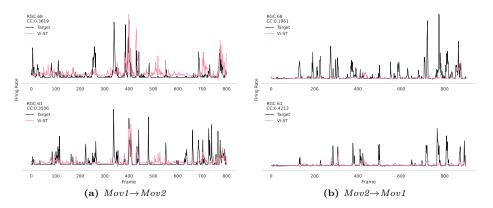


Fig. 5: Real Predictions of middle CC

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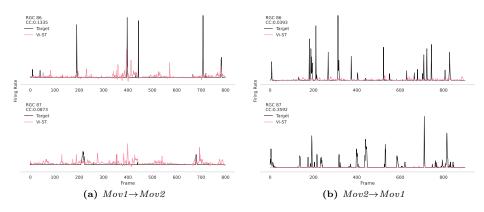


Fig. 6: Real Predictions of worst CC

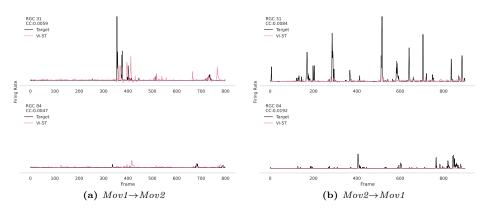


Fig. 7: Real Predictions of worst CC

# References

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