$$y_{1} \neq y_{2} : L = \max(0, \lambda_{1}^{old} - \lambda_{1}^{old}) \quad H = \min(C, C + \lambda_{2}^{old} - \lambda_{1}^{old})$$

$$y_{1} = y_{2} : L = \max(0, \lambda_{2}^{old} + \lambda_{1}^{old} - C) \quad H = \min(C, \lambda_{2}^{old} + \lambda_{1}^{old})$$

$$\lambda_{1}^{now, unc} = \lambda_{2}^{old} + \frac{y_{2}(E_{1} - E_{2})}{J}$$

$$E_{1} = \left(\sum_{j=1}^{N} \lambda_{j}^{j} y_{j} k(x_{j} x_{i}) + b\right) - y_{1}^{*} \quad i = 1, 2$$

$$J = k_{11} + k_{22} - 2k_{12}$$

$$\lambda_{2}^{now, unc} = \begin{cases} H & \lambda_{2}^{now, unc} > H \\ \lambda_{2}^{now, unc} & 1 \leq \lambda_{1} \leq H \end{cases}$$

$$\partial_1 = \partial_1^{\text{old}} + y_1 y_2 (\partial_2 - \partial_2^{\text{new}})$$