

I start testing with $b = 6$, $v = 4$. Because $98304 = 2^{15} + 2^{16}$. There are three possibilities:

1. Make $C = 16$, $c = 14$, then we need to make $k = 3$ because of overheads.
2. Make $C = 16$, $c = 13$, then we can make $k = 4$.
3. Make $C = 15$, $c = 15$, then we can make $k = 4$.

I test the possible combinations of (c, C, k) to be $(14, 16, 3)$, $(13, 16, 4)$, and $(15, 15, 4)$.

astar.trace

I vary the possible combinations of (s, S) and find the best configuration for each (c, C, k) .

$(c, C, k) = (14, 16, 3)$

S	S	AAT (s)
0	0	4.116251
0	1	4.018445
0	2	3.997215
0	3	4.027672
0	4	4.084612
1	0	4.107232
1	1	4.107760
1	2	4.116425
1	3	4.140404
1	4	4.194694
2	0	4.277815
2	1	4.286252
2	2	4.302348
2	3	4.326738
2	4	4.377133

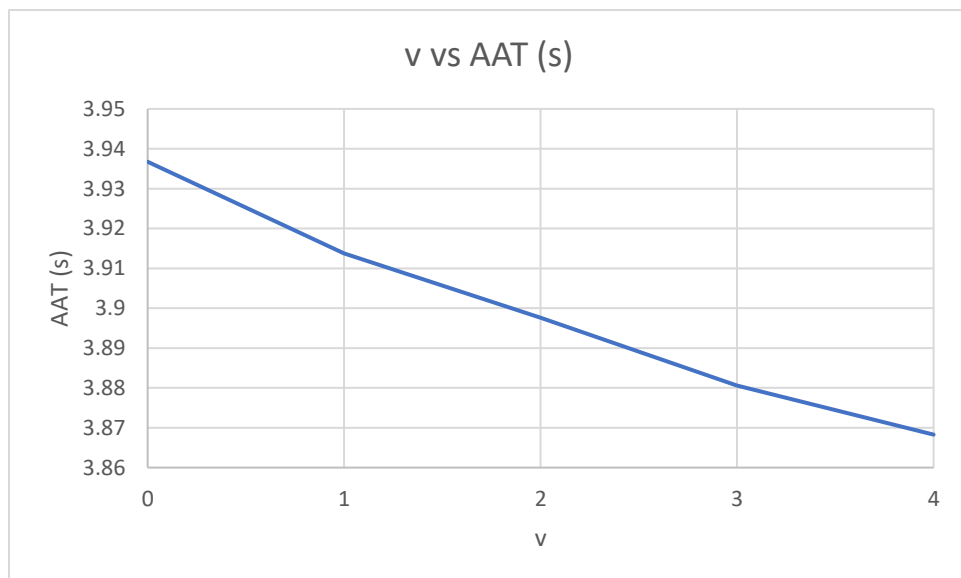
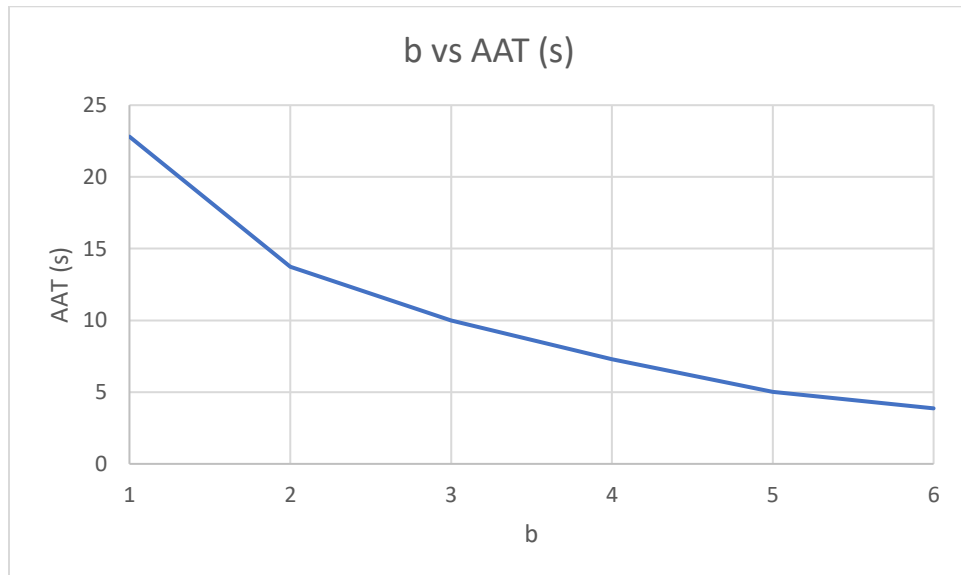
$(c, C, k) = (13, 16, 4)$

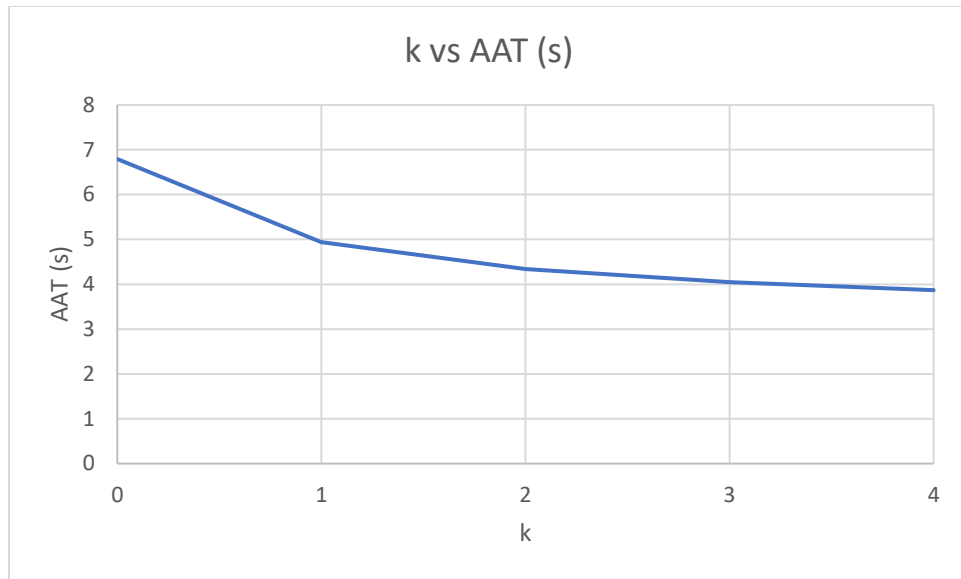
S	S	AAT (s)
0	0	4.070146
0	1	3.892439
0	2	3.877933
0	3	3.912881
0	4	3.975269
1	0	3.999852
1	1	3.962857
1	2	3.970691
1	3	3.997668
1	4	4.055276
2	0	4.163447
2	1	4.133159
2	2	4.143711
2	3	4.173088
2	4	4.231180

$(c, C, k) = (15, 15, 4)$

S	S	AAT (s)
0	0	3.879474
0	1	3.868276
0	2	3.884040
0	3	3.944950
0	4	4.030110
1	0	3.929275
1	1	3.999650
1	2	4.038916
1	3	4.109770
1	4	4.194503
2	0	4.104531
2	1	4.169115
2	2	4.239441
2	3	4.308172
2	4	4.391101

Then we fix $c = 15$, $C = 15$, $s = 0$, and $S = 1$ to find optimal b , v , and k .





As the graphs show, the larger b, v, and k are, the smaller AAT is.

Therefore, the best configuration is $c = 15$, $C = 15$, $s = 0$, $S = 1$, $b = 6$, $v = 4$, $k = 4$. $AAT = 3.868276$ s.

Total budget = $2^{15} + 2^{15} + (2^9 \times (64 - 15 + 0 + 2)) / 8 + (2^9 \times (64 - 15 + 1 + 2)) / 8 + 4 \times 2048 + 2^6 \times 4 + (4 \times (64 - 6 + 2)) / 8 = 80606$ bytes < 98304 bytes.

bzip2.trace

I vary the possible combinations of (s, S) and find the best configuration for each (c, C, k).

(c, C, k) = (14, 16, 3)

S	S	AAT (s)
0	0	2.086169
0	1	2.070702
0	2	2.070367
0	3	2.071943
0	4	2.073666
1	0	2.253934
1	1	2.251944
1	2	2.250101
1	3	2.250756
1	4	2.251557
2	0	2.446353
2	1	2.445968
2	2	2.446610
2	3	2.447106
2	4	2.447749

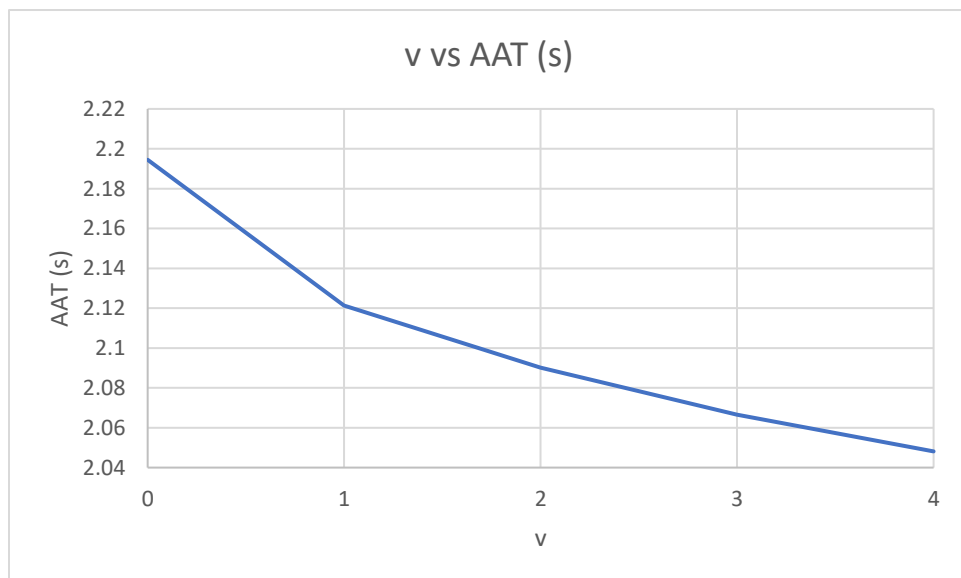
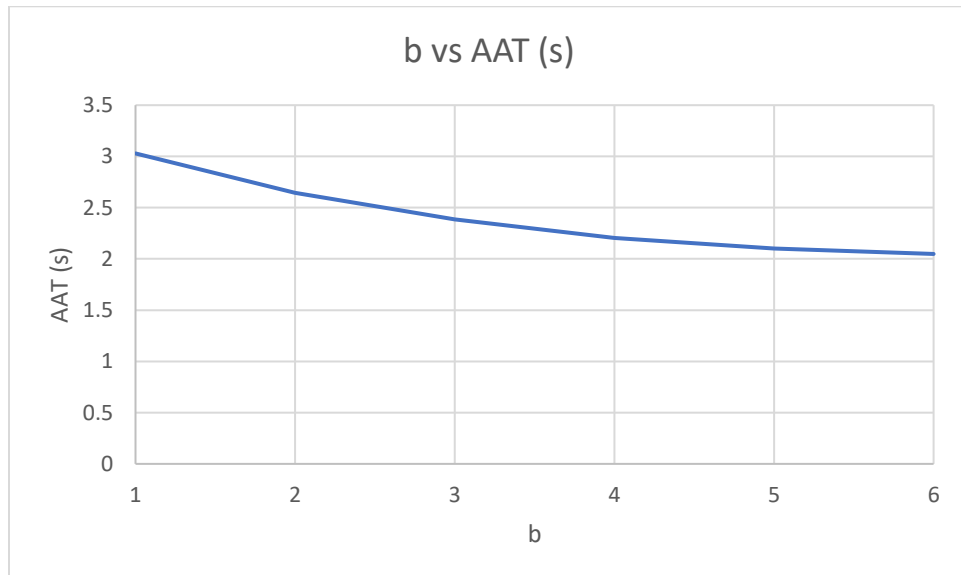
(c, C, k) = (13, 16, 4)

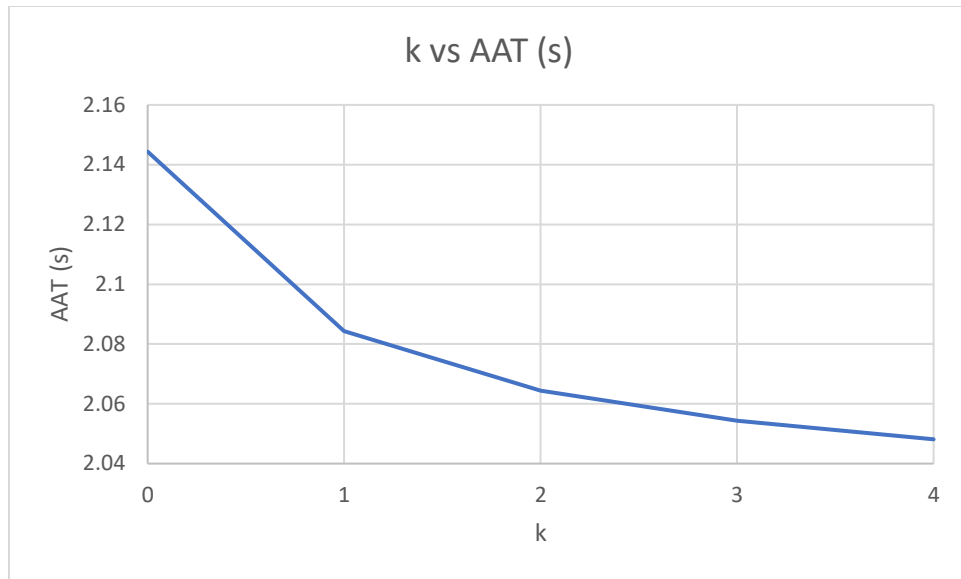
S	S	AAT (s)
0	0	2.089225
0	1	2.070663
0	2	2.070614
0	3	2.072475
0	4	2.074483
1	0	2.256755
1	1	2.252460
1	2	2.251544
1	3	2.252538
1	4	2.253679
2	0	2.458283
2	1	2.454821
2	2	2.453710
2	3	2.454802
2	4	2.456041

$(c, C, k) = (15, 15, 4)$

S	S	AAT (s)
0	0	2.053009
0	1	2.049716
0	2	2.048481
0	3	2.048127
0	4	2.048801
1	0	2.246015
1	1	2.246450
1	2	2.246004
1	3	2.244088
1	4	2.245257
2	0	2.439683
2	1	2.439721
2	2	2.440493
2	3	2.441118
2	4	2.441596

Then we fix $c = 15$, $C = 15$, $s = 0$, and $S = 3$ to find optimal b , v , and k .





As the graphs show, the larger b, v, and k are, the smaller AAT is.

Therefore, the best configuration is $c = 15$, $C = 15$, $s = 0$, $S = 3$, $b = 6$, $v = 4$, $k = 4$. $AAT = 2.048127$ s.

Total budget = $2^{15} + 2^{15} + (2^9 \times (64 - 15 + 0 + 2)) / 8 + (2^9 \times (64 - 15 + 3 + 2)) / 8 + 4 \times 2048 + 2^6 \times 4 + (4 \times (64 - 6 + 2)) / 8 = 80734$ bytes < 98304 bytes.

mcf.trace

I vary the possible combinations of (s, S) and find the best configuration for each (c, C, k).

(c, C, k) = (14, 16, 3)

S	S	AAT (s)
0	0	2.757849
0	1	2.631125
0	2	2.607768
0	3	2.627114
0	4	2.654812
1	0	2.642450
1	1	2.661870
1	2	2.654976
1	3	2.668251
1	4	2.689877
2	0	2.768800
2	1	2.804810
2	2	2.809620
2	3	2.821205
2	4	2.840827

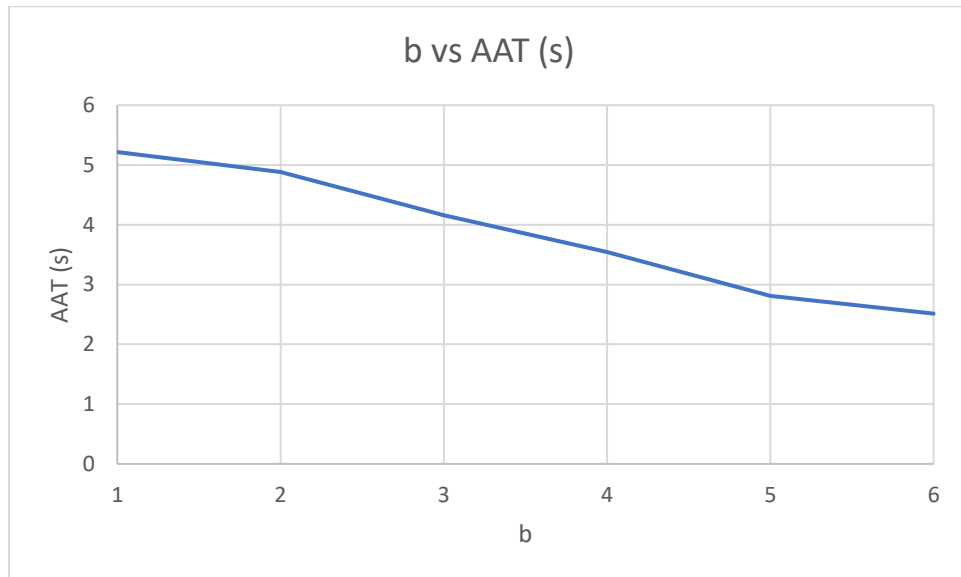
(c, C, k) = (13, 16, 4)

S	S	AAT (s)
0	0	2.980926
0	1	2.864126
0	2	2.852270
0	3	2.880753
0	4	2.924206
1	0	2.663155
1	1	2.704166
1	2	2.697747
1	3	2.711498
1	4	2.740061
2	0	2.758243
2	1	2.819937
2	2	2.821280
2	3	2.832236
2	4	2.855797

$(c, C, k) = (15, 15, 4)$

S	S	AAT (s)
0	0	2.552846
0	1	2.549250
0	2	2.513508
0	3	2.538747
0	4	2.583998
1	0	2.665424
1	1	2.714443
1	2	2.698542
1	3	2.717621
1	4	2.758131
2	0	2.806571
2	1	2.819415
2	2	2.885518
2	3	2.905138
2	4	2.939254

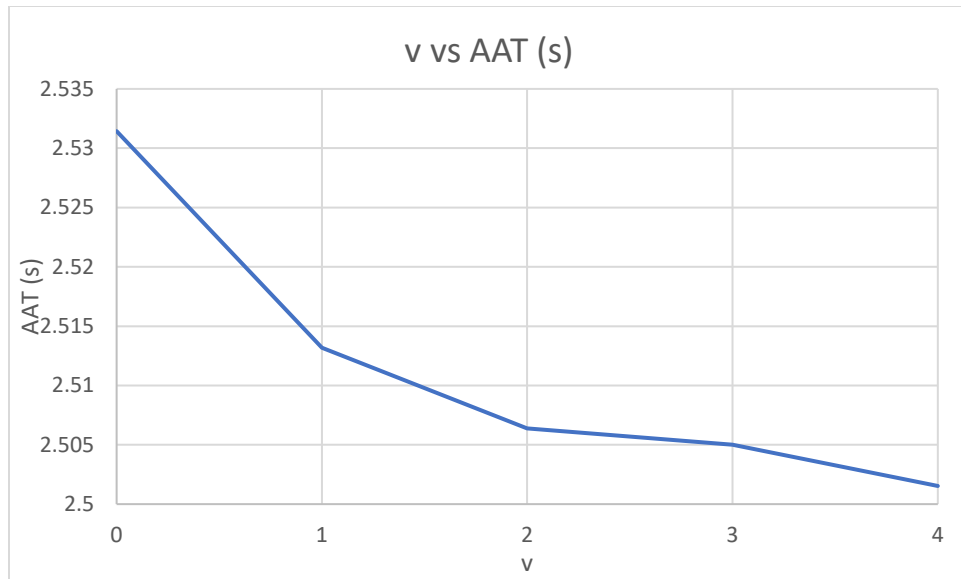
Then we fix $c = 15$, $C = 15$, $s = 0$, and $S = 2$ to find optimal b , v , and k .



In fact, $k = 4$ will overexploit spatial locality and result in pollution. $k = 3$ is the best option here.

k	AAT (s)
0	3.013803
1	2.707323
2	2.522490
3	2.501532
4	2.513508

We choose $k = 3$ and determine v in the final step.



As the graphs show, as the larger b and v are, the smaller AAT is. But $k = 4$ will result in slight pollution, so we choose $k = 3$.

Therefore, the best configuration is $c = 15$, $C = 15$, $s = 0$, $S = 2$, $b = 6$, $v = 4$, $k = 3$. AAT = 2.501532 s.

Total budget = $2^{15} + 2^{15} + (2^9 \times (64 - 15 + 0 + 2)) / 8 + (2^9 \times (64 - 15 + 2 + 2)) / 8 + 3 \times 2048 + 2^6 \times 4 + (4 \times (64 - 6 + 2)) / 8 = 78622$ bytes < 98304 bytes.

perlbench.trace

I vary the possible combinations of (s, S) and find the best configuration for each (c, C, k).

(c, C, k) = (14, 16, 3)

S	S	AAT (s)
0	0	3.999886
0	1	3.782838
0	2	3.646194
0	3	3.630943
0	4	3.698776
1	0	4.000044
1	1	3.858019
1	2	3.790249
1	3	3.769145
1	4	3.847835
2	0	3.988819
2	1	3.941238
2	2	3.927869
2	3	3.917494
2	4	3.972389

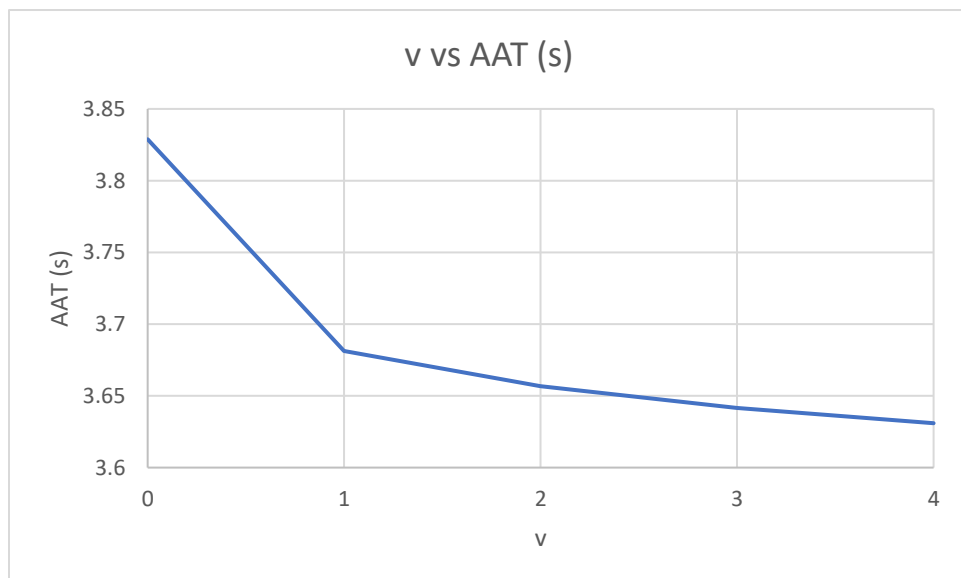
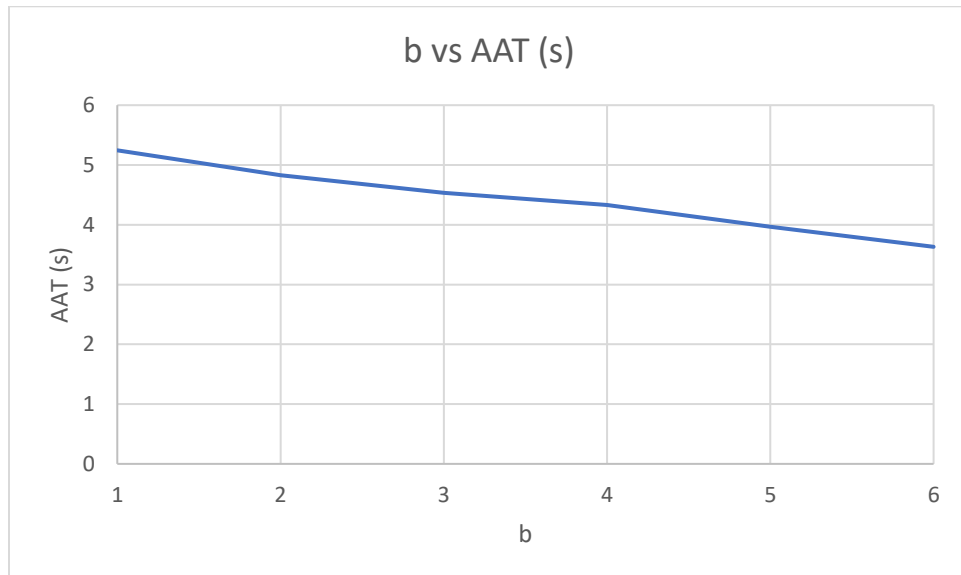
(c, C, k) = (13, 16, 4)

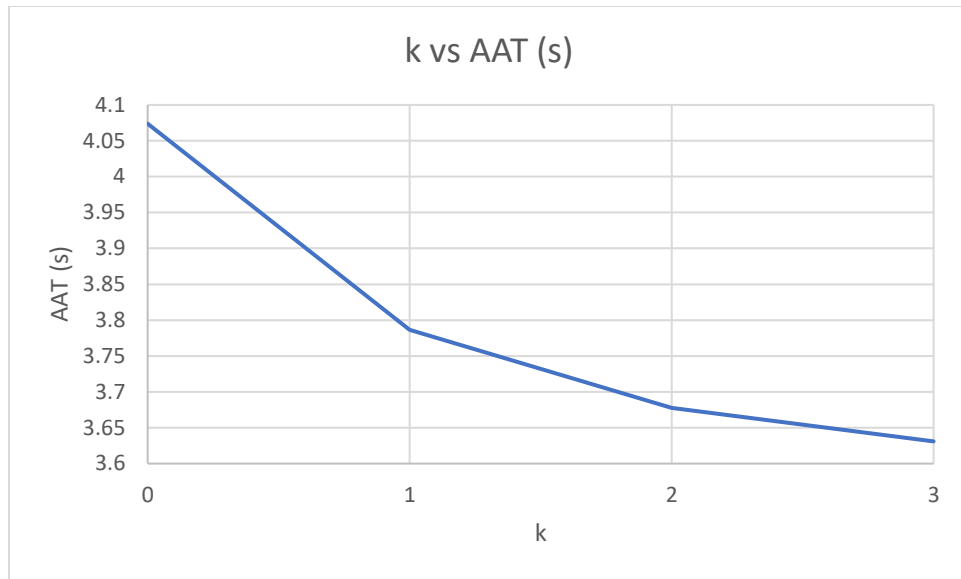
S	S	AAT (s)
0	0	4.422177
0	1	3.990378
0	2	3.832267
0	3	3.836538
0	4	3.925470
1	0	4.332583
1	1	4.031023
1	2	3.901778
1	3	3.896765
1	4	3.968213
2	0	4.448207
2	1	4.163183
2	2	4.051578
2	3	4.034093
2	4	4.104263

$(c, C, k) = (15, 15, 4)$

S	S	AAT (s)
0	0	4.031732
0	1	3.943684
0	2	3.860997
0	3	3.836327
0	4	3.884335
1	0	3.872092
1	1	3.977232
1	2	3.992509
1	3	3.998485
1	4	4.060271
2	0	3.973700
2	1	4.060457
2	2	4.195929
2	3	4.183837
2	4	4.251991

Then we fix $c = 14$, $C = 16$, $s = 0$, and $S = 3$ to find optimal b , v , and k .





As the graphs show, the larger b, v, and k are, the smaller AAT is.

The best configuration is $c = 14$, $C = 16$, $s = 0$, $S = 3$, $b = 6$, $v = 4$, $k = 3$. $AAT = 3.630943$ s.

Total budget = $2^{14} + 2^{16} + (2^8 \times (64 - 14 + 0 + 2)) / 8 + (2^{10} \times (64 - 16 + 3 + 2)) / 8 + 3 \times 2048 + 2^6 \times 4 + (4 \times (64 - 6 + 2)) / 8 = 96798$ bytes < 98304 bytes.