



中国科学技术大学

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# AutoDebias: Learning to Debias for Recommendation

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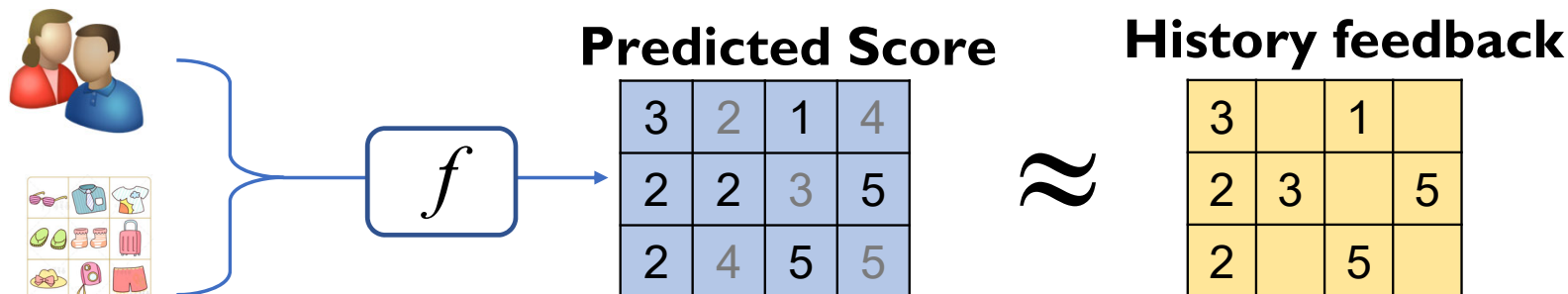


## • Outline

- ❑ Background
  - ❑ Bias Issue in Recommender System
  - ❑ Recent debiasing strategies
- ❑ Proposed Method: AutoDebias
  - ❑ A uniform learning framework for various biases
- ❑ Experiments
- ❑ Conclusion and Future Work

# • Mainstream Models: Fitting Historical Data

- Minimizing the difference between historical feedback and model prediction



## ➤ Collaborative filtering

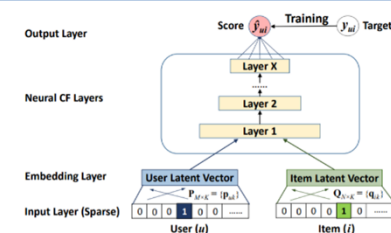
- Matrix factorization & factorization machines

Feature vector $x$																			Target			
$x^{(1)}$	1	0	0	...	1	0	0	0	...	0.3	0.3	0.3	0	...	13	0	0	0	0	...	5	$y^{(1)}$
$x^{(2)}$	1	0	0	...	0	1	0	0	...	0.3	0.3	0.3	0	...	14	1	0	0	0	...	3	$y^{(2)}$
$x^{(3)}$	1	0	0	...	0	0	1	0	...	0.3	0.3	0.3	0	...	16	0	1	0	0	...	1	$y^{(3)}$
$x^{(4)}$	0	1	0	...	0	0	1	0	...	0	0	0.5	0.5	...	5	0	0	0	0	...	4	$y^{(4)}$
$x^{(5)}$	0	1	0	...	0	0	0	1	...	0	0	0.5	0.5	...	8	0	0	1	0	...	5	$y^{(5)}$
$x^{(6)}$	0	0	1	...	1	0	0	0	...	0.5	0	0.5	0	...	9	0	0	0	0	...	1	$y^{(6)}$
$x^{(7)}$	0	0	1	...	0	0	1	0	...	0.5	0	0.5	0	...	12	1	0	0	0	...	5	$y^{(7)}$
A B C ...				T1 T2 ...				T1 T2 ...				T1 T2 ...				T1 T2 ...						
User				Movie				Other Movies rated				Time				Last Movie rated						

Factorization Machines

## ➤ Deep learning approaches

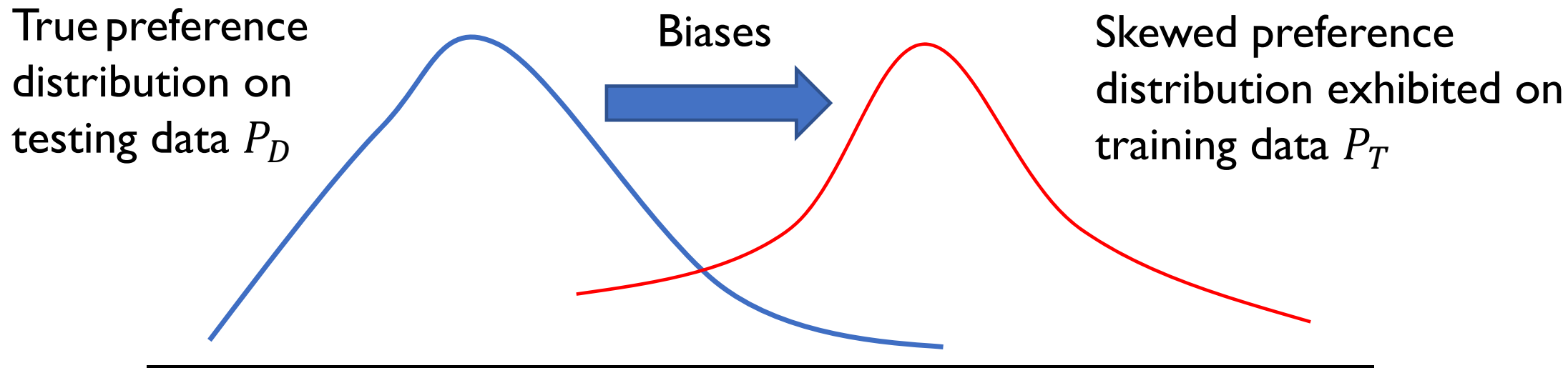
- Neural factorization machines & graph neural networks



Neural Collaborative Filtering

## • Bias is Common in RS

- The data is **observational** rather than **experimental**.
  - Affected by user self-selection (selection bias), exposure mechanism of the system (exposure bias), public opinion (conformity bias), and the display position (position bias).



- Training data deviates from reflecting user true preference.
- Blindly fitting user history behavior data would yield unexpected results.

# • Existing Debiasing Strategy: Part I

## • Inverse Propensity Score (IPS):

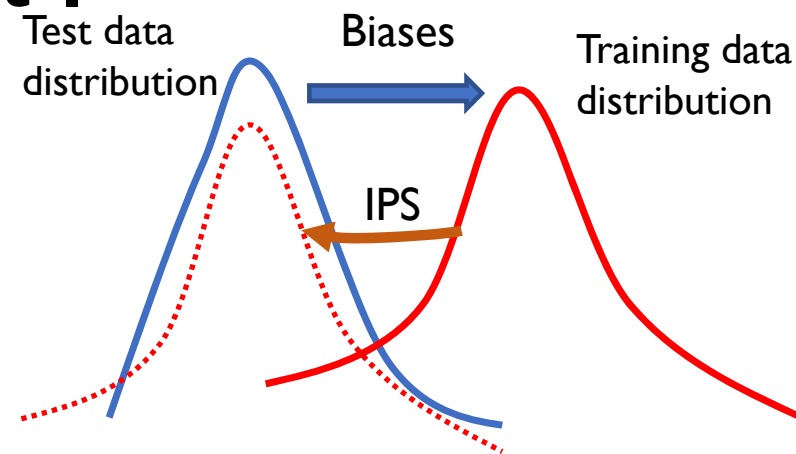
- adjust data distribution by **sample reweighting**:

$$L_{ips} = \frac{1}{|U| \cdot |I|} \sum_{(u,i) \in D_T} \frac{1}{ps(u,i)} \delta(r_{ui}, \hat{f}_{ui})$$

## • Data Imputation:

- assigns pseudo-labels for missing data

$$L_{IM} = \frac{1}{|U| \cdot |I|} \left( \sum_{(u,i) \in D_T} \delta(r_{ui}, \hat{f}_{ui}) + \sum_{(u,i) \notin D_T} \delta(m_{ui}, \hat{f}_{ui}) \right)$$



Schnabel, Tobias, et al. "Recommendations as treatments: Debiasing learning and evaluation." international conference on machine learning. PMLR, 2016.

H. Steck, "Training and testing of recommender systems on data missing not at random," in KDD, 2010, pp. 713–722.

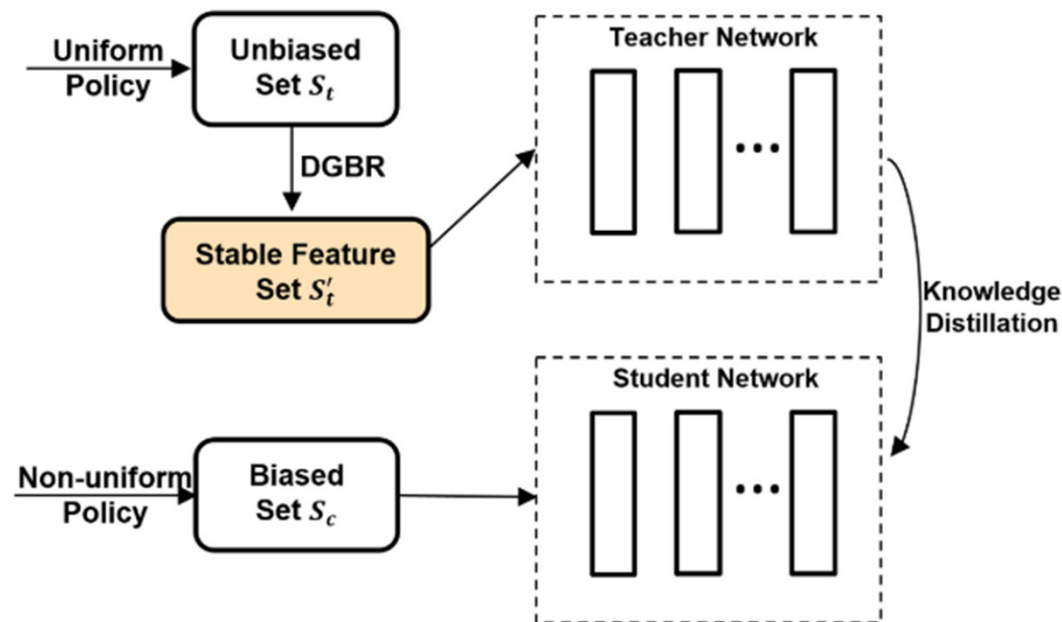
## • Existing Debiasing Strategy: Part 2

### • Generative Modeling:

- assumes the generation process of data and reduces the biases accordingly.

### Knowledge Distillation:

- trains a separate teacher model on the uniform data to guide the normal model training

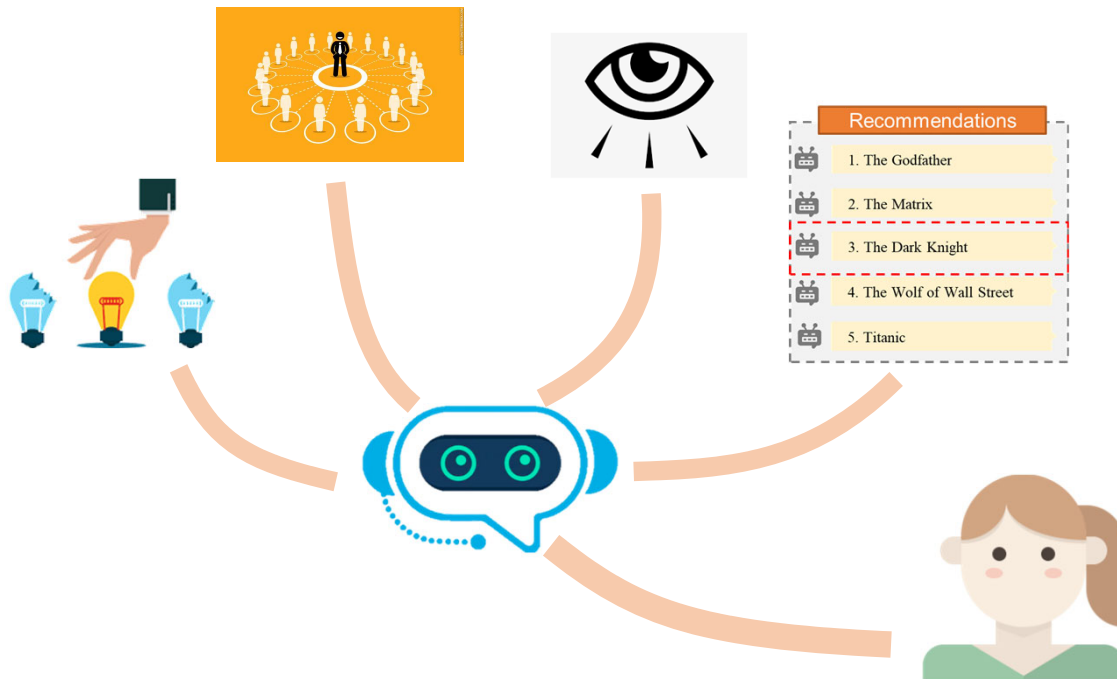


J. M. Hernández-Lobato, N. Houlsby, and Z. Ghahramani, "Probabilistic matrix factorization with non-random missing data." in ICML, 2014, pp. 1512–1520.

Liu, Dugang, et al. "A general knowledge distillation framework for counterfactual recommendation via uniform data." In SIGIR 2020.

## • Shortcomings of Existing Debiasing Strategy

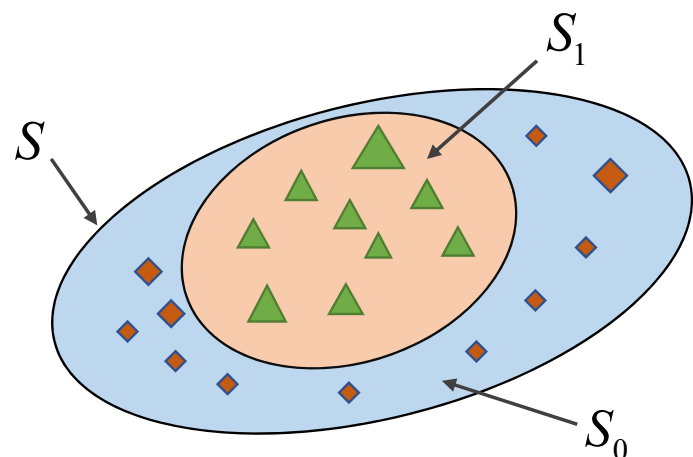
- **Lack of Universality:** These methods are designed for addressing one or two biases of a specific scenario.
- **Lack of Adaptivity:** The effectiveness of these methods depends on proper debiasing configurations.



How to develop a universal solution that accounts for multiple biases and choose proper debiasing strategy?

# • AutoDebias: A Universal Learning Framework

- Just leveraging **propensity score** is insufficient:



$$S : \{(u, i, r) : p_U(u, i, r) > 0\}$$

$$S_0 : \{(u, i, r) : p_U(u, i, r) > 0, p_T(u, i, r) = 0\}$$

$$S_1 : \{(u, i, r) : p_U(u, i, r) > 0, p_T(u, i, r) > 0\}$$

▲ : Training data

◆ : Imputed data

- Due to the data bias, training data distribution  $P_T$  may only provide the partial data knowledge of the region  $S$  ( **$S_0$  is not included**)
- IPS cannot handle this situation
- Imputing **pseudo-data** to the region  $S_0$ :

$$L_T = \sum_{(u, i) \in D_T} w_{ui}^{(1)} \delta(r_{ui}, \hat{y}_{ui}) + \sum_{u \in U, i \in I} w_{ui}^{(2)} \delta(\mathbf{m}_{ui}, \hat{y}_{ui})$$



## • AutoDebias: Adaptive learning algorithm

- How to specify proper debiasing parameters  $\phi \equiv \{w_{ui}^{(1)}, w_{ui}^{(2)}, m_{ui}\}$ ?
  - **Heuristic:**  inaccurate, rely human expertise.

- We propose to **learn from uniform data:**

- Uniform data provides signal on the effectiveness of debiasing
- **Meta learning mechanism:**
  - **Base learner:** optimize rec model with fixed  $\phi$

$$\theta^*(\phi) = \operatorname{argmin}_{\theta} \sum_{(u,i) \in D_T} w_{ui}^{(1)} \delta(y_{ui}, \hat{y}_{ui}(\theta)) + \sum_{u \in U, i \in I} w_{ui}^{(2)} \delta(m_{ui}, \hat{y}_{ui}(\theta))$$

- **Meta learner:** optimize debiasing parameters on uniform data

$$\phi^* = \operatorname{argmin}_{\phi} \sum_{(u,i) \in D_U} \delta(y_{ui}, \hat{y}_{ui}(\theta^*))$$

# • Work#1: AutoDebias: Method

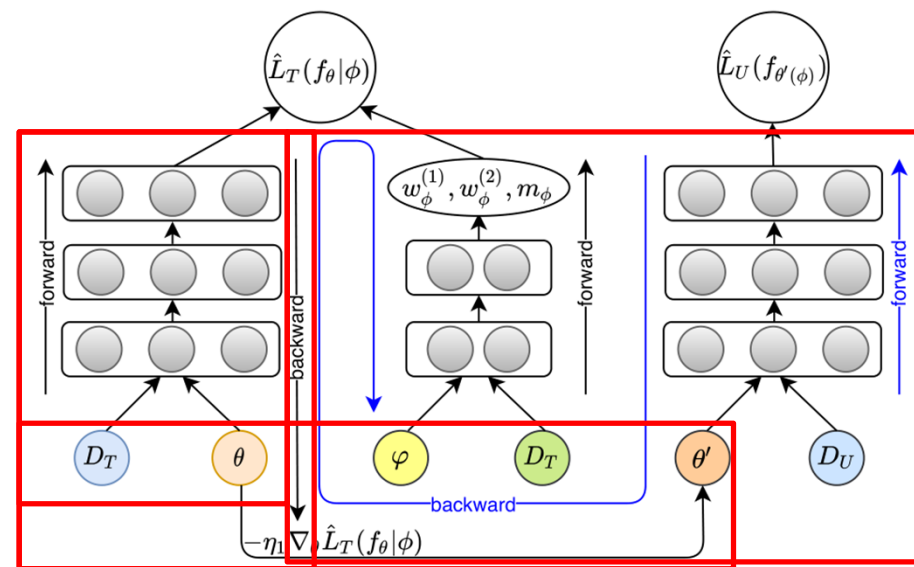
## • Two challenges:

- **Overfitting**: small uniform data but many debiasing parameters  $\phi$ 
  - Solution: Introduce a **small** meta model to generate  $\phi$ , e.g., linear model

$$w_{ui}^{(1)} = \exp(\varphi_1^T [\mathbf{x}_u \circ \mathbf{x}_i \circ \mathbf{e}_{y_{ui}}]), \quad w_{ui}^{(2)} = \exp(\varphi_2^T [\mathbf{x}_u \circ \mathbf{x}_i \circ \mathbf{e}_{o_{ui}}]), \quad m_{ui} = \sigma(\varphi_3^T [\mathbf{e}_{y_{ui}} \circ \mathbf{e}_{o_{ui}}])$$

- **Inefficiency**: obtaining optimal  $\phi$  involves nested loops of optimization
  - Solution: Update recsys model and debiasing parameters alternately in a loop

- Step 1: Make a tentative update of  $\theta$  to  $\theta'$  with current  $\phi$
- Step 2: Test  $\theta'$  on uniform data, which gives feedback to update  $\phi$
- Step 3: Update  $\theta$  actually with updated  $\phi$



## • Work#1: AutoDebias: Experiments

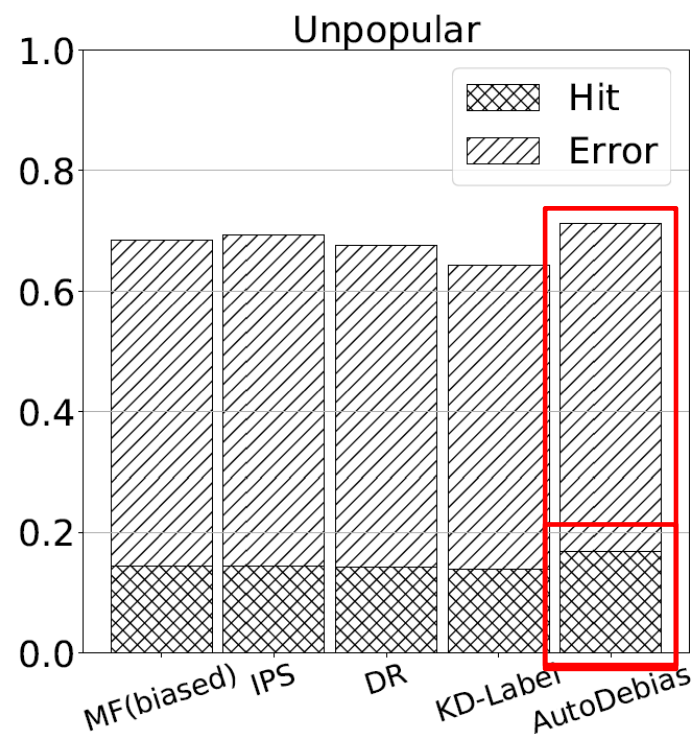
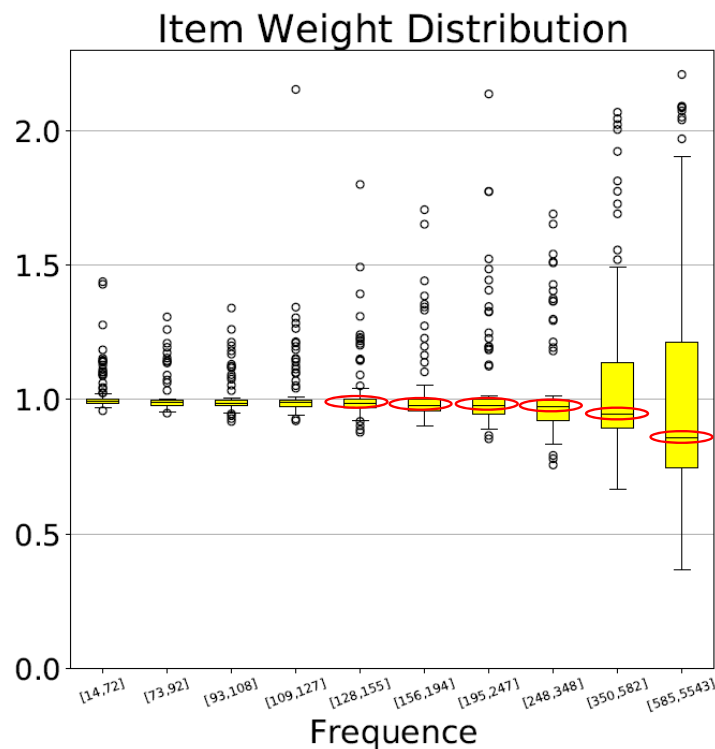
- Evaluate AutoDebias on two Yahoo!R3 and Coat (random exposure)

Methods	On Yahoo!R3		On Coat	
	AUC	NDCG@5	AUC	NDCG@5
MF(biased)	0.727	0.550	0.747	0.500
MF(uniform)	0.573	0.449	0.580	0.358
MF(combine)	0.730	0.554	0.750	0.504
IPS	0.723	0.549	0.759	0.509
DR	0.723	0.552	0.765	0.521
CausE	0.731	0.551	0.762	0.500
KD-Label	0.740	0.580	0.748	0.504
AutoDebias-w1	0.733	0.573	0.762	0.510
AutoDebias	<b>0.741</b>	<b>0.645</b>	<b>0.766</b>	<b>0.522</b>

- AutoDebias outperforms state-of-the-arts methods
- AutoDebias>AutoDebias-w1: Introducing imputation strategy is effectiveness
- AutoDebias-w1>IPS: [learning](#) debiasing parameters from uniform data is superior over heuristic design

# • Work#1: AutoDebias: Experiments

- Distribution of the learned debiasing weights  $w_{ui}^{(1)}$  with item popularity



- Adaptively down-weight the contribution of popular items
  - item popularity  $\uparrow$ , average of  $w_{ui}^{(1)}$   $\downarrow$
- Addressing popularity bias
  - Improves recommendation opportunity and precision of unpopular items

## • Conclusion

- Importance to **eliminate biases**
  - Data-driven methods cannot handle biases
- Limitations of exist methods: lacking universality and adaptivity
- Universal debiasing objective function:

$$L_T(f|\phi) = \sum_{(u,i) \in D_T} w_{ui}^{(1)} \delta(r_{ui}, \hat{f}_{ui}) + \sum_{u \in U, i \in I} w_{ui}^{(2)} \delta(m_{ui}, \hat{f}_{ui})$$

- Meta-learning algorithm for **automatic debiasing**:
  - optimize debiasing parameters on uniform data
- Future Work
  - Explore more sophisticated meta model
  - Biases is dynamic instead of static



THANK YOU!

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