Welcome to CHE 384T: Computational Methods in Materials Science

Introduction to Computational Materials Science

Programming Day 2



Programming Day Agenda

```
Wrap up of setting up your environment:
LaTeX
Helpful packages
```

Python primers:

```
the Dataframe Object global v local variables
```

Some logistics on Peer-review day and grading

Coding considerations for the Random Walk Model
Binning

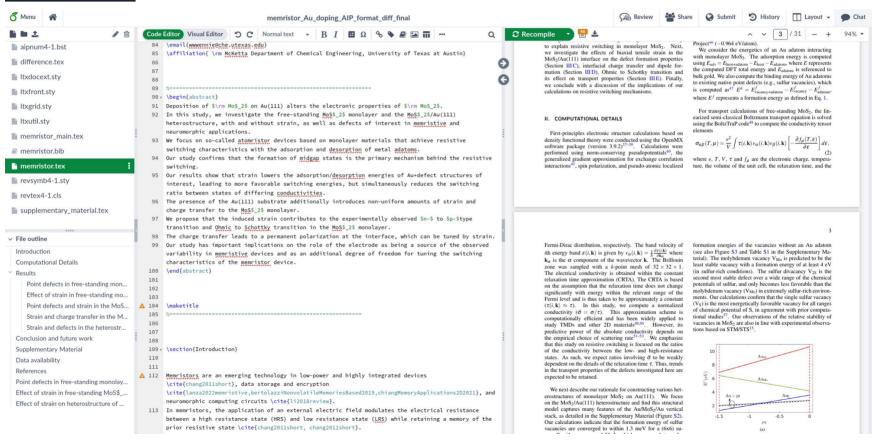
Bandom number generators (PNGs)

Random number generators (RNGs)

Code outline for RW model

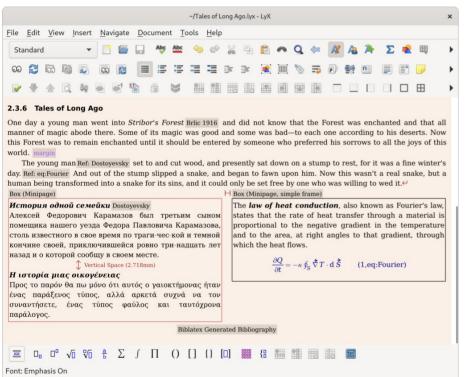
LaTeX: document typesetting





Document typesetting: WYSIWYM





Joplin



Python Primer(s): manage your environment

Some modules and packages (pip install or conda):

- numpy: lean array computing
- scipy: extends numpy for array computing
- matplotlib.pyplot: basic visualization
- **seaborn**: prettified matplotlib
- plotly: interactive plots, great for data science
- icecream: debugging beyond print()

Related to materials science:

- **ase**: interface with materials science simulations, lots of open-source codes
- **pymatgen**: interface with materials science simulations, mostly VASP
- pyscf: quantum chemistry code

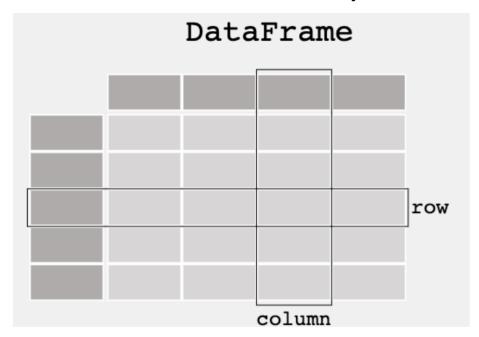
Related to data science:

- Pandas: dataframes
- Sklearn: some basic ML
- **PyTorch**: for deep learning, good for prototyping
- Tensorflow: for deep learning

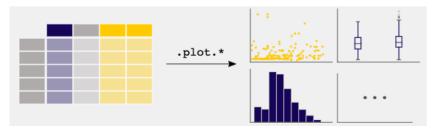
pip: python package management

conda: general system package management

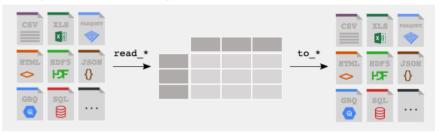
Python Primer(s): Pandas



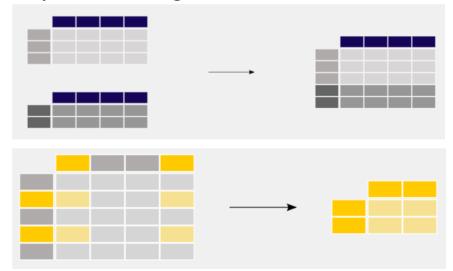
Visualize and characterize data



Import/export to multiple tabular formats



"Clean up" data, merge data, subselect data



Python Primer(s): Pandas

```
# Import necessary libraries
import numpy as np
import matplotlib.pyplot as plt
# Generate sample data with NumPy
x_np = np.linspace(0, 10, 100) # 100 points
between 0 and 10
y_np = np.sin(x_np) # Sine wave using NumPy
# Create a NumPy plot
plt.figure(figsize=(8, 4))
plt.plot(x_np, y_np, label='NumPy Sine Wave')
plt.title('Plotting with NumPy')
plt.xlabel('X')
plt.ylabel('sin(X)')
plt.legend()
plt.show()
```

```
# Import necessary libraries
import pandas as pd
import matplotlib.pyplot as plt
import numpy as np
# Generate the same data using Pandas
x_pd = pd.Series(np.linspace(0, 10, 100)) # 100
points between 0 and 10 using pandas. Series
y_pd = x_pd.apply(np.sin) # Apply sine function to
the Series
# Create a Pandas DataFrame
df pd = pd.DataFrame({'X': x pd, 'Sine Wave': y pd})
# Create the plot using Pandas
df_pd.plot(x='X', y='Sine Wave', figsize=(8, 4),
title='Plotting with Pandas Generated Data',
legend=True)
plt.xlabel('X')
plt.ylabel('sin(X)')
plt.show()
```

Python Primer(s): global v local variables

Return local variable

```
x = 42
def f():
    x = 'alice'
    return x
```

```
x = 42

def f():
    x = 'alice'
    return x

print(f())
# alice

# Has the global variable x changed?
print(x)
# Output: 42 - no it has not changed.
```



Return global variable

```
x = 42
def f():
    global x
    x = 'alice'
    return x
```

```
def f():
    global x
    x = 'alice'
    return x

print(f())
# alice

# Has the global variable x changed?
print(x)
# Output: alice - yes it has changed.
```

Peer review day

Submit your report (*.pdf) and code (*.zip) to Canvas

Rubric

Example solutions report

We will do 1-2 rounds of peer review

Peer review of your code, example questions:

- Is the code readable?
- Is the logic of the code implemented understandable and easy to follow?
- Compare and contrast choices of code organization
- Compare and contrast choices of code implementation

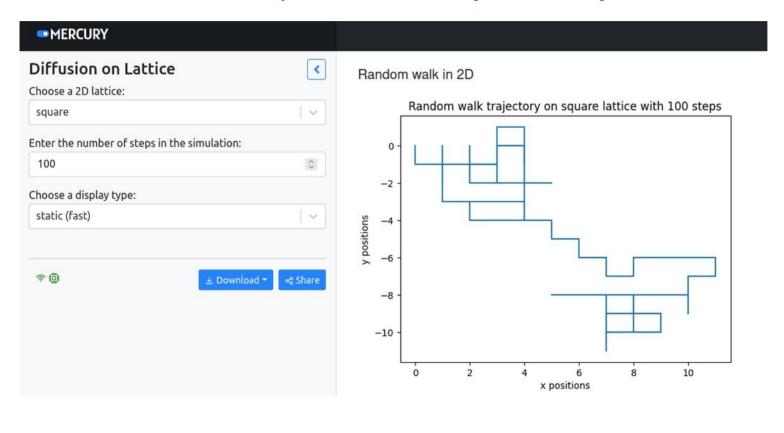
Peer review of your report:

- Is the report organized, self-contained and written clearly?
- Are the figures complete, legible, and clear?
- Compare and contrast choices of computational parameters, e.g., statistical sampling.
- Compare and contrast choices in formatting and analysis.

Reflection on peer review, Opportunity for resubmission: Sept. 16, 11:59pm

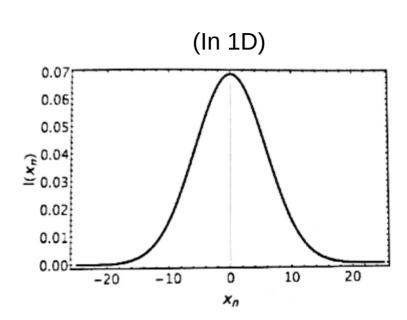
Random walk diffusion: a small simulation

https://rwd2d-mercury.runmercury.com/



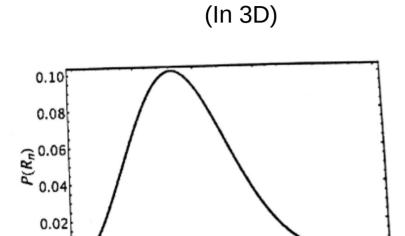


Statistics of the Random Walk Model: End-to-end distribution



$$\mathcal{P}(n_{tot}, q) = \frac{1}{2}^{n_{tot}} \frac{n_{tot}!}{(\frac{n_{tot} + q}{2})!(\frac{n_{tot} - q}{2})!}$$

Statistics of the Random Walk Model: End-to-end distribution



10

20

15

 R_n

Coding considerations:

Binning distributions

Discretizing continuous functions Appendix I.3

Choose *n_{bin}*

0.000

$$\Delta = \frac{n_{bin}}{n_{bin}}$$

20

60

40

```
#Pseudocode for binning procedure
def binning(...):
    #given n_{bin}, figure out bin intervals
    # count frequency of each item into each bin
    # compute the probability of each frequency
    # normalize the distribution
    # so that the total integration of the
    # probability distribution is equal to one
    return ... normed_prob_distribution
```

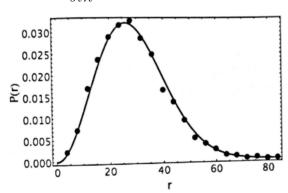
Coding considerations:

Binning distributions

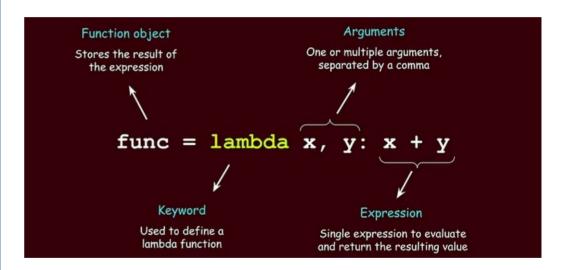
Discretizing continuous functions Appendix I.3

Choose *n_{bin}*

$$\Delta = \frac{R_n^{max} - R_n^{min}}{n_{hin}}$$



```
# Lambda functions:
# small anonymous functions
```



```
print(func(1,2))
>>> 3
```

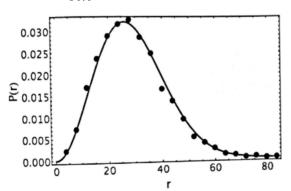
Coding considerations:

Binning distributions

Discretizing continuous functions Appendix I.3

Choose n_{bin}

$$\Delta = \frac{R_n^{max} - R_n^{min}}{n_{bin}}$$



Random Number Generator

Appendix I.2

$$I_{i+1} = aI_i \pmod{m}$$

 $a = 7^5 = 16807, m = 2^{31} - 1 = 2147483647$
 $F = I_i/m, 0 < F_i < 1$

To reproduce a "random" result, pick a consistent *seed*

Python:

numpy.random.rand(...): generates (pseudo-)random number over [0,1)

numpy.ceil(...): round to next highest integer

User chooses *nt* = number of time steps

Concept

Variable, integer

Python Representation

nt

Objective

User chooses *nt* = number of time steps

Keep track of position of random walker at each time step.

Let's assume it starts at the origin.

Concept

Variable, integer

Array (list of items) e.g., [3, 4.5, 8, -1]

 $2D \rightarrow x$ and y coordinate for each position

Python Representation

nt

Use the library numpy, shorthand is np:

```
x = np.zeros(nt+1)
y = np.zeros(nt+1)
```

Objective

User chooses *nt* = number of time steps

Keep track of position of random walker at each time step. Let's assume it starts at the origin.

Specify how the position changes at each time step.

Concept

Variable, integer

Array (list of items) e.g., [3, 4.5, 8, -1]

 $2D \rightarrow x$ and y coordinate for each position

Python Representation

nt

Use the library numpy, shorthand is np:

```
x = np.zeros(nt+1)
y = np.zeros(nt+1)
```

```
delx = np.array([?,?,?,?])
dely = np.array([?,?,?,?])
```

Objective

User chooses *nt* = number of time steps

Keep track of position of random walker at each time step.
Let's assume it starts at the origin.

Specify how the position changes at each time step.

Save each new position of the diffusion path

Concept

Variable, integer

Array (list of items) e.g., [3, 4.5, 8, -1]

 $2D \rightarrow x$ and y coordinate for each position

i.e., access a specific element "zero index"

Python Representation

nt

Use the library numpy, shorthand is np:

```
x = np.zeros(nt+1)
y = np.zeros(nt+1)
```

delx = np.array([?,?,?,?])
dely = np.array([?,?,?,?])

$$x = [1,2,3]$$

 $x[0] = 1$
 $x[1] = 2$

Objective

Repeat for *nt* times

Encode the random number to a change in position of the random walker

Concept

for loop range function

Generate a (pseudo)-random number

Python Representation

```
Input:
    for i in range(3):
        print(i)
Output:
    0
1
2
```

```
np.floor(4* np.random.rand(nt))
```

Generate random number b/t 0 and 1

Random number b/t 0 and 4

Random integer: 0, 1, 2, 3