

Learning to Synthesize

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Program Estimation

- Problem:
 - Given a context c , find program $s = \operatorname{argmax}_s P(s \mid c)$?
 - A sub problem of program synthesis
- Applications:
 - Learning by examples
 - Context = input/output examples
 - Code completion
 - Context = partial code
 - Code generation from natural language description
 - Context = natural language description
 - Test-based program repair
 - Context = buggy program & tests
 - Test Generation
 - Context = program under test, P = bug-detecting capability

Challenges

- How to estimate the conditional probability $P(\textit{Prog} \mid \textit{Context})$?
 - Should be consistent with other constraints, e.g., $P(\textit{invalid} \mid \textit{Context}) = 0$
- How to find program s such that $P(s \mid \textit{context})$ is the largest?
 - The space of program is huge

Learning to synthesis (L2S)

- A general framework to address program estimation
- Combining four tools
 - **Syntax**: defining a search problem
 - **Constraints**: pruning off invalid choices in each step
 - **Machine-learned models**: estimating the probabilities of choices in each step
 - **Search algorithms**: solving the search problem

Example – Repairing incorrect conditions

- Condition bugs are common

```
hours = convert(value);  
+ if (hours > 12)  
+   throw new ArithmeticException();
```

Missing boundary checks

```
- if (hours >= 24)  
+ if (hours > 24)  
    withinOneDay=true;
```

Conditions too weak or too strong

- Existing work can pinpoint incorrect condition
- Can we generate a correct condition to replace the incorrect one?

Syntax

- $E \rightarrow E ">12"$
| $E ">0"$
| $E "+" E$
| *"hours"*
| *"value"*
| ...

- The syntax defines the search space of conditional expressions

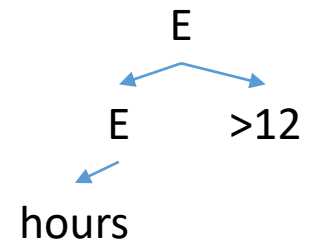
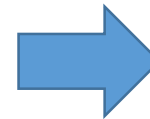
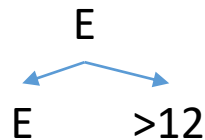
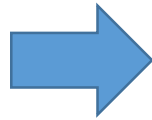
Search Order

- A program may be completed in different orders

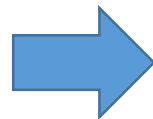
- `hours > 12`

- Top-down

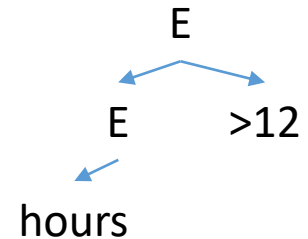
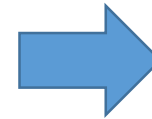
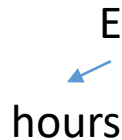
E



- Bottom-up



hours



The order may greatly affect the performance of L2S.

Annotations

- Introduce annotations to symbols
 - E^D indicates E can be expanded downward
 - E^U indicates E can be expanded upward
 - E^{UD} indicates E can be expanded in both directions

From Grammar to Rewriting Rules

Grammar	Top-down Rules	Bottom-up Rules
$E \rightarrow E \text{ "+" } E$	$E^D \Rightarrow E \rightarrow E^D \text{ "+" } E^D$	$E^U \Rightarrow E^U \rightarrow E \text{ "+" } E^D$ $E^U \Rightarrow E^U \rightarrow E^D \text{ "+" } E$
$E \rightarrow E \text{ ">12"}$	$E^D \Rightarrow E \rightarrow E^D \text{ ">12"}$	$E^U \Rightarrow E^U \rightarrow E \text{ ">12"}$
$E \rightarrow \text{"hours"}$	$E^D \Rightarrow E \rightarrow \text{"hours"}$	$\text{"hours"}^D \Rightarrow E^D \rightarrow \text{"hours"}$

Creation Rules

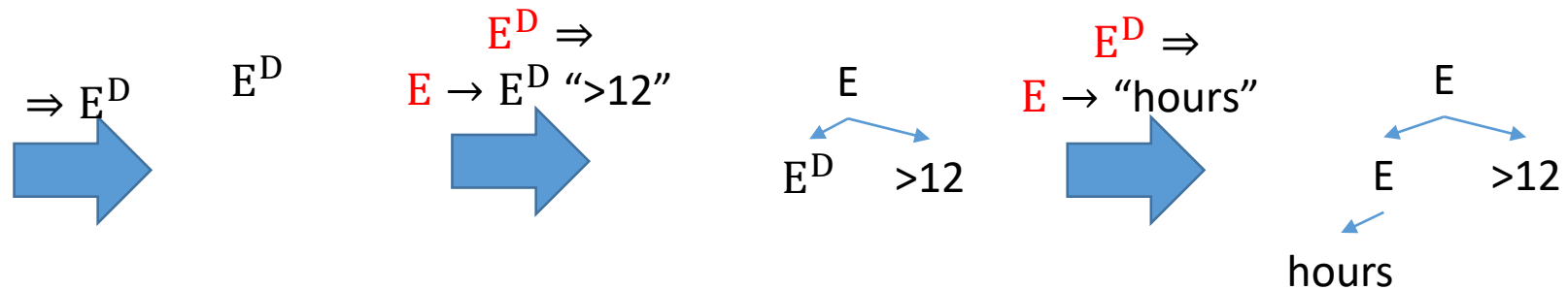
$\Rightarrow E^D$ // starting from the root
 $\Rightarrow E^{DU}$ // starting from a middle node
 $\Rightarrow \text{"hours"}^U$ // starting from a leaf

Ending Rule

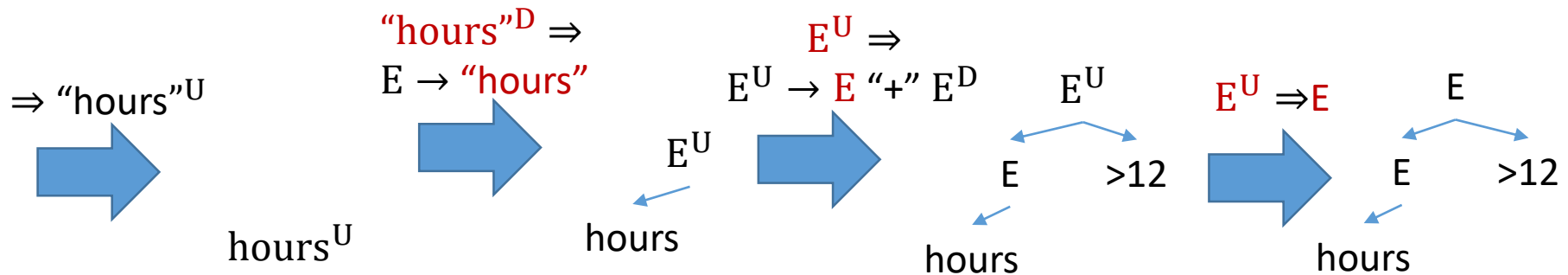
$E^U \Rightarrow E$

Example

- Top-down



- Bottom-up



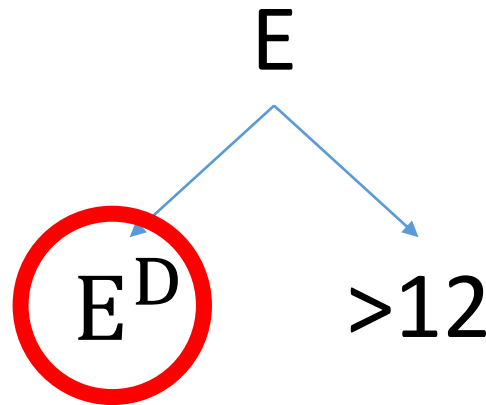
Search Problem

- Each partial AST is a state
 - Start state is an empty AST
 - Ending state is a complete AST without annotations
- Each rewriting rule application gives a successor
- In practice, a subset of rewriting rules is selected to give a more deterministic order, e.g.,
 - Top-down rules + root creation rules
 - Bottom-up rules + leaf creation rules + ending rules

Solving the search problem

- In each step, we need to decide
 - (1) which node to expand
 - (2) which rule is used to expand

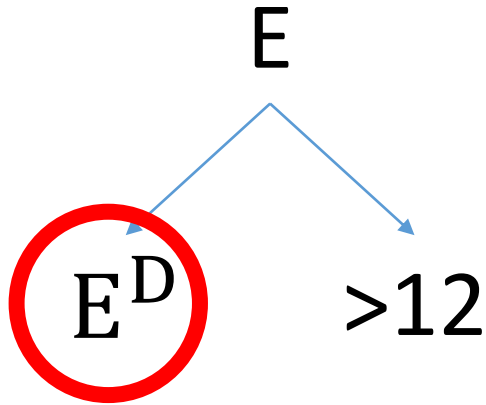
Decisions in Each Step



(1) Choosing a node to expand

A policy is used to pick a node in a fixed order

Decisions in Each Step



$E^D \Rightarrow E \rightarrow E^D \text{ "+" } E^D$
| ~~$E \rightarrow E^D \text{ ">12"}$~~
| $E \rightarrow \text{"hours"}$

(2) Pruning off invalid choices

Constraints are generated and satisfiability is checked.

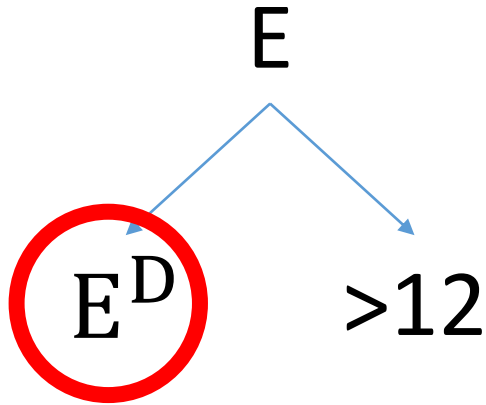
Structural Constraint Generation

- Each AST node defines a set of variables
 - For type constraints, each node n defines a type variable $\text{type}[n]$
- Each grammar rule defines a set of constraints
 - $E_1 \rightarrow E_2 \text{ ">12"}$
 - $T[E_1] = \text{Boolean}$
 - $T[E_2] = \text{Int}$
 - $E_2 \rightarrow E_3 \text{ ">12"}$
 - $T[E_2] = \text{Boolean}$
 - $T[E_3] = \text{Int}$
- The context gives a set of constraints
 - $T[\text{hours}] = \text{Int}$
 - $T[E_{\text{root}}] = \text{Boolean}$
- If a solver returns unsat, drop the current choice

Other constraints

- Semantic constraints
 - The variables are values at each node
 - The constraints are semantics of the operators
- Size constraints
 - The variables are size of the subtree starting from a node
 - The constraints are formulas to calculate the size

Decisions in Each Step



$$\begin{array}{lcl} E^D \Rightarrow E \rightarrow E^D \text{ "+" } E^D & 0.05 \\ | & \text{---} E \rightarrow E^D \text{ ">12"} \text{ ---} \\ | & E \rightarrow \text{"hours"} & 0.8 \end{array}$$

(3) Estimating the probabilities of the remaining choices

Training a machine-learned model

Training a model

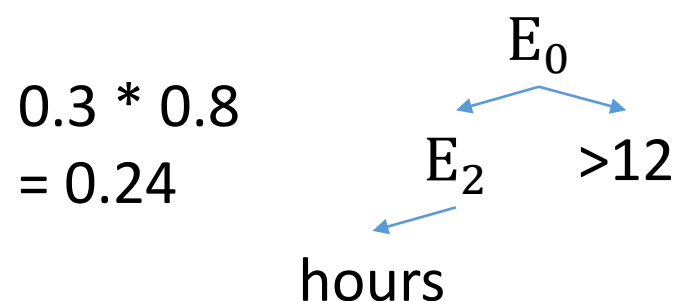
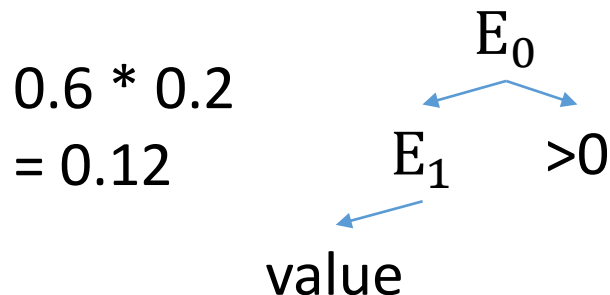
- The user chooses a machine learning method for each symbol with U or D
- The model is trained on a corpus of programs and their contexts
 - A search process is re-enacted on each program and the choice of rules are stored as the training set
- Local names should be handled with proper embedding

Local Optimal \neq Global Optimal

E_0	$E \rightarrow E \text{ “} > 12 \text{”}$	0.3
	$E \rightarrow E \text{ “} > 0 \text{”}$	0.6

E_1	$E \rightarrow \text{“hours”}$	0.1
	$E \rightarrow \text{“value”}$	0.2
	$E \rightarrow E \text{ “} + \text{” } E$	0.05

E_2	$E \rightarrow \text{“hours”}$	0.8
	$E \rightarrow \text{“value”}$	0.1
	$E \rightarrow E \text{ “} + \text{” } E$	0.05



Search Algorithm

- Beam search – a greedy method to solve the search problem
 - Keep 'n' most likely programs and their probabilities
 - Each time, use all valid rule applications to expand the program
 - Keep 'n' most likely expanded programs where their new probability is the highest
 - $\text{new probability} = \text{old probability} \times \text{choice probability}$
- Other search algorithms may also be used

Preliminary Evaluation

- Predicting conditional expressions in large programs, with surrounding code as context
- A bottom-up order starting from the left most variable
- Use xgboost to train the models and features are manually defined
- Models are trained on the conditional expressions in the same project
- 10-fold cross validation is used

Results

Project	kLOC	Top 10 Precision
Chart-26	146	64.7%
Math-82	104	75.6%
Time-15	81	85.7%
Lang-9	28	85.2%

Summary and Future Work

- Learning to Synthesize: a framework for estimating a program under a context
- Work-in-progress
- Many future directions
 - Applications
 - Program repair, code generation, test generation, fault localization
 - Program verification?
 - Can we automate the choice of rule set?
 - What is the effect of different policies for choosing nodes?
 - Can we use better search algorithms? E.g., MCMC, bayesian optimization