# Learning Soft-Consistent Correlation Filters for RGB-T Object Tracking



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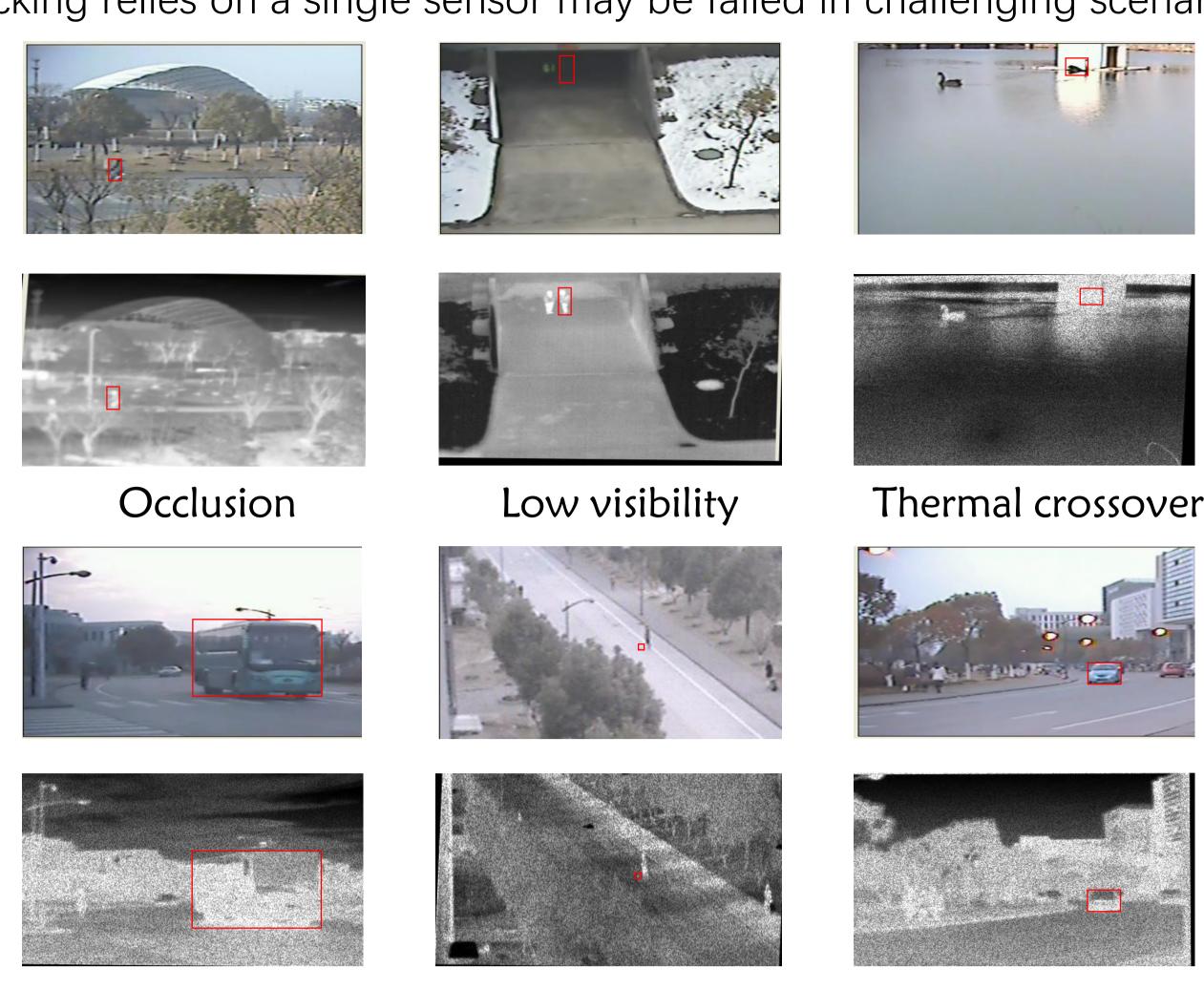
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# Background

Tracking relies on a single sensor may be failed in challenging scenarios.



 How to perform efficient and effective fusion of different modalities for boosting tracking performance?

Small object

Fast motion

 A tracking speed beyond 25fps is considered real-time, some existing methods perform well but cannot be tracked in real time.

## Contribution

Large scale variation

- In order to take both *collaboration* and the *heterogeneity* of RGB and thermal spectra into account, a novel soft-consistent correlation filters for RGB-T object tracking is proposed.
- A spectral *fusion mechanism* is designed. The spectral weights are obtained according to the response map in the detection phase, and the final response map is obtained by weighted fusion of different spectra.
- Our method performs favorably against a number of state-of-the-art trackers, and the running speed over 50 frames per second.

# **Soft-Consistent Correlation Filter**

Given K different spectrums, the goal is to find the optimal correlation filters  $\mathbf{w}_{k}$  for K different spectrums.

$$\min_{\mathbf{w}_k} \sum_{l=1}^K \frac{1}{2} ||\mathbf{X}_k \mathbf{w}_k - \mathbf{y}||_2^2 + \lambda_1 ||\mathbf{w}_k||_2^2$$

The above objective function can equivalently be expressed in its dual form.

$$\min_{\mathbf{z}_k} \sum_{k=1}^K \frac{1}{4\lambda_1} \mathbf{z}_k^{\mathrm{T}} \mathbf{G}_k \mathbf{z}_k + \frac{1}{4} \mathbf{z}_k^{\mathrm{T}} \mathbf{z}_k - \mathbf{z}_k^{\mathrm{T}} \mathbf{y}$$

For the *collaboration*, we observe that the learned  $\{z_k\}$  should select similar circular shifts such that they have similar motion. While for the *heterogeneity*, we intend to allow  $\{z_k\}$  have sparse different elements to each other. Taking the above considerations together, we propose a *soft*consistent constraint on {z<sub>k</sub>} that makes them consistent while allowing the sparse inconsistency exists, and formulated as a I<sub>1</sub>-optimization based sparse learning problem. Thus, the problem can be finally formulized as follows:

$$\min_{\mathbf{z}_k} \sum_{k=1}^K \frac{1}{4\lambda_1} \mathbf{z}_k^{\mathrm{T}} \mathbf{G}_k \mathbf{z}_k + \frac{1}{4} \mathbf{z}_k^{\mathrm{T}} \mathbf{z}_k - \mathbf{z}_k^{\mathrm{T}} \mathbf{y} + \lambda_2 \sum_{k=2}^K ||\mathbf{z}_k - \mathbf{z}_{k-1}||_1$$

# Tracking

## Target position estimation

The k-th correlation response map is computed by:

$$\mathbf{R}_k = \mathcal{F}^{-1}(\mathbf{\hat{s}}_k \odot \mathbf{\hat{x}}_k^* \odot \mathbf{\hat{z}}_k)$$

The definition of APCE is:

$$APCE = \frac{|R_{max} - R_{min}|^2}{mean(\sum_{m,n} (R_{m,n} - R_{min})^2)}$$

The weights of different spectra are calculated based on APCE:

$$\alpha_k = \frac{APCE_k}{\sum_{k=1}^K APCE_k}$$

Then the final correlation response map is computed by

$$\mathbf{R} = \sum_{k=1}^{K} \alpha_k \mathbf{R}_k$$

The target location can be estimated by searching for the position of maximum value of the correlation response map  $\mathbf{R}$ .

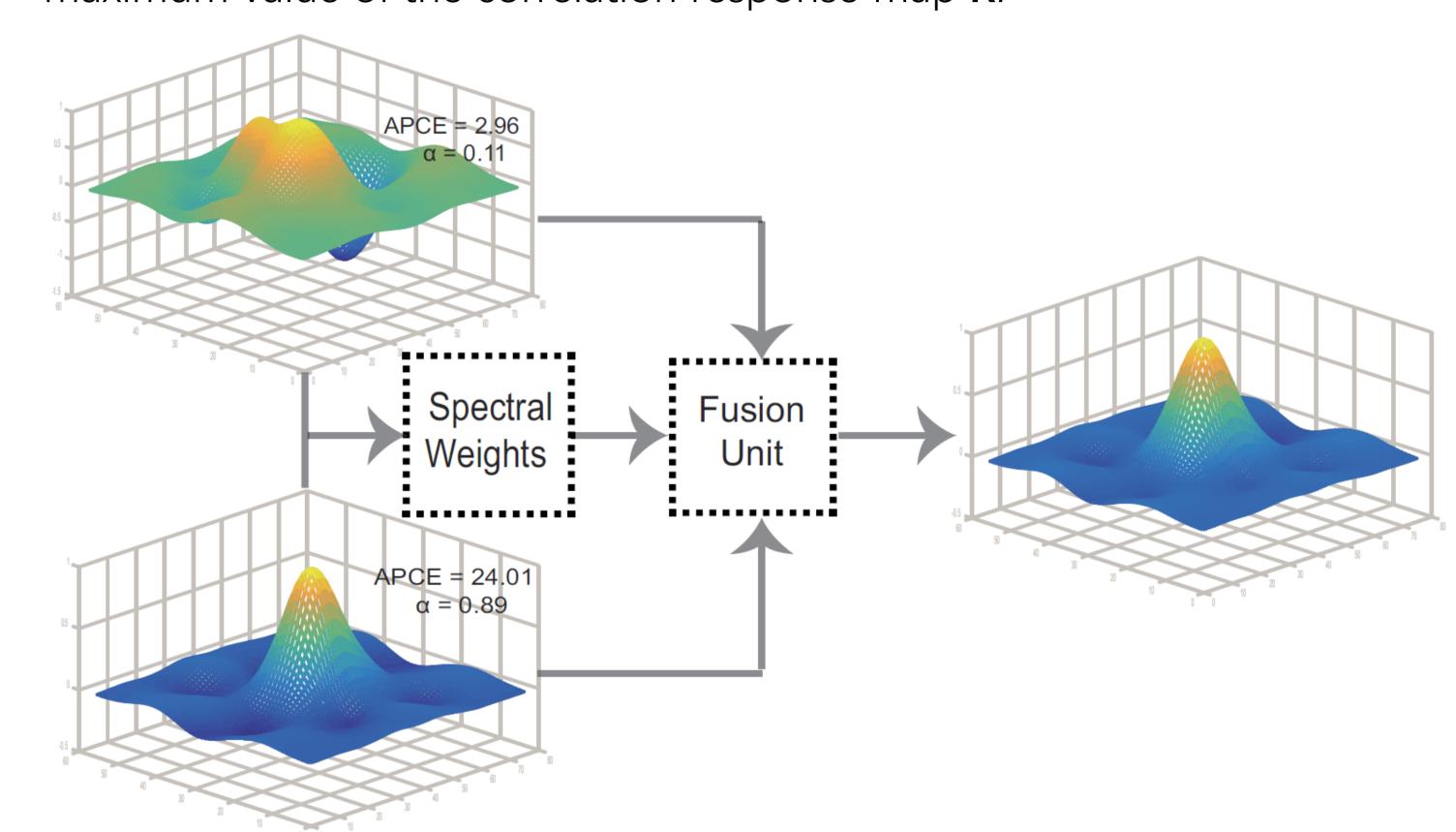


Figure 1: Pipeline of the proposed spectral fusion mechanism.

#### Model update

Use an incremental strategy to update model as:

$$\mathcal{F}(\mathbf{x}_k^t) = (1 - \eta)\mathcal{F}(\mathbf{x}_k^{t-1}) + \eta\mathcal{F}(\mathbf{x}_k^t)$$

$$\mathcal{F}(\mathbf{z}_k^t) = (1 - \eta)\mathcal{F}(\mathbf{z}_k^{t-1}) + \eta\mathcal{F}(\mathbf{z}_k^t)$$

# Experiments

# Implementation

MATLAB + i7-6700K 4.00 GHz CPU with 32 GB RAM.

## Dataset: GTOT

 C Li et al, Learning collaborative sparse representation for grayscalethermal tracking, in TIP, 2016

## Quantitative Evaluation

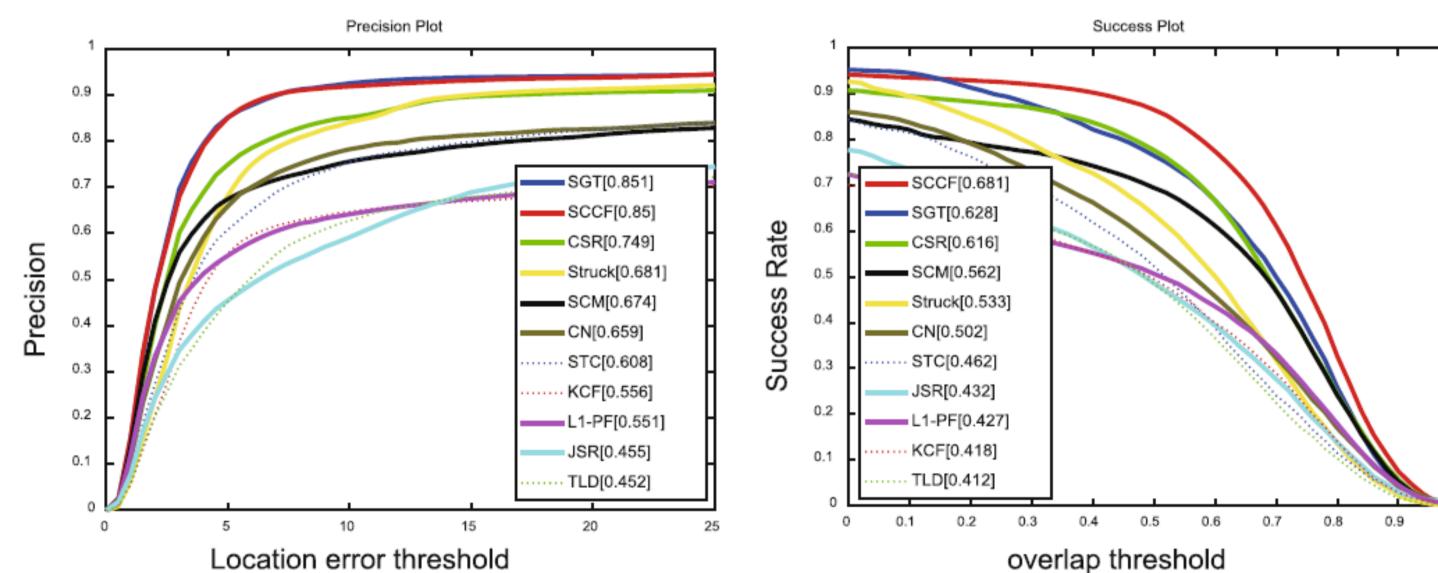


Figure 2: PR and SR plots on GTOT.

## Qualitative Results

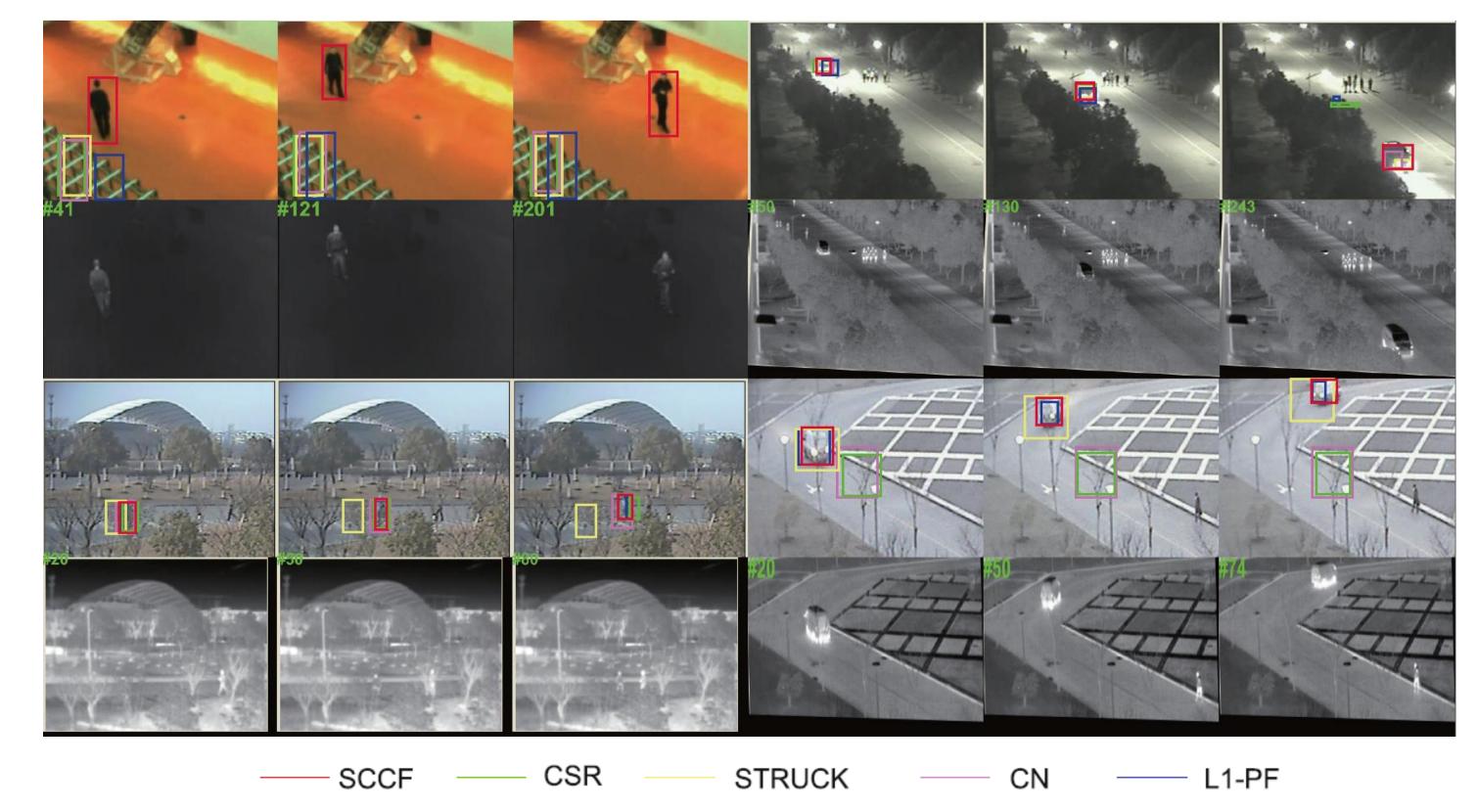


Figure 3: Sample results of our method against other tracking methods.