



# Team 2 Client Pitch

Predicting Realized Volatility

10001: Vega



UNSW  
SYDNEY

AXEL LIBRATA



BARRY YE



MARVEL NELWAN



WILLIAM MOOG



WYUN NG



optiver

# Executive Summary

## Problem

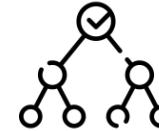
How might we develop a predictive short-term stock volatility model that outperforms the Naïve model through Ensemble Learning?

## Strategy

### Hybrid Model – Bayesian Averaging



Exponentially Weighted  
Moving Averages (EWMA)



Light Gradient-Boosted  
Machine (LightGBM)

## Risks

Heteroskedasticity

Computational  
Resources

Data Quality

## Impact

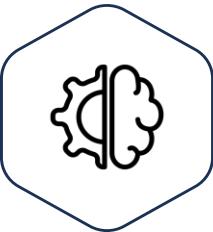


R<sup>2</sup>: 0.878

RMSPE: 0.19

Runtime: 16 Seconds

How might we develop a predictive short-term stock volatility model that outperforms the Naïve model through Ensemble Learning?



1

## Market Efficiency

Identify mispricing in options and other derivatives to hedge for profit



2

## Portfolio Optimization

Investors can create more efficient portfolios that generate higher returns



3

## Competition

Stay ahead of competitors who are relying on less sophisticated models



How might we develop a predictive short-term stock volatility model that outperforms the Naïve model through Ensemble Learning?



## Aim

Develop a predictive model for  
**daily operations**

Baseline aim to outperform the  
**Naïve model**



## Scope

Will not consider:  
~~Black Swan events~~  
~~Market Sentiments~~

**Provides a Quantitative Approach  
on Simulated Data**



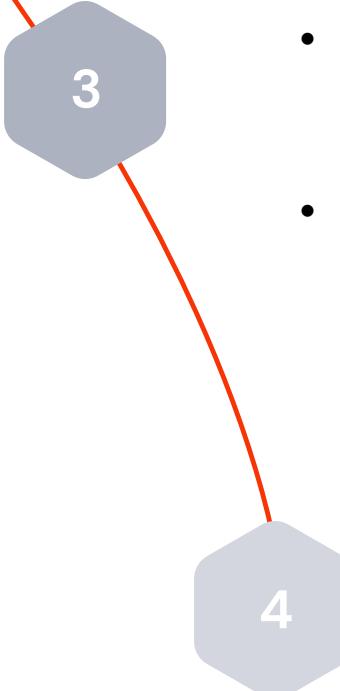
## Client Meeting 2 | Adrian and Virginia

- ARIMA and GARCH as the base estimator in Hybrid model
- Idea of Interpretability v Predictability
- Ensembles, encouraged us to pursue our hybrid model idea further



## Client Meeting 3 | Greg and Virginia

- Alternative Model – EWMA
  - A faster, simpler, and, similar in accuracy to the ARIMA
- Explore other Evaluation Metrics:
  - RMSE and MAE

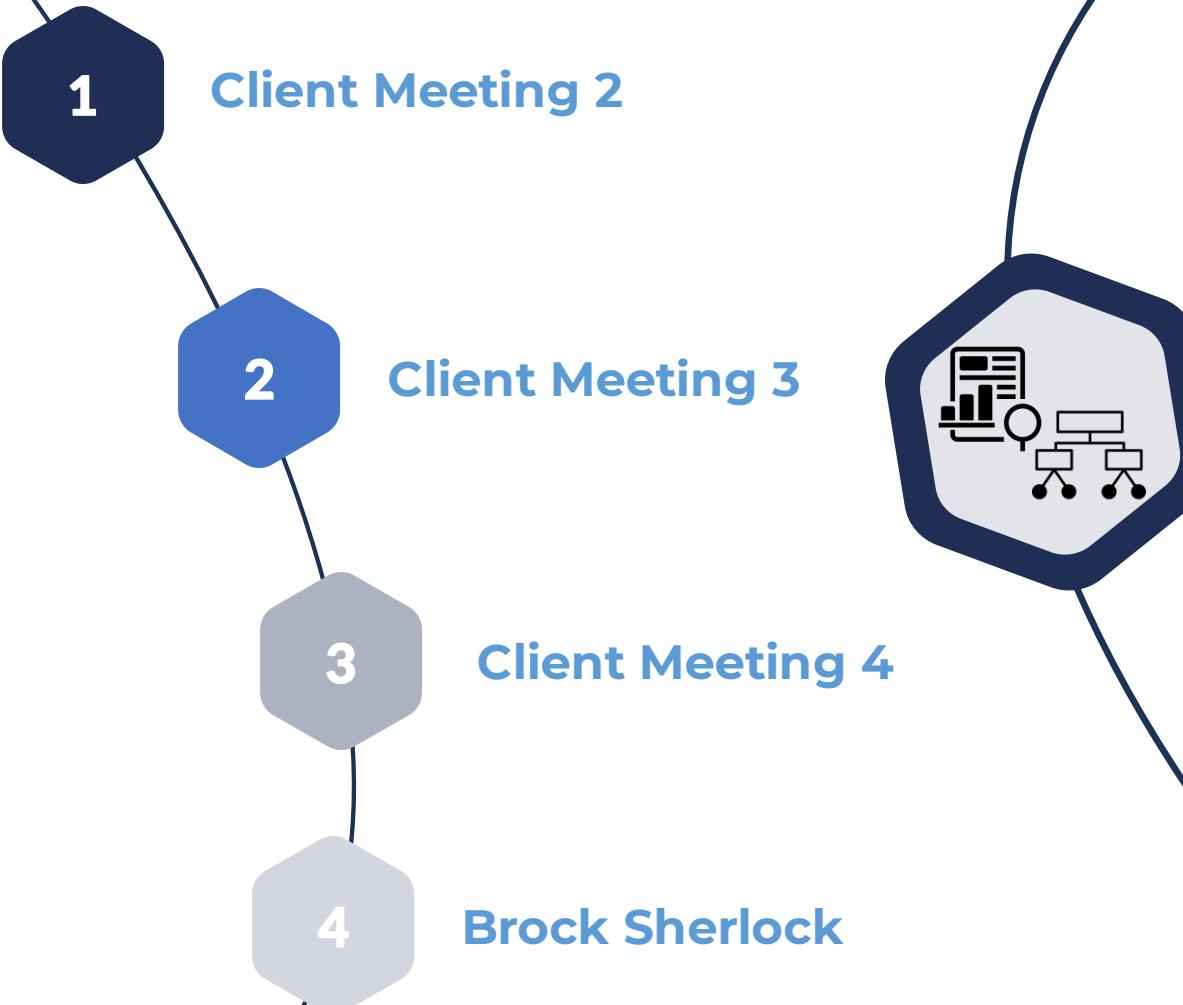


## **Client Meeting 4 | Adrian and Virginia**

- Explore Diagnostic Analytics
  - Residual Plots
  - Heteroskedasticity Plots
- Explore Data Visualization
  - Scatter Plots
  - R<sup>2</sup> v RMSPE Graph

## **Brock Sherlock | UNSW PhD Math & Stats**

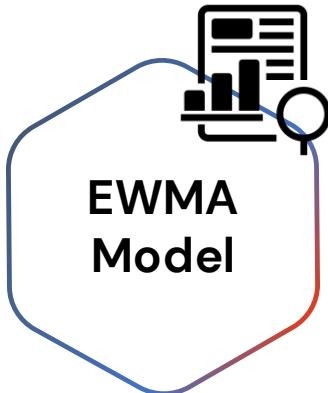
- Identified flaws in Bayesian calculations
- Idea of Bayesian Averaging
- Replace Random Forest base estimator with LightGBM model



## Consolidated Stakeholder Feedback Iteration

- Base Estimators: EWMA + LightGBM**
- Refined Bayesian Averaging
  - Significantly reduce runtimes
  - Explore evaluation methods and metrics
  - Mitigate risks and limitations

## Exponentially Weighted Moving Average (EWMA)



1

**Simple technique** to estimate volatility and **minimal** computational resources

2

Applies more **weight to recent** data points  
➤ Well-suited for capturing short-term trends

### EWMA Formula



Calculates the exponentially weighted moving standard deviation of log returns



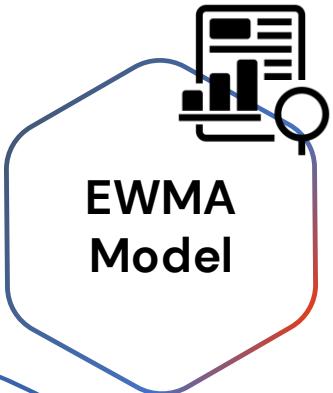
Adapts the annualized volatility equation for 30-minute intervals

```
ewm_vol =  
group['log_return'].ewm(span=10).std() *  
np.sqrt(len(group))
```

Annualized Volatility =  
Standard Deviation x SquareRoot of data size

# Base Estimator – EWMA

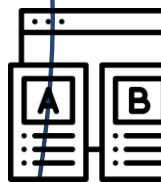
## Model Performance



Runtime: 0.133 mins ~ 8 secs  
 $R^2$ : 0.872  
RMSPE: 0.188  
MAE: 0.0059  
RMSE: 0.0009

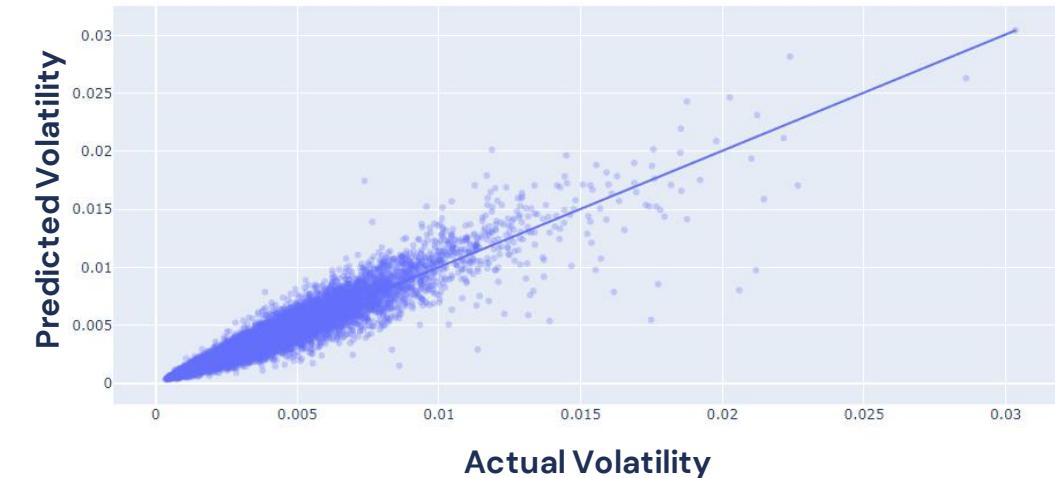


Effective in estimating short-term stock volatility

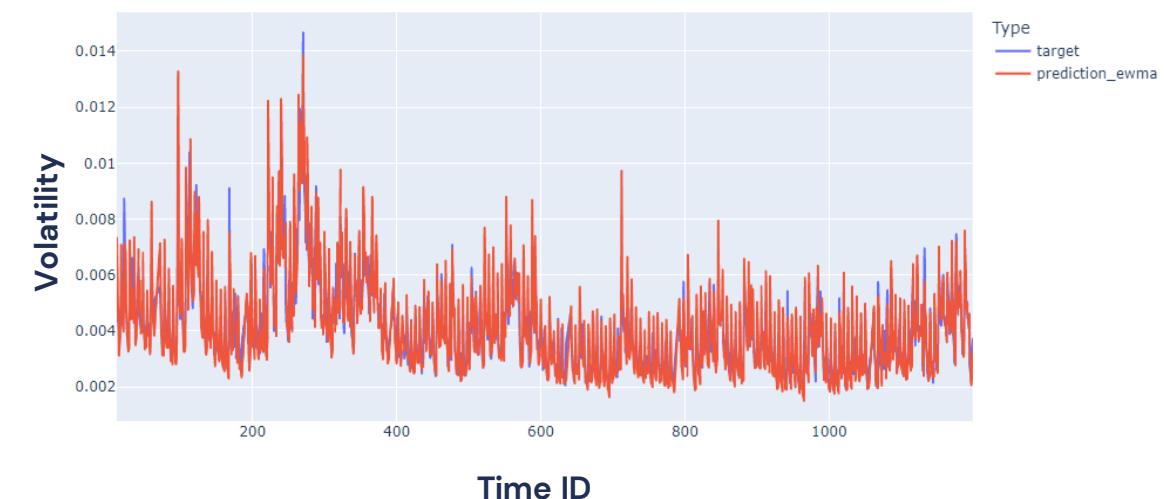


Solid baseline against other models

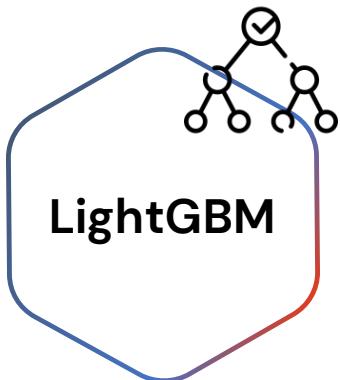
## Actual vs Predicted Volatility for All Stocks (EWMA)



## Actual vs Predicted Volatility for All Stocks (EWMA)



## Light Gradient-Boosting Machine (LightGBM)



1

### Gradient Boosted Decision Trees

- Well-suited for short-term volatility predictions

2

Effective for **large datasets** and high-dimensional features

## Data Preparation & Feature Engineering —

1

Filtered data for each stock ID

2

Use log returns squared sum and count of log returns as feature

3

Realized volatility as the target variable

## Model Training —



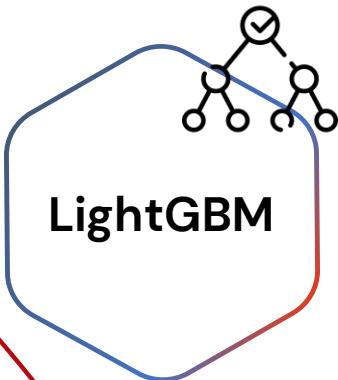
Train-test split:  
80% training | 20% testing

Evaluation Metric: RMSE

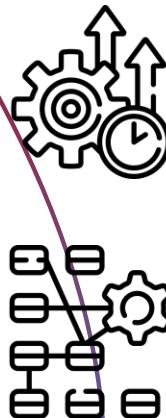
40 boosting rounds with early stopping

# Base Estimator – LightGBM

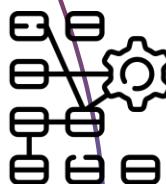
## Model Performance



Runtime: 0.141 mins ~ 8 secs  
R<sup>2</sup>: 0.855  
RMSPE: 0.261  
MAE:  
RMSE:



Effective for handling large datasets and complex features

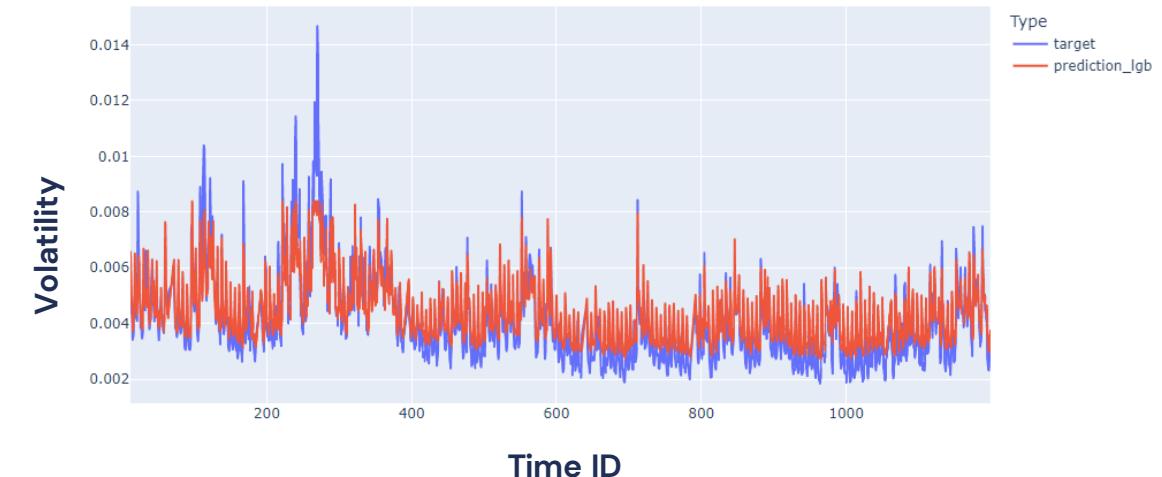


Captures complex non-linear relationships

## Actual vs Predicted Volatility for All Stocks (LightGBM)



## Actual vs Predicted Volatility for All Stocks (LightGBM)



# Bayesian Averaging – Hybrid Model Explored

## Bayesian Averaging Formula

$$\frac{C_1 P_1 + C_2 P_2}{C_1 + C_2}$$

Basic weighted average formula which weighs each model's prediction based on how accurate the predictions are

$$\frac{(1 - \text{RMSE}_{\text{ewma}}) * \text{pred\_EWMA} + (1 - \text{RMSE}_{\text{lgb}}) * \text{pred\_lgb}}{((1 - \text{RMSE}_{\text{ewma}}) + (1 - \text{RMSE}_{\text{lgb}}))}$$

### Note

$$C_1 = (1 - \text{RMSE}_{\text{ewma}})$$

P<sub>1</sub> = ewma prediction

$$C_2 = (1 - \text{RMSE}_{\text{lgb}})$$

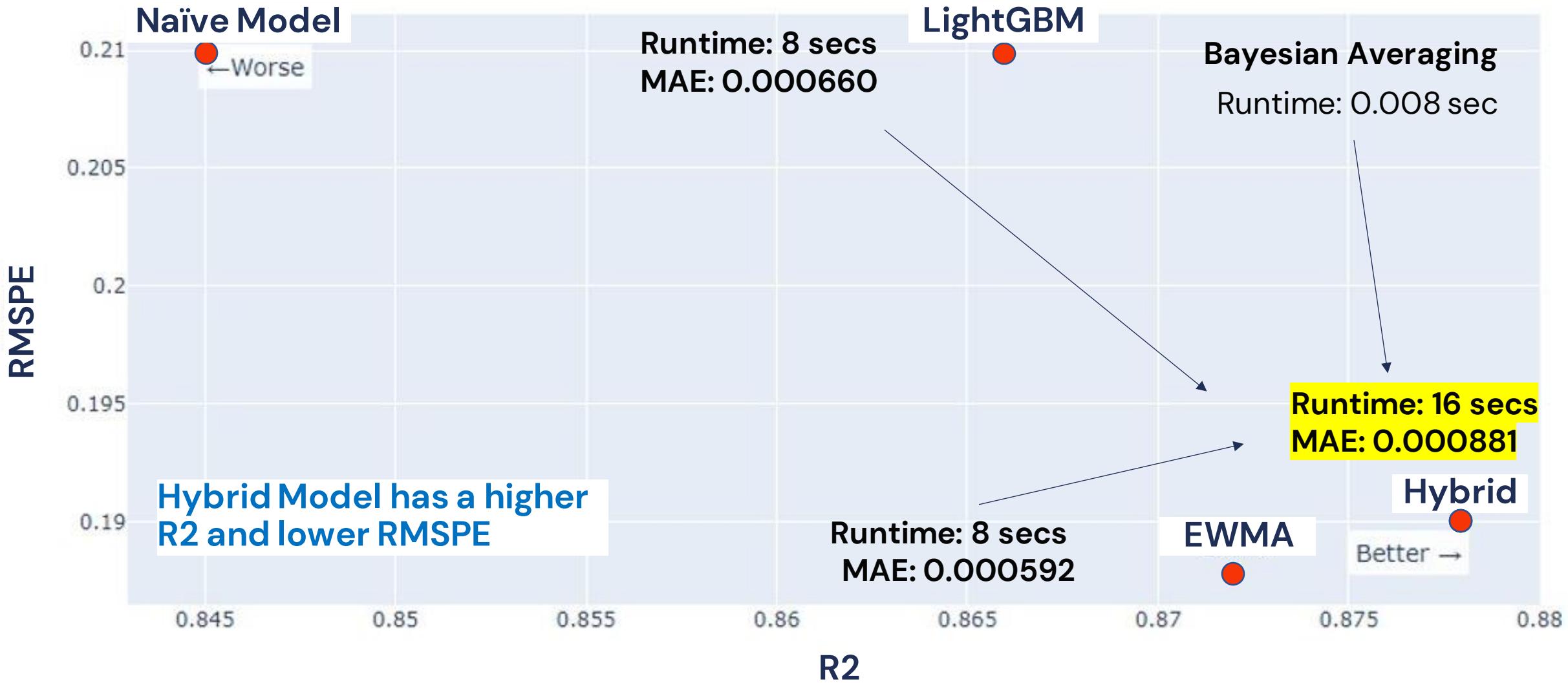
P<sub>2</sub> = lightGBM prediction

These act as dependent values of the stock

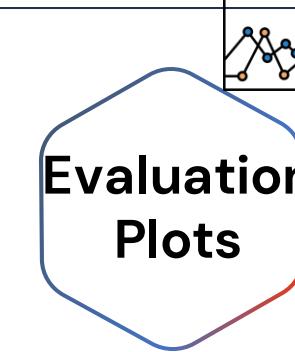
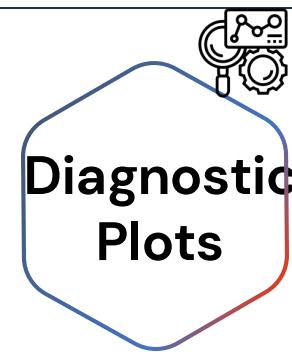
## Prediction Overview

stock_id	RMSE_ewma	RMSE_lgb
9323	0.000752	0.000709
22675	0.000793	0.000878
22951	0.000812	0.000845
22729	0.001092	0.001154
48219	0.001195	0.001130
22753	0.000647	0.000604
22771	0.001080	0.001113
104919	0.000453	0.000518
50200	0.000361	0.000417
8382	0.001321	0.001618

# Hybrid Model Performance Overview

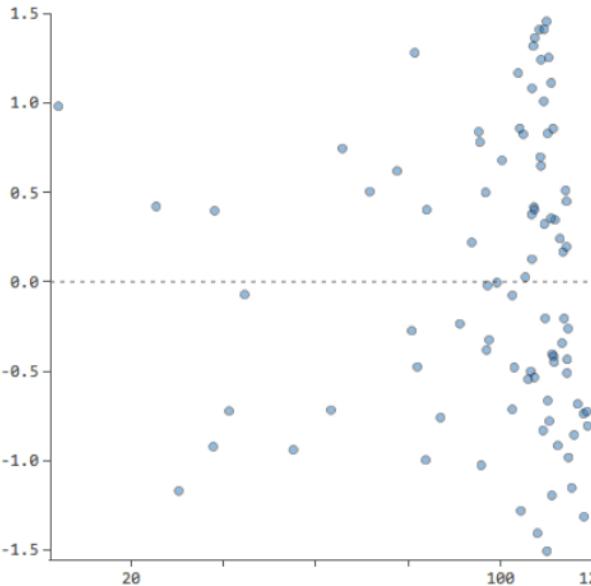


# Evaluating the Hybrid Models

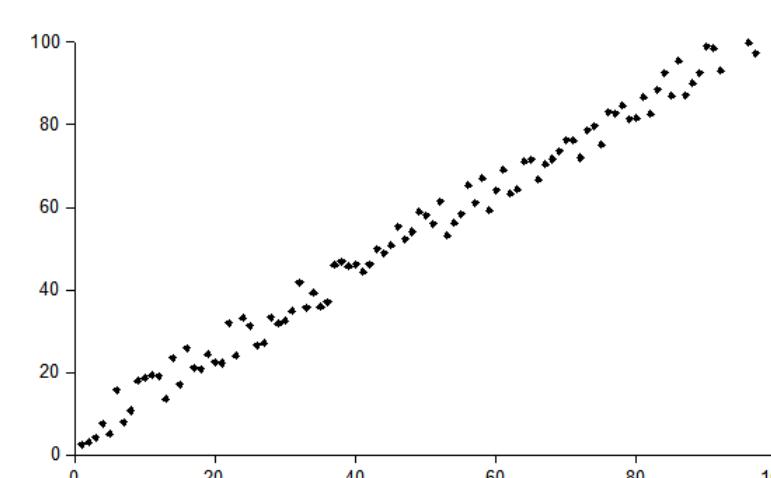


Ideal plots:

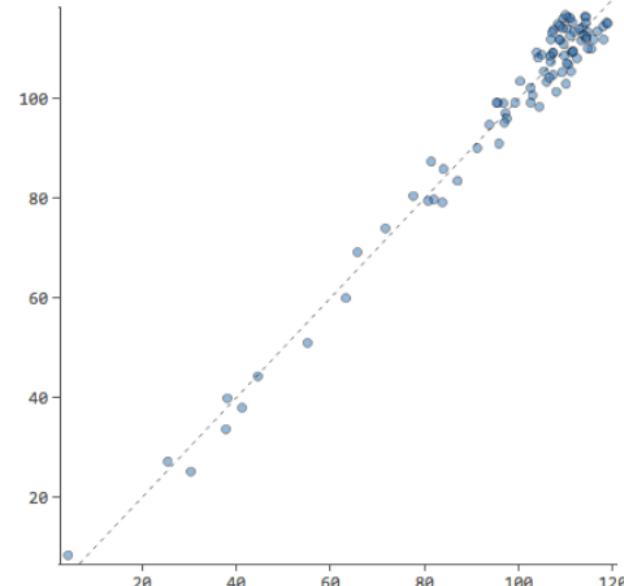
Residual Plots



Heteroskedasticity Plots



Scatter Plot

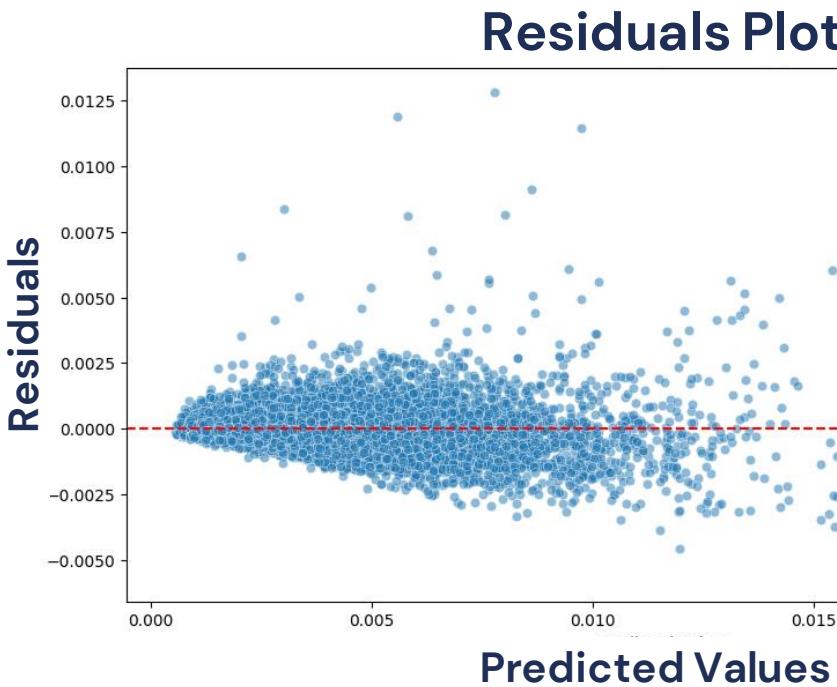


residuals randomly scattered

Homoskedasticity

linear pattern

# Hybrid Model Diagnostic Plots

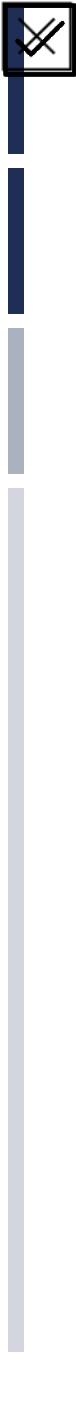


**Good fit model, as:**

- Linearity:** The relationship between the independent and dependent variables should be linear.
- Independence:** The residuals should be no correlation between them.
- Homoscedasticity:** The variance of the residuals are constant.
- Normality:** The plot shows a normal distribution.

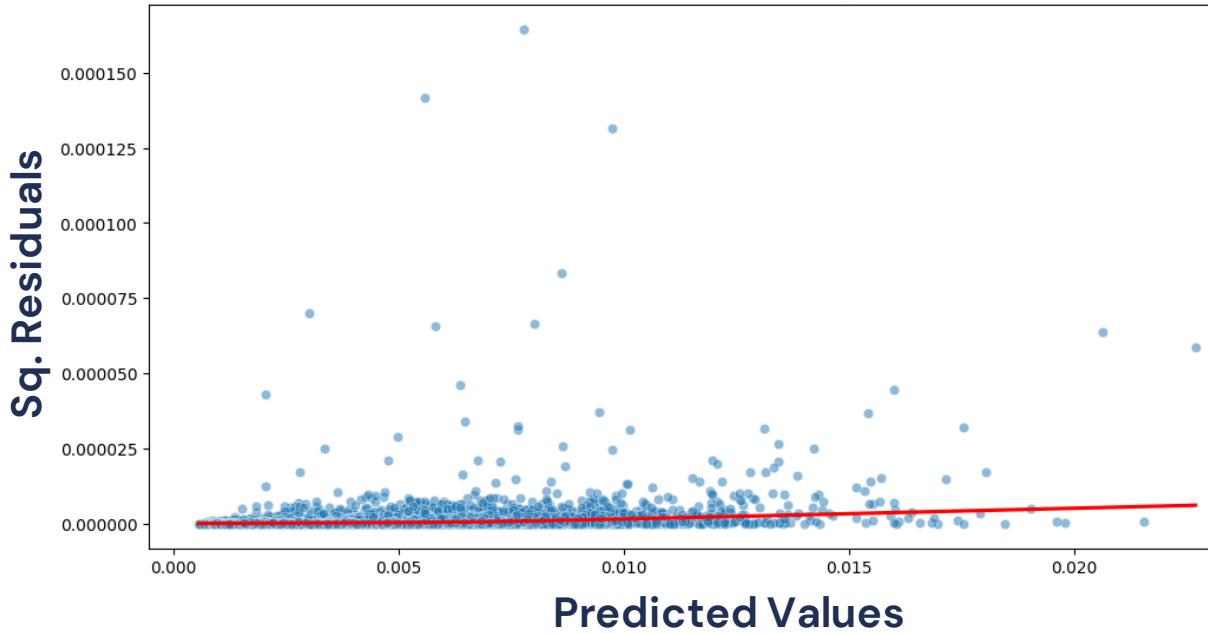
**However,**

- Outliers:** There are quite several outliers at specific data points.



# Hybrid Model Diagnostic Plots

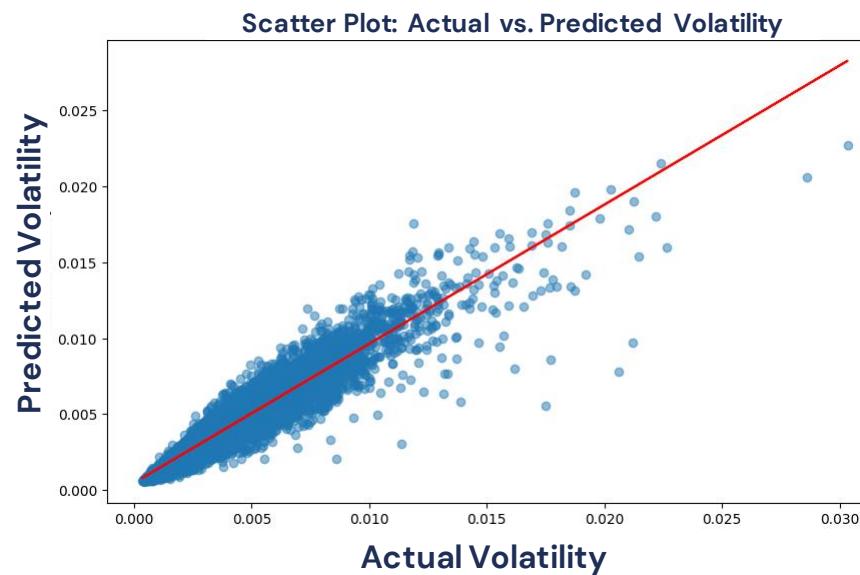
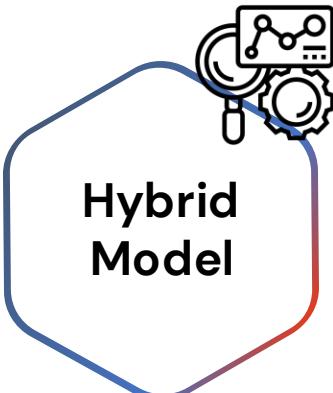
## Heteroskedasticity Plot



## Homoscedasticity, as:

- Linearity:** The relationship between the independent and dependent variables should be linear.
- Independence:** The observations in the dataset should be independent of each other.
- Homoscedasticity:** The variance of the residuals should be constant across all levels of the independent variable(s).
- Normally distributed errors:** The error term should be normally distributed, with a mean of zero.

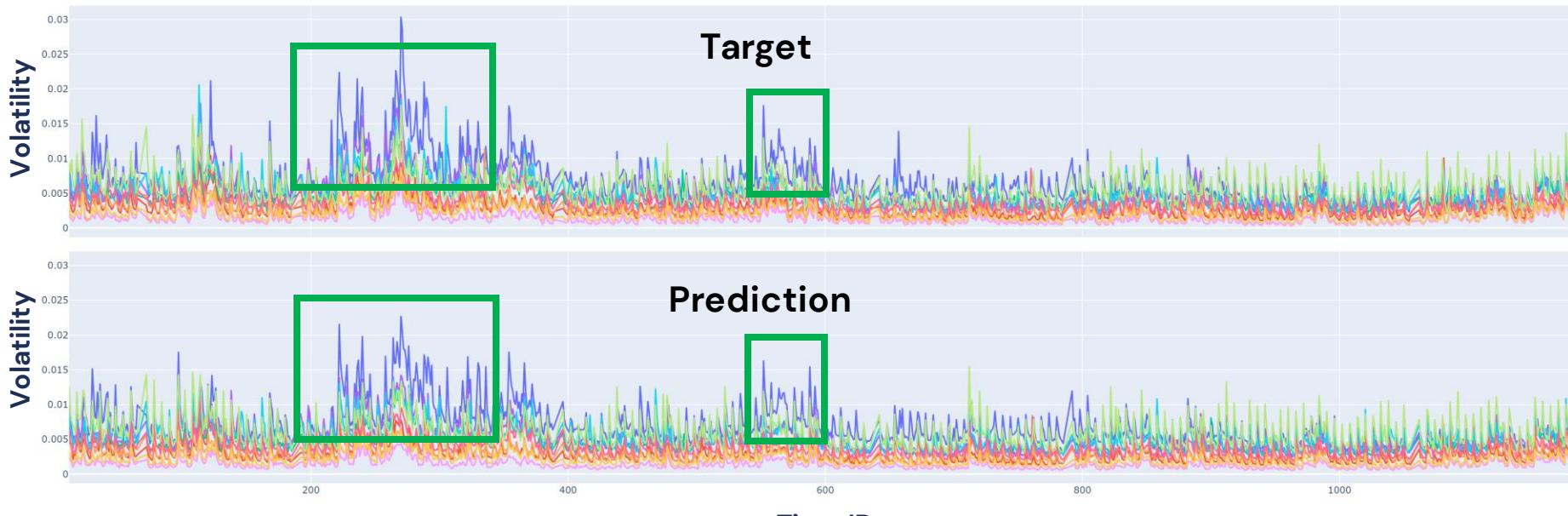
# Hybrid Model Evaluation Plots



Actual vs. Predicted Volatility of Stocks Over Time (Hybrid)

**Good fit model:**

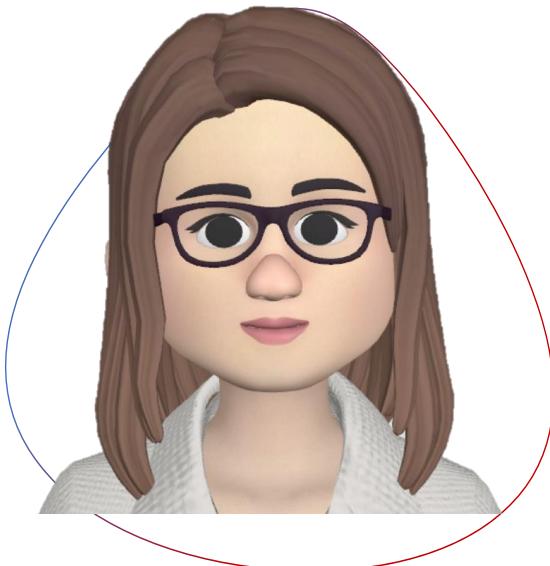
- Shows a linear pattern with a positive slope, indicating a strong positive correlation between the predicted values and the actual values.
- Only a few outliers as well.



Runtime: 16.008 sec  
R<sup>2</sup>: 0.878  
RMSPE: 0.19  
MAE: 0.000587  
RMSE: 0.000881

# Our Value Proposition Visualized

## Implementing the Model



User/ Trader

- 1 Receives a code package and a dataset of our model

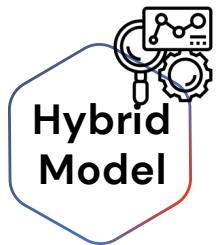
2

Plug in the code and dataset into their existing trading system

Define Python functions and data pre-processing steps

Load New Stock Dataset

```
train = pd.read_csv('train.csv')  
book = pd.read_parquet('order_book_feature.parquet')  
trade = pd.read_parquet('trades.parquet')
```



# Our Value Proposition Visualized



## Outline

### (2) Methodology

Explain EWMA, LightGBM and Bayesian Averaging approach

### (1) Assumptions

- List the assumptions made while developing the model
- Explain their impact on the model's performance

### (3) Findings

- Summarize the key insights
- Discuss the overall performance
- Highlight any unexpected findings

3

2

1

### (4) Performance Evaluations

- Present performance metrics
- Include visualizations plots
- Discuss and compare the model's performance

4

### (5) Risks and Limitations

- Identify potential limitations
- Discuss the limitations of the data used
- Explain how these limitations might affect the model's accuracy and reliability

5

# Our Value Proposition Visualized

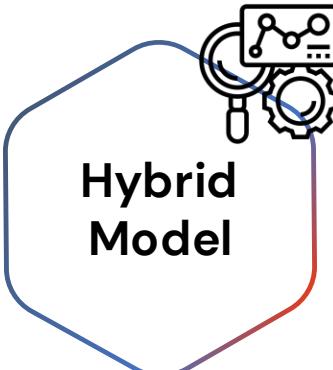
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Implementing  
the Model

Technical Report  
Analyses

Forecast  
Volatility

## Evaluating Results



### Identify Trading Opportunities

- Help traders find opportunities in stocks with significant price movements



### Optimize Portfolio Construction

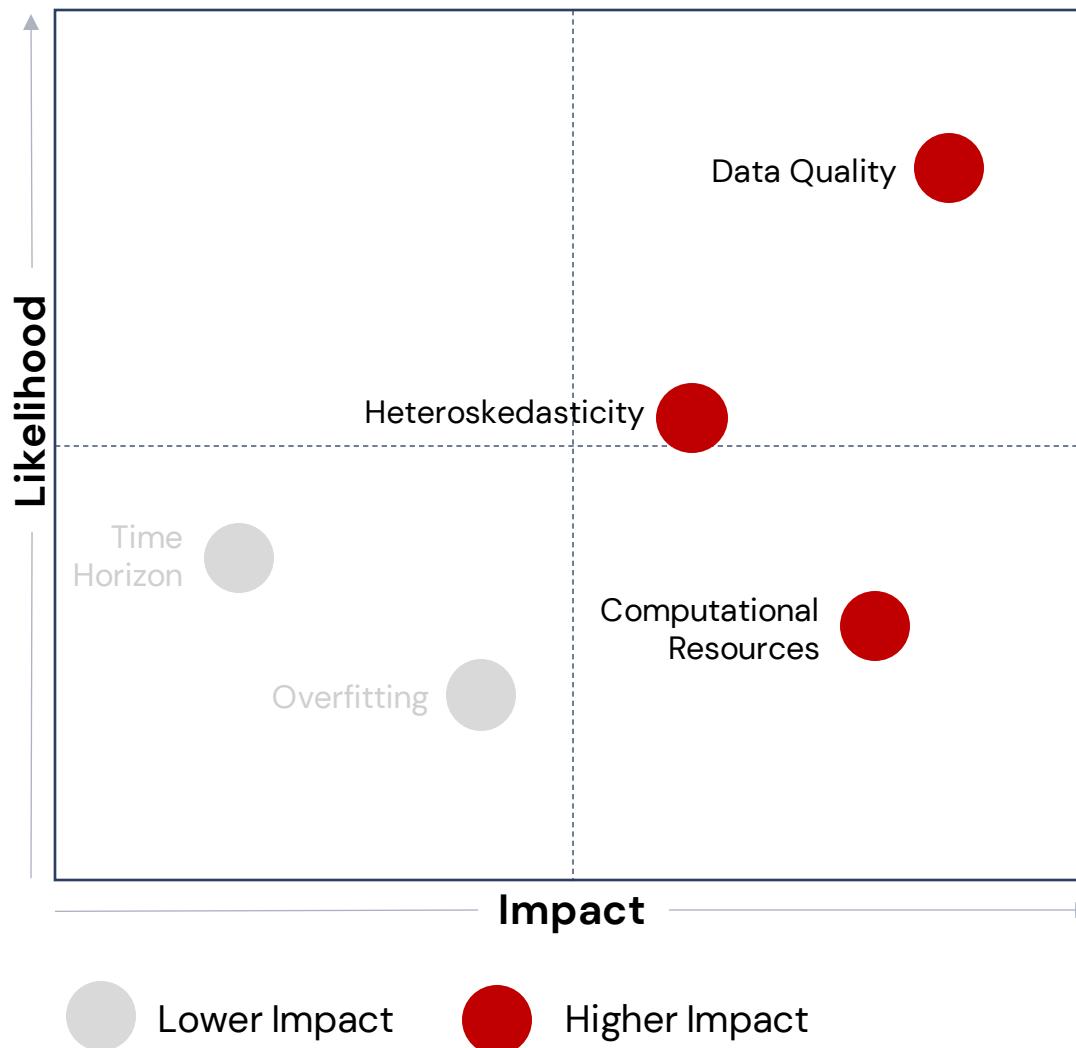
- Aid investors in optimizing their portfolio by adjusting asset allocation, diversification, and risk management



### Informed Trading Decisions

- Enable traders to make informed decisions regarding entry and exit points and strategy adjustments

# Risks and Mitigations



- 1 Data Quality**
  - The accuracy of the prediction relies on dataset quality, with more errors leading to biased predictions
  - Mitigation: We have **pre-processed the data beforehand**
- 2 Computational Resources**
  - Hybrid models are usually complex and slow
  - Mitigation: We have **optimised our code** (e.g., reduced time taken to run EWMA from 9 minutes to 10 seconds)
- 3 Heteroskedasticity**
  - It is ideal to have constant variability in errors
  - Mitigation: Bayesian Averaging **incorporates different model structures & parameterisations** to better capture variability



## Data Interpretability



## Bayesian Weighting Calculations



## Predictive Power

### Improvements & suggestions...

The model is currently **limited to interpreting dataset format** that is the same as the book & train datasets

Improved model: **Interpret different dataset formats**

The model currently uses comparisons of model predictions and the target dataset (which is **not possible in real-word application**)

Suggestion: Use **first 15 minutes of training data to predict the next 15 minutes**. Then, use the results to calculate weightings for actual prediction.

The model's prediction power **mainly relies on the provided dataset**.

Improved model: **Considers external factors and additional financial indicators**, and go in depth on provided data to consider



## Data Interpretability



## Bayesian Weighting Calculations



## Predictive Power

### Plans to improve...

1

#### Gathering External Information

Such as news article or other financial indicators as aforementioned

2

#### Model Reiteration

The model should then be reiterated to include the improvements. Modification can also be done on the baseline model to improve performance

3

#### Training the Improved Model

The model should then be trained with varying datasets to judge its performance and then reiterated accordingly

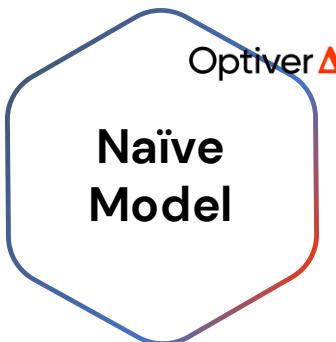
# APPENDIX NETWORK

## Presentation

- Executive Summary
- Project Overview
- Strategy Journey Mapped
- Base Estimator - EWMA
- Base Estimator - LightGBM
- Bayesian Averaging – Hybrid Model Explored
- Hybrid Model Results
- Hybrid Model Performance Overview
- Diagnostic Plots
- Evaluation Plots
- Our Value Proposition Visualized

- Risks and Mitigations
- Limitations and Improvements
- Recommendations
- Appendix Network**
- Performance Metrics Overview
- Standardizing Testing Environment
- EWMA and LightGBM Diagnostic Plots
- Explaining the EWMA Equation
- Further Risks, Limitations, and Improvements

# Performance Metrics Overview

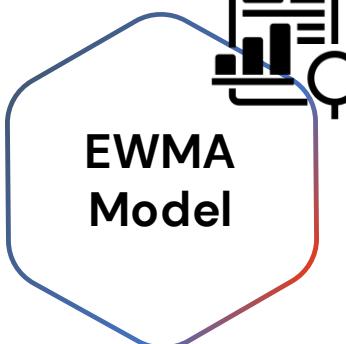


R<sup>2</sup>: 0.845  
RMSPE: 0.21  
MAE: 0.000657979



Runtime: ~1200 mins  
R<sup>2</sup>: 0.874  
RMSPE: 0.187  
MAE:

Large runtime  
Low explainability



Runtime: 0.133 mins ~ 8 secs  
R<sup>2</sup>: 0.872  
RMSPE: 0.188  
MAE: 0.00059190



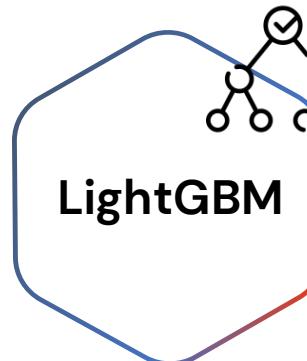
Runtime: 160.78 mins  
R<sup>2</sup>: 0.841  
RMSPE: 0.001  
MAE: 0.149

Large runtime



Runtime: 0.153 mins ~ 9 secs  
R<sup>2</sup>: 0.846  
RMSPE: 0.229  
MAE: 0.00066182

Not ideal for hybrid model



Runtime: 0.141 mins ~ 8 secs  
R<sup>2</sup>: 0.855  
RMSPE: 0.261  
MAE: 0.000673140

# Standardizing Testing Environment

Data from  
book\_data

0110  
1001  
1010

**stock\_ids** = 9323, 22675, 22951, 22729, 48219, 22753, 22771, 104919, 50200,  
8382

**time\_id**: from 12 to 1200

Evaluation  
Metrics



**R<sup>2</sup>**: how well the model fits the data

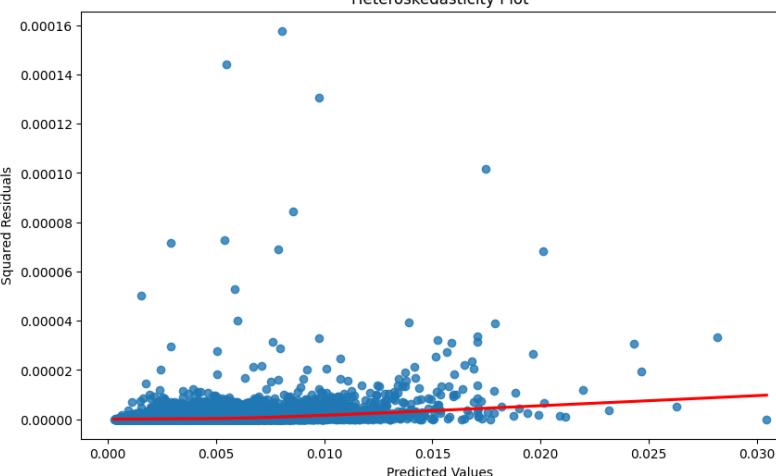
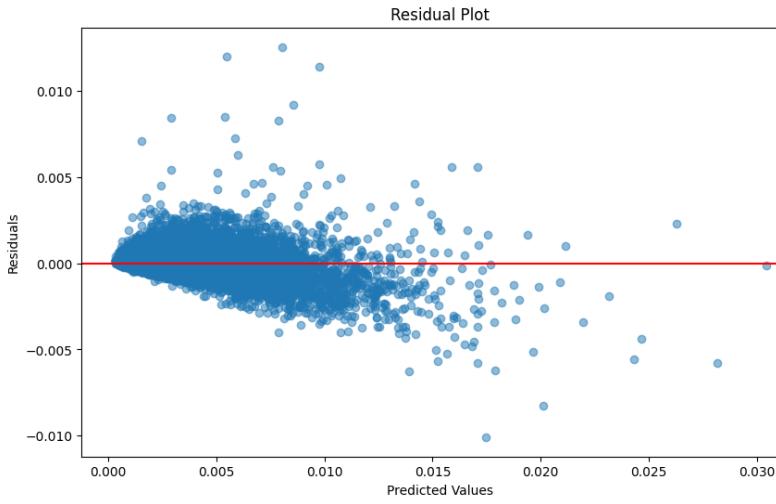
**RMSPE**: the accuracy of the model's predictions

**MAE**: the average difference between prediction vs actual

Prediction **runtime** in mins

# EWMA Model and LightGBM Diagnostic Plots

EWMA  
Model



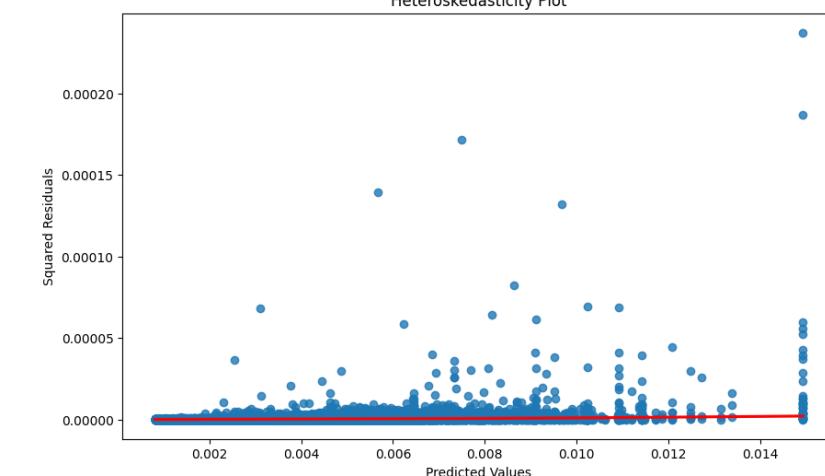
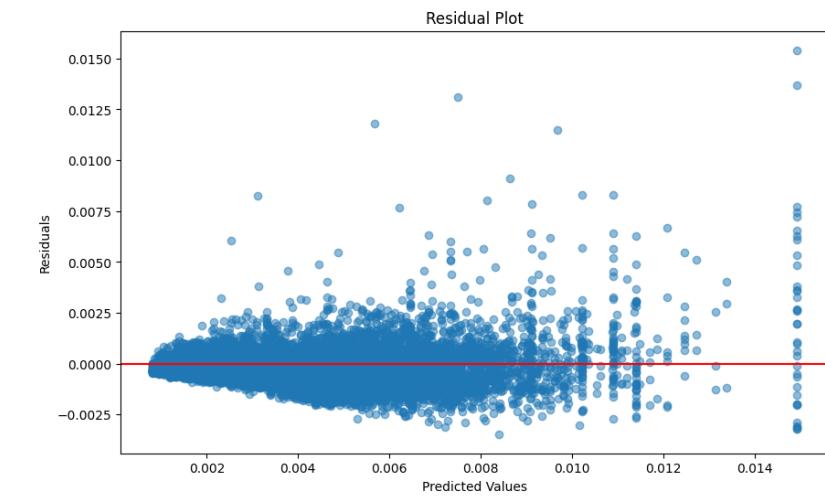
## Residuals plots:

- constant variance → **Homoscedastic**

However

- decreasing trend → not capturing all the information → underestimating the trend in the data
- outliners

LightGBM  
Model



## Heteroskedasticity plots:

- constant variance patterns → shows homoscedasticity

# Explaining the EWMA Equation

---

This code aims to calculate the volatility at each time point. It uses two key concepts: Exponential Weighted Moving Average (EWMA) and annualized volatility calculation.

## Exponential Weighted Moving Average (EWMA):

EWMA is a method to calculate a moving average by weighting past data points according to their distance from the current observation. The closer a data point is to the current observation, the higher the weight it receives, and the further away it is, the lower the weight. This allows EWMA to capture recent volatility changes more effectively. The span parameter is used to control the speed of weight distribution. Larger span values will result in smoother weight distribution, while smaller span values will focus more on recent changes. In this code, we calculate the exponential weighted moving average standard deviation at each time point using `ewm(span=10)`, which represents the volatility of past price changes.

## Annualized volatility calculation:

This part of the code converts the EWMA standard deviation at each time point into annualized volatility.

Annualized volatility is the standard of extending short-term volatility to a period. The `np.sqrt( total number of time point )` here represents converting daily volatility into annualized volatility.

Combining the two points above, the formula for this code is:

$$\text{volatility}(t) = \text{EWMA\_std}(t) * \sqrt{\text{total number of time point}}$$

where  $t$  represents each time point,  $\text{EWMA\_std}(t)$  represents the exponential weighted moving average standard deviation at time point  $t$ .  $\text{volatility}(t)$  is the annualized volatility at time point  $t$ .

## Data quality risk

- In the future, we can improve this process by undergoing correlation analysis or principal component analysis (PCA) before running the model

## Other risks:

- Time horizon
  - Low impact because the task we gave to do is to predict short-term volatility (not long-term, so it is unlikely that we have to change the time interval of our predictions)
  - This risk can be mitigated by training the model with different subsets of different time intervals
- Overfitting
  - Overfitting has a low impact as we have considered this well.
  - The Bayesian averaging technique helps mitigate overfitting by introducing a level of regularization technique through the averaging process.
  - However future regularization or feature selection process can still be done to further consider this