# Modeling Module 1

August 11, 2020

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  - $\blacktriangleright M \models_{\kappa} \phi \implies M \models \phi$
  - why should such a K exist at all?