```
/* 2-SAT */
 int n, m;
vector < int > v[2*N];
int norm(int x) {
    if(x < 0) return (-x - 1) * 2 + 1;
    return 2 * (x - 1);</pre>
 void add-edge(int x, int y) {
    x = norm(x);
    y = norm(y);
    v[x].pb(y);
 }
 void add_alt(int x, int y) {
    add_edge(-x, y);
    add_edge(-y, x);
 }
 \begin{array}{lll} stack \!<\! int \!>\! S\,; \\ bool & inv1 [2*N]\,, & inv2 [2*N]\,; \\ int & spoj [2*N]\,, & spojwsk\,; \end{array}
void dfs1(int x) {
    inv1[x] = 1;
    for(auto y : v[x]) if(!inv1[y]) dfs1(y);
    S.push(x);
 void dfs2(int x) {
    inv2[x] = 1;
    spoj[x] = spojwsk;
    for(auto y : v[x^1]) if(!inv2[y^1]) dfs2(y^1);
 }
}
                \begin{array}{lll} & for\,(\,int\ i\,=\!0;i\,<\!2\!*n\,;\,i\!+\!+\!) & if\,(\,spoj\,[\,i\,\,] \,\,=\!=\,\,spoj\,[\,i\,\,\widehat{}\,1\,]) & return\ 0\,;\\ & return\ 1\,; & \end{array}
 \begin{array}{l} {\tt vector\!<\!int\!>\;spojne\,[2*N]\,;} \\ {\tt bool\ ozn\,[2*N]\,;} \\ {\tt bool\ rozw\,[N]\,;} \end{array}
 void roz() {
    for(int i=0;i<2*n;i++) spojne[spoj[i]].pb(i);
    for(int i=2*n;i>=1;i--) for(auto x : spojne[i]) {
        if(!ozn[x^1]) ozn[x] = 1;
        .
                 for(int i=0;i<n;i++) if(ozn[2*i]) rozw[i] = 1;
 }
 /* AHO-CORAICK */
void add(string s) {
    int v = 1;
    for(int i=0;i<s.length();i++) {
        int let = s[i] - 'a';
        if(trie[v][let] == 0) {</pre>
                                              siz++;
trie[v][let] = siz;
                               }
cnt[v]++;
 }
 void build() {
      queu<<int> q;
      while(!q.empty()) q.pop();
```

```
 \begin{array}{lll} fail \, [\, 1\, ] & = \, 1\, ; \\ for \, (\, int \, \  \, i=0\, ; i < S\, ; \, i++) & if \, (\, trie \, [\, 1\, ] \, [\, i\, ] \  \, == \, 0\, ) \end{array} \, \{ \\ trie \, [\, 1\, ] \, [\, i\, ] \  \, = \, 1\, ; \\ \end{array} 
               }
else {
                              fail[trie[1][i]] = 1;
q.push(trie[1][i]);
              q.push(x);
fail[x] = trie[fail[v]][i];
                                              }
                               }
cnt[v] += cnt[fail[v]];
               }
}
const int N = 2e3 + 5; const long long INF2 = 2e18, INF = 2e9 + 5; const long long LOGQ = 30;
class Graph {
    public:
              \label{eq:cap_norm} \begin{array}{l} int \ n, \ t, \ s; \\ map < int \ , \ long \ long > cap \left[N\right]; \\ vector < int > NG\left[N\right]; \\ int \ odl \left[N\right]; \\ bool \ taken \left[N\right]; \\ long \ long \ flow; \end{array}
               Graph(int n, int s, int t) {
    this->n = n;
    this->s = s;
    this->t = t;
    for(int i = 0; i <= n; i++) cap[i].clear();
    flow = 0;</pre>
               }
               }
              NG[x].pop_back();
                               }
return ans;
               }
               bool Dinic(long long lim) {
    for(int i=0;i<=n;i++) {
        odl[i] = INF;
        NG[i].clear();
        taken[i] = 0;
}</pre>
                              odl[s] = 0;
taken[s] = 1;
vector<int> q = {s};
```

```
}
                            }
                           if(odl[t] --
for(auto x : q)
for(auto p : cap[x]) {
    int y = p.first;
    long long d = p.second;
    if(odl[y] == odl[x] + 1 && d >= lim && taken[x]) {
        NG[x].pb(y);
        taken[y] = 1;
    }
}
                            if(odl[t] == INF) return 0;
                            flow += dfs(s, INF2);
return 1;
              }
              \begin{array}{ccc} long & long & maxflow() & \{ & & \\ & & for(int & i = LOGQ; i > = 0; i - -) & while(Dinic((1 << i))); \\ & & & return & flow; \\ \end{array}
              }
};
/* FFT */
const long double PI = 2LL * acos(-1);
struct cmx {
              long double x, y;
long double x, y,
};
cmx operator +(cmx &a, cmx &b) { return {a.x + b.x, a.y + b.y}; }
cmx operator -(cmx &a, cmx &b) { return {a.x - b.x, a.y - b.y}; }
cmx operator *(cmx &a, cmx &b) { return {a.x - b.x, a.y - b.y}; }
cmx operator *(cmx &a, cmx &b) { return {a.x * b.x - a.y * b.y, a.x * b.y + a.y * b.}
x}; }
cmx ll(long long x) {return {(long double)x, OLL}; }
typedef vector<long long> VI;
typedef vector<cmx> CI;
return n;
}
CI FFT(CI &A, bool num) {
    int n = A.size();
              int logn = 0;
int nn = n;
while(nn) {
    nn /= 2;
    logn++;
              }
logn--;
              CI B = { };
B.resize(n);
              for(int i=0;i<n;i++) {
    int rev = bit_reverse(i, logn);
    B[i] = A[rev];
}</pre>
             }
omega = omega * pom;
                            }
              }
              return B;
}
CI &to_size(CI &A, int size) {
```

```
A.resize(size);
return A;
}
VI operator *(VI &A, VI &B) {
    CI AC = {};
    CI BC = {};
                   for(auto x : A) AC.pb(11(x));
for(auto x : B) BC.pb(11(x));
                   AC = to_size(AC, size);
BC = to_size(BC, size);
                  AC = FFT(AC, false);
BC = FFT(BC, false);
                  CI CC;
CC.resize(size);
for(int i=0;i<size;i++) CC[i] = AC[i] * BC[i];
                  CC = FFT(CC, true);
long double t = size;
                   VI C;
                  VI C, resize(size);
for(int i=0;i<size;i++) C[i] = round(CC[i].x / t);
                   while(C.back() == 0) C.pop_back();
                  return C;
}
/* NTT */
\begin{array}{lll} {\rm const} & {\rm long} & {\rm long} & {\rm MOD} = \,998244353; \\ {\rm const} & {\rm long} & {\rm long} & {\rm G} = \,3; \end{array}
 {\tt typedef} \ \ {\tt vector} \! < \! {\tt int} \! > \ {\tt VI} \, ;
long long pot(long long a, long long p) {
    if(p == 0) return 1;
    long long w = pot(a, p / 2);
    w = w * w % MOD;
    if(p % 2) w = (w * a) % MOD;
    return w;
}
int bit_reverse(int x, int logn) {
    int n = 0;
    for(int i = 0; i < logn; i++) {</pre>
                                    n <<= 1;
n |= (x & 1);
x >>= 1;
                   }
return n;
}
VI NTT(VI &A, bool num) {
    int n = A.size();
    int logn = 0;
    int nn = n;
    while(nn) {
        nn /= 2;
        logn++;
    }
                   }
logn--;
                  VI B = { } { } ; 
 B.resize(n);
                   for(int i=0;i<n;i++) {
    int rev = bit-reverse(i, logn);
    B[i] = A[rev];
}</pre>
                   for(int s=1;s<=logn;s++) {
   int m = 1 << s;
   int m2 = m / 2;
   long long root = 1;
   long long p = (MOD - 1) / (long long)m;
   long long pom = pot(G, p);
   if(num) pom = pot(pom, MOD - 2);</pre>
                                      for(int j=0;j<m2;j++) {
    for(int k=j;k<n;k+=m) {
```

```
\begin{array}{lll} & long & long & t = root & * & (long & long)B[k+m2]; \\ & long & long & u = B[k]; \\ & B[k] & = (u + t) & MOD; \\ & B[k+m2] & = (u - t) & MOD; \\ & if (B[k+m2] & < 0) & B[k+m2] & += MOD; \end{array}
                                                                    \label{eq:cot}  \begin{array}{lll} \text{root} &=& \text{(root * pom)} \ \% \ \text{MOD}; \end{array}
                                             }
                      }
                      return B;
 }
 VI &to_size(VI &A, int size) {
    A.resize(size);
    return A;
 }
 VI operator *(VI &A, VI &B) {
    int size = A.size() + B.size() - 1;
    int p = 1;
    while(p < size) p *= 2;
    size = p;
                       A = to_size(A, size);
B = to_size(B, size);
                       VI AC = NTT(A, false);
VI BC = NTT(B, false);
                       VI C; C.resize(size); for (int i=0;i<size;i++) C[i] = ((long long)AC[i] * (long long)BC[i]) % MOD; C = NTT(C, true); long long inv = pot(size, MOD - 2); for (int i=0;i<size;i++) C[i] = ((long long)C[i] * inv) % MOD; while (C.back() == 0) C.pop_back();
                      return C;
 }
  /* Hungarian */
a = b;
goto koniec;
}
                          }

}
int val = INT.MAX;
REP(i, n) if (!right[i]) val = min(val, slack[i]);
REP(i, n) {
    if (!eft[i])
        L[i] -= val;
    if (right[i])
        R[i] += val;
    else if ((slack[i] -= val) == 0) {
        right[i] = true;
        if (two[i] != -1)
              q.push_back(two[i]);
        else
              x = i;
}

                      }
       } koniec:
```

```
while (x != -1) {
  int tmp = one[par[x]];
  one[par[x]] = x;
  two[x] = par[x];
  x = tmp;
}
     return one;
/* Link-Cut */
struct Splay {
   Splay *1 = nullptr, *r = nullptr, *p = nullptr;
   bool flip = false;
   int roz = 1;
   int axroz = 1; // SUBTREE Pomocniczny rozmiar poddrzewa.
   void update() {
      assert(!flip and (!1 or !1->flip) and (!r or !r->flip));
      axroz = roz;
          axroz = roz;
if (1)
axroz += 1->axroz; // SUBTREE
if (r)
             axroz += r->axroz; // SUBTREE

}
bool sroot() { return !p or (p->1 != this and p->r != this); }
void connect(Splay *c, bool left) {
    (left ? l : r) = c;
    if (c)
        c->p = this;
}

      }
void rotate() {
          pid rotate() {
Splay *f = p;
Splay *t = f->p;
const bool isr = f->sroot();
const bool left = (this == f->l);
f->connect(left ? r : l, left);
connect(f, !left);
if (isr)
    p = t;
else
          t->connect(this, f == t->1);
f->update();
    r -> co...
}
void splay() {
  push();
  while (!sroot()) {
    Splay *x = p -> p;
    if (!p -> sroot())
        (((p -> 1 == this) == (x -> 1 == p)) ? p : this) -> rotate();
    rotate();
}
    update();
}
Splay *expose() {
    Splay *q = this, *x = nullptr;
    while (q) {
        q->splay();
        if (q->r)
            q->roz += q->r->axroz; // SUBTREE
        if (x)
        q->roz -= x->axroz;
        q->update();
        x = q;
        q = q->p;
}
          splay();
return x;
         / Zwraca roota drzewowego (nie splejowego!).
      Splay *root() {
  expose();
  Splay *s = this;
```

```
while (s->touch(), s->1)
    s = s->1;
s->splay();
return s;
    return a,
}
void cut() {
    expose();
    assert(1 /* Nie jest rootem. */);
    Splay *s = 1;
    while (s->touch(), s->r)
    s = s->r;
    s->splay();
    s->r->p = nullptr;
    s->r = nullptr;
}
''-*'(Splay *to) {
             old link(Splay *to) {
expose();
assert(!1 /* Jest rootem. */);
p = to;
p->expose();
p->roz += axroz;
p->axroz += axroz; // SUBTREE
         void make_root() {
             expose();
flip = !flip;
touch();
};
 /* Manacher */
 \begin{array}{lll} pair<\ vector<int>\ ,\ vector<int>>\ manacher(string \&s) \end{array} \{ \\ int \ n = s.length(); \end{array}
                           \begin{array}{l} \text{vector} < \text{int} > \text{d1} \ (\text{n}) \, ; \\ \text{int } i = 0, \ r = -1; \\ \text{for } (\text{int } i = 0; \ i < n; \ ++i) \ \{ \\ \text{int } k = (i > r \ ? \ 0 \ : \ \min \ (\text{d1}[1 + r - i] \ , \ r - i)) \ + \ 1; \\ \text{while } (i + k < n \ \&\& \ i - k > = 0 \ \&\& \ s[i + k] \ == \ s[i - k]) \ \ ++k; \\ \text{d1}[i] = k - r; \\ \text{if } (i + k > r) \\ 1 = i - k, \quad r = i + k; \\ \end{array} 
                           }
                           \begin{array}{l} vector < int > \ d2 \ (n) \, ; \\ l = 0, \ r = -1; \\ for \ (int \ i = 0; \ i < n; \ ++i \,) \ \{ \\ int \ k = \ (i > r \ ? \ 0 \ : \ \min \ (d2 [\ l + r - i + 1] \, , \ r - i + 1)) \ + \ 1; \\ while \ (i + k - 1 < n \ \&\& \ i - k > = 0 \ \&\& \ s [\ i + k - 1] \ == \ s [\ i - k]) \ \ ++k \, ; \\ d2 \ [i \ j = --k; \\ if \ (i + k - 1 > r) \\ l = \ i - k \, , \quad r = \ i + k - 1; \\ \end{array} 
                             vector < int > d2 (n);
                           return mp(d1, d2);
 }
  /* Massey */
 const int mod = 1e9 + 7;
void add_self(int &a, int b) {
    a += b;
    a %= mod;
.
   void sub_self(int &a, int b) {
                        a -= b;
a %= mod;
if (a < 0) a += mod;
 long long mul(long long a, long long b) {
    return (_-int128) a * b % mod;
 }
 long long my-pow(long long a, long long p) {
    if(p == 0) return 1;
    long long w = my-pow(a, p / 2);
    w = w * w % mod;
    if(p % 2) w = w * a % mod;
    return w;
}
 }
 long long my_inv(long long a) {
    return my_pow(a, mod - 2);
 struct Massey {
  vector<int>  start, coef; // 3 optional lines
  vector<vector<int>>> powers;
```

```
nt L;
Assey(vector<int> in) { // O(N^2)
L = 0;
int N = in.size();
vector<int> C{1}, B{1};
for (int n = 0; n < N; ++n) {
    assert(0 <= in[n] && in[n] < mod); // invalid input
    B.insert (B.begin(), 0);
    int d = 0;
    for (int i = 0; i <= L; ++i)
        add.self(d, mul(C[i], in[n - i]));
    if (d == 0)
        continue;
vector<int> T = C;
C.resize(max(B.size(), C.size()));
for (int i = 0; i <= (int)B.size(); ++i)
        sub.self(C[i], mul(d, B[i]));
    if (2 * L <= n) {
        L = n + 1 - L;
        B = T;
        d = my_inv(d);
        for (int &x : B)
        x = mul(x, d);
    }
}</pre>
               }
}
for (int i = 1; i < (int)C.size(); ++i)
    coef.push_back((mod - C[i]) % mod);
assert((int)coef.size() == L);
for (int i = 0; i < L; ++i)
    start.push_back(in[i]);
while (!coef.empty() && !coef.back()) {
    coef.pop_back();
    --L;
}</pre>
               }
if (!coef.empty())
memo_inv = my_inv(coef.back());
powers.push_back(coef);
       vector<int> mul_cut(vector<int> a, vector<int> b) {
    vector<int> r(2 * L - 1);
    for (int i = 0; i < L; ++i)
        for (int j = 0; j < L; ++j)
            add_self(r[i + j], mul(a[i], b[j]));
    while ((int)r.size() > L) {
        int value = mul(r.back(), memo-inv); // div(r.back(), coef.back());
        const int X = r.size();
        add_self(r[X - L - 1], value);
        for (int i = 0; i < L; ++i)
            sub_self(r[X - L + i], mul(value, coef[i]));
        assert(r.back() == 0);
        r.pop_back();
}</pre>
               }
return r;
       }
int get(long long k) { // O(L^2 * log(k))
    if (k < (int)start.size())
        return start[k];
    if (L == 0)
        return 0;
        b == start.size();</pre>
              return 0;
k -= start.size();
vector<int> vec = coef;
for (int i = 0; (1LL << i) <= k; ++i) {
   if (i == (int) powers.size())
      powers.push.back(mul_cut(powers.back(), powers.back()));
   if (k & (1LL << i))
      vec = mul_cut(vec, powers[i]);
}</pre>
                 int total = 0;
for (int i = 0; i < L; ++i)
   add_self(total, mul(vec[i], start[(int)start.size() - 1 - i]));</pre>
                 return total;
};
  vector < long \ long > \ witness \ = \ \{2\,, \ 325\,, \ 9375\,, \ 28178\,, \ 450775\,, \ 9780504\,, \ 1795265022\};
long long mul(long long a, long long b, long long mod) {
    return (_int128) a * b % mod;
long long pot(long long a, long long p, long long mod) {
    if(p == 0) return 1;
    long long w = pot(a, p / 2, mod);
    w = w * w % mod;
    if(p % 2) w = w * a % mod;
    return w;
```

}