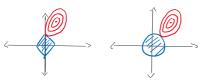
## Contour Plots for Ridge and Lasso

We want to understand the following



Consider the square loss for a training set with a straining set

$$\widehat{\widehat{K}}(\omega) = \frac{1}{n} \sum_{i=1}^{n} (\omega^{T} x_{i} - y_{i})^{2}$$

$$= \frac{1}{n} (X_{i} - y_{i})^{T} (X_{i} - y_{i})$$

 $\gamma^{T} \times (\chi^{T} \times)^{T} \times \gamma^{T}$ 

Here we assure that X has full view to the Can invert the Covariance within XTX Note + hot

$$\begin{split} (\times\omega_{-\gamma})^T & (\times\omega_{-\gamma}) = (\times(\kappa^T\kappa)^t\kappa^T_{\gamma-\gamma})^T (\times(\kappa^T\kappa)^t\kappa^T_{\gamma-\gamma}) \\ & = y^T \times (\kappa^T\kappa)^{-t}\kappa^T \times (\kappa^T\kappa)^t \times^T y \\ & - 2y^T \times (\kappa^T\kappa)^{-t}\kappa^T y \\ & + y^T y \\ & = -y^T \times (\kappa^T\kappa)^{-t}\kappa^T y + y^T y \end{split}$$

$$\hat{\mathbb{R}}(\mathbf{u}) = -\frac{1}{N} \mathbf{y}^{\mathsf{T}} \mathbf{x} \hat{\mathbf{w}} + \frac{1}{N} \mathbf{y}^{\mathsf{T}} \mathbf{y} \qquad (1)$$

Exercise Recall from Honework 6 that

$$X^TMX-2b^TX=(X-M^Tb)^TM(X-M^Tb)-b^TM^Tb$$
 (2)  
Here we complete the square.

let's apply thate to expressions to bother unlocated R for lafterent imports.

We conclude that

$$\hat{\hat{R}}(w) - \hat{\hat{R}}(\hat{u}) = (w - \hat{u})^{\top} X^{\top} X (w - \hat{u})$$