

① $A = 425_{10}$

a) Binary

256	128	64	32	16	8	4	2	1
1	1	0	1	0	1	0	0	1

Actual $\frac{6}{54} + \frac{5}{54} + \frac{4}{54} = \frac{15}{54}$

Hex: $\frac{1\ 1\ 0\ 1\ 0\ 1\ 0\ 0\ 1}{1\quad\quad A\quad\quad 9}$

BCD 010000100101100

Gray's code 1 0 1 1 1 1 0 1.

b) $B = 65_{10}$

$$A - B = A + (-B)_{\text{ca2}}$$

$$\begin{bmatrix} 0 & 1 & 0 & 0 & 0 & 0 & 1 \end{bmatrix}_{a_2} \rightarrow (-B)a_2 = 10111111$$

↓
sign bit.

$$1011110|_{a_1}$$
$$+ \quad \Delta$$

sign bit 1 1 1 1 1 1 1
0 1 1 0 1 0 0 1 (+425)

$$+111011111 \quad (-65)$$

bit extension.

① 0 1 0 1 1 0 1 0 0 0 → positive number. No overflow
carded. (+360)

discarded.

c) $\text{sign} = 0$

mantissa = 0 1 1 0 1 0 0 0

exponent $\rightarrow E - 127 = 8 \rightarrow E = 135 \rightarrow 10000111$

0 10000111, 0 110100000 ...
23 bits

23 bits

④

②

a)

E_{in}	T	H	Tox	L_{red}	L_{yellow}	L_{green}	L_{red}	L_{yellow}
0	0	0	0	0	0	1		
	0	0	1	1	0	0	Tox	
	0	1	0	0	1	0		
	0	1	1	1	0	0		
	1	0	0	0	1	0		
	1	0	1	1	0	0	Tox	\overline{Tox}
	1	1	0	0	1	0		
	1	1	1	1	0	0		
1	0	0	0	1	0	0		
	0	0	1	1	0	0		
	0	1	0	1	0	0		
	0	1	1	1	0	0		

b) L_{red}

$E_{in} T$	$H Tox$	00	01	11	10
00		1	1		
01		1	1		
11		1	1	1	1
10		1	1	1	1

$Tox + E_{in} = L_{red}$

$E_{in} T$	$H Tox$	00	01	11	10
00					1
01		1			1
11					
10					

$\overline{E_{in}} H \overline{Tox} + \overline{E_{in}} T \overline{Tox} = L_{yellow}$

$$L_{green} = \overline{E_{in}} \cdot \overline{T} \cdot \overline{H} \cdot \overline{Tox}$$

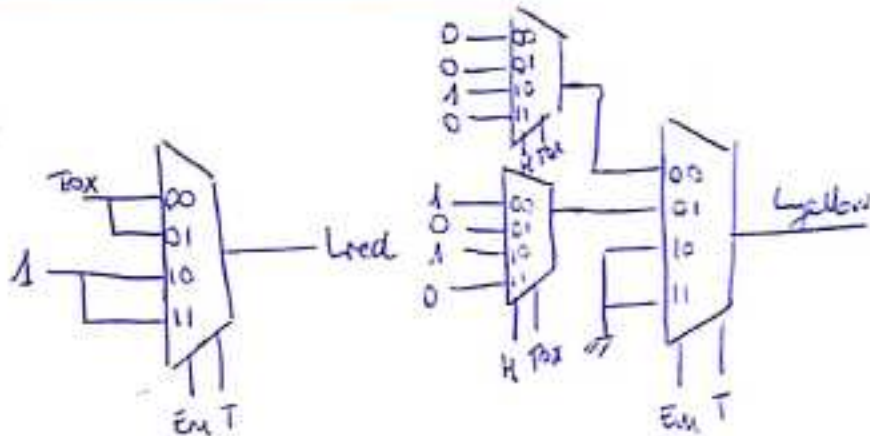
Or using minterms:

$$4 \leftarrow \overline{Tox} \cdot \overline{E_{in}} (H + T) = L_{yellow}$$

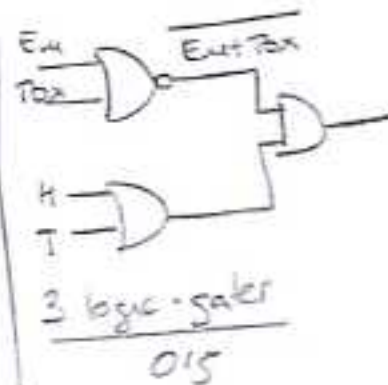
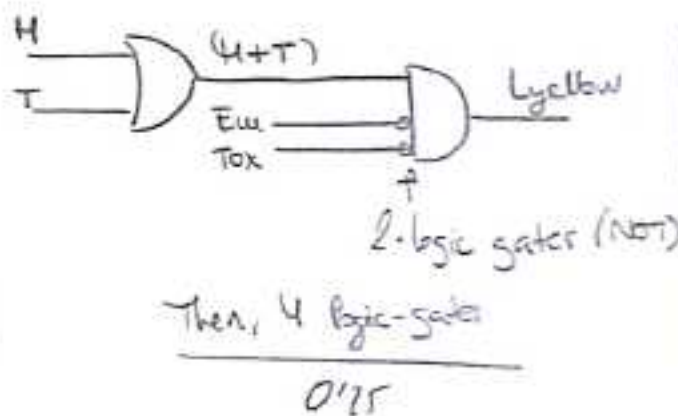
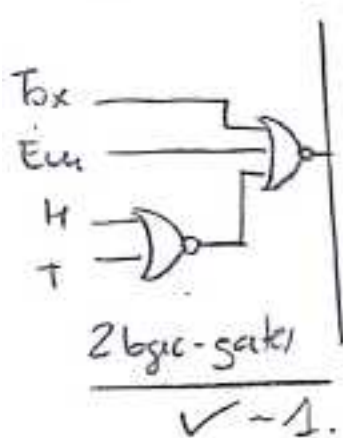
$$3 \leftarrow \overline{Tox} + \overline{E_{in}} (H + T) = L_y$$

$$NOR \cdot 2 \leftarrow \overline{Tox + E_{in} + (H + T)}$$

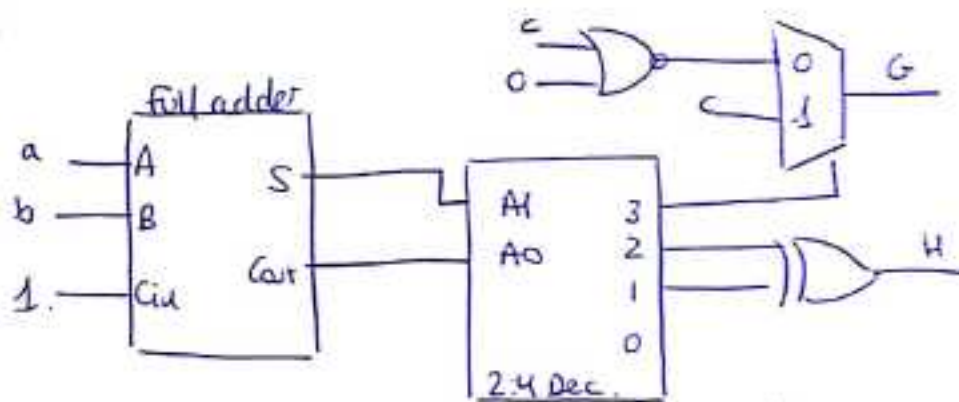
d)



c) $\bar{E}_m H \bar{T}_{ox} + \bar{E}_m T \bar{T}_{ox} = \bar{E}_m \bar{T}_{ox} (H + T) = \bar{E}_m + \bar{T}_{ox} (H + T)$



③



a	b	c	G	H
0	0	0	1	1
0	0	1	0	1
0	1	0	1	1
0	1	1	0	1
1	0	0	1	1
1	0	1	0	1
1	1	0	0	0
1	1	1	1	0

a	b	Cin	S	Car
0	0	1	1	0
0	1	1	0	1
1	0	1	0	1
1	1	1	1	1

→ Dec out 2

→ Dec out 1

→ Dec out 3

$G = c$

Rest of the cases $G = \bar{c} + 0$ $\left\{ \begin{array}{l} c=0 \ G=1 \\ c=1 \ G=0 \end{array} \right.$

Out 2	Out 1	H
0	0	0
0	1	1
1	0	1
1	1	0

→ when output 3 active

→ Not possible

②