

poly.h

```
typedef struct term {  
    int coeff;  
    int exp;  
} term;  
  
typedef struct polynomial {  
    int n;  
    struct term* t;  
} poly;
```

```
void init_poly(poly* p, int size);  
void append(poly* p, int coeff, int exp);  
void display(poly* p);  
void add_poly(poly* p1, poly* p2, poly* p3);  
void sub_poly(poly* p1, poly* p2, poly* p3);  
void quadratic_roots(poly* p);
```

poly.c

```
#include <stdlib.h>  
#include <stdio.h>  
#include <math.h>  
#include "poly.h"
```

```
void init_poly(poly* p, int size) {  
    p->n = 0;  
    p->t = (term*) malloc(sizeof(term) * size);  
    if(!p->t) return;  
    return;
```

```
} // The pointer is pointing to a dynamically allocated memory with size = sizeof(term) in bytes
```

```

void append(poly* p, int coeff, int exp) {
    p->t[p->n].coeff = coeff;
    p->t[p->n].exp = exp;
    p->n++;
    return;
}; // The current memory address is added with a coefficient and exponent taken front the user and
the length of the polynomial is increased by 1

```

```

void display(poly* p) {
    int i = 0;
    for(i = 0; i < p->n - 1; i++) {
        printf("%dx^%d + ", p->t[i].coeff, p->t[i].exp);
    };
    printf("%dx^%d", p->t[i].coeff, p->t[i].exp);
    return;
} /** Each element is iterated over and displayed in an appropriate format
Time Complexity:  $O(n)$ 
Space Complexity:  $O(1)$ 
**/

```

```

void add_poly(poly* p1, poly* p2, poly* p3) { // This considers no repetition of same exponents within
a single polynomial
    int i = 0;
    while(i < p1->n) {
        int helper = p1->t[i].exp;
        for(int j = 0; j < p2->n; j++) {
            if(p2->t[j].exp == helper) {
                p3->t[p3->n].coeff = p1->t[i].coeff + p2->t[j].coeff;
                p3->t[p3->n].exp = helper;
                p3->n++;
            };
        };
    };
};

```

```

        i++;

    };

} /** The exponents of the polynomial are matched using nested for loop and the coefficients are
then added respectively

    Time Complexity:  $O(n^2)$ 

    Space Complexity:  $O(n)$ 

**/

```

```

void sub_poly(poly* p1, poly* p2, poly* p3) { // This considers no repetition of same exponents
within a single polynomial

```

```

    int i = 0;

    while(i < p1->n) {
        int helper = p1->t[i].exp;
        for(int j = 0; j < p2->n; j++) {
            if(p2->t[j].exp == helper) {
                p3->t[p3->n].coeff = p1->t[i].coeff - p2->t[j].coeff;
                p3->t[p3->n].exp = helper;
                p3->n++;
            }
        };
        i++;
    };

} /** The exponents of the polynomial are matched using a nested for loop and the coefficients are
added respectively

    Time Complexity:  $O(n^2)$ 

    Space Complexity:  $O(n)$ 

**/

```

```

int isValidQuadratic(poly* p) {

    for(int i = 0; i < p->n; i++) {

        if(p->t[i].exp > 2) {

            return 0;

```

```

    };

};

return 1;

}; /** This functions checks if there is any element in the strucutre with exponent greater than 2,
which breaks the quadratic of being quadratic */

void quadratic_roots(poly* p) { // standard equation: ax^2 + bx + c = 0

    if(isValidQuadratic(p) == 0) return;

    int a = 0, b = 0, c = 0;
    for(int i = 0; i < p->n; i++) {
        if(p->t[i].exp == 2) {
            a = p->t[i].coeff;
        } else if(p->t[i].exp == 1) {
            b = p->t[i].coeff;
        } else if(p->t[i].exp == 0) {
            c = p->t[i].coeff;
        }
    }

    double discriminant = pow(b, 2) - 4 * a * c;

    if(discriminant < 0) {
        return;
    }

    double root1 = (-b + sqrt(discriminant)) / (2 * a);
    double root2 = (-b - sqrt(discriminant)) / (2 * a);
    printf("%lf %lf\n", root1, root2);

    return;

} /** The roots are calculated using the regular quadratic formula with constant time and space
complexity

```

Time Complexity: $O(1)$

Space Complexity: $O(1)$

***/*

main.c

#include <stdio.h>

#include <stdlib.h>

#include "poly.c"

int main() {

poly p, *p2, *p3;*

p = (poly) malloc(sizeof(p));*

p2 = (poly) malloc(sizeof(p));*

p3 = (poly) malloc(sizeof(p));*

init_poly(p, 3);

init_poly(p2, 3);

init_poly(p3, 3);

append(p, 4, 2);

append(p, 7, 1);

append(p, 3, 0);

append(p2, 2, 2);

append(p2, 7, 1);

add_poly(p, p2, p3);

sub_poly(p, p2, p3);

quadratic_roots(p);

return 0;

}

```
PS C:\Users\Aman Morghade\OneDrive\Documents\DSA_CoEP\LabWork1\polynomial> gcc .\main.c
```

```
PS C:\Users\Aman Morghade\OneDrive\Documents\DSA_CoEP\LabWork1\polynomial> .\a.exe
```

```
-0.750000 -1.000000
```

```
PS C:\Users\Aman Morghade\OneDrive\Documents\DSA_CoEP\LabWork1\polynomial> 
```

