#### week7 exercise

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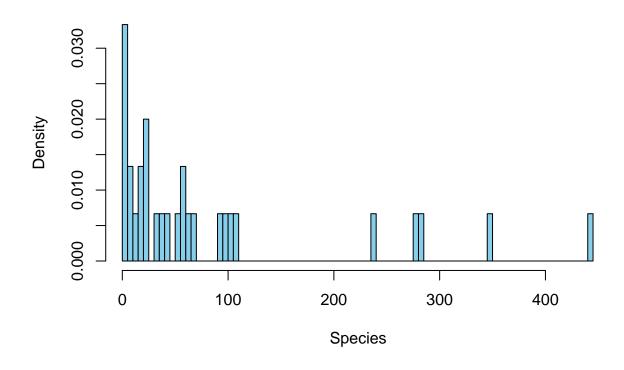
2023/11/16

```
library(faraway)
library(MASS)
```

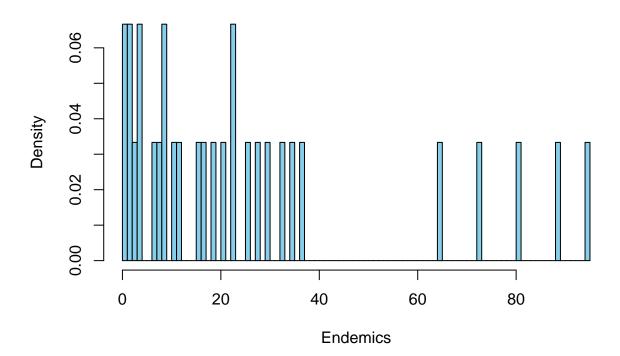
#### Exercise 2

```
f = function(df) {
   num_col = sapply(df, is.numeric)
    char_col = sapply(df, is.character)
   fac_col = sapply(df, is.factor)
   type = num_col | char_col | fac_col
    if (length(type[type]) == 0) {
        return("This dataframe contains no numeric, character or factor values")
   } else {
       num_df = df[, num_col]
        if (ncol(num_df) > 0) {
            for (i in 1:ncol(num_df)) {
                i_name = colnames(num_df)[i]
                hist(num_df[, i], breaks = 100, xlab = i_name,
                  xlim = c(min(num_df[, i]), max(num_df[,
                    i])), col = "skyblue", main = paste0("Histogram of ",
                    i_name), probability = TRUE)
            }
        char_df = df[, char_col | fac_col]
        if (ncol(char_df) > 0) {
            for (i in 1:ncol(char_df)) {
                i_name = colnames(char_df)[i]
                count = aggregate(char_df[, 1, drop = FALSE],
                  by = list(name = char_df[, i]), FUN = length)
                colnames(count)[2] = "count"
                barplot(height = count$count, names.arg = count$name,
                  xlab = i_name, col = "lightgreen", ylim = c(0,
                    max(count$count)), main = paste0("Barplot of ",
                    i name))
            }
   }
```

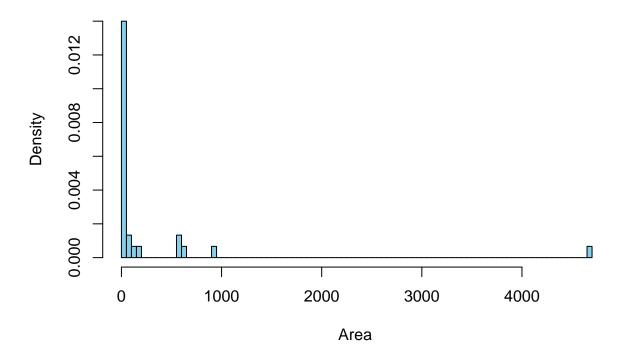
### **Histogram of Species**



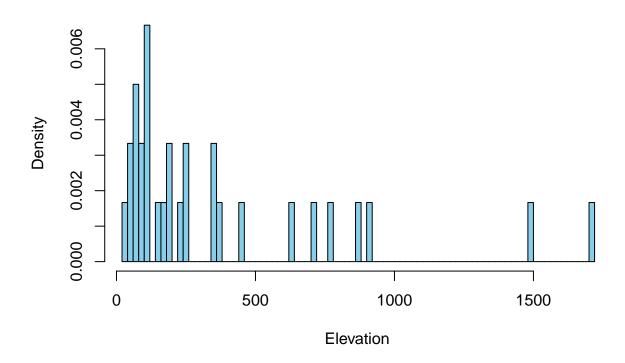
# **Histogram of Endemics**



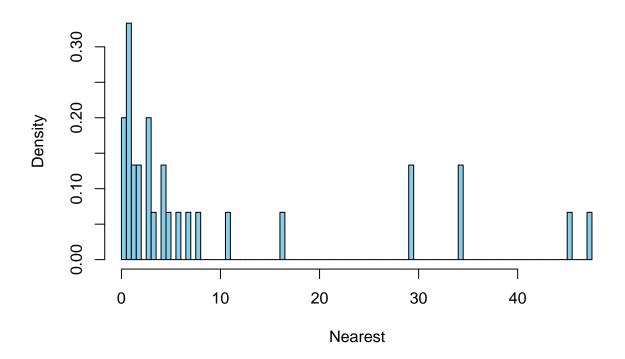
### Histogram of Area



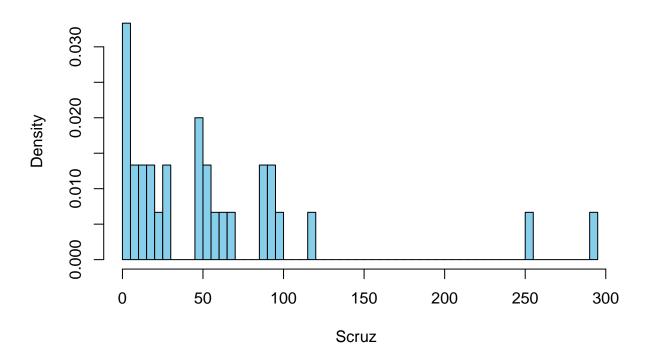
# Histogram of Elevation



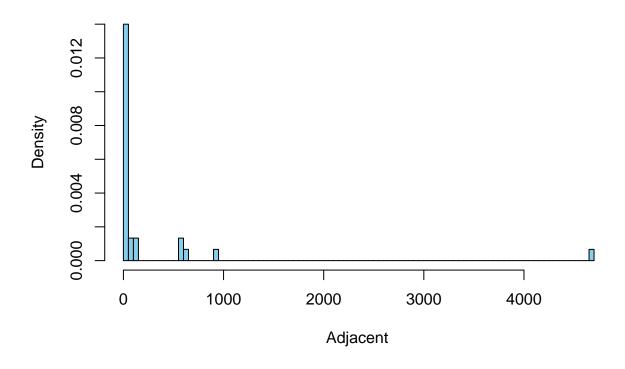
# **Histogram of Nearest**



# Histogram of Scruz

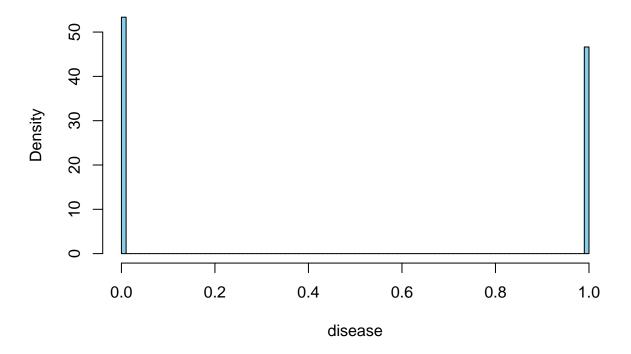


### **Histogram of Adjacent**

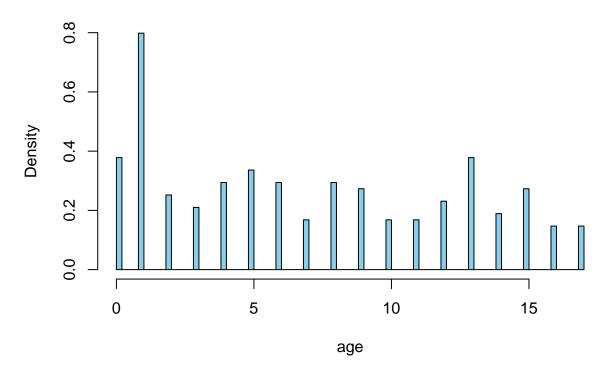


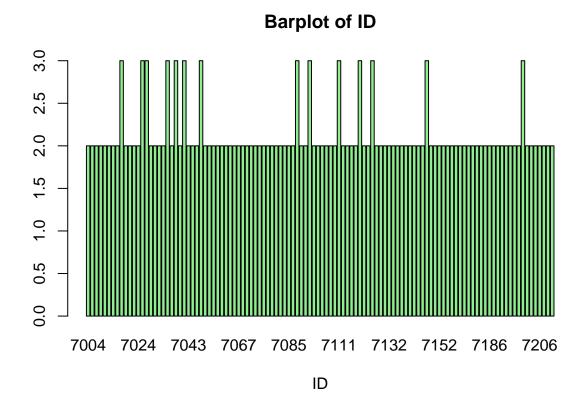
f(amlxray)

# Histogram of disease

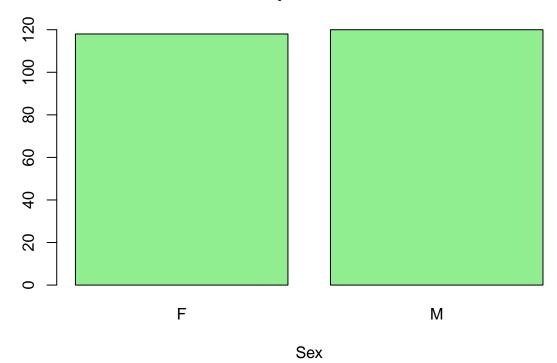


# Histogram of age

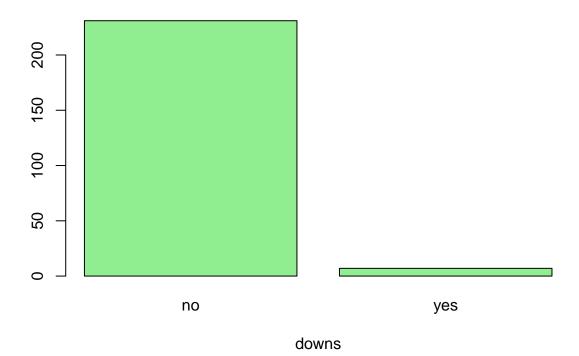




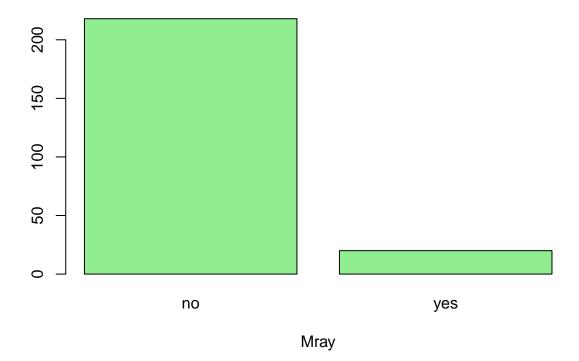
# **Barplot of Sex**



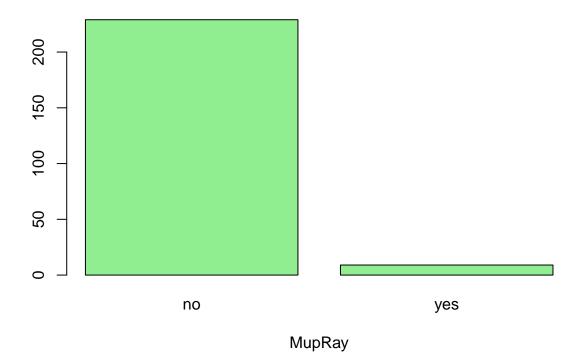
# **Barplot of downs**



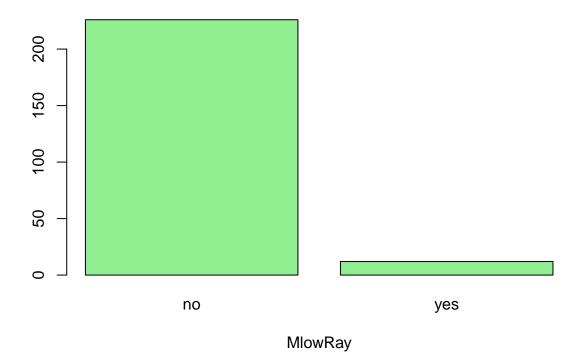
# **Barplot of Mray**



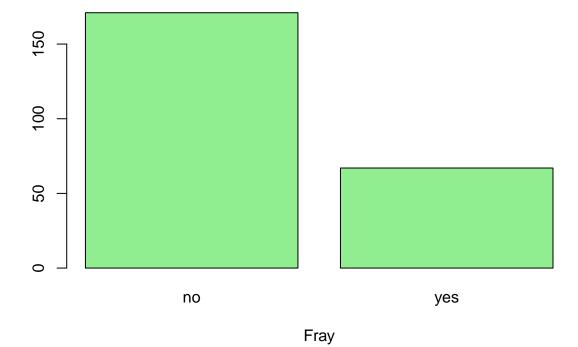
# **Barplot of MupRay**



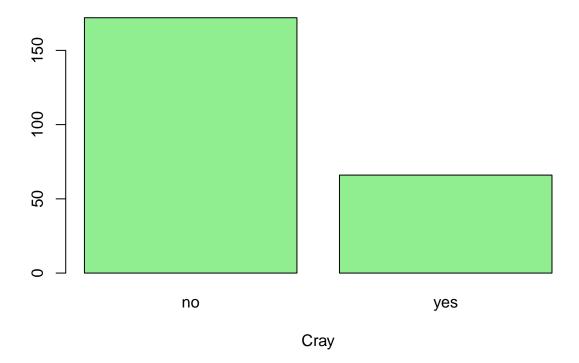
### **Barplot of MlowRay**



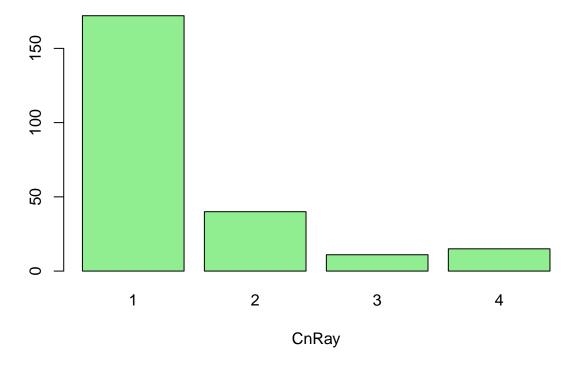
# **Barplot of Fray**



# **Barplot of Cray**



### **Barplot of CnRay**



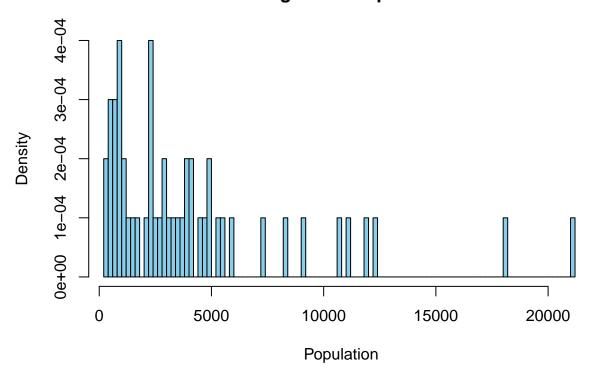
#### Exercise 3

1

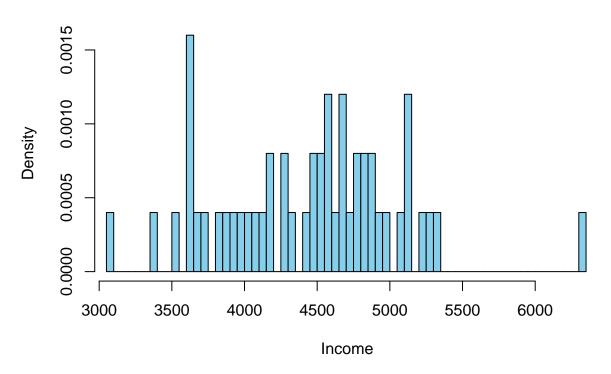
```
median standard_deviation
                                                        skewness
                    mean
## Population 4246.4200
                          2838.500
                                         4.464491e+03 1.9222511
## Income
               4435.8000 4519.000
                                         6.144699e+02 0.2046903
                                         6.095331e-01 0.8185809
## Illiteracy
                  1.1700
                             0.950
## Life Exp
                 70.8786
                            70.675
                                         1.342394e+00 -0.1534995
## Murder
                  7.3780
                             6.850
                                         3.691540e+00 0.1293391
## HS Grad
                 53.1080
                            53.250
                                         8.076998e+00 -0.3192442
## Frost
                104.4600
                           114.500
                                         5.198085e+01 -0.3663767
## Area
              70735.8800 54277.000
                                         8.532730e+04 4.0983574
```

```
cns = colnames(state.x77)
for (i in 1:ncol(state.x77)) {
    i_name = cns[i]
    hist(state.x77[, i], breaks = 100, xlab = i_name, xlim = c(min(state.x77[,
        i]), max(state.x77[, i])), col = "skyblue", main = paste0("Histogram of ",
        i_name), probability = TRUE, plot = TRUE)
}
```

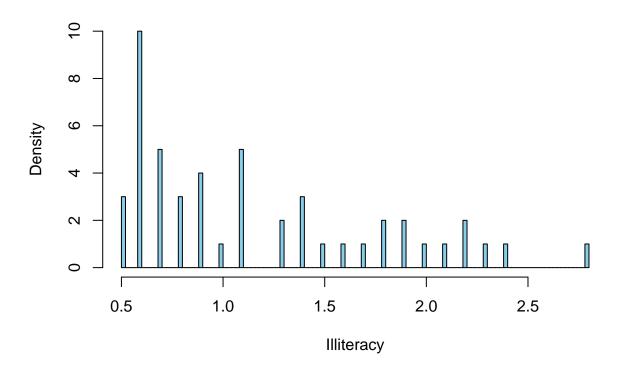
### **Histogram of Population**



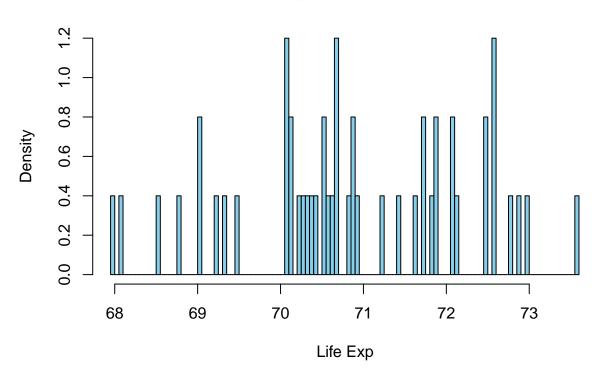
### **Histogram of Income**



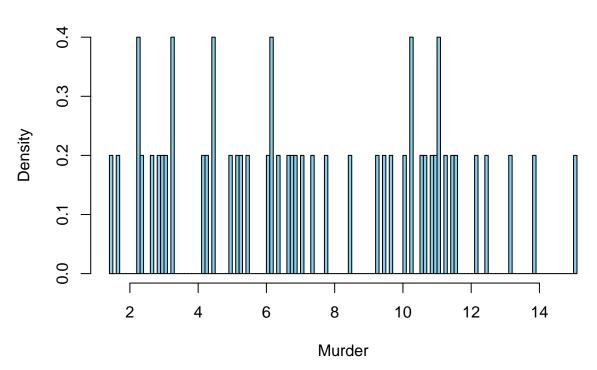
# Histogram of Illiteracy



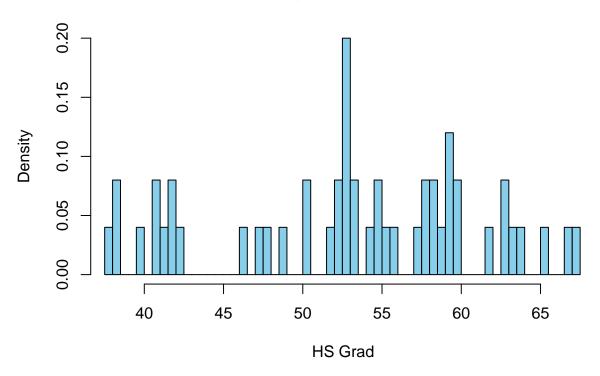
# Histogram of Life Exp



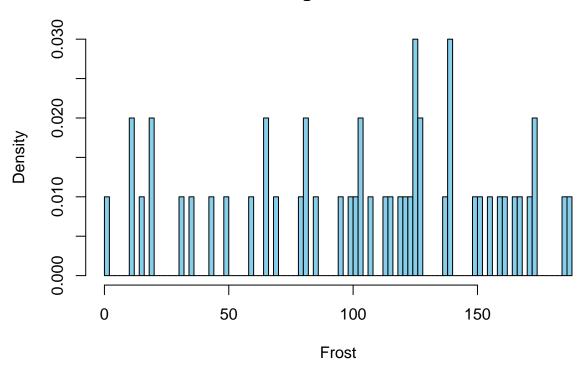
# Histogram of Murder



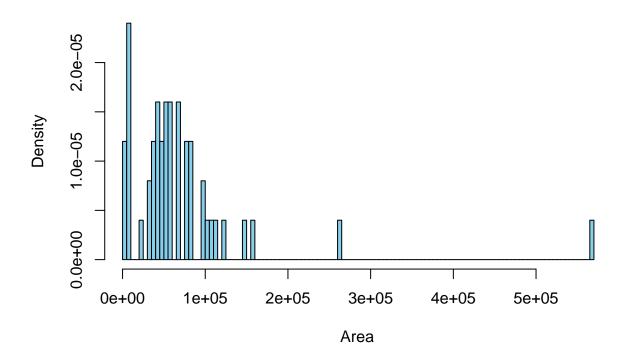
# Histogram of HS Grad



# **Histogram of Frost**



### **Histogram of Area**



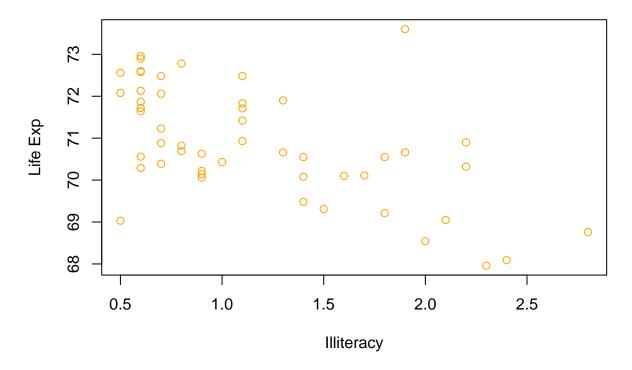
3

The Income, Life Exp and Murder are almost symmetric. Population, Illiteracy and Area are positive skewed. HS Grad and Frost are negative skewed.

#### 4

```
plot(x = state.x77[, "Illiteracy"], y = state.x77[, "Life Exp"],
    type = "p", col = "orange", xlab = "Illiteracy", ylab = "Life Exp",
    main = "Illiteracy vs Life Exp")
```

### **Illiteracy vs Life Exp**



With the increase of Illiteracy rate, the life expectancy decreases.

5

```
cor.test(x = state.x77[, "Illiteracy"], y = state.x77[,
    "Life Exp"], alternative = "two.sided", method = "pearson")

##

## Pearson's product-moment correlation

##

## data: state.x77[, "Illiteracy"] and state.x77[, "Life Exp"]

## t = -5.0427, df = 48, p-value = 6.969e-06

## alternative hypothesis: true correlation is not equal to 0

## 95 percent confidence interval:

## -0.7448226 -0.3708811

## sample estimates:

## cor

## -0.5884779
```

Lower Illiteracy rate means higher education level, which will improve people's life quality and increase life expectancy.

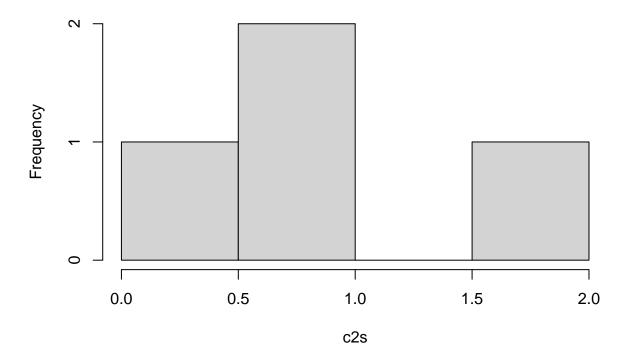
#### Exercise 4

```
c1 = c(0, 1)
c2 = expand.grid(c1, c1)
c2s = rowSums(c2)
```

1

```
hist(c2s, breaks = 3, main = "Histogram of c2s")
```

### Histogram of c2s



dim(c2)

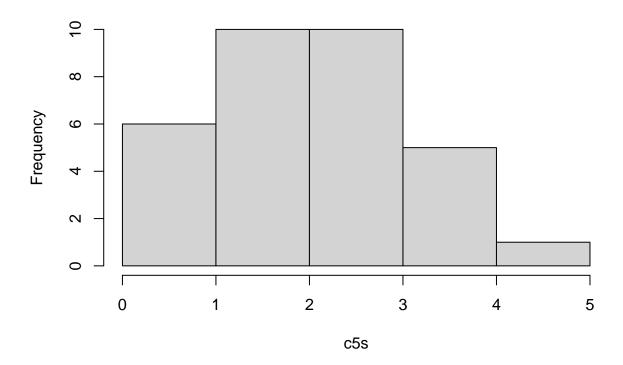
## [1] 4 2

expand.grid() lists all combinations from given vectors. rowSums() lists the sum of each combination from given vectors.

 $\mathbf{2}$ 

```
c5 = expand.grid(c1, c1, c1, c1, c1)
c5s = rowSums(c5)
hist(c5s, breaks = 6, main = "Histogram of c5s")
```

### Histogram of c5s



dim(c5)

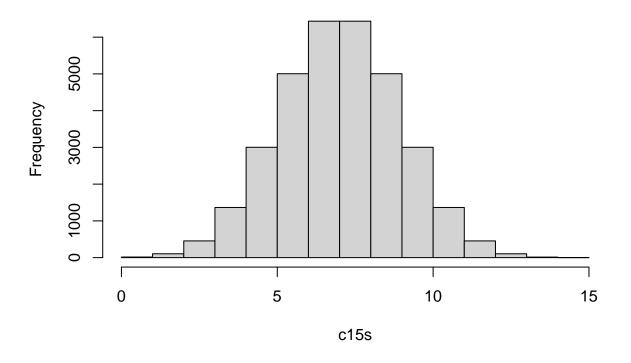
## [1] 32 5

The distribution of c5s gets a peak in center.

3

```
c15 = expand.grid(replicate(15, c1, simplify = F))
c15s = rowSums(c15)
hist(c15s, breaks = 16, main = "Histogram of c15s")
```

### Histogram of c15s



```
dim(c15) == c(2^15, 15)

## [1] TRUE TRUE

4

sta_ls = list(range = range(c15s), mean = mean(c15s), std = sd(c15s))
sta_ls

## $range
## [1] 0 15
## $mean
## [1] 7.5
##
## $std
## [1] 1.936521
c(sta_ls$mean, 15 * 0.5)
```

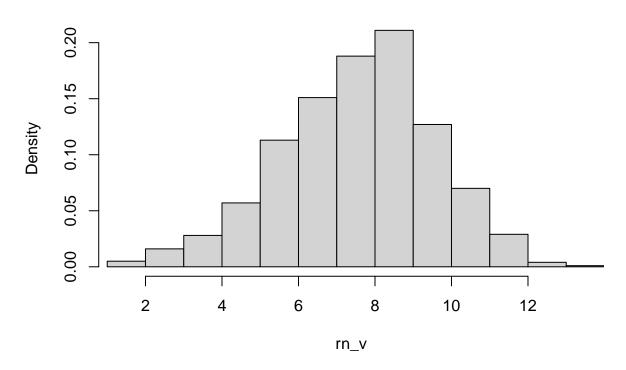
## [1] 7.5 7.5

```
c(sta_ls$std, (15 * 0.5 * 0.5)^0.5)
## [1] 1.936521 1.936492
```

5

```
rn_v = rnorm(1000, mean = sta_ls$mean, sd = sta_ls$std)
hist(rn_v, breaks = 16, xlim = c(min(rn_v), max(rn_v)),
    main = "Histogram of rn_v", probability = TRUE)
```

### Histogram of rn\_v

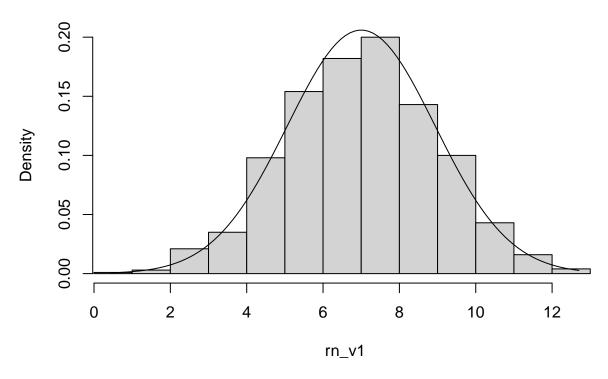


The distribution of  $10^3$  random numbers is similar to the distribution of c15s.

 $\mathbf{6}$ 

```
rn_v1 = rnorm(1000, mean = sta_ls$mean - 0.5, sd = sta_ls$std)
hist(rn_v1, breaks = 16, xlim = c(min(rn_v1), max(rn_v1)),
    main = "Histogram of rn_v1", probability = TRUE)
curve(expr = dnorm(x, sta_ls$mean - 0.5, sta_ls$std), add = TRUE)
```

### Histogram of rn\_v1



### Exercise 5

```
fib = c(1, 1)
i = 2
fib_sum = sum(fib)
while (fib_sum < 22000) {
    i = i + 1
    fib[i] = fib[i - 2] + fib[i - 1]
    fib_sum = sum(fib)
}
length(fib)</pre>
```

## [1] 21