

# Concurrent Algorithms and Data Structures – Theory Assignment 2-3

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**Please, submit your solutions in .pdf format.**

**Problem 1** Recall the `Optimistic List` algorithm. Suppose that the threads only perform `add` operations, i.e., no thread ever performs a `delete` or a `ctn` operation. However, we are still interested in guaranteeing two properties, namely that (i) we cannot add multiple copies of the same element to the list, and that (ii) we allow adding an element if we have not previously added the element to the list.

Assume that we remove the `validate` procedure from the code of the `add` operation, so we obtain the code depicted in Fig. 1. Is the resulting algorithm linearizable wrt. the two guarantees mentioned above? First, answer *yes* or *no*. If *yes* motivate your answer in no more than **five lines**. If *no* give a concurrent history that shows non-linearizability.

**Problem 2** Consider the new version of the Michael-Scott algorithm depicted in Fig. 2. In the new algorithm we keep the dequeue part, but replace the enqueue part by a more compact code where we have removed some lines of code.

Is the resulting algorithm linearizable? First, answer *yes* or *no*. If *yes*, give the linearization policy, and motivate your answer in no more than **five lines**. If *no* give a concurrent history that shows non-linearizability.

```

add(k):
Node p, c
1 while (true)
2   p = H
3   c = p.next
4   while (c.key < k)
5     p = c
6     c = c.next
7   lock(p)
8   lock(c)
9   if (validate(p,c))
10    if (c.key=k)
11      return false
12    else
13      n = new Node(k,true,-)
14      n.next = c
15      p.next = n
16      return true
17    unlock p
18    unlock c
19    exit
20  else
21    unlock p
22    unlock c

```

Figure 1: The add module optimistic list algorithm.

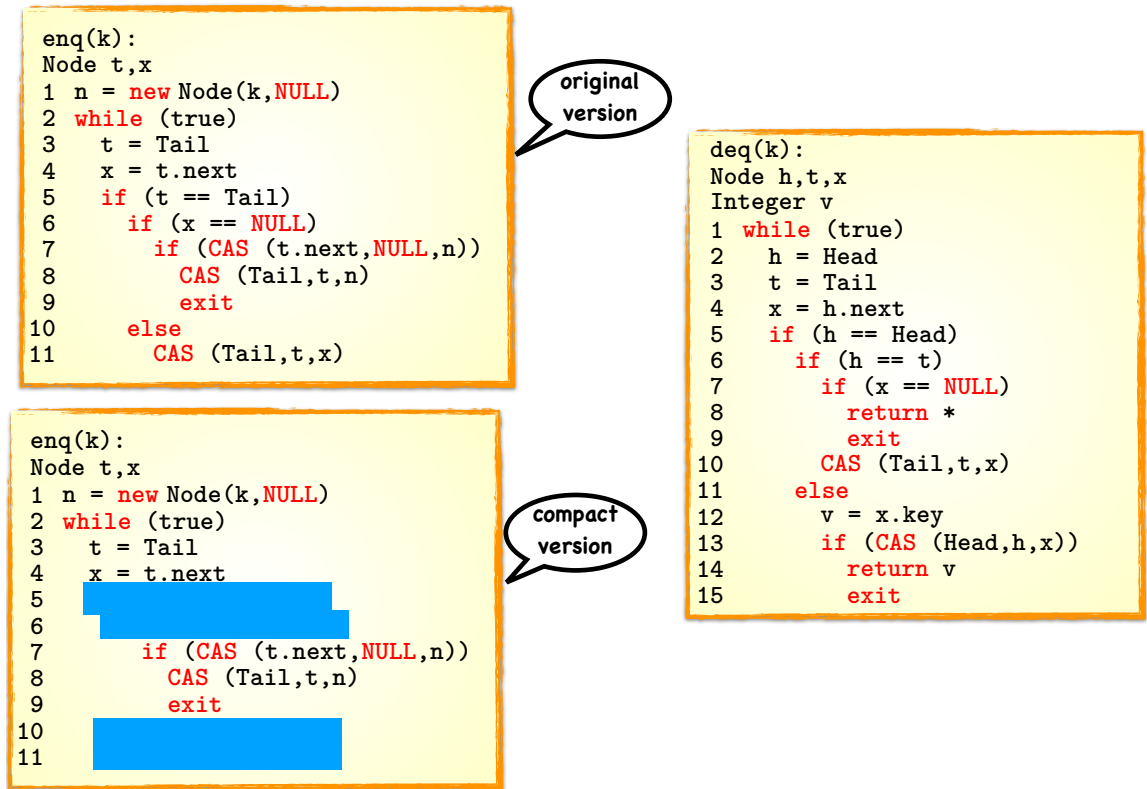


Figure 2: The new version of the Michel-Scott algorithm.