Coinduction up-to from concurrency to coalgebra and back

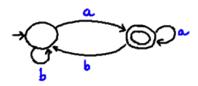
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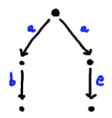
Context

- Automata are basic structures in Computer Science.
- Language equivalence: well-studied, several algorithms.
- Renewed attention (POPL'11, '13, '14).



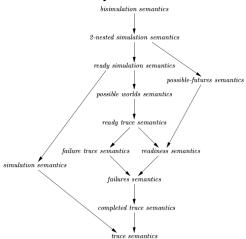
Context

- Concurrency: a spectrum of equivalences.
- Checking usually done by reducing to bisimilarity.



An alternative road

- Many efficient algorithms for equivalence of automata.
- Applications in concurrency?



From automata to concurrency

Various spectrum equivalences

=

Language equivalence of a *transformed* system

=

Automaton with outputs and structured state space (Moore automata).

Bonsangue, Bonchi, Caltais, Rutten, S. MFPS 12



From automata to concurrency

- Generalization of existing algorithms to Moore automata.
- Brzozowski's and Hopcroft/Karp algorithms for van Glabbeek's spectrum.
- Cleaveland and Hennessy's acceptance graphs for must/may testing = Moore automata.
- Brzozowski's and Hopcroft/Karp algorithms algorithm for must/may testing.

Bonchi, Caltais, Pous, Silva. APLAS 2013

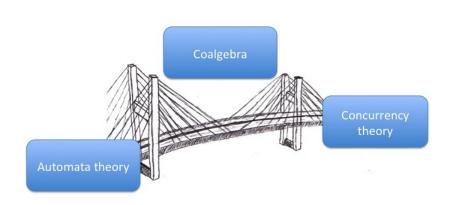


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Bonchi, Caltais, Pous, Silva. APLAS 2013

The approach



Roadmap

- 1. Automata algorithms applied to concurrency.
- 2. For the rest of the talk: up-to techniques applied to automata.

$$\llbracket X + Y \rrbracket = \llbracket X \rrbracket + \llbracket Y \rrbracket$$

[X + Y] = [X] + [Y] Proof principle for infinite structures

Roadmap

- 1. Automata algorithms applied to concurrency.
- 2. For the rest of the talk: up-to techniques applied to automata.

Compositionality

Coinduction

$$[X + Y] = [X] + [Y]$$

Proof principle for infinite structures