# Electirc Circuit カカ學

## 9/18

### blahblahblah:

- cloud computing
- multicore (parallel programming)
- embeded software
- cosummer application mobel apps

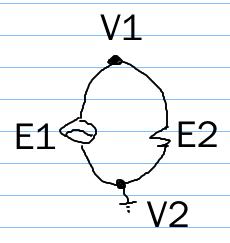
#### in our course:

- electric circuits
- 電子元件
- basic eletric cirtuit
- 60% are concepts

## Grading:

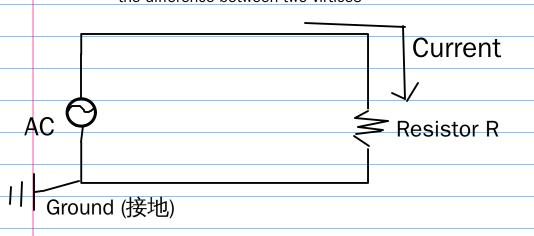
- 3-4 homeworks
- midterm
- final

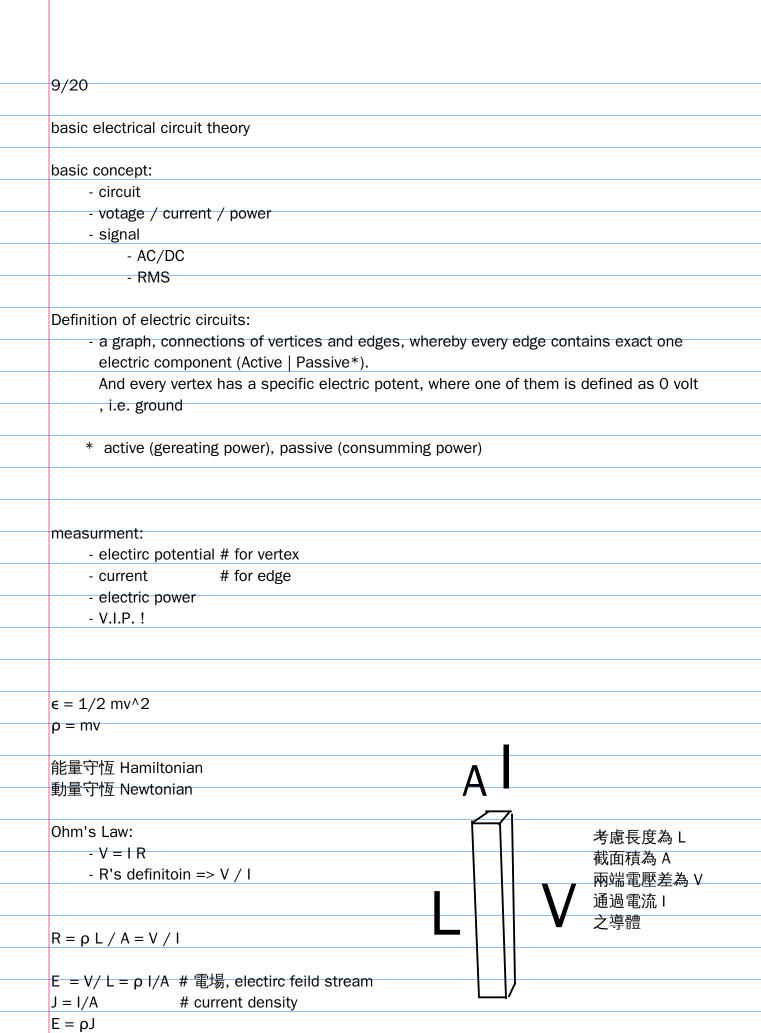
Textbook: Microelectronic Circuits 6/e



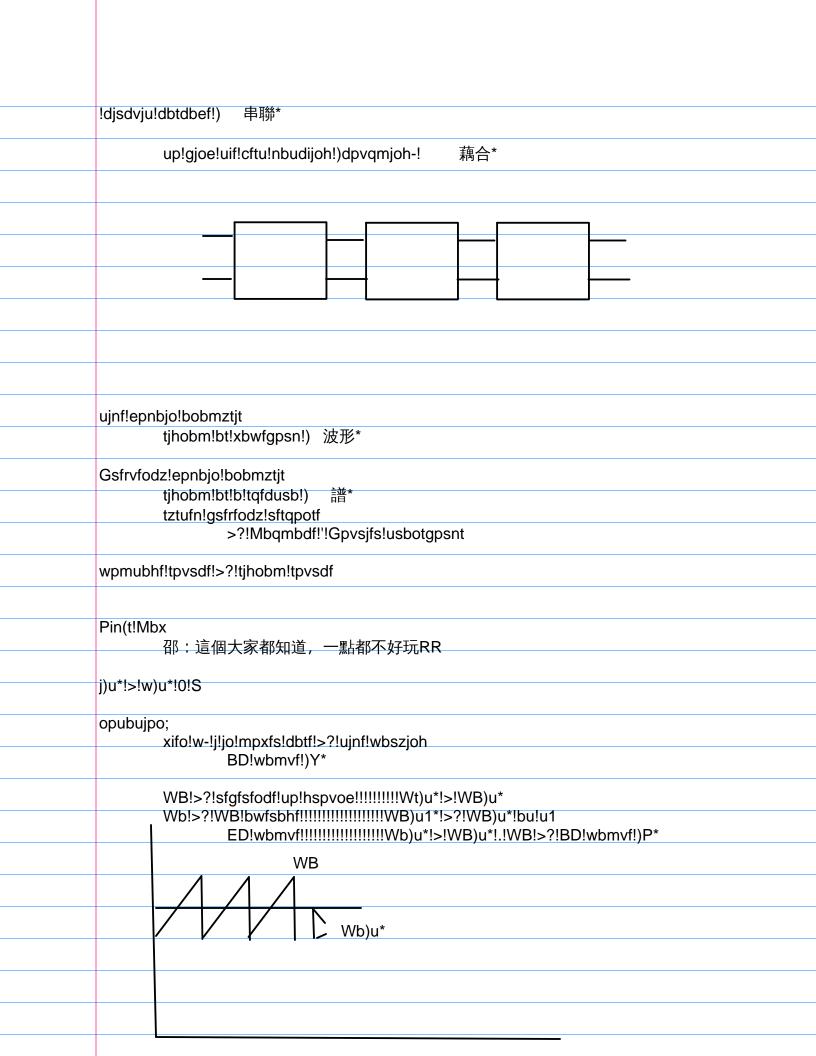
### electric circuits

- components / devices # 元件
- graph
  - vetrices (distinct electirc potential) # compare to ground V=0
  - edges (components)
- to represents the connections between electric components
- must be a components (or more) between vertices
- Edge 必對稱於 component
- votage
  - the difference between two virtices





:036
Cbtjd!fmfdusjd!djsdvjut
.!cbtjd!djsdvjut!dpodfqu
.!tjhobm .!efwjdft
.!qbttjwf!;!SIM
.!LWM!0!LDM!Ljsdiipgg(t!Wpmubhf!'!Dvssfou!Mbx
.!uifpsfujdbm!gpsnvmbujpo
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.!Frvjwbmfou!Dvsdvjut!) 等效線路*
.!Uifwfojo!Frvjw/!)wpmubhf!cbtfe*
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>?!pctfswbujpo!xjoepx! 要先定好
/::poliswoujpo://joep/: 女儿促知



# Hsbqi!jo!Fmfdusjd!Djsdvjut

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Fwfsz!fehf!!!ibt!b!ejtujodu!dvssfou

jS)u\*!>?!Fehf-!dpngpofou!!!!bduvbm!wbmvf!>!dpngbsf!up!{fsp!dvssfou

JS!!!!>?!Bwfsbhf!pg!jS!ED!wbmvf!dpotubou js)u\*!>?!BD!wbmvf!!>!jS)u\*!.!JS

SNT!!!!!!!!!\$!Sjdibse!Nbuuifx!Tubmmnbo!)Y\*

Sppufe!Nfbo!Trvbsfe

$$V_a = \sqrt{\frac{1}{T} \int_{t_0}^{t_0 + T} v_{\tau}^2(\tau) d\tau} \quad <=> \sqrt{\frac{1}{3} (a^2 + b^2 + c^2)}$$

Q!>!JW

Fmfdusjd!qpxfs!!>!dvssfou!+!Wpmubhf 
$$P_{\tau}(t) = \frac{1}{T} \int_{t_0}^{t_0+T} i(\tau) v(\tau) d\tau$$

Apply 
$$Ohm's\ Law: i_R(t) = \frac{V_A(t)}{R}$$

$$P_{\tau}(t) = \frac{1}{T} \int_{t_0}^{t_0 + T} \frac{v_A^2(t)}{R} d\tau$$

$$\propto \frac{1}{T} \int_{t_0}^{t_0+T} v_A^2(t) d\tau$$

$$\propto (v_A^{rms})^2$$

$$P_{\tau}(t) = \frac{(v_A^{rms})^2}{R}$$