

PL Midterm

Answer each problem briefly.

- 1 What are the pro and con of specifying the sizes of primitive types? (4%)
- 2 Give a non-orthogonal feature of C++. (4%)
- 3 Give a context-sensitive feature of C++. (4%)
- 4 What is the usual implementation method for Javascript? for Java? (4%)
- 5 Consider the task of deleting the **last** element of a singly linked list.
What are the time and space complexities of an imperative-style deletion procedure? of a functional-style deletion procedure? (4%)
Note: For the space complexity, count only the auxiliary space and exclude the list itself.

- 6 The following three Perl statements have similar syntax. But, their semantics are distinct.
What is the semantics of each statement? (4%)

`$a= (1, 2, 3, 4, 5, 6) ;`

`@a= (1, 2, 3, 4, 5, 6) ;`

`%a= (1, 2, 3, 4, 5, 6) ;`

- 7 Recall the grammar for C++ expressions:

conditional-expression:

logical-or-expression

logical-or-expression ? expression : assignment-expression

assignment-expression:

conditional-expression

logical-or-expression assignment-operator assignment-expression

expression:

assignment-expression

expression , assignment-expression

- a) According to the grammar, what is the associativity of the conditional operator?
What is the associativity of the comma operator? (4%)
- b) Most C++ books *imprecisely* state that the conditional operator has a higher precedence than the assignment operators. Give examples to show that their precedence levels depend on how they are used. Note: Derivations aren't required. (4%)
- c)** How would you modify the grammar so that the conditional operator is guaranteed to have a higher precedence than the assignment operators? (4%)

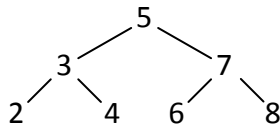
8 The following CFG generates the language of binary trees

$$\mathbf{T} \rightarrow \mathbf{D} \mid (\mathbf{T} \mathbf{D} \mathbf{T})$$

$$\mathbf{D} \rightarrow 0 \mid 1 \mid 2 \mid \dots \mid 9 \quad (\text{i.e. the 10 digits})$$

Note that a leaf contains only a datum \mathbf{D} , and an internal node contains a left subtree \mathbf{T} , a datum \mathbf{D} , and a right subtree \mathbf{T} .

For example, $((2\ 3\ 4)\ 5\ (6\ 7\ 8))$ represents the binary tree



a) Explain why the language of binary trees is not a regular language. (4%)

Hint: Think of examples given in the lecture

b) Suppose that the grammar rule for \mathbf{T} is rewritten as

$$\mathbf{T} \rightarrow \mathbf{D} \mid \mathbf{T} (\mathbf{D}) \mathbf{T}$$

Explain why the resulting grammar is ambiguous. (4%)

c)* Augment this grammar with attributes to accept only binary search trees: (6%)

"A binary search tree is a binary tree with the property that all the data in the left subtree of any node \mathbf{N} are less than the datum at node \mathbf{N} , and all the data in the right subtree of \mathbf{N} are greater than or equal to the datum at node \mathbf{N} ."

For example, the tree depicted above is a binary search tree.

Hint: Use synthesized attributes

$\mathbf{T}.\text{min}$ = the minimum datum in the tree generated by \mathbf{T}

$\mathbf{T}.\text{max}$ = the maximum datum in the tree generated by \mathbf{T}

$\mathbf{D}.\text{value}$ = the datum in the leaf generated by \mathbf{D}

9 Given

```
(define x '(a b))
```

```
(define y (append x (list x)))
```

a) Draw a diagram showing the internal list structures bound to \mathbf{x} and \mathbf{y} . (4%)

b) What is the value of each expression below? (4%)

1 \mathbf{y}

2 $\text{cons } \mathbf{x} \text{ ,@x}$

10 a) Compile the following λ -expression to code consisting of \mathbf{S} , \mathbf{K} , and \mathbf{I} (4%)

$\lambda x.\lambda y.x$

b) Reduce the following expression with lazy evaluation (4%)

$\mathbf{S} (\mathbf{S} (\mathbf{K} +) \mathbf{I}) \mathbf{I} (* 2\ 3)$

- 11 a) Let $Y = \lambda f.(\lambda x.f(xx))(\lambda x.f(xx))$ and $G = \lambda y.\lambda f.f(yf)$
 Show that YG is a fixed point combinator with lazy evaluation. (4%)
 b) Write down the corresponding fixed point combinator with eager evaluation. (4%)
 Note: Proof isn't required.

- 12 a) Consider (4%)

```
(define f
  (lambda (n)
    (if (= n 0) 1 (* n (f (- n 1))))))
```

Write down a lambda function that represents the continuation of the boxed expression.

- b) As discussed in class, by writing a function in continuation-passing style we may control the computation. Give an example to show that such a control over the computation by continuation is useful. (4%)
 Note: Code isn't required.

- 13 Write each function below iteratively *or* recursively.

- a) Write a function **sum** in Fortran 95 that takes an assumed-shape integer array and sums up the integers of the array. (6%)

Sample run

```
integer, dimension(6) :: a = (/1,2,3,4,5,6/) ! initialize the array
print *, sum(a) ! output 21
print *, sum(a(2:5)) ! output 14
```

- b) Repeat a), but this time writes the function in Perl. (6%)

Sample run

```
@a=(1..6) ! initialize the array
print sum @a; ! output 21
```

- c) Repeat a), but this time writes the function in Scheme to sum up a list of integers. (6%)

Sample run

```
(sum '(1 2 3 4 5 6)) => 21
```