

## **Group-A**

### **1. Describe circular Queue operations in array implementation.**

Answer:

The following operations are typically supported in circular queue operations using an array implementation:

- **Insertion (Enqueue):** Adds an element to the circular queue. The rear pointer is raised, and the new element is added at that point. If the rear pointer hits the end of the array, it returns to the beginning.
- **Dequeue (Deletion):** This method removes an element from the circular queue. The element at the front position is removed, and the front pointer is incremented. If the front pointer hits the end of the array, it returns to the beginning.
- **Front:** Returns the first member in the circular queue without removing it.
- **The element at the back of the circular queue** is returned without being removed.
- **isEmpty:** Determines whether the circular queue is empty.
- **isFull:** Determines whether the circular queue is full.

### **2. What is the difference between a PUSH and a POP?**

Answer:

The terms "push" and "pop" are commonly used in the context of stack data structures. Here's the difference between the two operations:

- **Push:** "Push" refers to the action of placing an element on top of a stack. When an element is pushed, all other items below it are also pushed down, making the pushed element the new top of the stack. In other words, it adds one to the stack's size.
- **Pop:** Removing the top element from a stack is known as the "pop" operation. The element on top of the stack is removed when an element is popped, reducing the size of the stack by one. The stack's new top element is the one below the popped element.

### **3. What are the different types of linked lists?**

Answer:

Here are the different types of linked lists:

- Singly Linked List
- Doubly Linked List

- Circular Linked List
- Sorted Linked List
- Skip List
- Self-adjusting Linked List
- XOR Linked List

#### **4. What is the LIFO and FIFO principle?**

Answer:

LIFO and FIFO are principles that describe the order in which objects in a data structure are accessed or processed. They are frequently related with stack and queue data structures.

- LIFO stands for "last-in, first-out," which means that the last thing added to a data structure is the first one to be taken out or looked at. "Last-In, First-Out" is how it works. This idea is like a stack of plates, in which the last one added is the first one taken away. The stack data structure is based on the last-in, first-out (LIFO) rule, and its actions are to push (add) and pop (take away) from the top of the stack.
- FIFO stands for "First-In, First-Out." This is a rule that says the first thing added to a data structure is the first thing taken out or viewed. "First-In, First-Out" is how it works. This idea is like a line of people waiting to be served, where the person who got there first gets served first. The queue data structure is based on the First In, First Out (FIFO) principle, and its actions are Enqueue (adding to the queue) at the back and Dequeue (removing from the queue) at the front.

#### **5. State the difference between stack and queue.**

Answer:

Both a stack and a list are linear data structures, but they are different in how they are accessed and how items are added or removed. Last-In, First-Out (LIFO) says that the last thing added to a stack is the first one to be taken out. It only lets you add to or take away from the top of the stack. On the other hand, a line works by the "First-In, First-Out" (FIFO) rule, which says that the first thing added is the first thing taken away. It lets items be added at the end of the queue and taken out at the beginning. Stacks are good for keeping track of the order of processes and going backwards. Queues, on the other hand, are good for situations where the order of elements needs to be kept, such as job scheduling and buffering.

**6. List out the basic operations that can be performed on a stack.**

Answer:

The basic operations that can be performed on a stack include:

- Push: Inserting an element onto the top of the stack.
- Pop: Removing and returning the top element from the stack.
- Peek or Top: Retrieving the value of the top element without removing it.
- isEmpty: Checking if the stack is empty, i.e., it contains no elements.

**7. What is the meaning of the stack overflow condition?**

Answer:

A stack overflow condition arises when the call stack, which maintains function calls and local variables, exceeds its assigned capacity as a result of too many nested function calls or recursive functions that are not properly terminated. It results in mistakes or exceptions, which can lead to program crashes or abnormal termination.

**8. What is a priority queue?**

Answer:

A priority queue is an abstract data type that contains elements with associated priorities and facilitates actions such as element insertion and deletion depending on priority. The element with the highest priority is retrieved or removed first.

**9. Write about tree traversal.**

Answer:

The process of visiting each node in a tree data structure in a systematic order to perform operations or retrieve information is known as tree traversal. Depending on the desired conclusion, it involves looking into the nodes in a specified sequence, such as in-order, pre-order, post-order, or level-order.

**10. What do you mean by BFS and DFS?**

Answer:

BFS is an algorithm that traverses a graph or tree level by level, beginning at a certain node. Before proceeding to the next level, it visits all of a node's neighbors or children. BFS keeps

track of the nodes to be visited using a queue data structure, and it ensures that nodes closer to the starting node are visited before nodes at deeper levels.

DFS is a graph or tree exploration algorithm that goes as deep as feasible down each branch before retracing. It begins at a specific node, travels as far as possible, and then returns to examine alternative branches. DFS maintains the order of nodes to be visited via a stack or recursion.

### **11. What are the objectives of studying data structures?**

Answer:

The objectives of studying data structures include:

- Efficient data organization
- Algorithm design and analysis
- Problem-solving skills
- Optimized resource utilization
- Software design and development
- Data abstraction and modularity
- Understanding existing libraries and frameworks
- Interview and competitive programming preparation

### **12. What are the types of queues?**

Answer:

The types of queues include:

- Simple Queue
- Circular Queue
- Priority Queue
- Dequeue (Double-ended Queue)
- Concurrent Queue
- Delay Queue
- Blocking Queue
- Bounded Queue
- Unbounded Queue

**13. State the difference between queues and linked lists.**

Answer:

Queues and linked lists are both data structures, however they serve different functions. A queue operates on the First-In, First-Out (FIFO) principle, with elements being added at one end and removed at the other. It is intended to keep the order of elements based on their arrival time. A linked list, on the other hand, is a data structure made up of nodes connected by pointers that allows for insertion and removal at any time. Unlike queues, linked lists do not have a default order or access pattern. Queues favor order and efficient Enqueue and Dequeue operations, but linked lists allow for greater flexibility in handling element collections.

**14. Mention the advantages of representing stacks using linked lists than arrays.**

Answer:

Advantages of representing stacks using linked lists than arrays are as follows:

- Dynamic size
- Efficient insertion and deletion
- No overflow or underflow issues
- Memory utilization
- Ease of implementation
- Dynamic data structures

**15. What are the different binary tree traversal techniques?**

Answer:

Different binary tree traversal techniques include:

- Pre-order traversal
- In-order traversal
- Post-order traversal
- Level-order traversal (Breadth-First Traversal)

**16. What do you mean by balanced trees?**

Answer:

Balanced trees refer to a type of tree data structure in which the heights of the subtrees of any node differ by at most a constant value. In other words, a balanced tree aims to maintain

a balance between the left and right subtrees, minimizing the height difference and ensuring efficient operations.

**17. Define adjacent nodes.**

Answer:

Adjacent nodes are nodes that are directly related or linked to each other by an edge in the context of graph theory. If there is an edge between nodes A and B in an undirected graph, where edges have no direction, then A and B are called nearby nodes.

**18. Name two algorithms to find minimum spanning tree.**

Answer:

Two algorithms to find a minimum spanning tree:

- Kruskal's Algorithm
- Prim's Algorithm

**19. Define bubble sort.**

Answer:

Bubble sort is a basic comparison-based sorting algorithm that steps over the list repeatedly, compares nearby members, and swaps them if they are out of order. It's called "bubble sort" because smaller components "bubble" to the top of the list with each iteration.

## Group – B

### 1. What are the types of Binary Tree? Explain with example.

Answer:

There are several types of binary trees based on their specific properties and characteristics. Here are some commonly known types:

- **Full Binary Tree:** A full binary tree is a binary tree in which every node has either 0 or 2 children. In other words, every node is either a leaf node or an internal node with exactly two children.

Example:

```
1
 / \
2   3
 /\  /\
4 5 6 7
```

- **Complete Binary Tree:** A complete binary tree is a binary tree in which all levels, except possibly the last level, are completely filled, and all nodes are as left as possible on the last level.

Example:

```
1
 / \
2   3
 /\  /
4 5 6
```

- **Perfect Binary Tree:** A perfect binary tree is a binary tree in which all internal nodes have exactly two children, and all leaf nodes are at the same level.

Example:

```
1
 / \
2   3
 /\  /\
4 5 6 7
```

- **Balanced Binary Tree:** A balanced binary tree is a binary tree in which the heights of the left and right subtrees of any node differ by at most one. It ensures that the height of the tree remains relatively small, leading to efficient operations.

Example:



## 2. What is an algorithm? Write down the features of an algorithm.

Answer:

An algorithm is a step-by-step procedure or a set of rules used to solve a specific problem or accomplish a particular task. It provides a systematic approach to problem-solving and is commonly used in various fields, including computer science, mathematics, and engineering. Here are the key features of an algorithm:

- **Well-defined:** An algorithm should have precisely defined inputs, outputs, and instructions. Each step of the algorithm must be clear and unambiguous.
- **Finite:** An algorithm must terminate after a finite number of steps. It should not result in an infinite loop or continue indefinitely.
- **Deterministic:** An algorithm should produce the same result for the same input every time it is executed. It should not rely on random or unpredictable elements.
- **Sequential:** An algorithm consists of a sequence of well-defined steps that are executed one after another. Each step depends on the previous step's completion.
- **Clear and understandable:** An algorithm should be presented in a clear and understandable manner, allowing humans to follow and implement it. It should use precise and unambiguous language or notation.



- **Input and output:** An algorithm takes inputs, performs a series of operations or computations, and produces outputs. The inputs and outputs should be well-defined and related to the problem being solved.
- **Efficiency:** An algorithm should be designed to be efficient in terms of time and space complexity. It should strive to solve the problem in a reasonable amount of time and with minimal resource usage.
- **Correctness:** An algorithm should produce the correct output for all valid inputs. It should solve the problem or accomplish the task it was designed for.

### 3. **Describe circular Queue operations in array implementation.**

Answer:

Circular Queue is a data structure that follows the First-In-First-Out (FIFO) principle. In an array implementation of a circular queue, the elements are stored in a fixed-size array, and the front and rear pointers indicate the current positions of the queue.

The basic operations in a circular queue implemented using an array are:

- ❖ **Enqueue:** Adds an element to the rear of the queue.
  - Check if the queue is full by comparing  $(\text{rear} + 1) \% \text{maxSize}$  with front. If they are equal, the queue is full.
  - If the queue is not full, increment the rear pointer by 1 and store the new element in the array at the updated rear position.
- ❖ **Dequeue:** Removes and returns the element at the front of the queue.
  - Check if the queue is empty by comparing the front and rear pointers. If they are equal, the queue is empty.
  - If the queue is not empty, retrieve the element at the front position, increment the front pointer by 1, and return the retrieved element.
- ❖ **Front:** Returns the element at the front of the queue without removing it.
  - Check if the queue is empty. If it is not empty, return the element at the front position.
- ❖ **Rear:** Returns the element at the rear of the queue without removing it.
  - Check if the queue is empty. If it is not empty, return the element at the rear position.
- ❖ **IsEmpty:** Checks if the queue is empty.

- Compare the front and rear pointers. If they are equal, the queue is empty.
- ❖ IsFull: Checks if the queue is full.
  - Compare  $(\text{rear} + 1) \% \text{maxSize}$  with front. If they are equal, the queue is full.
- ❖ Size: Returns the number of elements currently in the queue.
  - Calculate the size by subtracting the front pointer from the rear pointer and adding 1.

#### 4. What is sorting? Describe the Insertion.

Answer:

Sorting is the process of arranging a collection of elements in a specific order. The order can be ascending or descending, depending on the sorting criteria. Sorting is a fundamental operation in computer science and is used in various applications. There are numerous sorting algorithms available, each with its own characteristics and performance trade-offs. Commonly used sorting algorithms include insertion sort, selection sort, bubble sort, merge sort, quicksort, and heapsort. These algorithms employ different strategies and techniques to rearrange the elements efficiently and achieve the desired order.

Insertion sort is a simple sorting algorithm that builds the final sorted array one element at a time. It works by iterating through the input array and repeatedly inserting each element into its correct position within the sorted part of the array.

Here's a step-by-step description of the insertion sort algorithm:

- Starting with the second element (index 1) of the array, compare it with the elements before it in the sorted section.
- If the current element is smaller (or larger, depending on the sorting order) than the previous element, shift the previous element one position to the right to make room for the current element.
- Repeat step 2 until you find the correct position for the current element.
- Insert the current element into its correct position in the sorted section.

- Move to the next element and repeat steps 2 to 4 until all elements are in their correct positions.

This process gradually builds the sorted section from left to right until the entire array is sorted.

## 5. What are the difference between two dimension array and multidimensional array?

Answer:

	Two-Dimensional Array	Multidimensional Array
Definition	An array of arrays, where each element is itself an array with two dimensions.	An array with more than two dimensions, where each element can have multiple dimensions.
Dimensions	It has exactly two dimensions (rows and columns).	It can have any number of dimensions (three or more).
Accessing Elements	Elements are accessed using two indices: row index and column index.	Elements are accessed using multiple indices, corresponding to the number of dimensions in the array.
Memory Allocation	Memory is allocated in a contiguous block, with each row being stored sequentially in memory.	Memory can be allocated in various ways, depending on the programming language and implementation. It may or may not be stored contiguously.
Size	The size of a two-dimensional array is specified by the number of rows and columns.	The size of a multidimensional array is specified by the number of elements in each dimension.
Shape	The shape of a two-dimensional array is rectangular, with rows and columns forming a grid.	The shape of a multidimensional array can be irregular, with dimensions of different sizes.
Applications	Commonly used for representing matrices, grids, tables, and images.	Used in various domains, such as scientific computing, image processing, and data analysis, where data can have more than two dimensions.

**6. Explain the infix to post fix conversion algorithm.**

Answer:

The infix to postfix conversion algorithm, also known as the Shunting Yard algorithm, is used to convert an arithmetic expression from infix notation to postfix notation. In postfix notation, also known as Reverse Polish Notation (RPN), operators are placed after their operands.

Here's a step-by-step explanation of the infix to postfix conversion algorithm:

- ❖ Create an empty stack to store operators.
- ❖ Scan the infix expression from left to right.
- ❖ If the scanned token is an operand (number), append it to the output (postfix) expression.
- ❖ If the scanned token is an opening parenthesis '(', push it onto the stack.
- ❖ If the scanned token is an operator:
  - While the stack is not empty and the top of the stack is an operator with higher or equal precedence than the current token, pop operators from the stack and append them to the output expression.
  - Push the current operator onto the stack.
- ❖ If the scanned token is a closing parenthesis ')':
  - Pop operators from the stack and append them to the output expression until an opening parenthesis is encountered. Discard both the opening and closing parentheses.
- ❖ After scanning the entire expression, pop any remaining operators from the stack and append them to the output expression.
- ❖ The resulting expression in postfix notation is the desired output.

**7. What do you mean by double linked list? Explain with example.**

Answer:

A doubly linked list is a type of linked list where each node contains two references: one pointing to the next node and another pointing to the previous node. This bidirectional connection allows for efficient traversal in both forward and backward directions within the list. Each node in the doubly linked list holds a data element and two references, Next and Prev. The Next reference points to the next node in the list, while the Prev reference points to the previous node. The doubly linked list starts with a head node and ends with a tail node, with each node maintaining connections to its adjacent nodes. The advantage of a doubly linked list is that it enables faster backward traversal compared to a singly linked list. However, it requires additional memory to store the extra Prev references. Doubly linked lists are commonly used in scenarios where efficient bidirectional traversal is necessary, such as implementing iterators, maintaining sorted lists, or implementing data structures like doubly ended queues.

**8. Differentiate between pre-order traversal and in order traversal.**

Answer:

Pre-order traversal and in-order traversal are two common techniques used to traverse binary trees. Here's a comparison between the two:

❖ **Pre-order Traversal:**

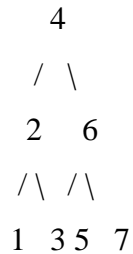
- In pre-order traversal, the root node is visited first, followed by the traversal of the left subtree, and then the right subtree.
- The order of operations in pre-order traversal is: Root - Left - Right.
- Pre-order traversal is useful for creating a copy of a binary tree, evaluating expressions in prefix notation, and performing depth-first searches.

❖ **In-order Traversal:**

- In in-order traversal, the left subtree is traversed first, followed by visiting the root node, and then the right subtree.
- The order of operations in in-order traversal is: Left - Root - Right.

- In-order traversal is useful for producing a sorted output from a binary search tree, retrieving elements in ascending order, and evaluating expressions in infix notation.

To illustrate the difference, let's consider the following binary tree:



Pre-order traversal: 4 -> 2 -> 1 -> 3 -> 6 -> 5 -> 7

In-order traversal: 1 -> 2 -> 3 -> 4 -> 5 -> 6 -> 7

As seen in the example, the order of visiting nodes differs between pre-order and in-order traversals. Pre-order traversal visits the root node first, while in-order traversal visits the left subtree before the root.

## Group - C

### 1. What is Postfix expression? Convert infix expression $a+(b+c*(d+e))+f/g$ .

Answer:

In a postfix expression, operators come after their operands in mathematical notation. Postfix expressions, also referred to as Reverse Polish Notation (RPN), do not require parentheses to denote the order of operations.

You may use the postfix notation rules to change the infix expression " $a+(b+c*(d+e))+f/g$ " into a postfix expression:

1.  $a+(b+c*(d+e))+f/g$   
 $\rightarrow (a+(b+c*(d+e))+f/g)$

Symbol	Stack	Expression
(	(	
a	(	a
+	( +	a
(	( + (	a
b	( + (	ab
+	( + ( +	ab
c	( + ( +	abc
*	( + ( + *	abc
(	( + ( + * (	abc
d	( + ( + * ( d	abcd
+	( + ( + * ( +	abcde
e	( + ( + * ( + e	abcde
)	( + ( + * +	abcde +
)	( + +	abcde + * +
+	( + +	abcde + * + +
f	( + +	abcde + * + + f
/	( + /	abcde + * + + f /
g	( + /	abcde + * + + f / g
)	-	abcde + * + + f / g +

**2. Differentiate between singly linked list and doubly linked list. How do you insert and delete a node from doubly linked list.**

Answer:

SN	Singly Linked List	Doubly Linked List
1.	A single linked list is a list of nodes in which node has two parts, the first part is the data part, and the next part is the pointer pointing to the next node in the sequence of nodes.	A doubly linked list is also a collection of nodes in which node has three fields, the first field is the pointer containing the address of the previous node, the second is the data field, and the third is the pointer containing the address of the next node.
2.	The singly linked list can be traversed only in the forward direction.	The doubly linked list can be accessed in both directions.
3.	It utilizes less memory space.	It utilizes more memory space.
4.	It can be implemented on the stack.	It can be implemented on stack, heap and binary tree.
5.	It requires only one list pointer variable, i.e., the head pointer pointing to the first node.	It requires two list pointer variables, head and last. The head pointer points to the first node, and the last pointer points to the last node of the list.
6.	It is less efficient as compared to a doubly-linked list.	It is more efficient.

Insertion in a Doubly Linked List: To insert a node in a doubly linked list, follow these steps:

- Create a new node with the desired data.
- Set the "next" pointer of the new node to point to the next node in the list.
- Set the "previous" pointer of the new node to point to the previous node.
- Update the "next" pointer of the previous node to point to the new node.
- Update the "previous" pointer of the next node to point to the new node.

Deletion in a Doubly Linked List: To delete a node from a doubly linked list, follow these steps:



- Find the node to be deleted.
- Update the "next" pointer of the previous node to skip the node to be deleted.
- Update the "previous" pointer of the next node to skip the node to be deleted.
- Free the memory occupied by the node to be deleted.

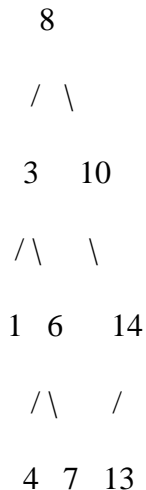
Note: Special cases need to be considered when deleting the head or tail nodes, such as updating the head or tail pointers accordingly.

### **3. What is binary search tree? Explain with an example. Write an algorithm to search, insert and delete node in binary search tree.**

Answer:

A binary search tree (BST) is a type of binary tree in which the values or keys of nodes are ordered. It follows the property that for any node, all nodes in its left subtree have values smaller than the node, and all nodes in its right subtree have values greater than the node.

Example of a binary search tree:



In this example, the values in the left subtree of any node are smaller than the node's value, and the values in the right subtree are greater. For instance, the left subtree of the root (8) contains nodes with values 3, 1, 6, 4, and 7, all smaller than 8.

Algorithm for Searching a Node in a Binary Search Tree:

Start at the root node.

- If the root is null or the key matches the root's value, return the root.

- If the key is less than the root's value, recursively search in the left subtree.
- If the key is greater than the root's value, recursively search in the right subtree.
- Repeat steps 2-4 until the key is found or the subtree becomes null.
- If the key is not found, return null.

Algorithm for Inserting a Node in a Binary Search Tree:

Start at the root node.

- If the tree is empty, create a new node with the given key as the root.
- If the key is less than the root's value, recursively insert in the left subtree.
- If the key is greater than the root's value, recursively insert in the right subtree.
- Repeat steps 3-4 until an appropriate empty position is found.

Create a new node with the given key and attach it to the appropriate position based on the comparisons made.

Algorithm for Deleting a Node from a Binary Search Tree:

Start at the root node.

- If the tree is empty, return the tree as it is.
- If the key is less than the root's value, recursively delete from the left subtree.
- If the key is greater than the root's value, recursively delete from the right subtree.
- If the key matches the root's value, there are three cases: a) If the node to be deleted has no children, simply remove the node. b) If the node to be deleted has only one child, replace the node with its child. If the node to be deleted has two children, find the minimum value in the right subtree (or maximum value in the left subtree), replace the node's value with that minimum (or maximum) value, and recursively delete that minimum (or maximum) node from the right (or left) subtree.

Return the modified tree.

It's important to handle edge cases such as deleting the root node, updating parent-child links, and considering the different scenarios mentioned above while implementing these algorithms.

**4. What are external and internal sorting? Explain partition strategies of Merge sort and Quick sort. Trace these sort algorithms for following data: 11 45 61 33 55 9 83 25.**

Answer:

**External Sorting:** External sorting is a sorting technique used when the data to be sorted is too large to fit in the main memory (RAM) of a computer. It involves reading the data from an external storage device (such as a hard disk) in chunks, sorting the chunks in memory, and then merging the sorted chunks back into the external storage.

**Internal Sorting:** Internal sorting is a sorting technique used when the entire data set can fit into the main memory (RAM) of a computer. It involves performing sorting operations directly on the data in memory.

**Partition Strategies for Merge Sort:** Merge sort is a divide-and-conquer algorithm that divides the input list into smaller sub lists, sorts them, and then merges them back together to obtain the final sorted list. The partition strategy in merge sort involves dividing the list into two halves recursively until each sublist contains only one element, and then merging the sublists in a sorted manner.

**Partition Strategies for Quick Sort:** Quick sort is also a divide-and-conquer algorithm that selects a pivot element and partitions the list into two sublists: one with elements smaller than the pivot and another with elements greater than the pivot. The partition strategy in quick sort involves selecting a pivot element and rearranging the list such that all elements smaller than the pivot are placed before the pivot, and all elements greater than the pivot are placed after the pivot. This partitioning process is performed recursively on the sublists until the entire list is sorted.

Trace of Merge Sort and Quick Sort for the given data [11, 45, 61, 33, 55, 9, 83, 25]:

**Merge Sort:**

Initial list: [11, 45, 61, 33, 55, 9, 83, 25]

Divide the list into two halves: Left sublist: [11, 45, 61, 33] Right sublist: [55, 9, 83, 25]

Recursively divide the sublists: Left sublist: [11, 45] Right sublist: [61, 33] Left sublist: [11] Right sublist: [45] Left sublist: [61] Right sublist: [33]

Merge the sorted sublists: Left sublist: [11, 45] Right sublist: [33, 61] Merged sublist: [11, 33, 45, 61] Left sublist: [9, 55] Right sublist: [25, 83] Merged sublist: [9, 25, 55, 83]

Merge the final sublists: Left sublist: [11, 33, 45, 61] Right sublist: [9, 25, 55, 83] Merged sublist: [9, 11, 25, 33, 45, 55, 61, 83]

Quick Sort:

Initial list: [11, 45, 61, 33, 55, 9, 83, 25]

Select a pivot element, let's choose 33.

Partition the list: Left sublist (smaller than pivot): [11, 9, 25] Pivot element: [33] Right sublist (greater than pivot): [45, 61, 55, 83]

Recursively apply quick sort on the sublists: Left sublist: [11, 9, 25]

Select pivot: 9

Partition: [9], [11, 25]

Sorted sublist: [9, 11, 25] Right sublist: [45, 61, 55, 83]

Select pivot: 45

Partition: [45], [61, 55, 83]

Select pivot: 61

Partition: [55], [61, 83]

Sorted sublist: [55, 61, 83]

Merge the sorted sublists: Left sublist: [9, 11, 25] Right sublist: [45, 55, 61, 83] Merged sublist: [9, 11, 25, 45, 55, 61, 83]

Both Merge sort and Quick sort provide a sorted list as the final output. Merge sort has a time complexity of  $O(n \log n)$ , while Quick sort has an average time complexity of  $O(n \log n)$ , but it can have a worst-case time complexity of  $O(n^2)$  in certain scenarios.

**5. Define Queue. Write are different applications of queue? Explain queue operations with example.**

Answer:

A queue is a linear data structure that follows the FIFO (First-In-First-Out) principle. It represents a collection of elements in which an element is added to the end of the queue, and the element that has been in the queue the longest is removed from the front. In other words, it operates like a real-world queue or line of people, where the person who arrives first is the first to leave.

Applications of queues:

- Job scheduling: Queues are commonly used in operating systems to schedule and manage jobs. Each job is placed in a queue, and the operating system processes the jobs in the order they were added.
- Printer spooling: When multiple users send print requests to a printer, a queue is used to manage the print jobs. The printer processes the jobs one by one in the order they were received.
- BFS (Breadth-First Search) algorithm: Queue data structure is used in graph algorithms like BFS, where it helps in traversing and exploring the graph level by level.
- Handling requests in web applications: Queues are often used to manage incoming requests in web applications. Each request is added to a queue, and the server processes the requests sequentially.

Basic operations on a queue:

- Enqueue: Adds an element to the end of the queue.
- Dequeue: Removes and returns the element from the front of the queue.
- Front: Returns the element at the front of the queue without removing it.
- IsEmpty: Checks if the queue is empty.
- Size: Returns the number of elements in the queue.

Here's an example implementation of a queue in Java:

```
import java.util.LinkedList;

public class QueueExample {

    public static void main(String[] args) {
```

```
Queue<String> queue = new Queue<>();

queue.enqueue("John");

queue.enqueue("Alice");

queue.enqueue("Bob");

System.out.println("Queue elements: " + queue);

String frontElement = queue.front();

System.out.println("Front element: " + frontElement);

String dequeuedElement = queue.dequeue();

System.out.println("Dequeued element: " + dequeuedElement);

System.out.println("Updated queue: " + queue);
}

static class Queue<T> {

    private LinkedList<T> list;

    public Queue() {

        list = new LinkedList<>();

    }

    public void enqueue(T element) {

        list.addLast(element);

    }

    public T dequeue() {

        return list.pollFirst();

    }

    public T front() {
```

```
        return list.peekFirst();
    }

    public boolean isEmpty() {
        return list.isEmpty();
    }

    public int size() {
        return list.size();
    }

    @Override
    public String toString() {
        return list.toString();
    }
}
```

Output:

Queue elements: [John, Alice, Bob]

Front element: John

Dequeued element: John

Updated queue: [Alice, Bob]

## **6. What is linked list? Explain the process of inserting and removing nodes from a linked list.**

Answer:

A linked list is a data structure that consists of a sequence of nodes, where each node contains a data element and a reference (or link) to the next node in the sequence. Unlike arrays, linked lists do not have a fixed size and can dynamically grow or shrink as nodes are added or removed.

The process of inserting and removing nodes from a linked list involves updating the links between nodes to maintain the correct sequence and connections. Let's explore the steps for inserting and removing nodes in a linked list:

Inserting a Node:

- To insert a node at the beginning of the linked list, create a new node with the given data.
- Set the link of the new node to the current first node of the list.
- Update the head of the linked list to point to the new node.
- To insert a node at the end of the linked list, create a new node with the given data.
- Traverse the linked list from the head until reaching the last node.
- Set the link of the last node to the new node.
- To insert a node at a specific position (after a given node), create a new node with the given data.
- Set the link of the new node to the next node of the given node.
- Update the link of the given node to point to the new node.

Removing a Node:

- To remove the first node from the linked list, update the head to point to the second node (the current first node).
- To remove the last node from the linked list, traverse the list from the head until reaching the second-to-last node.
- Set the link of the second-to-last node to null, indicating it is the new last node.
- To remove a node at a specific position (after a given node), update the link of the previous node to point to the next node of the given node.

The process of inserting and removing nodes in a linked list involves updating the links between nodes, ensuring proper connections are maintained. Linked lists provide efficient insertion and



removal operations, especially when compared to arrays, as they do not require shifting elements to accommodate changes in size. However, accessing elements in a linked list is slower compared to arrays, as it requires traversing the list from the head to the desired position.

## **7. Discuss depth first and breadth first traversal of a graph with suitable example.**

Answer:

Depth First Traversal (DFS) and Breadth First Traversal (BFS) are two popular algorithms used for traversing graphs. Let's discuss each traversal method with a suitable example:

**Depth First Traversal (DFS):** DFS explores a graph by going as deep as possible along each branch before backtracking. It uses a stack (either explicit or implicit through recursion) to keep track of the nodes to visit.

Here's an example of DFS on a graph:

```
A
 / \
B   C
 / \ \
D  E  F
```

A. DFS starting from node A: A -> B -> D -> E -> C -> F

In DFS, we start at a given node (in this case, node A) and visit its adjacent unvisited nodes until we reach a leaf node. If there are any unvisited nodes adjacent to the current node, we pick one and repeat the process. If there are no unvisited adjacent nodes, we backtrack to the previous node and continue exploring.

**Breadth First Traversal (BFS):** BFS explores a graph by visiting all the neighbors of a node before visiting their neighbors. It uses a queue to keep track of the nodes to visit.

Here's an example of BFS on a graph:

```
A
 / \
```

B C

/\ \

D E F

B. BFS starting from node A: A -> B -> C -> D -> E -> F

In BFS, we start at a given node (in this case, node A) and visit all its adjacent unvisited nodes before moving on to the next level. It explores the graph level by level, visiting nodes in the order they were encountered.

BFS is often used for finding the shortest path in an unweighted graph, as it guarantees that the shortest path between two nodes will be found when the graph is traversed layer by layer.

Both DFS and BFS have their own advantages and applications based on the specific problem at hand. DFS is typically used for exploring or searching deeper into a graph, while BFS is commonly used for problems involving finding the shortest path, connected components, or level-order traversal.

Note: The order of visited nodes may vary based on the implementation or the specific graph structure. The examples provided demonstrate the general idea of DFS and BFS traversal but the actual implementation may differ.

### **Group – D**

**1) Design a program to implement a stack data structure using Java programming.**

**Questions:**

- i. Write an algorithm to push an element onto the stack and explain the steps involved.**
- ii. Write a Java code to implement the push() method in the stack.**
- iii. Discuss the time complexity of the push() method and suggest possible improvements to optimize the performance of the stack data structure.**

**Answer:**

**An Algorithm to push an element onto the stack and explain the steps involved**

To push an element onto a stack, follow these steps:

1. Create a new node with the given element.
2. Set the **next** pointer of the new node to point to the current top of the stack.
3. Update the top of the stack to be the new node.
4. Increment the size of the stack (if maintaining size is required).

Here's the algorithm for pushing an element onto a stack:

push(element):

1. Create a new node with the given element.
2. Set the 'next' pointer of the new node to the current top of the stack.
3. Set the new node as the new top of the stack.
4. Increment the size of the stack (optional).

**Java code to implement the push() method in the stack**

```
public class Stack {  
    private int[] stackArray;  
    private int top;  
    private int maxSize;  
  
    public Stack(int maxSize) {  
        this.maxSize = maxSize;  
        stackArray = new int[maxSize];  
    }  
}
```

```

        top = -1;
    }

    public void push(int element) {
        if (top == maxSize - 1) {
            System.out.println("Stack is full. Cannot push element.");
            return;
        }
        top++;
        stackArray[top] = element;
    }

    public static void main(String[] args) {
        Stack stack = new Stack(5);
        stack.push(10);
        stack.push(20);
        stack.push(30);
        stack.push(40);
        stack.push(50);
        stack.push(60);
    }
}

```

**Discuss the time complexity of the push() method and suggest possible improvements to optimize the performance of the stack data structure**

Answer:

The time complexity of the push() method in a stack implemented using an array is  $O(1)$  or constant time. This is because pushing an element onto the stack involves simply incrementing the top index and assigning the element to the corresponding position in the array. The time complexity remains constant regardless of the size of the stack.

To optimize the performance of the stack data structure, here are some possible improvements:

- Use a dynamic array or resizable array: Instead of having a fixed-size array, you can use a dynamic array that automatically grows in size when needed. This way, you can avoid running out of space and having to handle stack overflow conditions. The resizing operation can be performed when the array is full, and a new array of larger size is created, and the elements are copied over.
- Implement the stack using a linked list: Linked lists provide dynamic memory allocation and can grow or shrink as needed. By implementing the stack using a linked list, you can eliminate the need for resizing and efficiently handle insertions and deletions at both ends of the list (pushing and popping elements).
- Use a circular array: Instead of a traditional linear array, a circular array can be used to optimize the space utilization. By reusing the empty slots in the array, a circular array reduces the chances of running out of space and allows for efficient utilization of memory.
- Consider using a dynamic resizing strategy: If you are using a fixed-size array, you can implement a dynamic resizing strategy where the array grows or shrinks based on the number of elements in the stack. This can help optimize the memory usage and accommodate varying workload sizes.

## 2) Design a program to implement a queue data structure using Java programming.

### Questions:

- Write an algorithm to Enqueue an element into a queue and explain the steps involved.
- Write a Java code to implement the enqueue () method in a queue.
- Discuss the time complexity of the enqueue () method and suggest possible improvements to optimize the performance of the queue data structure.

Answer:

### **An algorithm to Enqueue an element into a queue and explain the steps involved**

To Enqueue an element into a queue, follow these steps:

1. Create a new node with the given element.
2. If the queue is empty, set both the **front** and **rear** pointers to the new node.
3. Otherwise, set the **next** pointer of the current **rear** node to point to the new node.

4. Update the **rear** pointer to be the new node.
5. Increment the size of the queue (if maintaining size is required).

By following these steps, the new element is added to the end of the queue, becoming the new rear node. If the queue was initially empty, both the front and rear pointers are set to the new node. This process maintains the FIFO (First-In-First-Out) property of the queue.

### **Java code to implement the enqueue() method in a queue.**

```
public class Queue {  
  
    private Node front;  
  
    private Node rear;  
  
    private int size;  
  
    private class Node {  
  
        int data;  
  
        Node next;  
  
        public Node(int data) {  
  
            this.data = data;  
  
            this.next = null;  
  
        }  
    }  
  
    public Queue() {  
  
        front = null;  
  
        rear = null;  
  
        size = 0;  
  
    }  
  
    public void enqueue(int element) {  
  
        Node newNode = new Node(element);  
  
        if (isEmpty()) {
```

```

        front = newNode;

        rear = newNode;

    } else {

        rear.next = newNode;

        rear = newNode;

    }

    size++;

}

public boolean isEmpty() {

    return size == 0;

}

public static void main(String[] args) {

    Queue queue = new Queue();

    queue.enqueue(10);

    queue.enqueue(20);

    queue.enqueue(30);

    queue.enqueue(40);

    queue.enqueue(50);

}

}

```

**Discuss the time complexity of the enqueue () method and suggest**

**Possible improvements to optimize the performance of the queue data structure.**

The time complexity of the **enqueue ()** method in a queue implemented using a singly linked list is O (1) or constant time. This is because enqueueing an element involves updating the **rear** pointer and creating a new node, which can be done in constant time regardless of the size of the queue.

To optimize the performance of the queue data structure, here are some possible improvements:

1. Use a doubly linked list: By using a doubly linked list instead of a singly linked list, you can improve the efficiency of certain operations like dequeuing from the rear end. This allows for constant time updates of both the **front** and **rear** pointers during enqueue and dequeue operations.
2. Implement the queue using a circular buffer: A circular buffer (also known as a circular queue) can be used to implement the queue data structure. This allows for efficient utilization of the underlying array, as it can wrap around and reuse vacant spaces. Enqueue and dequeue operations in a circular buffer can be performed in constant time, regardless of the size of the queue.
3. Use dynamic resizing: If the size of the queue is expected to vary greatly or is unknown, consider using a dynamic resizing strategy. This involves resizing the underlying array or linked list when needed to accommodate more elements. This can help optimize memory usage and avoid unnecessary resizing operations.
4. Consider using a priority queue: If the elements in the queue have associated priorities, a priority queue can be used instead. A priority queue ensures that the elements are stored and retrieved based on their priority, allowing for efficient processing of higher-priority elements.