

## Functions that often appear in algorithm analysis:

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Constant  $\approx 1$   
Logarithmic  $\approx \log n$   
Linear  $\approx n$   
N-Log-N  $\approx n \log n$   
Quadratic  $\approx n^2$   
Cubic  $\approx n^3$   
Exponential  $\approx 2^n$

## Algorithm Pseudo-code Example - Finding max element from an array

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### **arrayMax(A,n):**

**Input:** An array A storing  $n \geq 1$  integers

**Output:** Maximum element in A

current\_max  $\leftarrow A[0]$

**for** i  $\leftarrow$  to n-1 **do**

**if** current\_max < A[i] **then**

        current\_max  $\leftarrow A[i]$

**return** current\_max

## The Stack Abstract Data Type

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Stacks are the simplest of all data structures, yet they are also among the most important. They are used in a host of different applications, and as a tool for many more sophisticated data structures and algorithms.

Formally, a stack is an abstract data type (ADT) such that an instance S supports the following two methods:

**S.push(e):** Add element e to the top of stack S.

**S.pop( ):** Remove and return the top element from the stack S;

an error occurs if the stack is empty.

Additionally, let us define the following accessor methods for convenience:

**S.top( ):** Return a reference to the top element of stack S, without removing it; an error occurs if the stack is empty.

**S.is empty( ):** Return True if stack S does not contain any elements.

**len(S):** Return the number of elements in stack S; in Python, we implement this with the special method len .