

CSPP51036

Fall 2009

Homework 2

Due: Mon. Oct 25, 5:30pm

1. Use the `java.util.Currency` class to write a program that takes as input a valid ISO 4217 currency code (Google it -- e.g. "USD", etc.) and prints out the currency "symbol" (e.g. "\$").

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2.. Write a class `MutableString.java` that supports the basic `java.lang.String` API but that also contains a `set` method (to change the value of the `String`). You should do this by leveraging the `String` class. I do not expect you to recode all of the basic `String` functionality. Include a main program to demonstrate this functionality.

Also, I say "basic" `String` functionality because it is not necessary to support every method in `java.lang.String`. Picking your favorite five or so as fine as long as it is clear how the others could be included via the same strategy. hint: Your class should be very small. If approached correctly this is a ten minute exercise.

Also, yes, I realize that `java.lang.String` is `final`.

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3.

a. Create a very simple `Student` class with some appropriate constructors, a few methods, etc. Include a `gpa` field.

b. Create and initialize an array of students and use the built-in `Arrays.sort` method to sort by `gpa`.

c. Use `Arrays.sort` to then randomly scramble the list (be careful).

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4. Write a simple sort method in java (bubble sort is fine) that can sort 1d arrays of arbitrary objects. You decide how this is all set up, what requirements are placed on an object such that it can be used with your sort method, etc. This should be more of a design than a coding exercise (since bubble sort is trivial). Be sure to document your method so that it is clear how it is used.

\*Note that the java library contains such a capability. I would like you to create your own to confront the design issues that arise when doing this in java.

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5. It is often not possible to analytically solve a simple algebraic equation. For a simple case such as

$$f(x) = x^2 + 5x + 6 = 0$$

we can "factor" the equation

$$f(x) = (x+2)(x+3) = 0$$

so that the solution ("roots") are obvious ( $x=-2$  and  $x=-3$ ).

In most cases though the equation cannot be factored and we rely on numerical techniques to find the roots.

The most popular such technique is called Newton Raphson.

It is very simple and pretty reliable and efficient for many well behaved

cases. The algorithm is as follows:

(1) start with a guess  $x_0$

(2) correct the guess with the x-intercept of the line that passes through  $x_0$  and whose slope is the local tangent to  $f$

(3) repeat until convergence

step (2) requires computing the derivative of  $f$  at point  $x_0$  (since the derivative is the local slope). This can be done many ways and is obviously unique to each  $f(x)$ . The point of this

exercise is to write the Newton Raphson code generally, allowing

the user to "pass in" the function that computes both the derivative

and the value of the function at  $x_0$ . In Java this is done using

interfaces, as discussed in class.

a) Write a Newton-Raphson root finder for an arbitrary function  $f$ .

b) Test this for a specific  $f(x)$ . Something very simple like  $(x-2)^2$

is fine. (The derivative is just  $2x-4$ ).