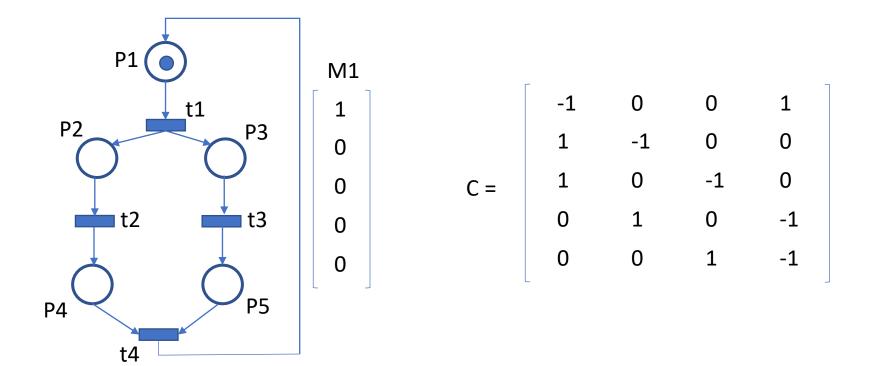
Lab 8. Invarianti de tip P si T Metode algebrice de analiza

Cuprins

- 1) Invarianti T
- 2) Invarianti P



```
m=5 (nr de locatii)

n=4 (nr de tranzitii)

m-rang(C)=5-3=2 !=0 => exista invarianti P

n-rang(C)=4-3=1 !=0 => exista invarianti T
```

Invarianti P

$$\begin{vmatrix} -1 & 0 & 0 & 1 \\ 1 & -1 & 0 & 0 \\ [y1 y2 y3 y4 y5] * & 1 & 0 & -1 & 0 \\ 0 & 1 & 0 & -1 \\ 0 & 0 & 1 & -1 \end{vmatrix} = 0$$

Nedeterminarea se rezolva dand valori intregi cat mai mici, in afara de solutia banala

Verificare invariant P

Cu invariantii Y putem verifica daca o anumita stare ar fi posibila in reteaua analizata

YT*M0=YT*M1=ct.
$$\begin{bmatrix} 2 & 1 & 1 & 1 & 1 \\ 2 & 1 & 1 & 1 & 1 \end{bmatrix} * \begin{bmatrix} 1 \\ 0 \\ 0 \\ 0 \end{bmatrix} = \begin{bmatrix} 2 & 1 & 1 & 1 & 1 \end{bmatrix} * \begin{bmatrix} 0 \\ 1 \\ 1 \\ 0 \\ 0 \end{bmatrix} = 2$$

$$\left[\begin{array}{c} 2 \ 1 \ 1 \ 1 \\ 0 \\ 0 \\ 0 \\ 0 \end{array} \right] = \left[\begin{array}{c} 2 \ 1 \ 1 \ 1 \ 1 \end{array} \right] * \left[\begin{array}{c} 1 \\ 0 \\ 1 \\ 1 \\ 0 \end{array} \right] = > 2 \ != 3 \Rightarrow \mathsf{Marcajul\ nu\ este\ posibil\ }$$

Invarianti T

Nedeterminarea se rezolva dand valori intregi cat mai mici, in afara solutiei banale (vectorul nul)

SuportX={t1,t2,t3,t4} secventa de tranzitii care ne duce sistemul in starea initiala **M0**, t1, t2, t3, t4, **M0**