(1.) a) 
$$\sigma = q(\mu_n n + \mu_p p) \approx q \mu_n n \approx q \mu_n N_0 \Rightarrow N_0 = \frac{\sigma}{q \mu_n}$$

$$0 = \frac{1}{3} \implies N_0 = \frac{1}{5} = \frac{1}$$

b) 
$$n_o = N_c e^{-\frac{(E_c - E_F)/KT}{V \cdot S}}$$

$$\Rightarrow E_c - E_F = KT \ln \frac{N_c}{N_o} = 164 \text{ meV}$$

$$E_{c} \longrightarrow f(E_{o}) = \frac{1}{1 + e^{(E_{o} - E_{F})/kT}} = 0.012$$

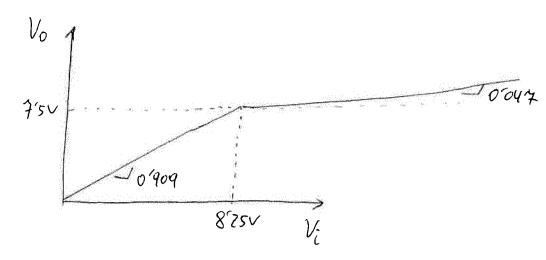
$$E_{o}-E_{F}=(E_{c}-E_{F})-(E_{c}-E_{o})=114$$
 meV

a) 
$$V_i = 000 \Rightarrow 01,02 \text{ OFF} \Rightarrow V_0 = \frac{R_L}{R_s + R_L} \cdot V_i = 0.909 V_i = V_0$$

La rama de los diedos comienza or conducir (con el Tanon en invera) a partir de que  $V_0 \ge V_2 + V_2 = 7'5V$ Esto sucede pora una Vi = Vo - 875V Desde en terrier:

$$\frac{V_{i}-V_{o}}{R_{S}} = \frac{V_{o}-(V_{2}+V_{b2})}{R_{2}+R_{o2}} + \frac{V_{o}}{R_{L}}$$

$$\frac{V_{i}}{1 \text{Kn}} = V_{o} \left( \frac{1}{1 \text{Kn}} + \frac{1}{50n} + \frac{1}{10 \text{Kn}} \right) - \frac{7^{c} \text{SV}}{50n} = V_{o} = 0'047 V_{i} + 7'109 V_{i}$$



b) 
$$I_{D2} = 5mA \Rightarrow \frac{V_0 - (V_2 + V_{S2})}{R_2 + R_{D2}} = 5mA \Rightarrow$$

El led  $\approx$  enciende para  $V_i \ge 13638 V/$ 

(3.) 
$$V_0 = 6V \Rightarrow R_0 = \frac{10V - 6V}{0.8mA} = \frac{5KR}{}$$

$$V_{i} = \begin{cases} R_{G} & R_{G} \\ V_{i} & S \end{cases}$$

$$S = \begin{cases} P_{g} | R_{i} \\ V_{i} & S \end{cases}$$

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$$\left(1+\frac{1}{q_{m}(R_{s}||R_{l})}\right)\left(V_{s}\right)=V_{i}\Rightarrow V_{o}=\frac{q_{m}\left(R_{s}||R_{l}\right)}{V_{i}}$$

$$V_{s}>V_{o}$$

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$$V_{s}>V_{o}$$

$$\langle \Rightarrow | \frac{V_o}{V_i} = 0/39$$

$$V_{E} = J_{E} \cdot R_{E} = (\beta_{7} + i) J_{8} \cdot R_{E} = 4'05V \Rightarrow V_{C} = 7'05V$$

$$R_{C} = \frac{10V - 7'05V}{J_{C}} = \frac{2'95KN}{J_{C}}$$

$$= \frac{10V - 7'05V}{J_{C}} = \frac{10V - 7'05V}{J_{C$$

c)
$$\sqrt{\frac{1}{2}} R_{c} R$$