$\times (A \cup B) = (\times \setminus A) \cap (\times \setminus B)$

 $X \setminus (A \cup B) = \{x \in X \mid x \notin A \land x \notin B\}$ $X \setminus A = \{x \in X \mid x \notin A\}$

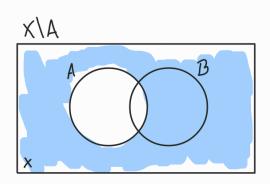
X\B = {xex | xeB}

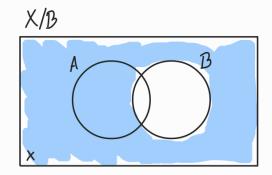
{*EX| * # A 1 * # B} = { *EX | * # A 1 * # B}

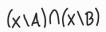
 $\times \setminus (A \cap B) = (\times \setminus A) \cup (\times \setminus B)$

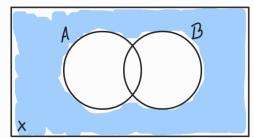
X\(ANB)={*EX|*#A V *#B}
(X\A)U(X\B)={*EX|*#A V *#B}

{*EX|*#AV *#B}= {*EX|*#AV *#B}

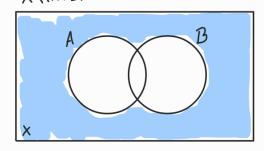




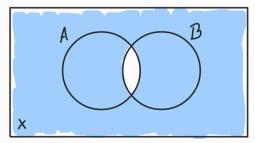




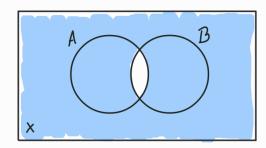
X\(AUB)



 $(x \setminus A) U (x \setminus B)$



X\(ANB)



$$\sum_{i=0}^{n-1} q^i = \frac{1-q^n}{1-q^n}$$

h=k

$$\sum_{i=0}^{k-1} q^{i} = \frac{1-q^{k}}{1-q^{k}} \implies \sum_{i=0}^{k} q^{i} = \frac{1-q^{k+1}}{1-q^{k}}$$

$$= \sum_{i=0}^{k} q^{i} = \frac{1-q^{k}}{1-q^{k}} + q^{k} = \frac{1-q^{k}+q^{k}-q^{k+1}}{1-q^{k}} = \frac{1-q^{k+1}}{1-q^{k}}$$

$$\sum_{i=1}^{h} i^3 = \frac{1}{4} h^2 (h+1)^2$$

h=k

$$\sum_{i=1}^{k} i^3 = \frac{1}{4} k^2 (k+1)^2$$

$$\sum_{i=1}^{k+1} i^3 = \sum_{i=1}^{k} i^3 + (k+1)^3$$

$$=\sum_{k+1}^{k+1} i^3 = \frac{1}{4} (k+1)^2 \cdot k^3 + (k+1)^2 \cdot (k+1) = (k+1)^2 \cdot \frac{1}{4} (k^2 + 4k + 4)$$

$$=\sum_{i=1}^{k+1} i^3 = (k+1)^2 \cdot \frac{1}{4} (k+2)^2$$

$$= \sum_{k=0}^{k+1} i^{3} = \frac{1}{4} \left(k+1 \right)^{2} (k+2)^{2}$$

a)
$$\binom{h}{2} + \binom{h+1}{2} = h^{2}$$

$$LS = \frac{h(h-1)}{2} + \frac{(h+1)\cdot h}{2} = \frac{h^{2} \cdot h + h^{2} + h}{2} = \frac{2h^{2}}{2} = \frac{h^{2}}{2}$$

$$PS = h^{2}$$

$$LS = PS$$
b)
$$LS = 2\binom{h}{2} + h = 2\frac{h(h-1)}{2} + h = h(h-1) + h = h^{2} - h + h = \frac{h^{2}}{2}$$

$$PS = \frac{h^{2}}{2}$$

$$LS = PS$$

$$LS = PS$$

$$\frac{7)}{366!} = 0,2946$$

$$\frac{366^{30} \cdot (366-30)!}{366^{30} \cdot (366-30)!}$$

Pravdépodobnost, že alespon 2 studenti maji ha rozenihy ve stejhý deh je 70,53%.

Z toho vypliví, že některí země měli více než 3 posádky.

$$\frac{6!}{2} = \frac{360}{2}$$

Protože podmitka nim vyradi presni 1/2 kombiaci. Protože mime jen jeden blok.

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$$3^{7} = 2187$$

b)
$$\binom{7+3-1}{3-1} = \binom{n}{2} = \frac{36}{2}$$

12)

$$\bar{C} = 8.15!$$

12!-(3!5!+9!4!+10!3!-5!4!4!-6!5!3!-7!4!3!-5!4!3!3!) = 445 167 360