IC 152 LAB ASSIGNMENT

Students-

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Group Learnings-

- \blacktriangleright Learning the use of bitwise operators (& , | , ^ , ~ , << , >>)
- > Learning how to use print statement, and doing simple calculations on python.
- Learning how a decimal number is stored in 64 bit binary form.

```
1.
     (a) Code-
         >>>print(2|3)
         >>>bin(2)
            '0b10'
         >>>bin(3)
             '0b11'
       Explanation - Bitwise and(|) of 2 and 3 is '0b11' which is 3.
     (b) Code-
          n=int(input("Enter a natural number"))
          if (n&1) == 0:
                 print("Number is even")
          else:
                 print("Number is odd")
         Output-
         = RESTART: C:/Users/prate/AppData/Local/Programs/Python/Python312/python/odd even.py
         Enter a natural number42
         Number is even
         = RESTART: C:/Users/prate/AppData/Local/Programs/Python/Python312/python/odd even.py
Enter a natural number77
         Number is odd
     (c) <u>Code-</u>
         >>>print(24>>1)
             12
2. (a) Code-
        >>>print(27/8)
           3.375
    (b) Code-
        >>>print(27//8)
           3
    (c) Code-
         >>>print(27>>3)
        Explanation - Bitwise Right Shift operator (>>) shifts the bits
```

of binary notation of 27 (11011) to 3 places to the right, giving 00011 as result, which is 3 in decimal number system. (27>>3) effectively divides 27 by (2^3) which is 8, and rounds off to nearest integer. 27//8 also divides 27 by 8, and removes the remainder. Hence, the result is the same.

(d) Code-

(e) Code-

```
n=int(input("How many bits do you want in your binary
number"))
print("The binary number is", "1"*n)
b=0
for i in range(0,n):
    b=b+1*(2**i)
print("The decimal form of the number is", b)
print(bin(b))
```

Output-

```
>>>
= RESTART: C:/Users/prate/AppData/Local/Programs/Python/Python312/python/bin.py
How many bits do you want in your binary number4
The binary number is 1111
The decimal form of the number is 15
0b1111
>>>
= RESTART: C:/Users/prate/AppData/Local/Programs/Python/Python312/python/bin.py
How many bits do you want in your binary number6
The binary number is 111111
The decimal form of the number is 63
0b111111
```

3. (a) <u>Code-</u>

```
>>>print(-5,7)
-5 7
```

(b) Code-

```
>>>import math
>>>print(math.pow(1,3)+math.pow(12,3))
1729.0
>>>print(math.pow(9,3)+math.pow(10,3))
1729.0
```

4. (a) Code-

(b) Code-

```
>>>import math
>>>math.log2(4096)
12.0
```

(c) <u>Code-</u>

```
>>>a=2
>>>b=-7
>>>c=6
>>>D=(b**2)-4*a*c  #Discriminant
>>>root1=((-b)-D)/(2*a)
>>>root2=((-b)+D)/(2*a)
>>>print("The roots are",root1,",",root2)
    The roots are 1.5 , 2.0
```

- \bullet The number is -14.125 , so the first digit will be 1, as the number is negative.
- Now, print(14.125/(2**3)) gives 1.765625, so (e-1023)=3. Therefore e=1026. So 10000000010 is the 11 bit binary number.
- Now, (1+f)=1.765625, so f=0.765625.
- print(0.765625-0.5) gives 0.265625, which is >=0. So 1^{st} bit of remaining 52 bits is 1.
- print(0.265625-0.25) gives 0.015625, which is >=0. So 2^{nd} bit of remaining 52 bits is 1.
- Now, 0.015625 is 2^{-6} , so the $3^{\rm rd}$, $4^{\rm th}$ and $5^{\rm th}$ bits of remaining 52 bits will be 0, and the $6^{\rm th}$ will be 1. Remaining all other bits will be 0.

Verification-

- Now, 11 bits after the first one are 1000000010. So, $e=(1*2^{10})+(1*2^1)=1026$.
- \bullet 2e-1023 = 21026-1023 = 23 = 8
- First number is 1, so s=1.
- Now, $(-1)^1 * 8 * 1.765625 = -14.125$