

# Lesson 7: Exercises

## 7.1 For the unidimensional 01 knapsack problem,

$$z = \max \{px \mid wx \leq c, x \in \{0, 1\}^n\}$$

with

- $n = 5$
- $p = (5, 3, 2, 7, 4)$
- $w = (2, 8, 4, 2, 5)$
- $c = 10$

compute randomly  $m$  feasible solutions aiming to initialise a population of individuals for an evolutionary algorithm (genetic algorithms, ant colony, particle swarm optimisation, etc.).

Example of result with  $m = 5$ :

```
x = [0, 1, 0, 1, 0]
z = 10
x = [1, 0, 0, 1, 1]
z = 16
x = [1, 1, 0, 0, 0]
z = 8
x = [1, 0, 1, 1, 0]
z = 14
x = [1, 0, 1, 1, 0]
z = 14
```

Entrée [ ]:

## 7.2 Revise the exercise 7.1 in order to compute and display also

- the average value of  $z(x)$ , and
- the average number of variables at 1 in solutions

Entrée [ ]:

### 7.3 Revise the exercise 7.2 such that

- the value of  $n$  is randomly selected in  $[10, 500]$
- the value of  $m$  is randomly selected in  $[10, 100]$
- the  $n$  values of  $p$  and  $w$  are randomly selected in  $[1, 25]$
- the value of  $c$  is equal to  $(\sum_{i=1}^n w_i)/2$

Entrée [ ]:

### 7.4 Given the following range of values for $x$

$x = -10:10$

plot  $y = x^2$ .

Entrée [ ]:

### 7.5 Revise the exercise 7.3 in order to plot the values of $z(x)$ for all solutions generated.

Make sure that the graphic generated remains readable.

Example :



Entrée [ ]:

## 7.6 Execute the following code

```
using Plots; gr()
p1 = plot(x, x)
p2 = plot(x, x.^2)
p3 = plot(x, x.^3)
p4 = plot(x, x.^4)
plot(p1,p2,p3,p4,layout=(2,2),legend=false)
```

and then create a  $4 \times 1$  plot that uses `p1` , `p2` , `p3` , and `p4` as subplots.

Entrée [ ]: