

## Problem A

### Sum

Time Limit: 2 seconds

#### Problem Description

I have  $a$  New Taiwan Dollars in my pocket, and you have  $b$  New Taiwan Dollars in you pocket. Please write a program to compute how much money there is in our pockets in total.

#### Input Format

The first line contains an integer  $T$  indicating the number of test cases, where  $T \leq 25$ . Each test case has exactly one line. This line contains two integers  $a$  and  $b$  separated by a blank, where  $1 \leq a \leq 1000$  and  $1 \leq b \leq 1000$ .

#### Output Format

For each test case, output one line containing one integer  $s$  if we have  $s$  New Taiwan Dollars in our pockets in total.

#### Sample Input

```
2
5 3
7 5
```

#### Sample Output

```
8
12
```

## Problem B

### 4-Digit Lock

Time Limit: 2 seconds

#### Problem Description

Erik locks his bicycle with a 4-digit lock. He is not good at remembering the secret combination which can unlock his bicycle, but he is really good at multiplying integers efficiently. He attached a list of  $n$  non-negative integers  $a_1, \dots, a_n$  to his bicycle, and the secret combination can be derived from their product  $p = a_1 \times a_2 \times \dots \times a_n$ . If  $p < 10000$ , then the secret combination is the 4-digit representation of  $p$ , i.e., padding zeroes to the left of  $p$  if  $p < 1000$ . If  $p \geq 10000$ ,  $p$  is divisible by  $10^k$  and  $p$  is not divisible by  $10^{k+1}$ , then the secret combination is the last four digits of  $q = \frac{p}{10^k}$ . If  $q$  does not have 4 digits, then padding zeroes to the left of  $q$ .

For example, if  $p = 120$ , then the secret combination is 0120. If  $p = 10100$ , then the secret combination is 0101. If  $p = 2344680$ , then the secret combination is 4468. Write a program to crack Erik's lock, and ride Erik's bicycle for free.

#### Input Format

The first line contains an integer  $T$  indicating the number of test cases, where  $T \leq 50$ . Each test case has exactly two lines. The first line contains an integer  $n$  where  $1 \leq n \leq 50000$ .  $n$  is the number of integers in the list on Erik's bicycle. The second line contains  $n$  non-negative integers  $a_1, \dots, a_n$  where  $a_i \leq 10^9$  for  $i \in \{1, \dots, n\}$ . Note that the secret combination can be obtained from  $p = a_1 \times \dots \times a_n$ .

#### Output Format

For each test case, output the secret combination on a line.

#### Sample Input

```
3
5
1 2 3 4 5
5
2 5 5 2 101
5
234 3 167 2 10
```

### Sample Output

0120

0101

4468