**Frequency Domain** 

 $f_s$  = sampling rate

 $\omega = \text{angular frequency}$ 

 $\lambda$  = wavelength

T = period

1 Definition

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T = period

 $\omega$  = angular frequency

# 2 Wavelength $\lambda$

$$\lambda = \frac{c}{f}$$

### 3 Period T

$$T = 1 ms = 1000 Hz$$

### 4 Angular Frequency $\omega$

$$\omega = 2\pi f$$
$$= \frac{2\pi}{T}$$

$$\omega_0 = 2\pi T$$
$$= \pi \frac{f_0}{f s}$$

### 5 Unit Pulse & Unit Step

unit pulse:

$$\delta(n) = \begin{cases} 1, & \text{if } n = 0 \\ 0 & \text{otherwise} \end{cases}$$

unit step:

$$u(n) = \begin{cases} 1, & \text{if } n \ge 0 \\ 0 & \text{otherwise} \end{cases}$$

## 6 Harmonic Signals

$$n=[1:t\cdot f_s]$$

$$x[n] = sin(\omega_0 n + \varphi)$$

$$= sin(2\pi f_0 T + \varphi)$$

$$= sin(2\pi \frac{f_0}{f_s} n + \varphi)$$

$$x[n] = e^{-i\omega_0 n}$$
  
=  $c \circ s(\omega_0 n) + i \circ i \circ n(\omega_0 n)$ 

 $y[n] = T\{x[n]\}$ 

Linear time-invariant systems (LTI systems) are a class of systems used in signals and systems that are both linear and time-invariant. Linear systems are systems whose outputs for a linear combination of inputs are the same as a linear combination of individual responses to those inputs. Time-invariant systems are systems where the output does not depend on when an input was applied. These properties make LTI systems easier to represent and understand.

- 1. memory freedom
- 2. causality
- 3. stability (BIBO)