```
In[1]:= variant = 13;
              n = j = Floor[variant / 10];
              m = variant - 10 * n;
              k = n + m;
              i = Abs[n - m];
               f1 = 0.3 \, \text{n} \cdot \text{x1} - 0.2 \, \text{m} \cdot \text{x2} + 1.1 \, \text{k} \cdot \text{x3} - 0.4 \, \text{i} \cdot \text{x4} + 1.5 \, (30 + \text{j}) \, \text{x5} = 15;
              f2 = 0.23 (40 + n) x1 + 0.3 m * x2 - 2.1 k * x3 + 0.3 i * x4 - 0.5 j * x5 == 16;
              f3 = 1.1 n * x1 - 0.2 m * x2 + 1.2 k * x3 - 0.4 (50 + i) x4 + 0.4 j * x5 = 14;
              f4 = 2.5 n * x1 + 0.1 m * x2 + 0.2 (40 + k) x3 - 0.1 i * x4 - 0.2 j * x5 = 12;
              f5 = 0.1n * x1 + 0.8 (50 + m) x2 + 0.6 k * x3 - 0.2 i * x4 + 0.7 j * x5 == 18;
               Solve[{f1, f2, f3, f4, f5}, {x1, x2, x3, x4, x5}]
              NSolve[{f1, f2, f3, f4, f5}, {x1, x2, x3, x4, x5}]
\texttt{Out[11]} = \{ \{ \texttt{x1} \rightarrow \texttt{2.31387}, \ \texttt{x2} \rightarrow \texttt{0.372295}, \ \texttt{x3} \rightarrow \texttt{0.69002}, \ \texttt{x4} \rightarrow \texttt{-0.397591}, \ \texttt{x5} \rightarrow \texttt{0.240324} \} \}
 \text{Out} |12| = \{ \{x1 \rightarrow 2.31387, \ x2 \rightarrow 0.372295, \ x3 \rightarrow 0.69002, \ x4 \rightarrow -0.397591, \ x5 \rightarrow 0.240324 \} \} 
 ln[15]:= A = \{\{0.3n, -0.2m, 1.1k, -0.4i, 1.5(30+j)\},
                         \{0.23 \ (40+n) \ , \ 0.3m, \ -2.1k, \ 0.3i, \ -0.5j\}, \ \{1.1n, \ -0.2m, \ 1.2k, \ -0.4 \ (50+i) \ , \ 0.4j\}, 
                       \{2.5n, 0.1m, 0.2(40+k), -0.1i, -0.2j\}, \{0.1n, 0.8(50+m), 0.6k, -0.2i, 0.7j\}\};
               b = \{15, 16, 14, 12, 18\};
              LinearSolve[A, b]
\text{Out} [17] = \ \{ \ 2.31387 \,, \ 0.372295 \,, \ 0.69002 \,, \ -0.397591 \,, \ 0.240324 \}
 In[18]:= AI = Inverse[A];
               x = AI.b
\text{Out} [19] = \{ \, 2.31387 \,, \, \, 0.372295 \,, \, \, 0.69002 \,, \, \, -0.397591 \,, \, \, 0.240324 \}
 ln[20]:= r = b - A.x; ep = AI.r
\text{Out}[20] = \left. \left\{ 6.01236 \times 10^{-16} \, , \, -4.77824 \times 10^{-18} \, , \, 2.88892 \times 10^{-17} \, , \, -1.3164 \times 10^{-16} \, , \, 2.92622 \times 10^{-17} \right\} \right\}
 In[21]:= {LU, P, cond} = LUDecomposition[A];
               \label{eq:upper_lu} $$ $ Upper[LU_?MatrixQ] := LU * Table[If[i \leq j, 1, 0], \{i, Length[LU]\}, \{j, Length[LU]\}]; $$ $ $ Upper[LU_?MatrixQ] := LU * Table[If[i \leq j, 1, 0], \{i, Length[LU]\}, \{j, Length[LU]\}]; $$ $ Upper[LU_?MatrixQ] := LU * Table[If[i \leq j, 1, 0], \{i, Length[LU]\}, \{j, Length[LU]\}, \{
              Lower[LU_?MatrixQ] := LU - Upper[LU] + IdentityMatrix[Length[LU]];
              L = MatrixForm[Lower[LU]];
              U = MatrixForm[Upper[LU]];
              LUBackSubstitution[{LU, P, cond}, b]
Out[26]= \{2.31387, 0.372295, 0.69002, -0.397591, 0.240324\}
 ln[27]:= Z = Array[z, 5];
              eq = A.Z = b
              r = Solve[eq, Z]
               Z = Z /.r[[1]]
Out[28]= \{0.3 z[1] - 0.6 z[2] + 4.4 z[3] - 0.8 z[4] + 46.5 z[5],
                     9.43 z[1] + 0.9 z[2] - 8.4 z[3] + 0.6 z[4] - 0.5 z[5],
                     1.1 z[1] - 0.6 z[2] + 4.8 z[3] - 20.8 z[4] + 0.4 z[5],
                     2.5\;z[1]\;+0.3\;z[2]\;+8.8\;z[3]\;-0.2\;z[4]\;-0.2\;z[5]\;,
                     0.1\,z\,[1]\,+\,42.4\,z\,[2]\,+\,2.4\,z\,[3]\,-\,0.4\,z\,[4]\,+\,0.7\,z\,[5]\,\}\,=\,\{15\,,\,16\,,\,14\,,\,12\,,\,18\}
\texttt{Out} [\texttt{29}] = \{ \{ \texttt{z} [\texttt{1}] \rightarrow \texttt{2.31387}, \, \texttt{z} [\texttt{2}] \rightarrow \texttt{0.372295}, \, \texttt{z} [\texttt{3}] \rightarrow \texttt{0.69002}, \, \texttt{z} [\texttt{4}] \rightarrow -\texttt{0.397591}, \, \texttt{z} [\texttt{5}] \rightarrow \texttt{0.240324} \} \}
Out[30] = \{2.31387, 0.372295, 0.69002, -0.397591, 0.240324\}
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