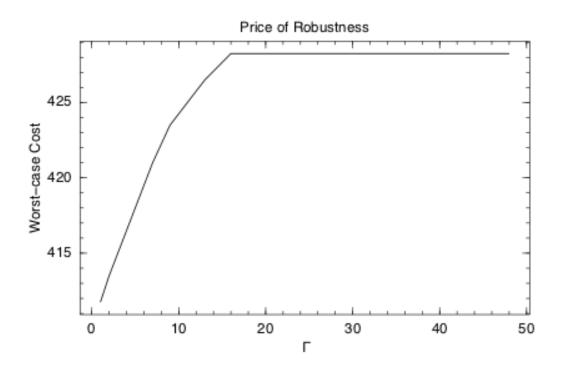
pset3

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```
In [1]: using JuMP, Gurobi
       F = [1:4]
        C = [1:12]
        \Gamma = 48
       p = 0.05
       cost = [20, 10, 10, 15]
       dbar = [30 \ 35]
                       30 35;
                40 40
                       40 30;
                35 40
                       35 40;
                30 35
                       35 30;
                40 45
                       40 30;
                30 35
                       35 40;
                40 25
                       30 30;
                       35 30;
                30 35
                35 25
                       35 30;
                35 35
                       50 35;
                30 35
                       40 40;
                35 40 45 40]
Out[1]: 12x4 Array{Int64,2}:
         30
            35 30 35
         40
            40 40 30
         35
            40
                35
                    40
         30
            35
                35
                     30
         40
            45
                40
                     30
            35
         30
                35
                     40
            25
         40
                30
                     30
         30 35
                35
                    30
         35
            25
                35
                     30
         35
            35
                50
                     35
         30
            35
                40
                     40
         35
            40
                45
                    40
In [2]: m = Model(solver=GurobiSolver(OutputFlag=0))
        @defVar(m, x[F], Bin)
        QdefVar(m, 1 \ge y[F,C] \ge 0)
        @defVar(m, w[F,C])
        QdefVar(m, q[F,C] \ge 0)
        QdefVar(m, z \ge 0)
       values = Float64[]
```

```
Out[2]: 0-element Array{Float64,1}
In [3]: for c in C
         @addConstraint(m, sum{y[f,c], f in F} == 1)
         for f in F
             @addConstraint(m, y[f,c] ≤ x[f])
             @addConstraint(m, y[f,c] \overline{\lefts} w[f,c])
             @addConstraint(m, -w[f,c] ≤ y[f,c])
         end
      end
In [4]: for \gamma=1:\Gamma
         push! (values, getObjectiveValue(m))
      end
In [5]: import Winston
In [6]: Winston.plot(values)
      Winston.title("Price of Robustness")
      Winston.ylabel("Worst-case Cost")
      Winston.xlabel("\Gamma")
Out[6]:
```



```
In [7]: function choose(n,k)
             f = 1/(2^n)
             for i=n-k+1:n # factorial(n)/(factorial(n-k))
             end
             for i=1:k # f/factorial(k)
                 f /= i
             end
             f
        end
Out[7]: choose (generic function with 1 method)
In [8]: function bound(gamma)
             n = 48
            \nu = (gamma+n)/2
            \mu = \nu - floor(\nu)
             nchoosel = [choose(n, 1) for l=ifloor(\nu):n]
             (1-\mu)*sum(nchoosel)+\mu*sum(nchoosel[2:end])
        end
Out[8]: bound (generic function with 1 method)
In [9]: Winston.plot(Float64[bound(\gamma) for \gamma=1:\Gamma])
        Winston.title("Violation Probability Bound")
        Winston.ylabel("Violation Probability")
        Winston.xlabel("\Gamma")
Out[9]:
```

Violation Probability Bound 0.5 0.4 Viiling equal to the probability Bound 0.5 0.1 0.1 0.1 0.2 0.3 0.4 0.5 0.7

In [10]: