

# Modeling Bellman-Ford

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## Motivation

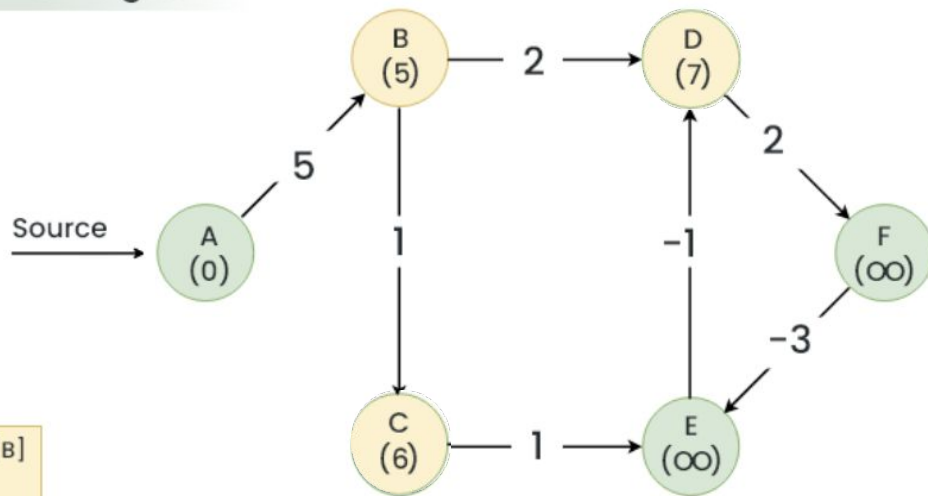
- Shortest path algorithms are useful
- Graph traversal modeling in alloy
- Ad hoc networks using Bellman-Ford
- (Also CS343 :) )



## Normal BF Pseudocode

```
BellmanFord(list vertices, list edges, vertex source):  
  for each vertex v in vertices:  
    distance[v] := inf  
  
  distance[source] := 0  
  
  repeat |V|-1 times:  
    for each edge (u, v) with weight w in edges:  
      if distance[u] + w < distance[v] then  
        distance[v] := distance[u] + w
```

## 1st Relaxation Of Edges



Dist [A] + 5 < Dist[B]  
 $0 + 5 < (\infty)$   
Dist[B] = 5

Distance Array

A	B	C	D	E	F
0	5	$\infty$	$\infty$	$\infty$	$\infty$



ALLOY!



## How we modeled the basic version

- `sig Node`
  - `neighbors (set Node)`
  - `weights Node->Finite`
- `one sig Source extends Node`
  - `distances (Node->Distance)`
- `pred relax`
- `abstract sig Distance (either Finite or Infinite)`
  - `value (Int)`
- `fun compareDistances`



# DEMO !

normal !



## Trial & Error in the ad hoc model

- Main differences
  - No longer *single* source
  - Every node broadcasts its own distance table whenever updated
  - Start the algorithm by allowing either sending tables or just doing nothing
- Inadvertently modeled “deadlock”
- So chose to simulate the distributed algorithm “iteratively” - tradeoff



# DEMO !

distributed!



## Workflow & Trade-offs

- Normal
  - No negative cycle detection
- Distributed
  - Modeled iteratively to *simulate* a basic distributed version
  - Assumed that all edges have weight 1



## Possible future work

- Mutex/distributed, similar to ring election, raise flags, etc.
- Dynamic topology





# Thank you!

Questions?