# Positive-Unlabeled Compression on the Cloud

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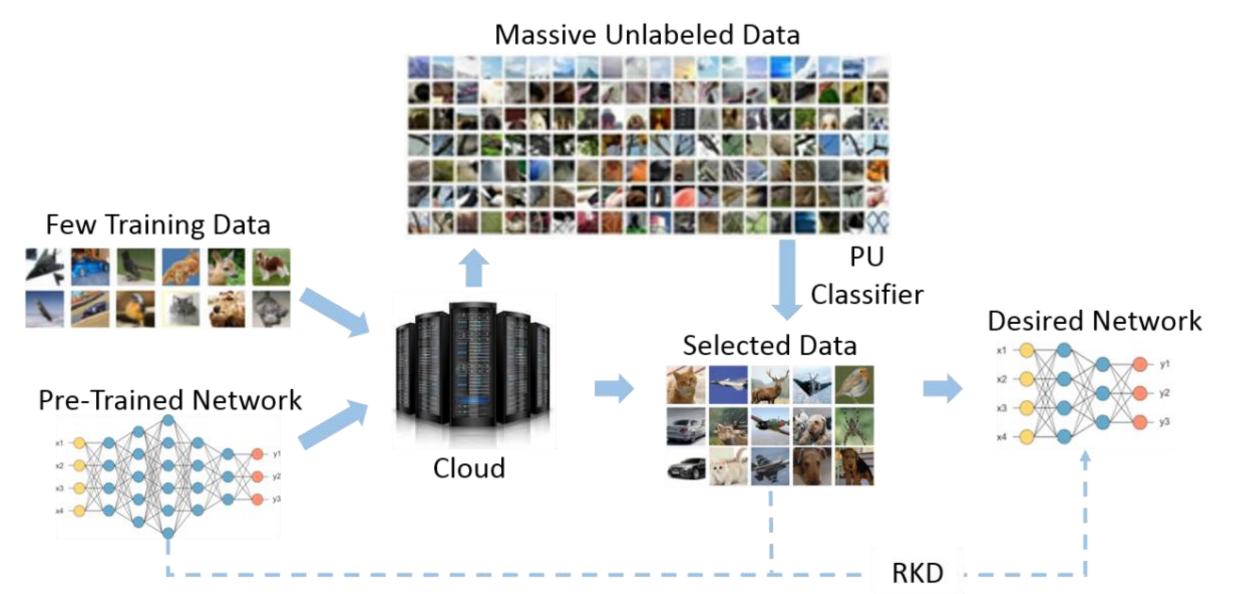


#### Abstract

Many attempts have been done to extend the great success of convolutional neural networks (CNNs) achieved on high-end GPU servers to portable devices such as smart phones. Providing compression and acceleration service of deep learning models on the cloud is therefore of significance and is attractive for end users. However, existing network compression and acceleration approaches usually fine-tuning the svelte model by requesting the entire original training data (e.g. ImageNet), which could be more cumbersome than the network itself and cannot be easily uploaded to the cloud. In this paper, we present a novel positive-unlabeled (PU) setting for addressing this problem. In practice, only a small portion of the original training set is required as positive examples and more useful training examples can be obtained from the massive unlabeled data on the cloud through a PU classifier with an attention based multi-scale feature extractor. We further introduce a robust knowledge distillation (RKD) scheme to deal with the class imbalance problem of these newly augmented training examples. The superiority of the proposed method is verified through experiments conducted on the benchmark models and datasets. We can use only 8% of uniformly selected data from the ImageNet to obtain an efficient model with comparable performance to the baseline ResNet-34.

### Motivation

- Providing compression service on the cloud.
- Little training data can be obtained due to privacy reason.

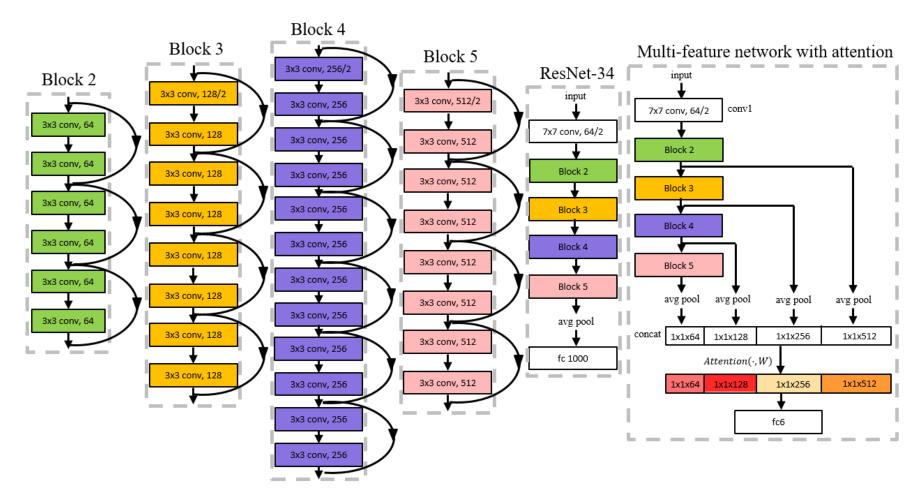


## Positive-Unlabeled Classifier for Selecting Data

Non-negative PU loss function:

$$\tilde{R}_{pu}(f) = \pi_p \hat{R}_p^+(f) + \max\{0, \hat{R}_{\mathbf{x}}(f) - \pi_p \hat{R}_p^-(f)\}$$
 (3)

Attention based multi-scale feature extractor:



### Algorithm 1 PU classifier for more data.

**Require:** An initialized network  $\mathcal{N}_A$ , a tiny labeled dataset  $L^t$  and an unlabeled dataset U.

- 1: Module 1: Train PU Classifier
- 2: repeat
- 3: Randomly select a batch  $\{\mathbf{x}_i^U\}_{i=1}^N$  from U and  $\{\mathbf{x}_i^{L^t}\}_{i=1}^N$  from  $L^t$ ;
- 4: Optimize  $\mathcal{N}_A$  following Eq. 3;
- 5: **until** convergence
- 6: Module 2: Extend the labeled dataset
- 7: Obtain the positive data  $U^p$  from U utilizing PU classifier  $\mathcal{N}_A$ ;
- 8: Unify the positive dataset  $U^p$  and tiny dataset  $L^l$  to achieve extended dataset  $L^l = L^t \cup U^p$ ;

Ensure: Extended dataset  $L^l$ .

## **Experiments**

#### We tested the performance of the proposed method on CIFAR-10, ImageNet and MNIST datasets.

Table 1: Classification results on CIFAR-10 dataset. The best results are bold in the table.

Method	$n_l$	$n_t$	Data source	FLOPs	#params	Acc(%)
Teacher	-	50,000	Original Data	1.16G	21M	95.61
KD [9]	-	50,000	Original Data	557M	11M	94.40
Baseline-1	-	269,427	Manually selected data	557M	11M	93.44
Baseline-2	-	50,000	Randomly selected data	557M	11M	87.02
	100	110,608				93.75
PU-s1	50	94,803	PU data	557M	11M	93.02
	20	74,663				92.23
	100	50,000				91.56
PU-s2	50	50,000	PU data	557M	11M	91.33
	20	50,000				91.27

Table 2: Classification results on ImageNet dataset. "KD-all" utilizes the	entire ImageNet training
dataset to train the student network. "KD-500k" randomly selects $500k$ train	ning data from ImageNet
for learning the student network.	

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Algorithm	$n_t$	Data source	FLOPs	#params	top-1 acc(%)	top-5 acc(%
Teacher	1,281,167	Original Data	3.67G	22M	73.27	91.26
KD-all	1,281,167	Original Data	1.82G	12 <b>M</b>	68.67	88.76
KD-500k	500,000	Original Data	1.82G	12 <b>M</b>	63.90	85.88
PU-s1	690,978	PU data	1.82G	12M	61.92	86.00
PU-s2	500,000	PU data	1.82G	12 <b>M</b>	61.21	85.33

Table 3: Comparsion on the state-of-the-art methods on the MNIST dataset.

	1	2	5	10	20	all-meta-data
data-free KD [16]	-	-	-	-	-	92.5
FitNet [20]	90.3	94.2	96.1	96.7	97.3	-
FSKD [15]	95.5	97.2	97.6	98.0	98.1	-
PU-s1	98.5	98.7	98.7	98.8	98.9	-
PU-s2	98.3	98.5	98.5	98.6	98.6	-

- Teacher: ResNet-34 + SGD
- Student: ResNet-18 + SGD
- KD: ResNet-18 + standard KD method
- Baseline-1: ResNet-18 + manual select data+ proposed
- Baseline-2: ResNet-18 + random select data+ proposed
  - PU-s1: ResNet-18 + all PU data + proposed
  - PU-s2: ResNet-18 + limited PU data + proposed

### References

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# Robust Knowledge Distillation

- Data obtained from PU method suffer from noise and data imbalanced problem.
- Assign weight to each category of the samples:

$$w_{kd}^k = \frac{K/y^k}{\sum_{k=1}^K 1/y^k}, \quad k = 1, 2, \dots, K$$
 (7)

• The surrogate KD loss dealing with imbalanced problem:

$$\tilde{\mathcal{L}}^{KD} = \frac{1}{n} \sum_{i} w_i \mathcal{F}_{ce}(\mathbf{y}_i^{te}, \mathbf{y}_i^{st})$$
 (8)

Perturbations of the original weights:

$$p(|w_{kd}^k - w_{kd}^{*k}| < \epsilon) > 1 - \delta$$
 (9)

Optimization function dealing with noise:

$$\mathcal{N}_{st}^{\mathbf{W}} = \underset{\mathcal{N}_{st} \in \mathcal{N}}{\operatorname{arg \, min \, max}} \underset{\mathbf{w} \in \mathbf{W}}{\tilde{\mathcal{L}}^{KD}} (\mathcal{N}_{st}, \mathbf{w}) \qquad ($$

#### **Algorithm 2** Robust Knowledge distillation.

**Require:** A given teacher network  $\mathcal{N}_{te}$ , the extended dataset  $L^l$  and a hyper-parameter  $\epsilon$ .

- 1: Initialize the student network  $\mathcal{N}_{st}$ ;
- 2: Calculate weight vectors  $\mathbf{w}_{kd}$  using Eq. 7 and generative a set  $\mathbf{W}$  using a random perturb  $\epsilon$ ;
- 3: repeat
- 4: Randomly select a batch  $\left\{\mathbf{x}_{i}^{L^{l}}\right\}_{i=1}^{m}$ ;
- 5: Employ the teacher and student network:  $\mathbf{y}_{i}^{te} \leftarrow \mathcal{N}_{te}(\mathbf{x}_{i}^{L^{l}}); \mathbf{y}_{i}^{st} \leftarrow \mathcal{N}_{st}(\mathbf{x}_{i}^{L^{l}})$
- (9) 6: Calculate the surrogate KD loss  $\tilde{\mathcal{L}}^{KD}$  following Eq. 8:
  - lowing Eq. 8;
    7: Update  $\mathcal{N}_{st}^{\mathbf{W}}$  with Eq. 10;
  - 8: **until** convergence
- (10) **Ensure:** The student network  $\mathcal{N}_{st}$ .