Applied Machine Learning

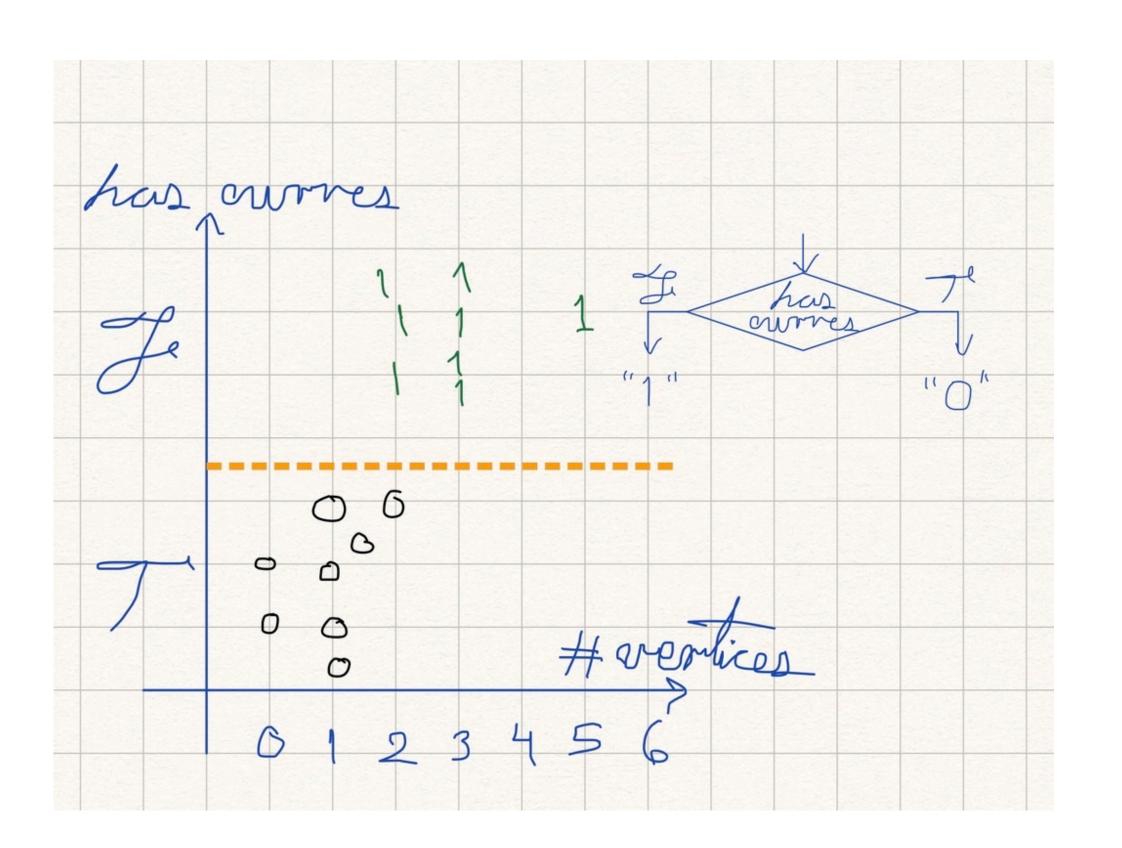
Classification - Random Forests

Random Forests

- Decision Trees
- Limitations of Decision Trees
- Random Forests

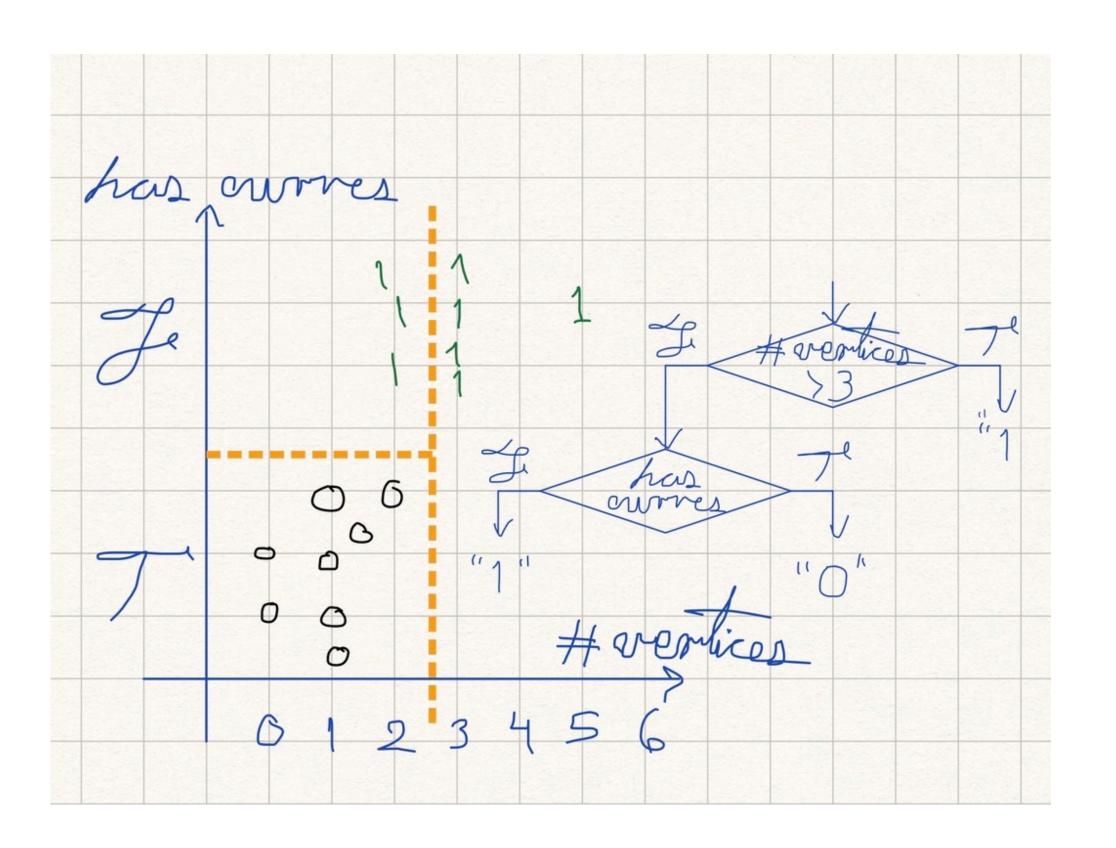
Random Forests and Decision Trees

- Based on the construction of Decision Trees
- A decision tree represents a classification function
- Tree data structure
- Not unique



Decision Trees

- Each node is a test on some input feature
- The result of the test indicates what branch to take
- Each leave represents the resulting class

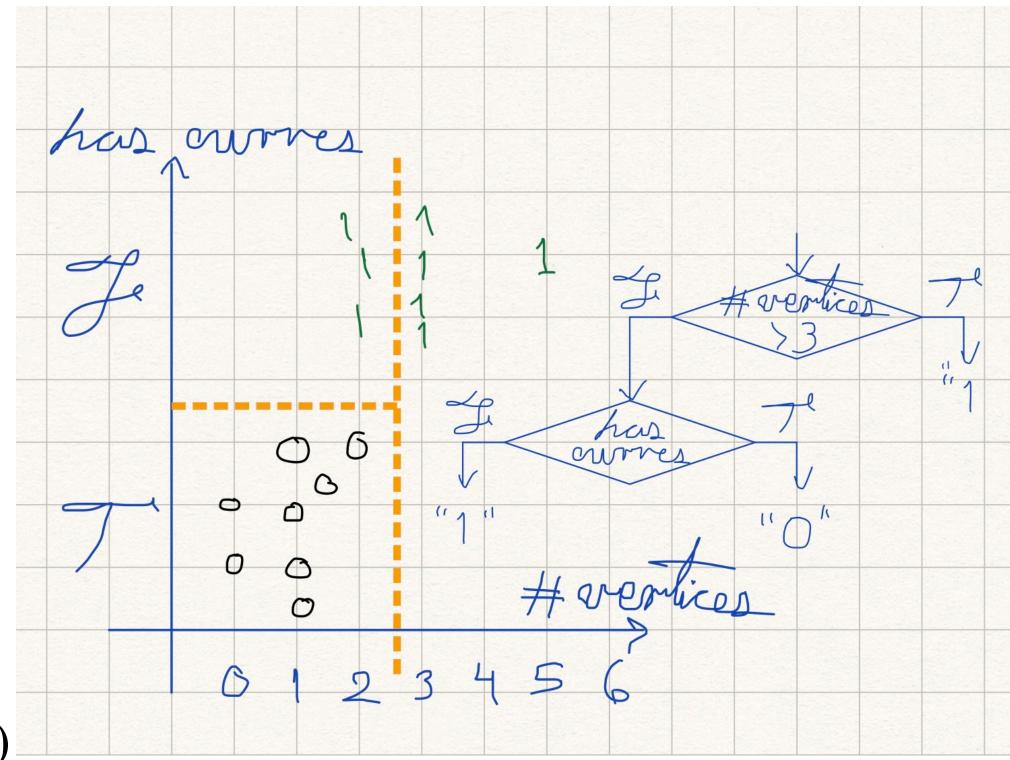


Decision Trees - Features

• if-then-else rules:

```
if (# vertices > 3) then
  class = "1"

else if (has curves) then
  class = "0"
  else
  class = "1"
```



- "1" = (#vertices > 3) \lor (#vertices $\le 3 \land \neg$ has curves)
- "0" = (#vertices $\leq 3 \land$ has curves)

Decision Trees - Construction

DecisionTreeExpand (branch, dataset)

```
stop when
```

depth(branch_node) >= max_depth

size(dataset) <= min_leave_size

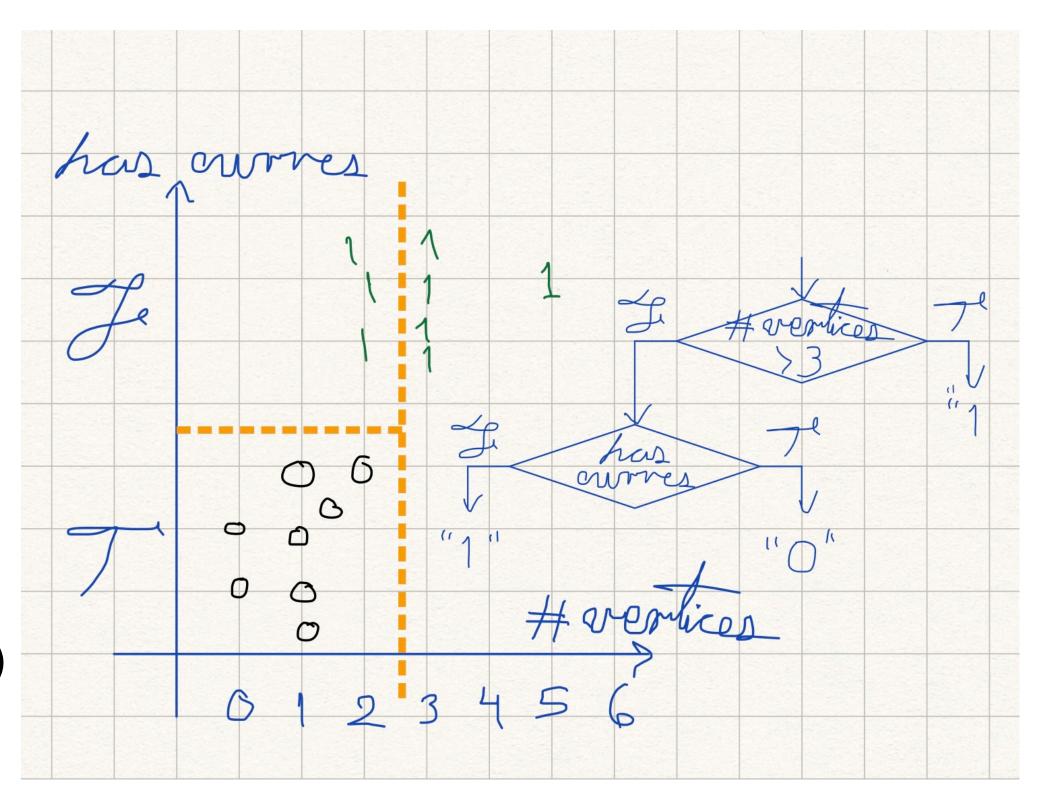
all elements in dataset in same class

(subset_l, subset_r, test) = best_split(dataset)

(child_r,child_r) = new_branch(branch, test, split_l, split_r)

DecisionTreeExpand(child_I,subset_r)

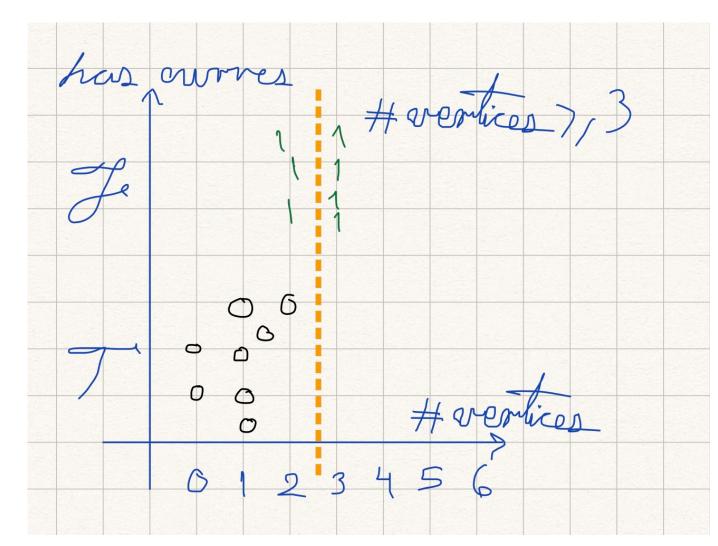
DecisionTreeExpand(child_r,subset_r)

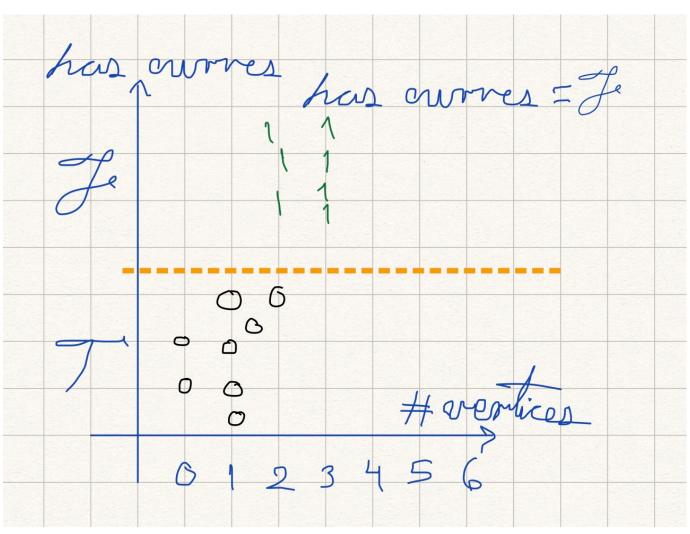


Decision Trees - Best Split

(subset_l, subset_r, test) = best_split(dataset)

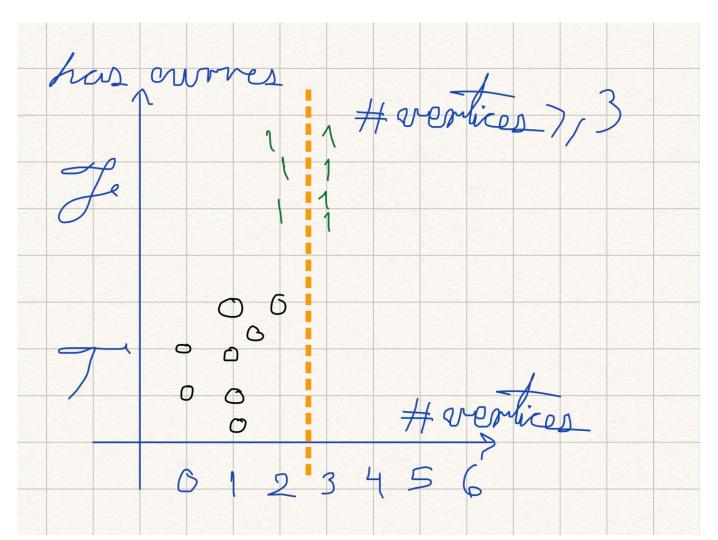
- identify potential subsets of the dataset subset_l and subset_r and a test to classify on values of feature $x^{(i)}$
- Measure Information Gain for each potential split
- Choose (subset_I, subset_r, test) that produce the highest Information Gain

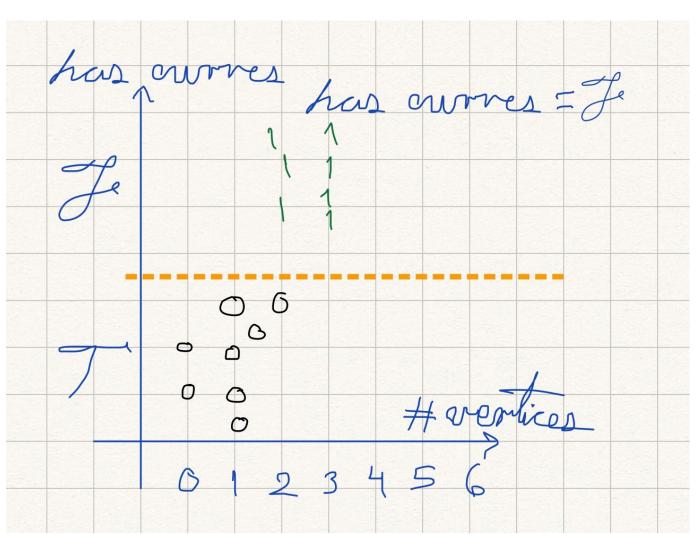




Decision Trees - Candidate Splits for a Branch

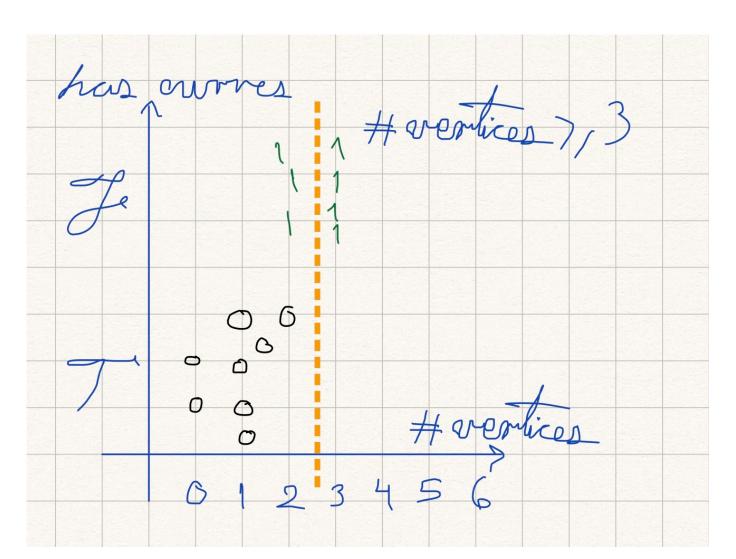
- Choose at random $m = \sqrt{|x|}$ features $x^{(i)}$
- Identify candidate splits of branch set on $x^{(i)}$
 - If feature $x^{(i)}$ can't be sorted
 - small number
 - Iterate per feature value, matching items assigned to one subset, non-matching items assigned to the other one
 - large number
 - iterate per feature value assigning with 50% probability to each subset

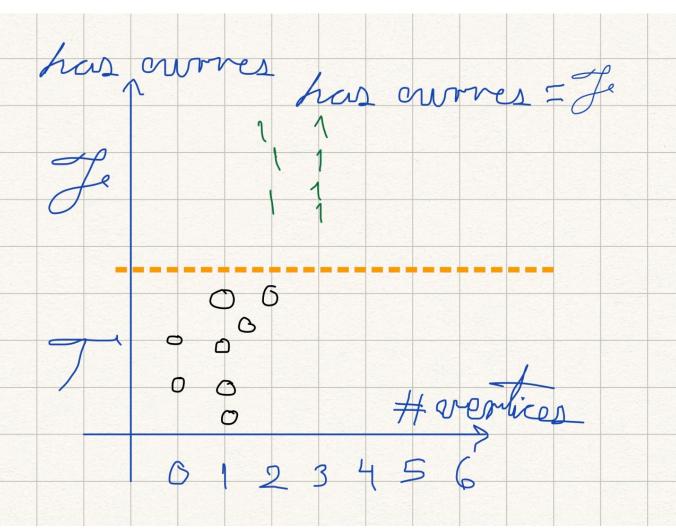




Decision Trees - Candidate Splits for a Branch

- Choose at random $m = \sqrt{|x|}$ features $x^{(i)}$
- Identify candidate splits of branch set on $x^{(i)}$
 - Feature $x^{(i)}$ can be sorted
 - class boundaries as thresholds
 - sort data items according to feature value
 - adjacent pairs ($item_0$, $item_1$) in different class
 - threshold is midway between $item_0$ and $item_1$
 - randomly select k thresholds





Decision Tree Learning

- Versions for
 - Categorical features
 - Continuous features
- Robust to errors
- Robust to missing feature values
- Construction of decision trees favors small trees

Decision Tree Learning - Limitations

- Many different trees can lead to similar classifications
- The algorithm to build a decision tree grows each branch just deeply enough to perfectly classify the training examples
 - potential overfit
- Randomness in identification of splits: m features, k thresholds
 - better splits may have not been considered
- Addressed through Random Forests

Random Forests

- Build many decision trees
- Use randomness in identification of splits: m features, k thresholds
- Classification
 - Each tree votes for a class
 - one vote per tree on its classification
 - N_i votes per tree i on its classification. N_i is the number of items in the leave that determines the class in tree i

Building Random Forests - Simple Strategy

- Separate dataset into Training Set and Test Set
 - Train multiple decision trees on Training Set using random splits
 - Evaluate with Test Set

Building Random Forests - Bagging

- Bagging
 - For each tree in the forest
 - Build a bag
 - Random subsample of Training Set with replacement
 - Same size as Training Set
 - Train tree with its bag
 - Evaluate tree with its out-of-bag examples
 - Average out-of-bag errors for all trees

Random Forests

- Decision Trees
- Limitations of Decision Trees
- Random Forests

Applied Machine Learning

Classification - Random Forests