# **Web Search and Information Retrieval**

## **Results Discussion**

## Mean Absolute Error (MAE) Table for different algorithms.

different param for	test5_	test10	test20	Ovrana11
1		icstro_	103120_	Overall_
the 3 test datasets	MAE	MAE	MAE	MAE
(K means top k				
similar users)				
k5=100,k10=120,k2	0.8415	0.78283	0.7629	0.79362
0=120,	6			
sim_threshold=0.6				
k5=95,k10=100,k20	0.8286	0.7783	0.7656	0.7894
=150,				
sim_threshold=0.6				
· · · · · · · · · · · · · · · · · · ·	0.904	0.7995	0.7787	0.8249
0=150				
	0.9416	0.7988	0.7787	0.8371
150				
, , , , , , , , , , , , , , , , , , , ,	0.9219	0.8021	0.7649	0.8256
0=150				
	0.9137	0.792	0.7493	0.8138
=150				
k5=100,k10=80,k20	0.9363	0.896	0.9575	0.9354
1				
	0.9281	0.8792	0.9473	0.9182
=150,p=1.5				
k5=100,k10=80,k20	0.9219	0.8025	0.7649	0.8257
=150				
k5=3,k10=5,k20=5	0.9481	0.839	0.8099	0.8624
	K means top k similar users) (5=100,k10=120,k2 b=120, sim_threshold=0.6 c5=95,k10=100,k20 c=150, sim_threshold=0.6 c5=120,k10=120,k2 b=150 c5=120,k10=80,k20 c=150 c5=100,k10=80,k20 c=150,p=2.5 c5=100,k10=80,k20 c=150,p=1.5 c5=100,k10=80,k1	K means top k similar users) (5=100,k10=120,k2	K means top k similar users)  (5=100,k10=120,k2	K means top k minilar users)  (5=100,k10=120,k2

### My Own Algorithms:

, ,	different param for the 3 test datasets	test5_ MAE	test10 _MA	test20 _MA	Overal l_MA
	(K means top k similar users)		Е	Е	Е
SVD_algorithm	k=20	0.811	0.762	0.741	0.7696
S v D_uigoriumi	K-20	0.011	1	9	0.7000
Combine_cosine_p	weight_cos=0.6,weight_pea	0.873	0.767	0.782	0.8084
earson	r_=0.4		5	3	
Combine_cosine_p	weight_cos=0.6,weight_pea	0.822	0.764	0.756	0.7801

earson_iufpearson	r_=0.3,weight_iuf_pea=0.1	8			
	weight_cos=0.5,weight_pea	0.817	0.764	0.739	0.771
	r_=0.1,weight_iuf_pea=0.4	4	3	1	
	weight_cos=0.5,weight_pea	0.811	0.762	0.739	<mark>0.7684</mark>
	r_=0.2,weight_iuf_pea=0.3		1	1	

#### **Summary:**

The best result is based on: cosine\_sim\*0.5+pearson\_corr\*0.2+iuf\_pearson\_corr\*0.3

Reason for choosing the weight [0.5,0.2,0.3]:

Based on the overall review of the results above, I found that Cosine\_Similarity performs better than Pearson\_Correlation. And after applying IUF to the original pearson\_correlation, the results are better. So I designed a for-loop and cross-validation method to select the best weights, and set the weight for those 3 algorithm by the descending order of their individual performance on the test data.

Finally, it turns out that when weight\_cos=0.5, weight\_iuf\_pea=0.3, weight\_pear=0.2, the Overall\_MAE is the smallest, which means it has the best performance.

#### Analysis for different algorithms performances shown above:

- 1. Cosine\_similarity is better than Pearson\_correlation Analysis:
- (1) <u>In sparse-matrix scenarios, Cosine similarity often performs better than Pearson\_correlation</u> because it focuses on the directionality of vectors, making it robust to zero ratings. This makes it robust against the absence of ratings. In contrast, Pearson correlation adjusts for user mean ratings, which can be unreliable and lead to inaccuracies in sparse datasets where average ratings may not truly reflect user preferences.
- (2) <u>Cosine similarity isn't affected by the scale of ratings and handles outliers</u> <u>better than Pearson correlation</u>, which can get thrown off by changes in user ratings because it depends on means and variances. This makes cosine similarity really solid for dealing with sparse and varied data in recommendation systems.
- 2. IUF\_Pearson\_correlation is better than Pearson\_correlation Analysis:
- (1) Applying IUF to Pearson correlation enhances its accuracy by adjusting the influence of items based on their popularity. In standard Pearson correlation, all items are equally weighted, IUF decreases the weight of commonly rated items, emphasizing less frequently rated ones. This adjustment reduces bias from popular items and refines similarity measures, providing a more accurate reflection of user preferences and improving recommendation system performance.

- 3. Case\_modification\_Pearson\_correlation is worse than Pearson\_correlation Analysis:
- (1) <u>In datasets with high sparsity</u>, the Pearson correlation values might already be weak or noisy. Applying case modification in such contexts can exacerbate the noise, reducing the reliability of the similarity measures further.
- (2) Case modification can worsen the performance of Pearson correlation because it **exaggerates differences**, potentially distorting true user similarities.
- 4. IUF\_Case\_modification\_Pearson seems better than individual Pearson\_correlation. Analysis:
- (1) When applying both IUF and Case\_modification to Pearson\_correlation results in negligible improvement, it could be due to counteracting effects where IUF's dampening of popular items' influence might be offset by Case Modification's exaggeration of differences.
- 5. SVD\_algorithm
- (1) Given that the test data is largely composed of zeros, it suggests that the data is highly sparse. But SVD performs better with dense matrices, as sparsity can lead to overfitting where the model learns to predict non-zero entries without enough generalizability.
- 6. Various methods of combining different algorithms.
- (1) Combining cosine similarity, Pearson correlation, and IUF-modified Pearson correlation enhances prediction accuracy because each method uniquely captures user-item interactions. Cosine similarity focuses on directional similarities, Pearson adjusts for average ratings, and IUF-Pearson reduces the bias of popular items. This combination offers a robust, multifaceted approach that compensates for individual weaknesses and improves the overall precision and personalization of recommendations.