

1 Physical Layer $C = 2B \log_2 M$ $SNR = \frac{P_r}{N_0 B_c}$ $C = B_c \log_2(1 + SNR)$ $\frac{P_t}{P_r} = \frac{(4\lambda f d)^2}{c^2}$

2 Data Link Layer $FER = 1 - (1 - BER)^n$

i Error Probability: $P = \binom{n}{i} p^i (1-p)^{n-i}$

Stop and Wait

$$S_{max} = \frac{T_f}{T_f + 2 \times T_{prop}} = \frac{1}{1 + 2a} \quad S = \frac{1 - p_e}{1 + 2a}$$

Go Back N

$W = M - 1 = 2^k - 1$ Efficiency with Errors:

Efficiency: (%)

- If $W \geq 1 + 2a \Rightarrow S = 1$.
- If $W < 1 + 2a \Rightarrow S = \frac{W}{1 + 2a}$.

$$S = \begin{cases} \frac{1 - p_e}{1 + 2ap_e} & , W \geq 1 + 2a \\ \frac{W(1 - p_e)}{(1 + 2a)(1 - p_e + Wp_e)} & , W < 1 + 2a \end{cases}$$

Selective Repeat

$$W = \frac{M}{2} = 2^{k-1}$$

$$S = \begin{cases} \frac{1 - p_e}{W(1 - p_e)} & , W \geq 1 + 2a \\ \frac{1}{1 + 2a} & , W < 1 + 2a \end{cases}$$

Useful Formulas for All Methods $R_{max} = S \times C$

$$T_f = \frac{L}{C} \quad T_{prop} = \frac{d}{V} \quad a = \frac{T_{prop}}{T_f} \quad Deb_{max} = R_{max} \times S_{max} \quad RTT = 2 \times T_{prop} + T_f$$

Byte Stuffing

- Inserting a special escape byte (ESC) before each flag byte in the data.
- Makes framing flag bytes distinguishable from the ones in the data.
- Escape bytes present in the data also need to be escaped.



Reliability in the TCP/IP

Capacity of one link $C_L = C \times (1 - PLR)$

End to End capacity

» using Link-by-Link ARQ: $C_{LL} = C_L = C \times (1 - PLR)$

End-to-end ARQ → **Inefficient when PLR is High** » Using End-to-End ARQ: $C_{EE} = C \times (1 - PLR)^K$

3 Delay Models

3.3 Statistical Multiplexing

$$T_{frame} = \frac{L}{C}$$

- Packets of all traffic streams merged in a single queue (first-come, first-served)

3.4 Frequency Division Multiplexing $T_{frame} = \frac{Lm}{C}$

- Link capacity C subdivided into m portions
- Channel bandwidth W subdivided into m channels of W/m Hz
- Capacity of each channel = C/m

3.5 Time Division Multiplexing $T_{frame} = \frac{Lm}{C}$

- Time axis divided into m slots of fixed length
- Communication → m channels with capacity C/m

3.6.1 M/M/1 Queue

- Poisson arrival $T_W = \frac{\rho}{\mu(1 - \rho)}$ $N = \frac{\rho}{1 - \rho} = \frac{\lambda}{\mu - \lambda}$
- Exponential service time $N_W = N - \rho$ $T = \frac{1}{\mu - \lambda}$ $P(n) = \rho^n (1 - \rho)$
- Time Division Multiplexing

M/M/1/B Queue

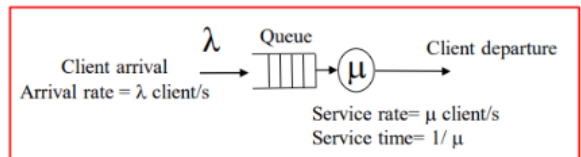
- M/M/1 queue has limited capacity (B buffers)
 - Packets can be lost
 - Probability of packet being lost = P(B) → Queue is full
- Analysis similar to M/M/1

$$\sum_{i=0}^B P(i) = 1 \quad P(n) = \rho^n P(0)$$

$$P(0) = \frac{1 - \rho}{1 - \rho^{B+1}} \quad P(B) = \frac{(1 - \rho)\rho^B}{1 - \rho^{B+1}}$$

- Particular cases

$$\rho = 1, \quad P(B) = \frac{1}{B+1} \quad \rho \gg 1, \quad P(B) \approx \frac{\rho - 1}{\rho} = \frac{\lambda - \mu}{\lambda}$$



Important Variables and Expressions

λ	arrival rate - pacotes processados na porta de saída (pac/s)
μ	service rate (pac/s) $(\text{bit/s}) \quad Debito = \lambda \times L$
N	Average number of customers/packets in the network
T	Average delay per packet → waiting plus service times (μs)
ρ	traffic intensity (occupation of the server) $\rho = \frac{\lambda}{\mu}$
$T_{pac(frame)}$	Service time = packet transmission time
L	tamanho médio de cada pacote (bit) $T_{pac(frame)} = \frac{L}{C} = \frac{1}{\mu}$
C	capacidade da porta (bit/s)
T_W	average waiting time
N_W	average number of clients waiting

3.6.2 M/D/1 Queue

Used when packets have constant size.

$$T_W = \frac{\rho}{2\mu(1 - \rho)}$$

3.6.3 M/G/1 Queue

$$T_W = \frac{\lambda E(T_{pac(frame)}^2)}{2(1 - \rho)}$$

