

Concepts of Regular Expressions - I

* This form will record your name, please fill your name.

1. Select the regular expression equivalent to the regular expression ab^*+a+b^* :
(1 Point)

- ☐ $(ab)^*+a+(b)^*$
- ☐ $a(b)^*+a+(b)^*$
- ☐ $(ab)^*+(a+b)^*$
- ☐ $((ab)^*+a+b)^*$

2. Your answer to the above question is because:
(1 Point)

- ☐ the precedence of the regular expression operators is: first $*$, then $.$ (concatenation), then $+$ (from high to low)
- ☐ the regular expression is read from left to right

3. A possible regular expression to represent all the strings over $\{0,1\}$ with an even number of 0's is:
(1 Point)

☐ $(01^*0)^*$

☐ $1^*+(1^*01^*01^*)^*$

☐ $1^*+(1^*01^*0)^*$

4. When simplifying $RE = (0+1)^*1(0+1)(0+1) + (0+1)^*1(0+1)$ to $(0+1)^*1(0+1)(e+0+1)$ we can apply a sequence of algebraic regular expression properties [note that 'e' is representing the empty string]. Select the one applied to the following step: $(0+1)^*1(0+1)(0+1) + (0+1)^*1(0+1) = (0+1)^*(1(0+1)(0+1) + 1(0+1))$
(1 Point)

☐ distributive of the concatenation (.) over the union (+)

☐ commutativity of the union (+)

5. Select the one applied to the following step: $(0+1)^*(1(0+1)(0+1) + 1(0+1)) = (0+1)^*1((0+1)(0+1) + (0+1))$
(1 Point)

☐ identity of the 1

☐ distributive of the concatenation (.) over the union (+)

6. Select the one applied to the following step: $(0+1)^*1((0+1)(0+1) + (0+1)) = (0+1)^*1(0+1)((0+1) + e)$
(1 Point)

- ☐ Identity of the concatenation followed by distributive of the concatenation over the union
- ☐ Identity of the concatenation

7. Select the one applied to the following step: $(0+1)^*1(0+1)((0+1) + e) = (0+1)^*1(0+1)(e+0+1)$
(1 Point)

- ☐ precedence of the 'e'
- ☐ associativity and commutativity of the union

8. Indicate if the following equalities are TRUE or FALSE:

- a) $(R+S)^* = R^* + S^*$
 - b) $(RS+R)^*R = R(SR+R)^*$
 - c) $(RS+R)^*RS = (RR^*S)^*$
- (1 Point)

- ☐ a) TRUE; b) FALSE; c) FALSE
- ☐ a) FALSE; b) FALSE; c) FALSE
- ☐ a) FALSE; b) TRUE; c) FALSE
- ☐ a) TRUE; b) TRUE; c) TRUE

