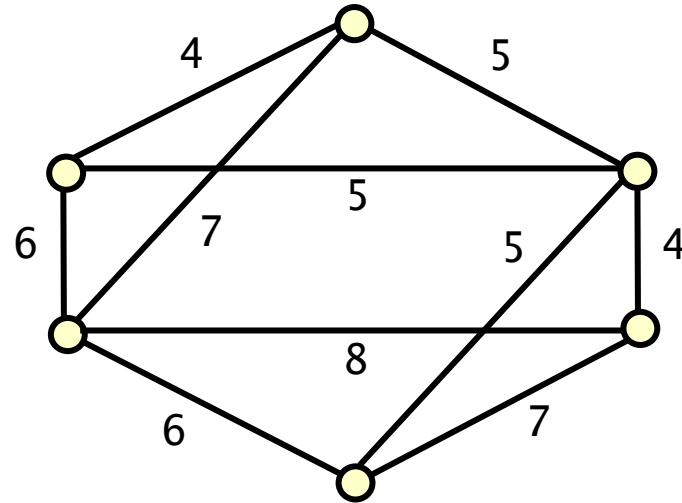


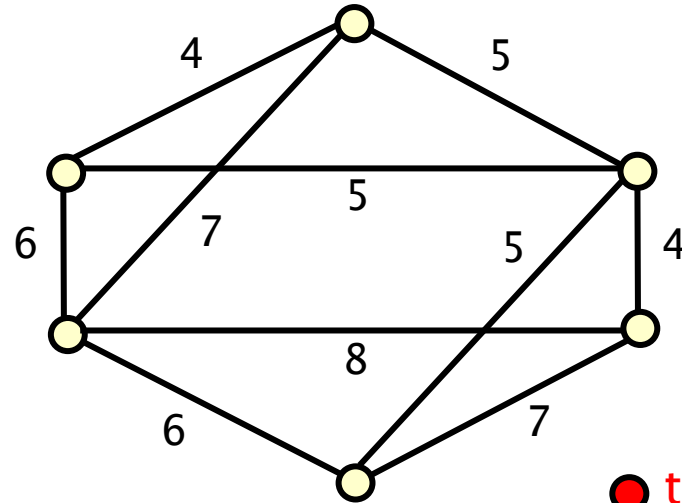
The Prim-Jarnik algorithm – Example

Weighted graph **G**

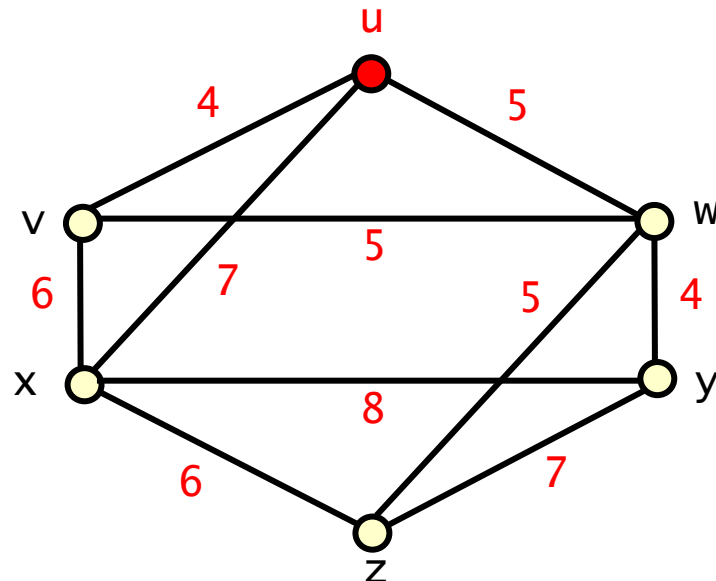


The Prim-Jarnik algorithm – Example

Weighted graph **G**

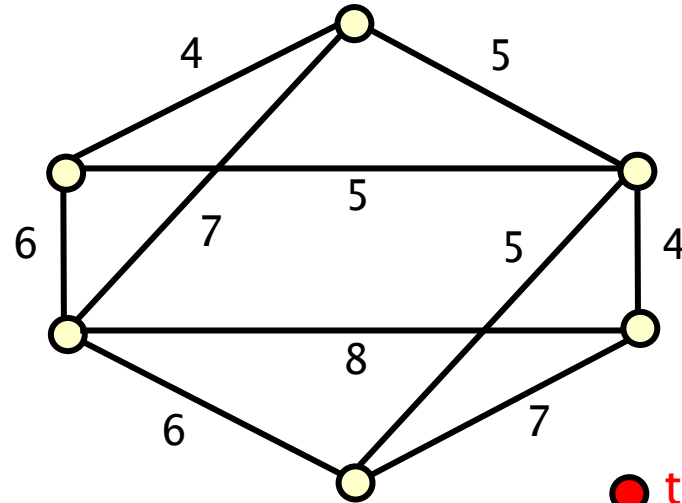


● tree vertices: u
○ non-tree vertices: v, w, x, y, z

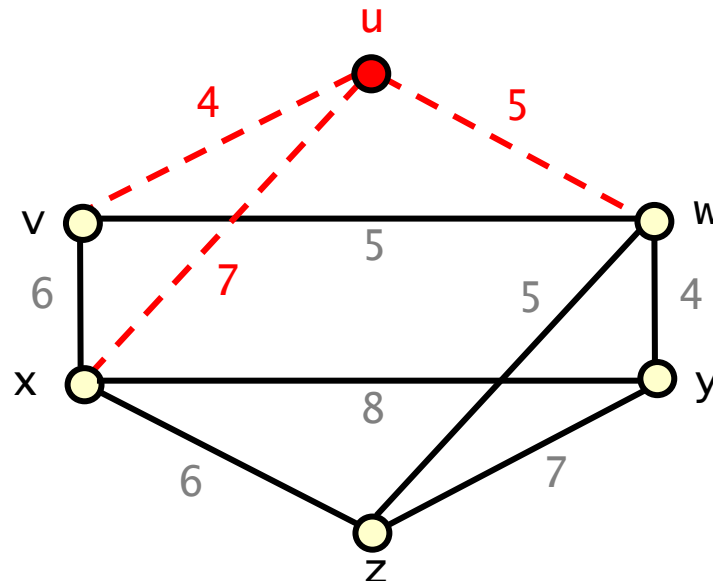


The Prim-Jarnik algorithm – Example

Weighted graph **G**



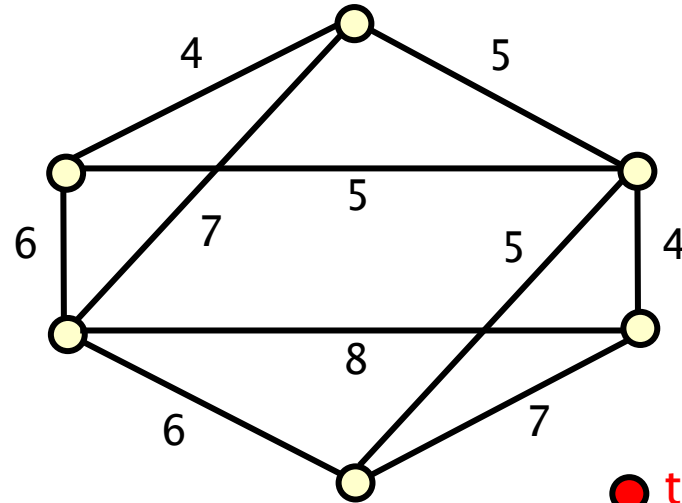
● tree vertices: **u**
○ non-tree vertices: **v, w, x, y, z**



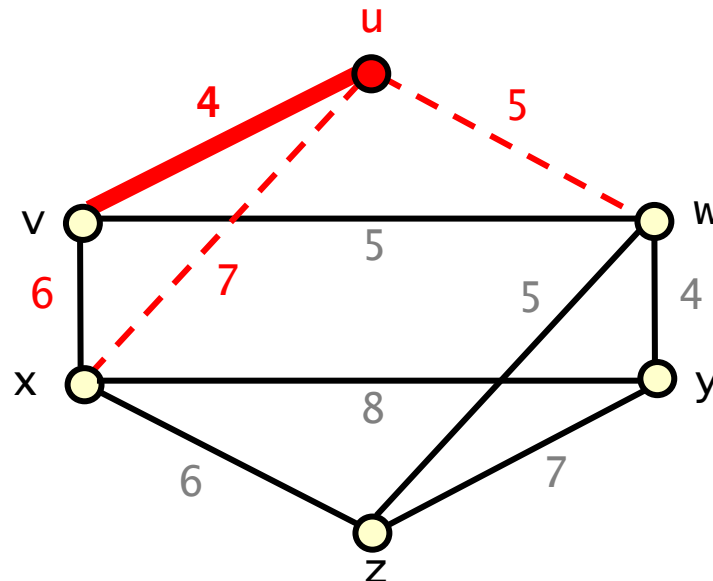
consider all
tree vertex
and **non-tree**
vertex edges

The Prim-Jarnik algorithm – Example

Weighted graph **G**



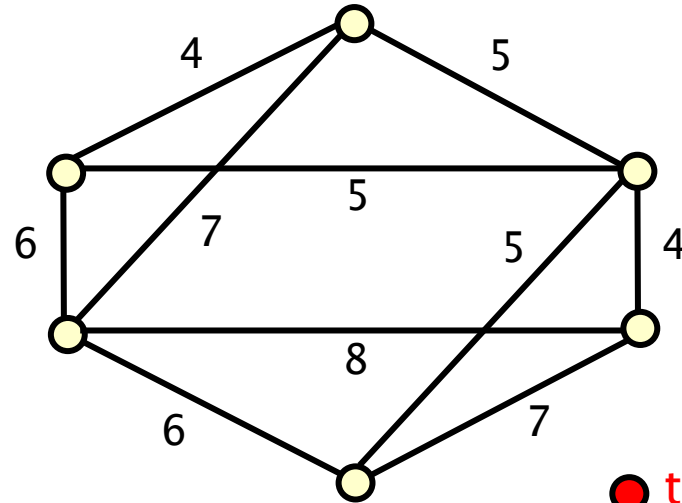
● tree vertices: **u**
○ non-tree vertices: **v, w, x, y, z**



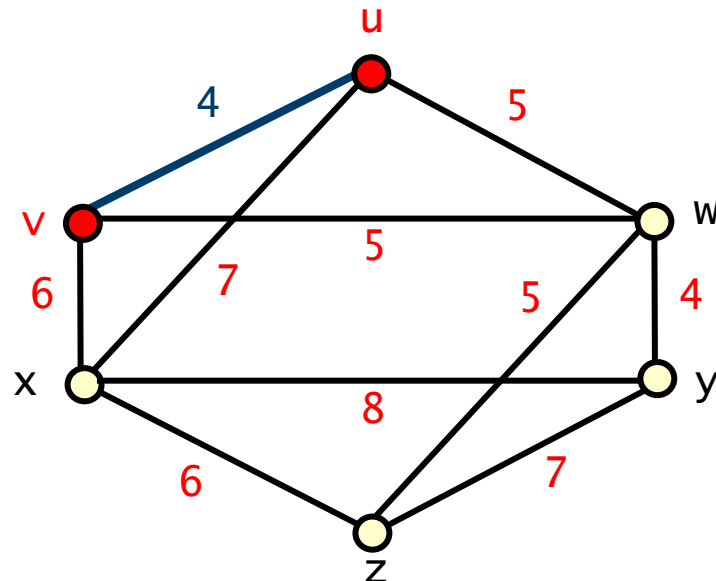
minimum such
edge is **{u, v}**

The Prim-Jarnik algorithm – Example

Weighted graph **G**



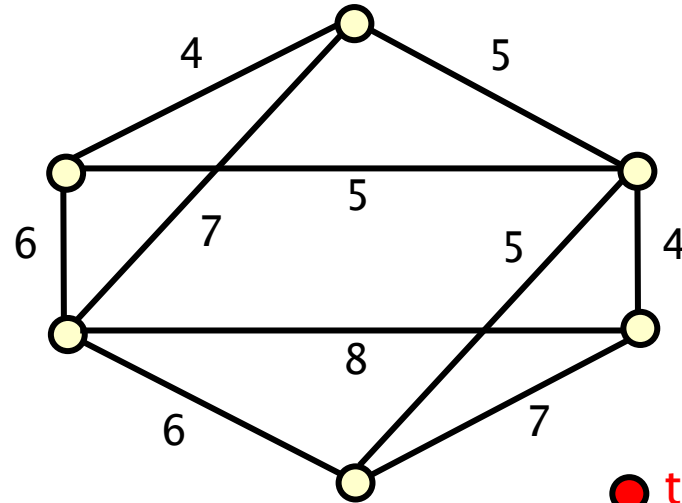
● tree vertices: u, v
○ non-tree vertices: w, x, y, z



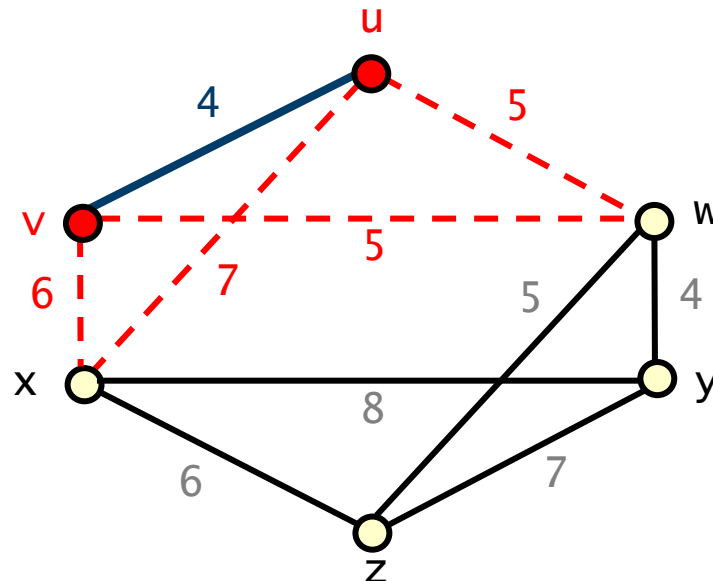
make **v** a tree vertex
& add edge to the
tree

The Prim-Jarnik algorithm – Example

Weighted graph **G**



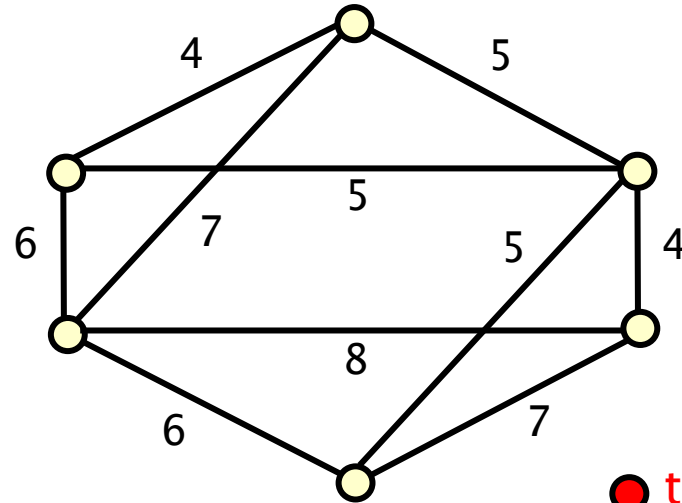
● tree vertices: u, v
○ non-tree vertices: w, x, y, z



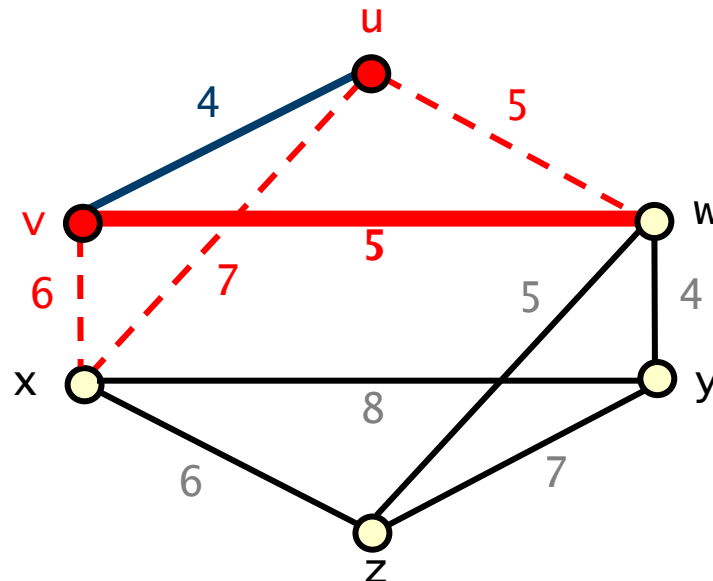
consider all
tree vertex
and non-tree
vertex edges

The Prim-Jarnik algorithm – Example

Weighted graph **G**



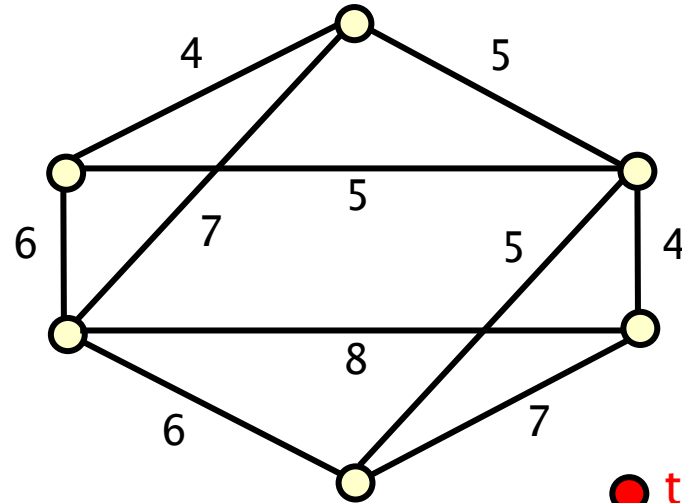
● tree vertices: u, v
○ non-tree vertices: w, x, y, z



minimum such
edge is $\{v, w\}$

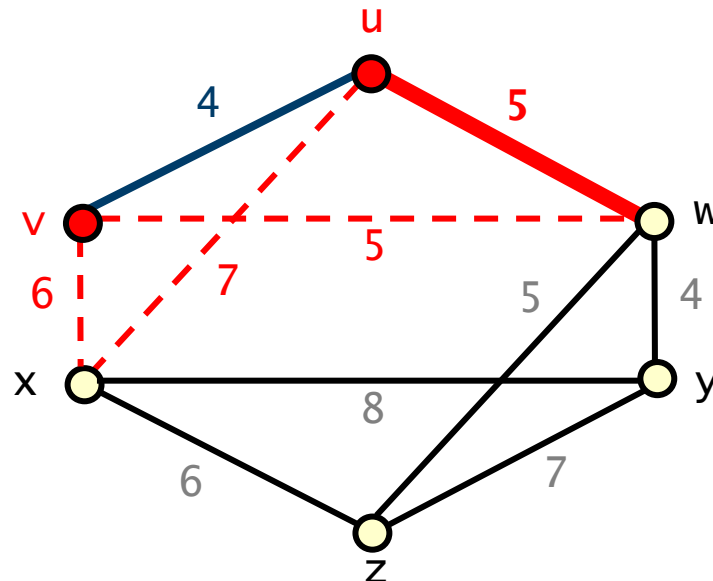
The Prim-Jarnik algorithm – Example

Weighted graph **G**



● tree vertices: u, v
○ non-tree vertices: w, x, y, z

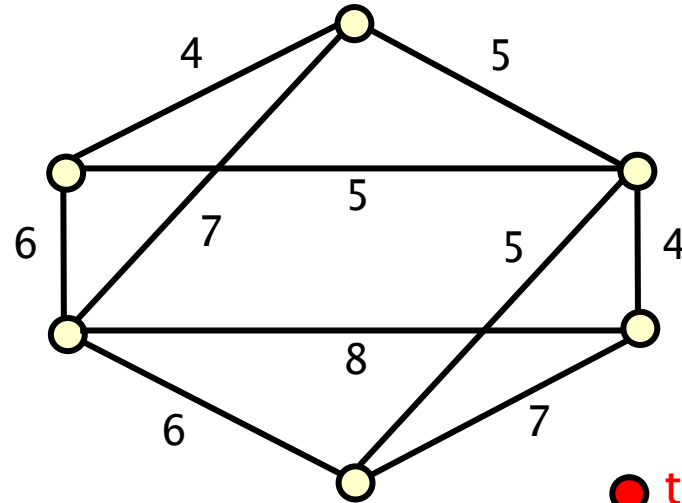
could also have
chosen $\{u, w\}$



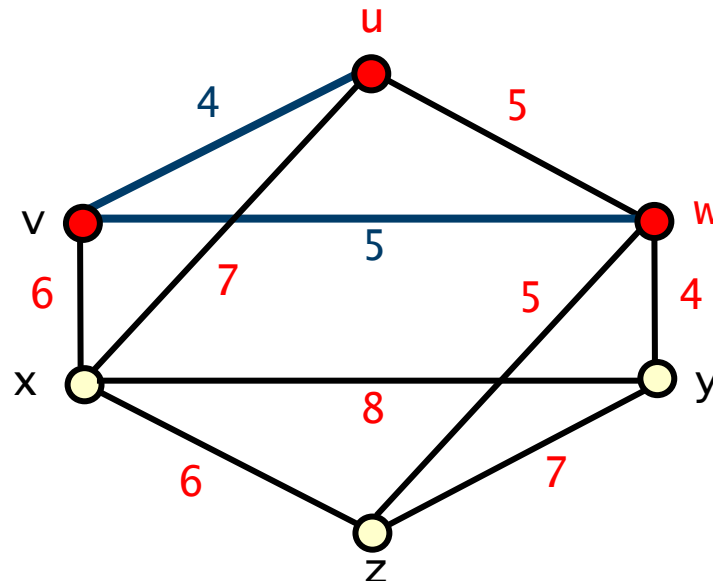
minimum such
edge is $\{v, w\}$

The Prim-Jarnik algorithm – Example

Weighted graph **G**



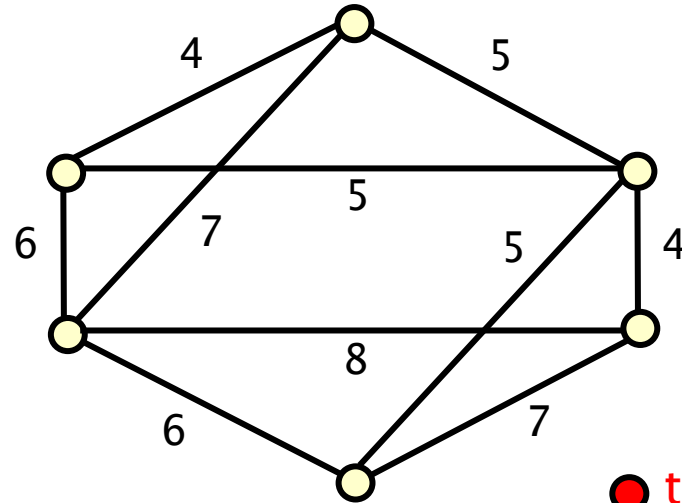
● tree vertices: u, v, w
○ non-tree vertices: x, y, z



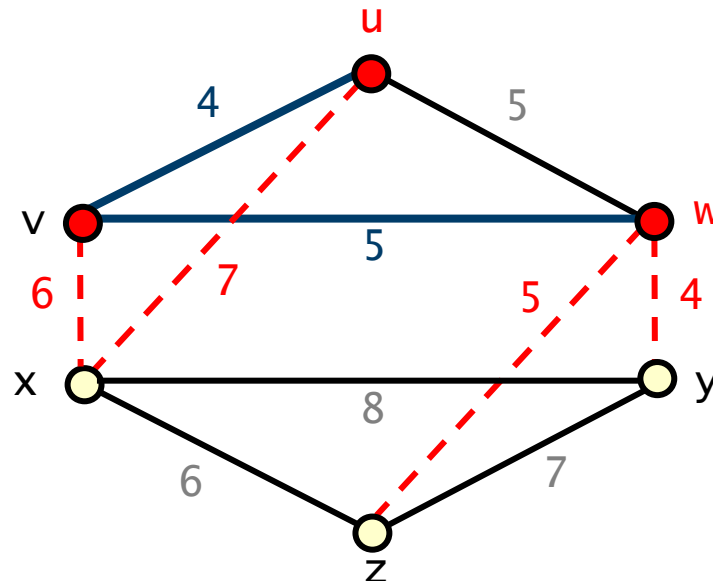
make **w** a tree vertex
& add edge to the tree

The Prim-Jarnik algorithm – Example

Weighted graph **G**



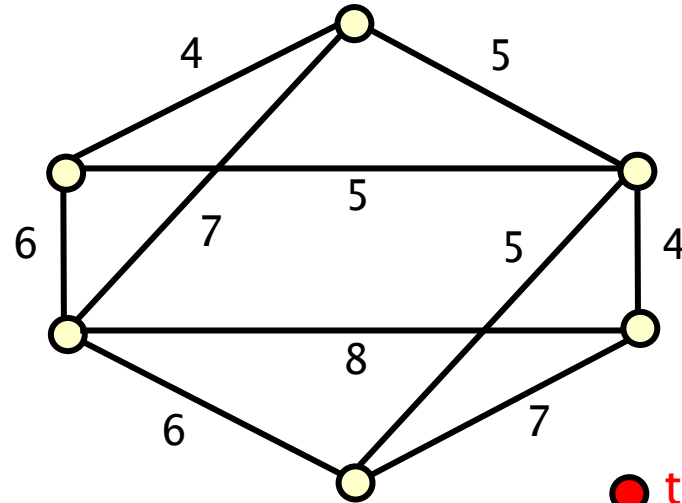
● tree vertices: u, v, w
○ non-tree vertices: x, y, z



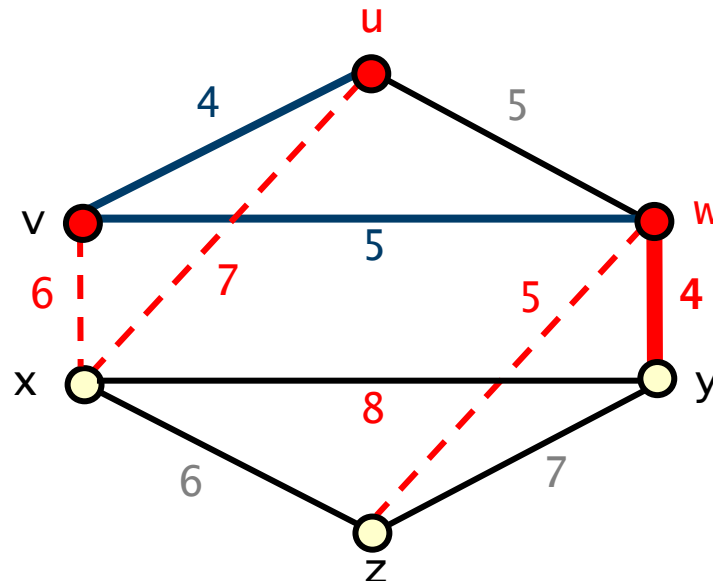
consider all
tree vertex
and non-tree
vertex edges

The Prim-Jarnik algorithm – Example

Weighted graph **G**



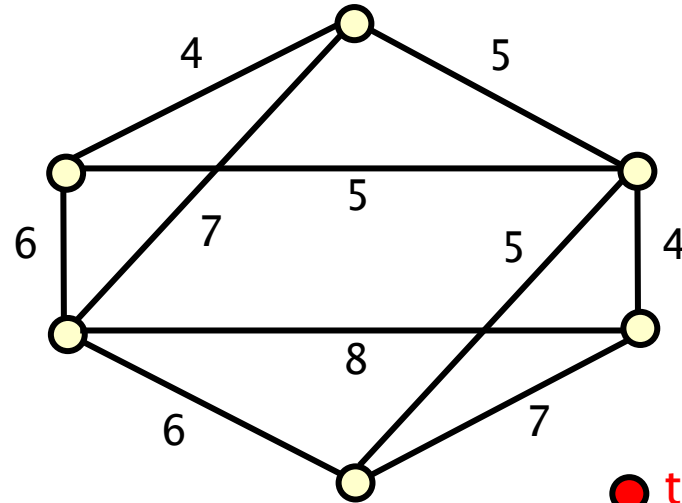
● tree vertices: u, v, w
○ non-tree vertices: x, y, z



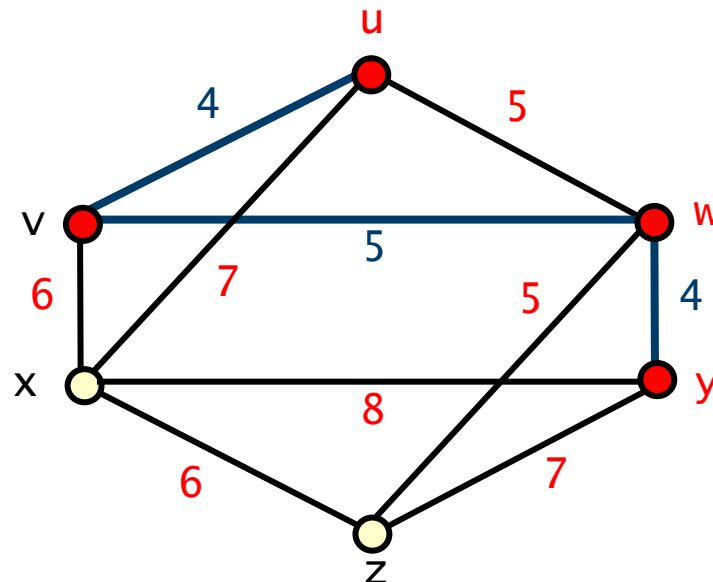
minimum such
edge is $\{w, y\}$

The Prim-Jarnik algorithm – Example

Weighted graph **G**



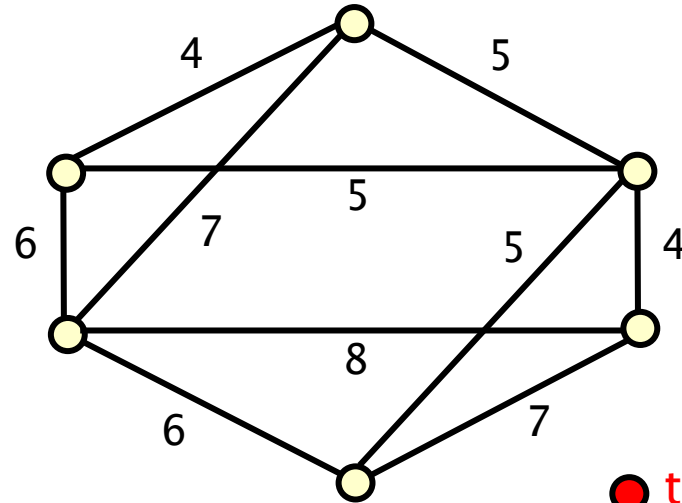
● tree vertices: u, v, w, y
○ non-tree vertices: x, z



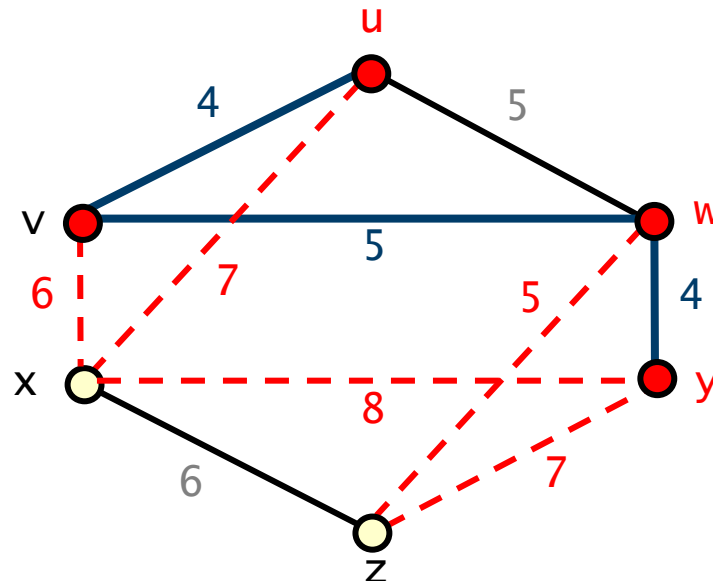
make y a tree vertex
& add edge to the tree

The Prim-Jarnik algorithm – Example

Weighted graph **G**



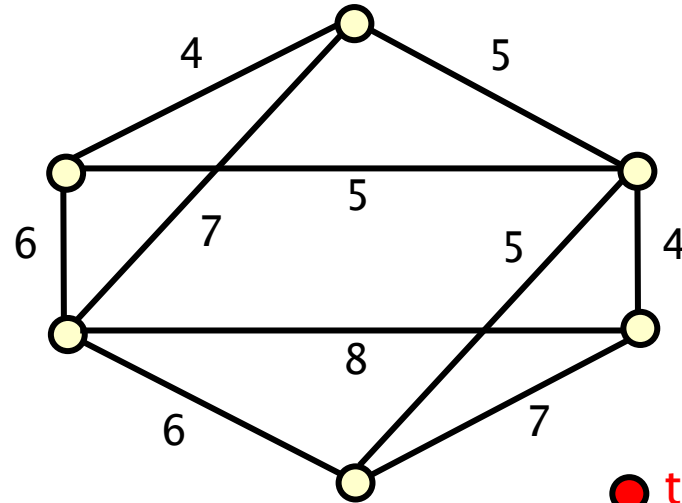
● tree vertices: u, v, w, y
○ non-tree vertices: x, z



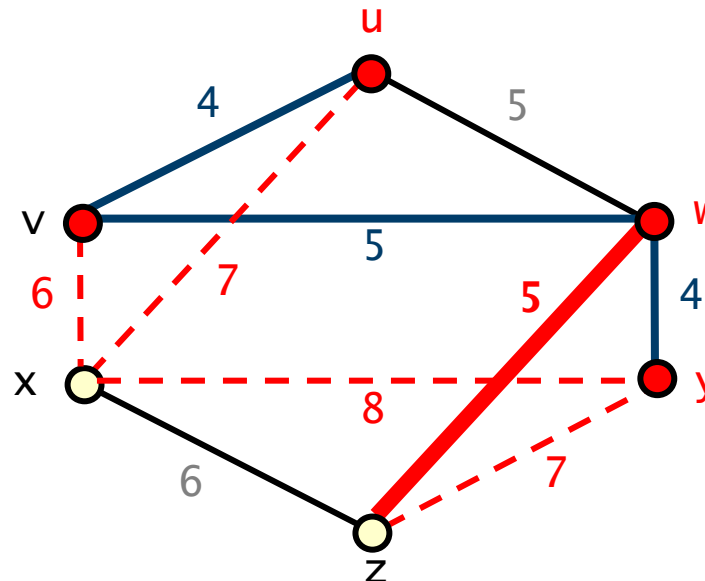
consider all
tree vertex
and non-tree
vertex edges

The Prim-Jarnik algorithm – Example

Weighted graph **G**



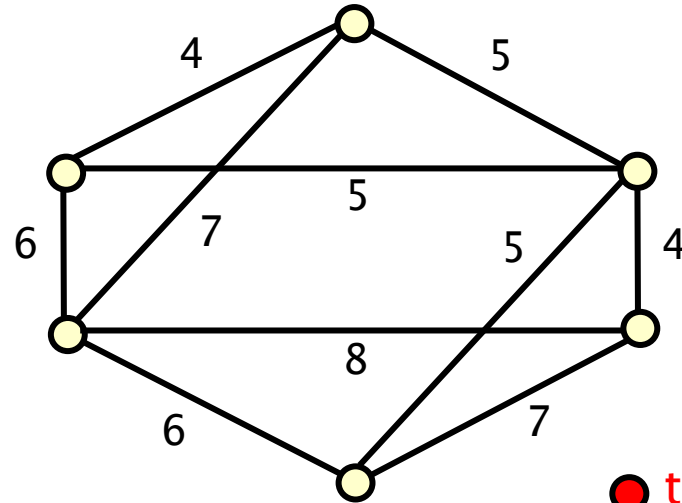
● tree vertices: u, v, w, y
○ non-tree vertices: x, z



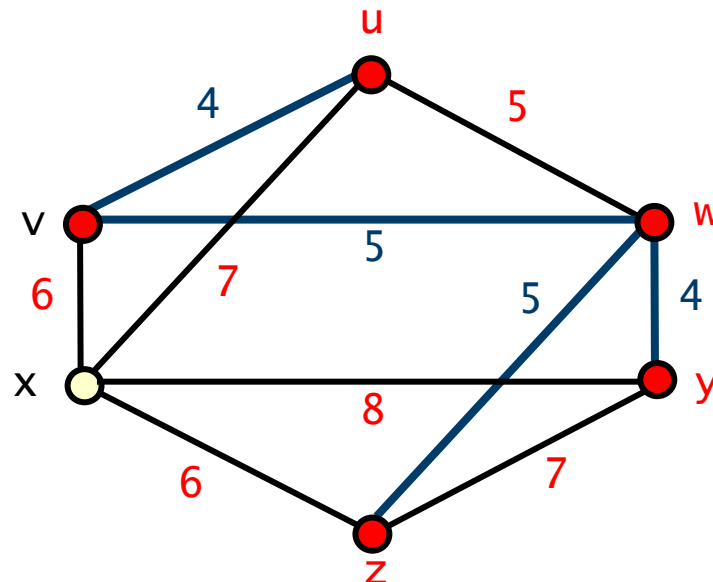
minimum such
edge is $\{w, z\}$

The Prim-Jarnik algorithm – Example

Weighted graph **G**



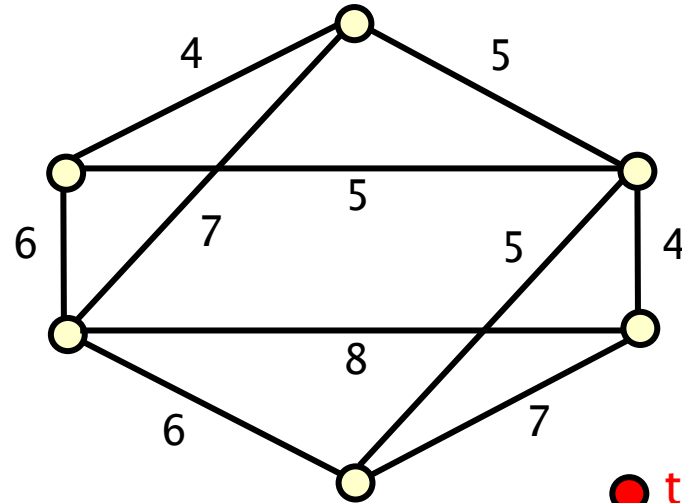
● tree vertices: u, v, w, y, z
○ non-tree vertices: x



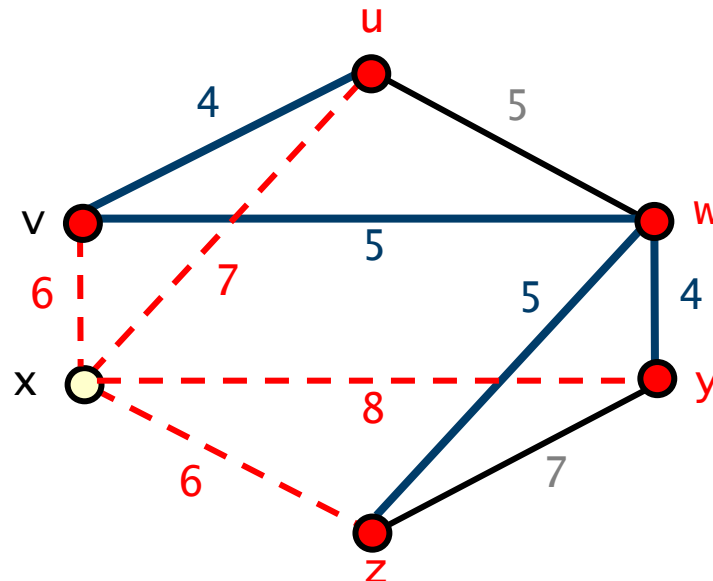
make **z** a tree vertex
& add edge to the tree

The Prim-Jarnik algorithm – Example

Weighted graph **G**



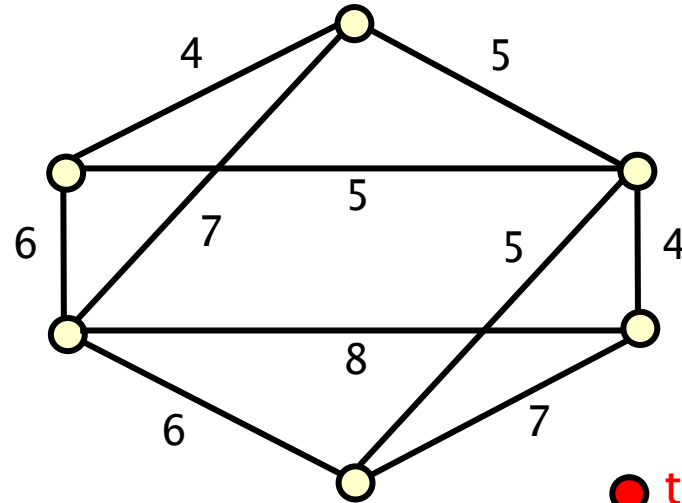
● tree vertices: u, v, w, y, z
○ non-tree vertices: x



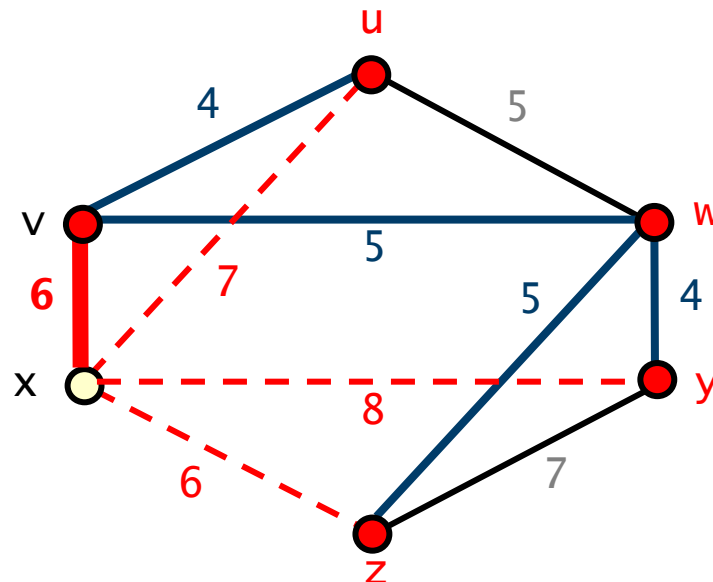
consider all
tree vertex
and non-tree
vertex edges

The Prim-Jarnik algorithm – Example

Weighted graph **G**



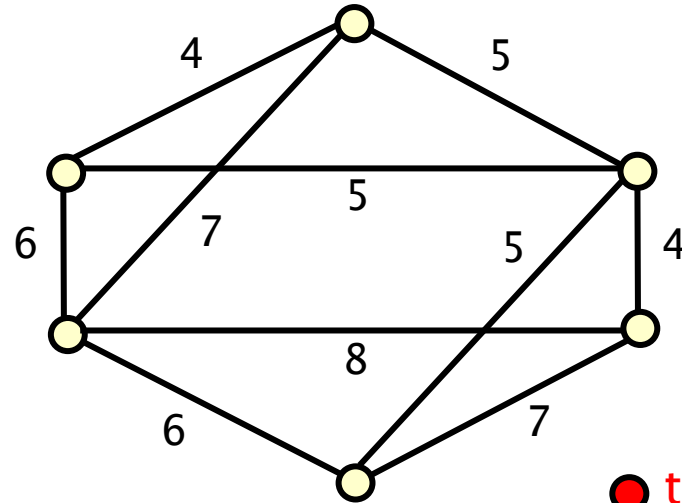
● tree vertices: u, v, w, y, z
○ non-tree vertices: x



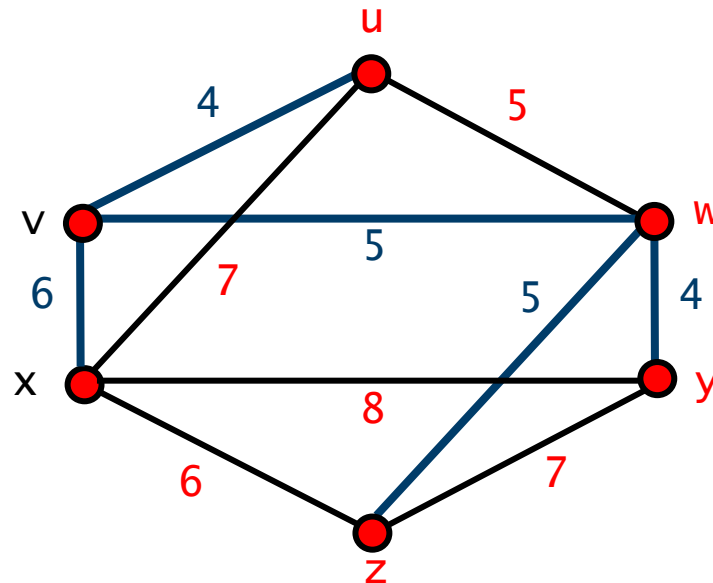
minimum such
edge is $\{x, v\}$

The Prim-Jarnik algorithm – Example

Weighted graph **G**



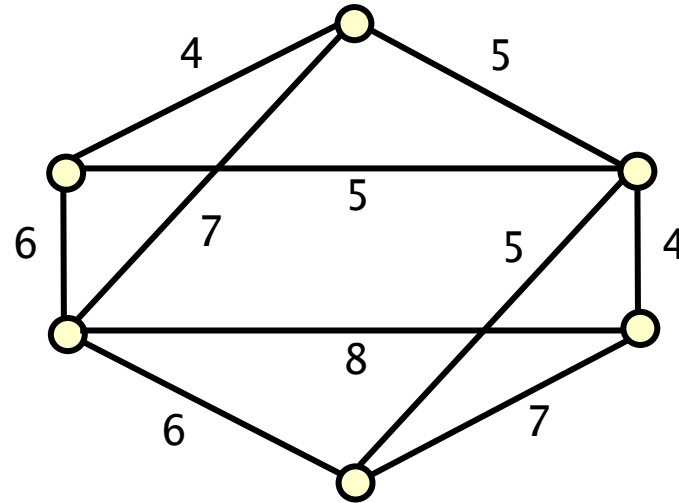
● tree vertices: u, v, w, x, y, z
○ non-tree vertices:



make **x** a tree vertex
& add edge to the tree

The Prim-Jarnik algorithm – Example

Weighted graph **G**



Minimum spanning
tree for **G**

– weight **24**

