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Course title:	COMPSCI4013 Database Systems (H)
Questions answered:	ALL

```
A.
1.
a)
SELECT MID, MAX(Price)
FROM VEHICLE
GROUP BY MID;
b)
SELECT MID, Price
FROM VEHICLE AS I
WHERE Price >= ALL (
  SELECT Price
 FROM VEHICLE AS J
 WHERE I.MID = J.MID
);
c)
SELECT MID, COUNT(*)
FROM VEHICLE
WHERE Price > 100,000 AND MID IN (
  SELECT I.MID
  FROM VEHICLE I
  GROUP BY I.MID
  HAVING COUNT(*) > 1000)
GROUP BY MID;
```

B.

2.

a)

If n = number of clusters; and b = numbers of blocks:

- bfr = floor(B/R) = floor(512/250) = 2 records/block
- b = ceil(r/bfr) = ceil(10,000 / 2) = 5000
- n = 100
- Linear search cost for equality selection = b \* (n+1) / 2n = 5000 \* 101 / 200 = 2525 block accesses
- s = r/n = 10,000 / 100 = 100 employees per department
- d = 29 10 + 1 = 20 departments being searched
- Linear search for query = 2525 + d \* s / bfr = 2525 + 20 \* 100 / 2 = 3525 block accesses

b) If  $m = bfr = 2 \frac{\text{records/block}}{\text{block}}$ ,  $t = \frac{\log_{m(b)} = \text{ceil}(\log_{2}(5000))}{13 \text{ levels}}$ 

Cost = t + 1 + d \* s / bfr = 14 + 1000 = 1014 block accesses

Index entry:  $V_DNO + P = 50 + 10 = 60$  bytes

ibfr = m = floor(B/(V+P)) = floor(512/60) = 8 index entries/block

ib = ceil(r/ibfr) = ceil(10,000/8) = 1250 index blocks

b2 = ceil(ib/m) = ceil(1250/8) = 157 blocks

b3 = ceil(b2/m) = ceil(157/8) = 20 blocks

b4 = ceil(b3/m) = ceil(20/8) = 3 blocks

b5 = ceil(b4/m) = ceil(3/8) = 1 block

=> t = 5

5-level clustering index (clustering as L-1) cost = t + d / bfr = 5 + 20/2 = 15 block accesses

c)  $m < 2^{(b(n-1)/2n)}$ 

Linear search cost for equality selection = b \* (n+1) / 2n

An equality selection from the multilevel clustering index would only require t + 1 (6) block accesses. Since the blocking factor is 2, there are 10 records in the first 5 blocks, which means that the largest record in those 10 (DNO=x=10) would be the maximum DNO value before using Clustering index would be more beneficial.

## C.

3.

a)

Clustering Index over AGE in EMPLOYEE:

- Index entry: {AGE, pointer}
- Index entry size = 50 (EMPLOYEE attribute size) + V = 50 + 50 = 100 bytes
- ibfr = floor(B/50+V) = floor(256/100) = 2 entries/block
- Index entries = 65 25 + 1 (inclusive) = 41
- Index blocks ib = ceil(41/2) = 21
- Index entries = NDV(AGE) = 100
- Index entries = ceil(100/2) = 50

Clustering Index over ESSN in DEPENDENT:

- Index entry: {ESSN, pointer}
- Index entry size = 50 (DEPENDENT attributes size) + V = 100 bytes
- ibfr = floor(B/50+V) = floor(256/100) = 2
- Index entries = NDV(ESSN) = 50
- Index blocks ib = ceil(50/2) = 25

b)

Plan 1: First do range selection (AGE >= 45), then join:

- $sI(AGE>=45) = (65-45)/(65-25) = 20/40 = \frac{1}{2}$
- Cost(AGE) = t + 1 + r\*sl(AGE) = 1 + 1 + 1000 \* 1/2 = 502 block accesses < 5000 (memory)
- $Cost(AGE) = log2(ib\_AGE) + ceil(r*sl(AGE)/f) 1 = log2(50) + ceil(1000 * <math>\frac{1}{2}$  / 2) 1 = 5.64 + 250 1 = 254.64 block accesses < 5000 (memory)

Plan 2: First join relations, then select:

- Join with index-based Nested Loop Join (choose DEPENDENT as outer relation since r\_D < r\_E)</li>
- n B = 5000 (memory) blocks
- Cost(JOIN) = r\_D + r\_E \* ceil(r\_D/(n\_B 2)) = 500 + 1000 \* ceil(500/4998) = 1500 block accesses

In conclusion, Plan 1 (first select, then join) is better since 254.64 < 1500