

1.

- a) $\Pi_{model_no}(\sigma_{speed \geq 3.00}(PCs))$
- b) $\Pi_{company}(\sigma_{hd \geq 1000}(PCs) \bowtie Manufacturers)$
- c) $\Pi_{model_no, price}(\sigma_{company="Samsung"}(PCs \times Smartphones \bowtie Manufacturers))$
- d) $\Pi_{company}(\sigma_{device_type="PC"}(Manufacturers)) - \Pi_{company}(\sigma_{device_type="smartphones"}(Manufacturers))$
- e) $\Pi_{r1.hd}(\sigma_{r1.hd=r2.hd \wedge r1.model \neq r2.model}(\rho_{r1}(PCs) \times \rho_{r2}(PCs)))$
- f) $\Pi_{sp1.model, sp2.model}(\sigma_{sp1.speed=sp2.speed \wedge sp1.ram=sp2.ram \wedge sp1.model > sp2.model}(\rho_{sp1}(Smartphones) \times \rho_{sp2}(Smartphones)))$
- g) Reasonably assuming different types of devices have different model numbers.

$$\rho_{temp}((\Pi_{model}(\sigma_{speed \geq 3.00}(PCs)) \cup \Pi_{model}(\sigma_{speed \geq 3.00}(Smartphones))) \bowtie Manufacturers)$$

$$\Pi_{company}(\sigma_{temp.company=temp2.company \wedge temp.model \neq temp2.model}(temp \times \rho_{temp2}(temp)))$$

- h) $\rho_{all}(\Pi_{model, speed}(PCs) \cup \Pi_{model, speed}(Smartphones))$
- $\Pi_{company}(Manufacturers \bowtie (\Pi_{model}(all) - \Pi_{model}(\sigma_{a1.speed < a2.speed}(\rho_{a1}(all) \times \rho_{a2}(all)))))$

2.

- a) $temp \leftarrow \Pi_{isbn}(\sigma_{publisher="McGraw-Hill"}(books))$
- $\Pi_{name}(member \bowtie borrowed \bowtie temp)$
- b) $temp \leftarrow \Pi_{isbn}(\sigma_{publisher="McGraw-Hill"}(books))$
- $temp2 \leftarrow \sigma_{count > 5}(memb_no \mathcal{G}_{distinct-count}(isbn)(borrowed \bowtie temp))$
- $\Pi_{name, memb_no}(temp2 \bowtie member)$
- c) $temp \leftarrow member \bowtie borrowed \bowtie (\sigma_{publisher="McGraw-Hill"}(books))$
- $\Pi_{name}(\sigma_{count(isbn) > 5}((memb_no \mathcal{G}_{count-distinct}(isbn)(temp))))$
- d) $temp \leftarrow member \bowtie borrowed \bowtie books$
- $\Pi_{publisher, name, memb_no}(\sigma_{count(isbn) > 5}((publisher, memb_no \mathcal{G}_{count-distinct}(isbn)(temp))))$