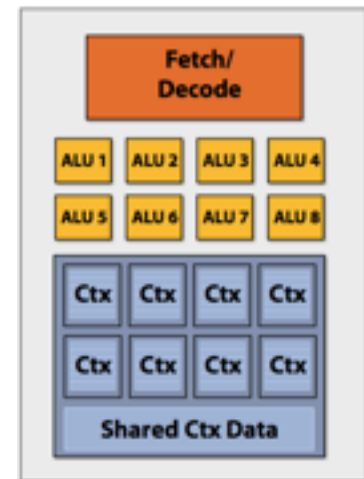
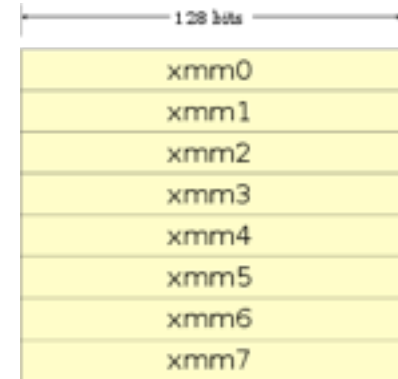


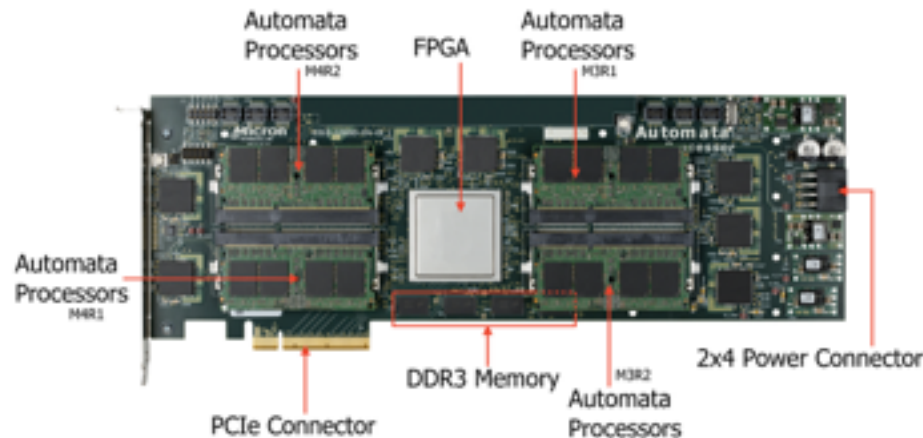
# Lect. 2: Types of Parallelism

- Parallelism in Hardware (Uniprocessor)
  - Parallelism in a Uniprocessor
    - Pipelining
    - Superscalar, VLIW etc.
  - SIMD instructions, Vector processors, GPUs
  - Multiprocessor
    - Symmetric shared-memory multiprocessors
    - Distributed-memory multiprocessors
    - Chip-multiprocessors a.k.a. Multi-cores
  - Multicomputers a.k.a. clusters
- Parallelism in Software
  - Instruction level parallelism
  - Task-level parallelism
  - Data parallelism
  - Transaction level parallelism



# Taxonomy of Parallel Computers

- According to instruction and data streams (Flynn):
  - Single instruction single data (**SISD**): this is the standard uniprocessor
  - Single instruction, multiple data streams (**SIMD**):
    - Same instruction is executed in all processors with different data
    - E.g., Vector processors, SIMD instructions, GPUs
  - Multiple instruction, single data streams (**MISD**):
    - Different instructions on the same data
    - Fault-tolerant computers, Near memory computing (Micron Automata processor).



# Taxonomy of Parallel Computers

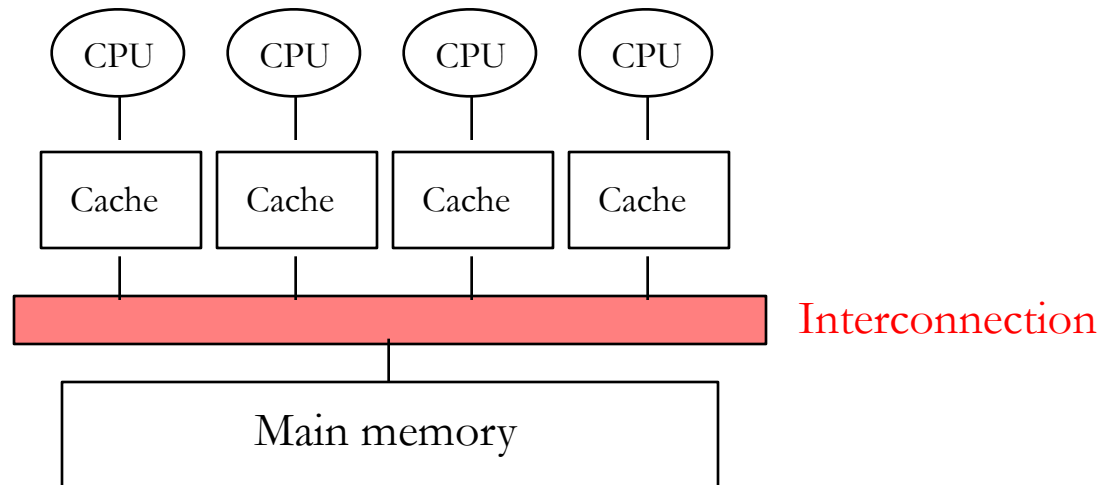
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- According to instruction and data streams (Flynn):
  - Single instruction single data (**SISD**): this is the standard uniprocessor
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    - E.g., Vector processors, SIMD instructions, GPUs
  - Multiple instruction, single data streams (**MISD**):
    - Different instructions on the same data
    - Fault-tolerant computers, Near memory computing (Micron Automata processor).
  - Multiple instruction, multiple data streams (**MIMD**): the “common” multiprocessor
    - Each processor uses its own data and executes its own program
    - Most flexible approach
    - Easier/cheaper to build by putting together “off-the-shelf” processors



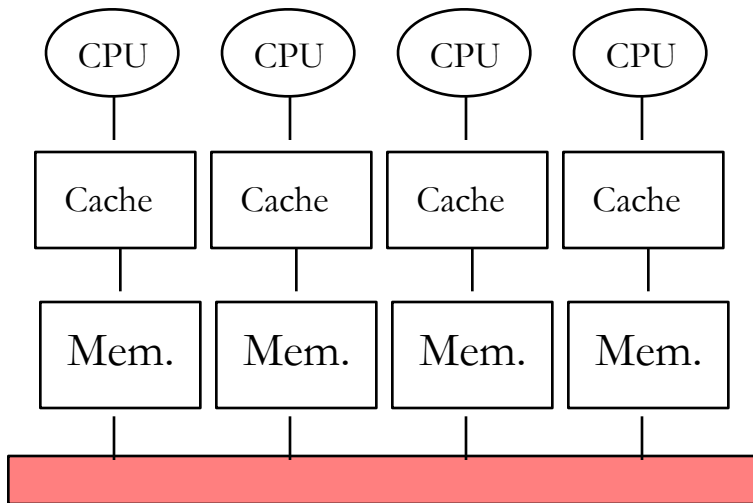
# Taxonomy of Parallel Computers

- According to physical organization of processors and memory:
  - Physically centralized memory, uniform memory access (UMA)
    - All memory is allocated at same distance from all processors
    - Also called symmetric multiprocessors (SMP)
    - Memory bandwidth is fixed and must accommodate all processors → does not scale to large number of processors
    - Used in CMPs today (single-socket ones)

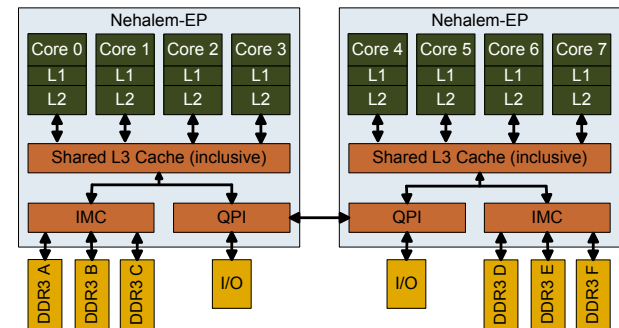


# Taxonomy of Parallel Computers

- According to physical organization of processors and memory:
  - Physically distributed memory, non-uniform memory access (NUMA)
    - A portion of memory is allocated with each processor (node)
    - Accessing **local** memory is much faster than **remote** memory
    - If most accesses are to local memory then overall memory bandwidth increases linearly with the number of processors
    - Used in multi-socket CMPs E.g Intel Nehalem



Node



Interconnection



# Taxonomy of Parallel Computers

---

- According to memory communication model
  - Shared address or shared memory
    - Processes in different processors can use the same virtual address space
    - Any processor can directly access memory in another processor node
    - Communication is done through shared memory variables
    - Explicit synchronization with locks and critical sections
    - Arguably easier to program??
  - Distributed address or message passing
    - Processes in different processors use different virtual address spaces
    - Each processor can only directly access memory in its own node
    - Communication is done through explicit messages
    - Synchronization is implicit in the messages
    - Arguably harder to program??
    - Some standard message passing libraries (e.g., MPI)



# Shared Memory vs. Message Passing

---

- Shared memory

Producer (p1)

```
flag = 0;
```

```
...
```

```
a = 10;
```

```
flag = 1;
```

Consumer (p2)

```
flag = 0;
```

```
...
```

```
while (!flag) {}
```

```
x = a * y;
```



- Message passing

Producer (p1)

```
...
```

```
a = 10;
```

```
send(p2, a, label);
```

Consumer (p2)

```
...
```

```
receive(p1, b, label);
```

```
x = b * y;
```



# Types of Parallelism in Applications

---

- Instruction-level parallelism (ILP)
  - Multiple instructions from the same instruction stream can be executed concurrently
  - Generated and managed by hardware (superscalar) or by compiler (VLIW)
  - Limited in practice by data and control dependences
- Thread-level or task-level parallelism (TLP)
  - Multiple threads or instruction sequences from the same application can be executed concurrently
  - Generated by compiler/user and managed by compiler and hardware
  - Limited in practice by communication/synchronization overheads and by algorithm characteristics





# Types of Parallelism in Applications

---

- Data-level parallelism (DLP)
  - Instructions from a single stream operate concurrently on several data
  - Limited by non-regular data manipulation patterns and by memory bandwidth
- Transaction-level parallelism
  - Multiple threads/processes from different transactions can be executed concurrently
  - Limited by concurrency overheads

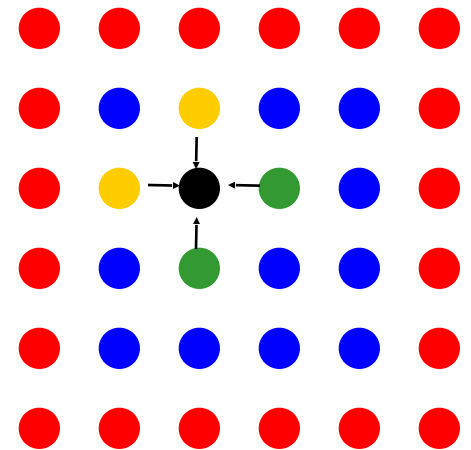


# Example: Equation Solver Kernel

- The problem:
  - Operate on a  $(n+2) \times (n+2)$  matrix
  - Points on the rim have fixed value
  - Inner points are updated as:

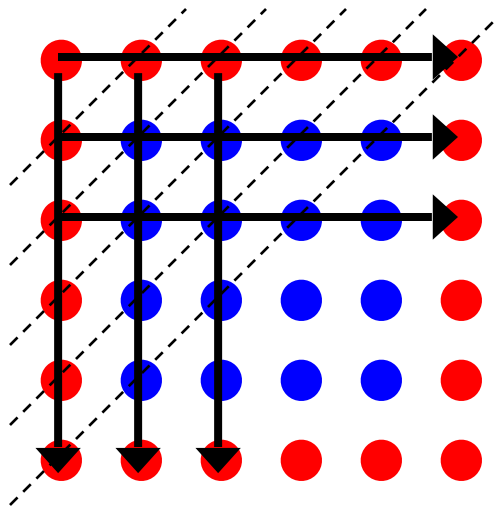
$$A[i,j] = 0.2 \times (A[i,j] + A[i,j-1] + A[i-1,j] + A[i,j+1] + A[i+1,j])$$

- Updates are in-place, so top and left are new values and bottom and right are old ones
- Updates occur at multiple sweeps
- Keep difference between old and new values and stop when difference for all points is small enough



# Example: Equation Solver Kernel

- Dependences:
  - Computing the new value of a given point requires the new value of the point directly above and to the left
  - By transitivity, it requires all points in the sub-matrix in the upper-left corner
  - Points along the top-right to bottom-left diagonals can be computed independently



# Example: Equation Solver Kernel

---

- ILP version (from sequential code):
  - Some machine instructions from each  $j$  iteration can occur in parallel
  - Branch prediction allows overlap of multiple iterations of  $j$  loop
  - Some of the instructions from multiple  $j$  iterations can occur in parallel

```
while (!done) {  
    diff = 0;  
    for (i=1; i<=n; i++) {  
        for (j=1; j<=n; j++) {  
            temp = A[i,j];  
            A[i,j] = 0.2*(A[i,j]+A[i,j-1]+A[i-1,j] +  
                A[i,j+1]+A[i+1,j]);  
            diff += abs(A[i,j] - temp);  
        }  
    }  
    if (diff/(n*n) < TOL) done=1;  
}
```



# Example: Equation Solver Kernel

---

- TLP version (shared-memory):

```
int mymin = 1+(pid * n/P);
int mymax = mymin + n/P - 1;

while (!done) {
    diff = 0; mydiff = 0;
    for (i=mymin; i<=mymax; i++) {
        for (j=1; j<=n; j++) {
            temp = A[i,j];
            A[i,j] = 0.2*(A[i,j]+A[i,j-1]+A[i-1,j] +
                A[i,j+1]+A[i+1,j]);
            mydiff += abs(A[i,j] - temp);
        }
    }
    lock(diff_lock); diff += mydiff; unlock(diff_lock);
    barrier(bar, P);
    if (diff/(n*n) < TOL) done=1;
    barrier(bar, P);
}
```



# Example: Equation Solver Kernel

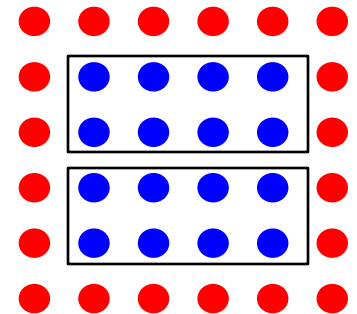
- TLP version (shared-memory) (for 2 processors):

- Each processor gets a chunk of rows
  - E.g., processor 0 gets: `mymin=1` and `mymax=2`  
and processor 1 gets: `mymin=3` and `mymax=4`

```
int mymin = 1+(pid * n/P);  
int mymax = mymin + n/P - 1;
```

```
while (!done) {  
    diff = 0; mydiff = 0;  
    for (i=mymin; i<=mymax; i++) {  
        for (j=1; j<=n; j++) {  
            temp = A[i,j];  
            A[i,j] = 0.2*(A[i,j]+A[i,j-1]+A[i-1,j] +  
                A[i,j+1]+A[i+1,j]);  
            mydiff += abs(A[i,j] - temp);  
        }  
    }  
}
```

...



# Example: Equation Solver Kernel

- TLP version (shared-memory):
  - All processors can access freely the same data structure A
  - Access to diff, however, must be in turns
  - All processors update together their own **done** variable

...

```
for (i=mymin; i<=mymax; i++) {
```

```
  for (j=1; j<=n; j++) {
```

```
    temp = A[i,j];
```

```
    A[i,j] = 0.2*(A[i,j]+A[i,j-1]+A[i-1,j] +  
                A[i,j+1]+A[i+1,j]);
```

```
    mydiff += abs(A[i,j] - temp);
```

```
  }
```

```
}
```

```
lock(diff_lock); diff += mydiff; unlock(diff_lock);
```

```
barrier(bar, P);
```

```
if (diff/(n*n) < TOL) done=1;
```

```
barrier(bar, P);
```

```
}
```



# Types of Speedups and Scaling

---

- Scalability: adding  $x$  times more resources to the machine yields close to  $x$  times better “performance”
  - Usually resources are processors (but can also be memory size or interconnect bandwidth)
  - Usually means that with  $x$  times more processors we can get  $\sim x$  times speedup for the same problem
  - In other words: How does efficiency (see Lecture 1) hold as the number of processors increases?
- In reality we have different scalability models:
  - Problem constrained
  - Time constrained
- Most appropriate scalability model depends on the user interests





# Types of Speedups and Scaling

---

- Problem constrained (PC) scaling:
  - Problem size is kept fixed
  - Wall-clock execution time reduction is the goal
  - Number of processors and memory size are increased
  - “Speedup” is then defined as:

$$S_{PC} = \frac{\text{Time}(1 \text{ processor})}{\text{Time}(p \text{ processors})}$$

- Example: Weather simulation that does not complete in reasonable time



# Types of Speedups and Scaling

---

- Time constrained (TC) scaling:
  - Maximum allowable execution time is kept fixed
  - Problem size increase is the goal
  - Number of processors and memory size are increased
  - “Speedup” is then defined as:

$$S_{TC} = \frac{\text{Work}(p \text{ processors})}{\text{Work}(1 \text{ processor})}$$

- Example: weather simulation with refined grid

