11/8 conjecture Sep 16 Ti(X) = <1>. topological 4-manifolds. Thm 1) $N_{i} \cong N_{2} \iff Q_{N_{i}} \cong Q_{N_{i}} \text{ and } ks(N_{i}) = ks(N_{i}) \in H_{4}(X_{i}, \mathbb{Z}_{2})$ 2) Q not even, Q anst modular and sympletic det Q = ±1.

Q intersection from H2 & H2 -> 72 $(\alpha, \beta) \longmapsto (\alpha \Lambda \beta, \mathcal{I}M) >$ y (Q, k) ∈ Quadre forms × Hq (X, Kr) $\exists X: QN=Q ks(N)=k$ 3) Q even = 7x. Qx = Q k (X) = k (a) k = 00 (mod 2). Thun (Poraldson). Assume Q is definite. If Q = QM, M smooth shaply closed 4-ding them Q = n(1) or n[-1] positive det negative det. Yang-Mills YM(D) = [MFp] $4D \cdot F = F^{\dagger} + F^{-}$ $\partial n^2(k) = -C_2(\gamma)(M) = -\int_M f_{\Lambda}(F \wedge F).$ Det: monopole change llh= = [+ Fp = Fo] / gange is 5-dom.



