Fall 2021 MATH241 Discussion

This document can be found on my website, named as "Discussion notes". If needed, I will update further information in the same document.

Time & location

• Section BDH: TR 2-3pm, 441 Altgeld

• Section BDI: TR 3-4pm, 441 Altgeld

Contact

• Email: xinran4@illinois.edu. Please included MATH241 and your section number in your email subject. If you don't get a reply in two days, feel free to send me a reminder.

• Office hour: Wed 4-6pm on Zoom¹

Covid related

- Face mask is required all the time during discussion.
- Face shield is in general not acceptable unless one holds a DRES accommodation letter².
- Student will be asked to leave if not wearing a proper face covering. If the student refuse to leave, the class will be dismissed and I'll have to report this to the undergraduate office.
- In the case one tested positive, status can be checked by your instructor. I'll have to verify it before giving any excuse³.

Worksheet

- I will print copies and bring it to the classroom.
- You'll find group number written at the up right corner.
- If you prefer to work on a electronic version, you can find the worksheets on Moodle under "Worksheets" folder.
- The worksheets are long and you might not be able to finish them in calss, so you don't have to write down every single step.
- Solutions will be avaliable on Moodle at 5pm after discussion sections are done.
- Ask for hints when you get stuck on a problem.

Grading

- Attendance is required in order to get full grade for discussion.
- $\bullet\,$ You shouldn't come to the class if you are sick.
- The lowest 4 scores will be dropped in order to remediate unforeseen illness, change of location or any possible reason for missing a class.

 $^{^{1}\}mathrm{Office}$ hour is run for all students in MATH241, regardless of section.

 $^{^2}$ See accommodation below for more information.

³Also see the grading section below.

- If you were ill for more than 4 classes and want to see if you could be excused from that, you'll need to provide documents such as DRES letter to your instructor.
- Worksheets will be graded in a scale of 0-5. They are **not** graded for correctness.
- Most likely you'll get a full mark. In case you are interested, here is a sample grading scale:
 - 5 Most likely you'll get a full mark
 - 4 Being late or leave early for 15 min
 - 3 Being late or leave early for 25 min
 - 2 Being late or leave early for 35 min
 - 1 Not doing anything at all during the class
 - 0 Not showing up for any reason.

Accommodation

- Please contact the Disability Resources & Educational Services (DRES), if you need any sort of accommodation.
- You'll need to email **both your instructor and me** once you get the accommodation letter.

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Worksheet 1

Chain rule

If $h(x) = g \circ f(x)$, then

$$h'(x) = g'(f(x)) \cdot f'(x).$$

Arc length of parameterized curve

Given a parameterized curve (x(t),y(t)), then the arc length between (x(a),y(a)) and (x(b),y(b)) is

$$s = \int_{a}^{b} \sqrt{\left(\frac{\mathrm{d}x}{\mathrm{d}t}\right)^{2} + \left(\frac{\mathrm{d}y}{\mathrm{d}t}\right)^{2}} \,\mathrm{d}t.$$

First and second derivative tests

We use the first and second derivative tests to determine local minimum and maximum.

First derivative tests. Compute f'(x) = 0 to find critical points.

Second derivative tests.

- If f''(x) > 0 for all x in the interval, then f is concave upward \implies local minimum.
- If f''(x) < 0 for all x in the interval, then f is concave downward \implies local maximum.

