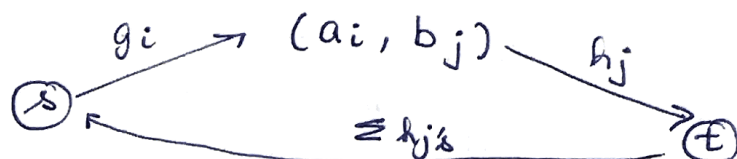


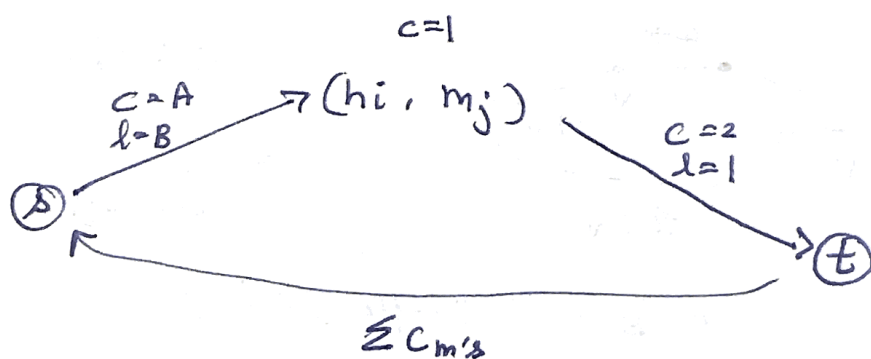
- 1) n families : a_1, a_2, \dots, a_n
 m tables : b_1, b_2, \dots, b_m



Feasible connection exists, if there exists a $s-t$ flow. Both Capacity and Conservation property is preserved.

Complexity : $(O(n+m))$ nodes
 $O(nm)$ edges } max-flow algorithm

2)

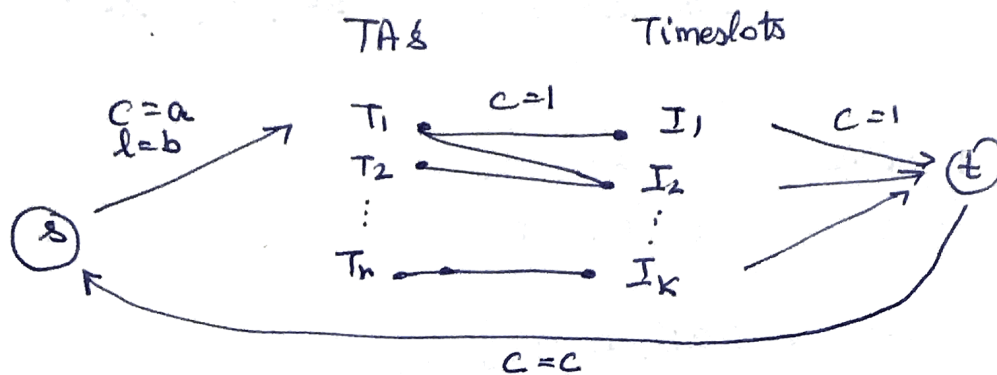


Feasible connection exists, if there exists a $s-t$ flow. Both capacity and conservation property is preserved.

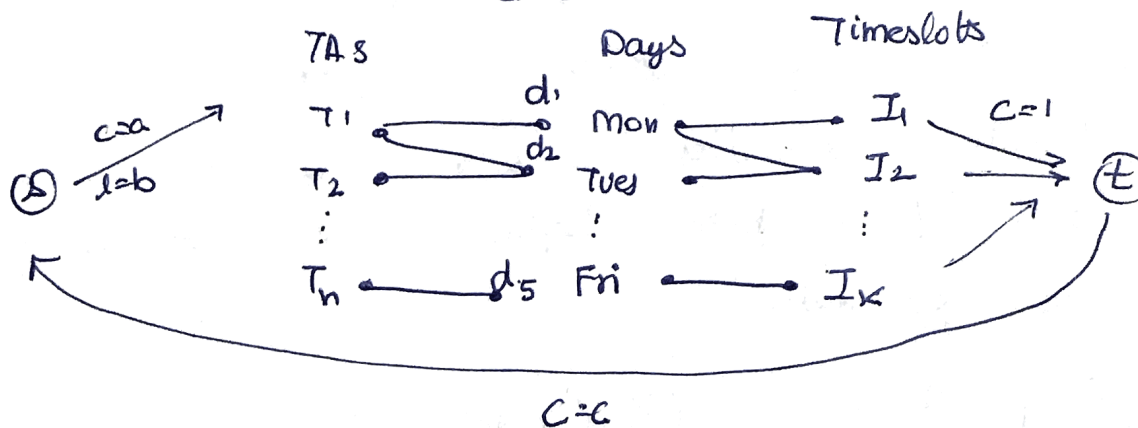
Complexity :

$O(n+m)$ nodes
 $O(nm)$ edges } Max-flow algorithm

3.) a)

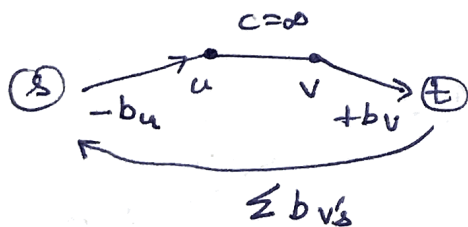


b.)



4.)

$$\text{profit}(A) = \sum_{i \in A} p_i$$



$$\text{cut} : (\{s\}, \{P\} \cup \{t\})$$

$$C = \sum_{i \in P, p_i > 0} p_i$$

$$C(A', B') = C - \text{profit}(A)$$

If (A', B') is a min cut in G' , then the set $A = A' - \{s\}$ is an optimum solution to the Project Selection Problem.