

# Predictive Analysis for Big Mart Sales Using Machine Learning Algorithms

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**Abstract**— Currently, supermarket run-centres, Big Marts keep track of each individual item's sales data in order to anticipate potential consumer demand and update inventory management. Anomalies and general trends are often discovered by mining the data warehouse's data store. For retailers like Big Mart, the resulting data can be used to forecast future sales volume using various machine learning techniques like big mart. A predictive model was developed using Xgboost, Linear regression, Polynomial regression, and Ridge regression techniques for forecasting the sales of a business such as Big -Mart, and it was discovered that the model outperforms existing models.

**Keywords**—Linear Regression, Polynomial Regression, Ridge Regression, Xgboost Regression

## I. INTRODUCTION

Everyday competitiveness between various shopping centres as and as huge marts is becoming higher intense, violent just because of the quick development of global malls also online shopping. Each market seeks to offer personalized and limited-time deals to attract many clients relying on period of time, so that each item's volume of sales may be estimated for the organization's stock control, transportation and logistical services. The current machine learning algorithm is very advanced and provides methods for predicting or forecasting sales any kind of organization, extremely beneficial to overcome low – priced used for prediction. Always better prediction is helpful, both in developing and improving marketing strategies for the marketplace, which is also particularly helpful

## II. RELEATED WORK

A great deal of work having been gotten really intended to date the territory of deals foreseeing. A concise audit of the important work in the field of big\_mart deals is depicted in this part. Numerous other

Measurable methodologies, for example, with regression, (ARIMA) Auto-Regressive Integrated Moving Average, (ARMA) Auto-Regressive Moving Average, have been utilized to develop a few deals forecast standards. Be that as it may, deals anticipating is a refined issue and is influenced by both outer and inside factors, and there are two significant detriments to the measurable technique as set out in A. S. Weigend et A mixture occasional quantum relapse approach and (ARIMA) Auto-Regressive Integrated Moving Average way to deal with every day food deals anticipating were recommend by N. S. Arunraj and furthermore found that the exhibition of the individual model was moderately lower than that of the crossover model.

E. Hadavandi utilized the incorporation of “Genetic Fuzzy Systems (GFS)” and information gathering to conjecture the deals of the printed circuit board. In their paper, K-means bunching delivered K groups of all information records. At that point, all bunches were taken care of into autonomous with a data set tuning and rule-based extraction ability. Perceived work in the field of deals gauging was done by P.A. Castillo, Sales estimating of new distributed books was done in a publication market the executives setting utilizing computational techniques. “Artificial neural organizations” are additionally utilized nearby income estimating. Fluffy Neural Networks have been created with the objective of improving prescient effectiveness, and the Radial “Base Function Neural Network (RBFN)” is required to have an incredible potential for anticipating deals.

**Dataset:** collected the dataset form the internet for the website called kaggle.com .In this work all having test dataset and train dataset in the test data set having a 5000 dataset and in the train data having a 8000 data

set. Fig1 shows the train data and Fig2 shows the sample of test dataset.

TABLE 1: Attributes Information

Attribute	Description
Item_Identifier	It is the unique product Id number.
Item Weight	It will include the product's weight.
Item_Fat_Content	It will mean whether the item is low in fat or not.
Item_Visibility	The percentage of the overall viewing area assigned to the particular item from all items in the shop.
Item_Type	To which group does the commodity belong
Item-MRP	The product's price list
Outlet-Identifier	a distinct slot number
Outlet-Establishment Year	The year that the shop first opened its doors.
Outlet-Size	The sum of total area occupied by a supermarket.
Outlet-Location	The kind of town where the store is situated.
Outlet-Type	The shop is merely a supermarket or a grocery store.
Item-Outlet-Sales	The item's sales in the original shop

Train data set

	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S
1	Item_Identifier	Item_Weight	Item_Fat_Content	Item_Visibility	Item_Type	Item_MRP	Outlet_Identifier	Outlet_Establishment_Year	Outlet_Size	Outlet_Location_Type	Outlet_Type	Item_Outlet_Sales							
2	FDA15	9.3	Low Fat	0.016047	Dairy	249.8092	OUT049	1999	Medium	Tier 1	Supermar	3735.138							
3	DRC01	5.92	Regular	0.019278	Soft Drink	48.2692	OUT018	2009	Medium	Tier 3	Supermar	443.4228							
4	FDN15	17.5	Low Fat	0.01676	Meat	141.618	OUT049	1999	Medium	Tier 1	Supermar	2097.27							
5	FDX07	19.2	Regular		0 Fruits and	182.095	OUT010	1998		Tier 3	Grocery St	732.38							
6	NCD19	8.93	Low Fat		0 Household	53.8614	OUT013	1987	High	Tier 3	Supermar	994.7052							
7	FDP36	10.395	Regular		0 Baking Go	51.4008	OUT018	2009	Medium	Tier 3	Supermar	556.6088							
8	FDO10	13.65	Regular	0.012741	Snack Foo	57.6588	OUT013	1987	High	Tier 3	Supermar	343.5528							
9	FDP10		Low Fat	0.12747	Snack Foo	107.7622	OUT027	1985	Medium	Tier 3	Supermar	4022.764							
10	FDH17	16.2	Regular	0.016687	Frozen Foo	96.9726	OUT045	2002		Tier 2	Supermar	1076.599							
11	FDU28	19.2	Regular	0.09445	Frozen Foo	187.8214	OUT017	2007		Tier 2	Supermar	4710.535							
12	FDV07	11.8	Low Fat		0 Fruits and	45.5402	OUT049	1999	Medium	Tier 1	Supermar	1516.027							
13	FDA03	18.5	Regular	0.045464	Dairy	144.1102	OUT046	1997	Small	Tier 1	Supermar	2187.153							
14	FDX32	15.1	Regular	0.100014	Fruits and	145.4786	OUT049	1999	Medium	Tier 1	Supermar	1589.265							
15	FDS46	17.6	Regular	0.047257	Snack Foo	119.6782	OUT046	1997	Small	Tier 1	Supermar	2145.208							
16	FDX32	16.35	Low Fat	0.068024	Fruits and	196.4426	OUT013	1987	High	Tier 3	Supermar	1977.426							
17	FDP49	9	Regular	0.069089	Breakfast	56.3614	OUT046	1997	Small	Tier 1	Supermar	1547.319							
18	NCB42	11.8	Low Fat	0.008596	Health and	115.3492	OUT018	2009	Medium	Tier 3	Supermar	1621.889							
19	FDP49	9	Regular	0.069196	Breakfast	54.3614	OUT049	1999	Medium	Tier 1	Supermar	718.3982							
20	DRI11		Low Fat	0.034238	Hard Drink	113.2834	OUT027	1985	Medium	Tier 3	Supermar	2303.668							
21	FDU02	13.35	Low Fat	0.102492	Dairy	230.5352	OUT035	2004	Small	Tier 2	Supermar	2748.422							
22	FDN22	18.85	Regular	0.13819	Snack Foo	250.8724	OUT013	1987	High	Tier 3	Supermar	3775.086							
23	FDW12		Regular	0.0354	Baking Go	144.5444	OUT027	1985	Medium	Tier 3	Supermar	4064.043							

Fig1: Shows the sample of train data

Test dataset

	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S
1	Item_Identifier	Item_Weight	Item_Fat_Content	Item_Visibility	Item_Type	Item_MRP	Outlet_Identifier	Outlet_Establishment_Year	Outlet_Size	Outlet_Location_Type	Outlet_Type								
2	FDW58	20.75	Low Fat	0.007565	Snack Foo	107.8622	OUT049	1999	Medium	Tier 1	Supermarket	Type1							
3	FDW14	8.3	reg	0.038428	Dairy	87.3198	OUT017	2007		Tier 2	Supermarket	Type1							
4	NCN55	14.6	Low Fat	0.09575	Others	241.7538	OUT010	1998		Tier 3	Grocery Store								
5	FDQ58	7.315	Low Fat	0.015388	Snack Foo	155.034	OUT017	2007		Tier 2	Supermarket	Type1							
6	FDY38		Regular	0.118599	Dairy	234.23	OUT027	1985	Medium	Tier 3	Supermarket	Type3							
7	FDH56	9.8	Regular	0.063817	Fruits and	117.1492	OUT046	1997	Small	Tier 1	Supermarket	Type1							
8	FDL48	19.35	Regular	0.082602	Baking Go	50.1034	OUT018	2009	Medium	Tier 3	Supermarket	Type2							
9	FDC48		Low Fat	0.015782	Baking Go	81.0592	OUT027	1985	Medium	Tier 3	Supermarket	Type3							
10	FDN33	6.305	Regular	0.123365	Snack Foo	95.7436	OUT045	2002		Tier 2	Supermarket	Type1							
11	FDA36	5.985	Low Fat	0.005698	Baking Go	186.8924	OUT017	2007		Tier 2	Supermarket	Type1							
12	FDT44	16.6	Low Fat	0.103569	Fruits and	118.3466	OUT017	2007		Tier 2	Supermarket	Type1							
13	FDQ56	6.59	Low Fat	0.105811	Fruits and	85.3908	OUT045	2002		Tier 2	Supermarket	Type1							
14	NCC54		Low Fat	0.171079	Health and	240.4196	OUT019	1985	Small	Tier 1	Grocery Store								
15	FDU11	4.785	Low Fat	0.092738	Breads	122.3098	OUT049	1999	Medium	Tier 1	Supermarket	Type1							
16	DRI59	16.75	LF	0.021206	Hard Drink	52.0298	OUT013	1987	High	Tier 3	Supermarket	Type1							
17	FDN24	6.135	Regular	0.079451	Baking Go	151.6366	OUT049	1999	Medium	Tier 1	Supermarket	Type1							
18	FDI57	19.85	Low Fat	0.054135	Seafood	198.7768	OUT045	2002		Tier 2	Supermarket	Type1							
19	DRC12	17.85	Low Fat	0.037981	Soft Drink	192.2188	OUT018	2009	Medium	Tier 3	Supermarket	Type2							
20	NCM42		Low Fat	0.028184	Household	109.6912	OUT027	1985	Medium	Tier 3	Supermarket	Type3							
21	FDA46	13.6	Low Fat	0.196898	Snack Foo	193.7136	OUT010	1998		Tier 3	Grocery Store								
22	FDA31	7.1	Low Fat	0.10992	Fruits and	175.008	OUT013	1987	High	Tier 3	Supermarket	Type1							
23	NCI31	19.2	Low Fat	0.182619	Others	239.9196	OUT035	2004	Small	Tier 2	Supermarket	Type1							

Fig2: Shows the sample of test data

### III. METHODOLOGY

Fig3 shows the architecture Diagram of the proposed model where they focus on the different algorithm application to the dataset. Where we are calculating the

Accuracy, MAE, MSE, RMSE and final concluding the best yield algorithm. Here are the following Algorithm are used.

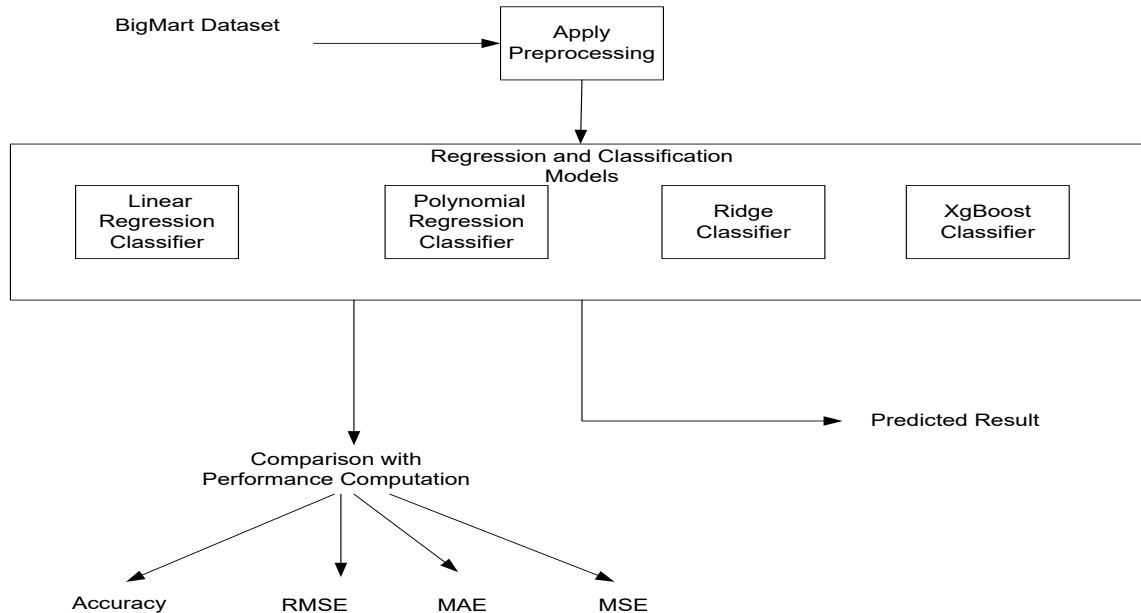


Fig3: Shows the proposed Architecture Diagram

#### A. Linear Regression

- Build a fragmented plot.1) a linear or non-linear pattern of data and 2) a variance (outliers). Consider a transformation if the marking isn't linear. If this is the case, outsiders, it can suggest only eliminating them if there is a non-statistical justification.
- Link the data to the least squares line and confirm the model assumptions using the residual plot (for the constant standard deviation assumption) and the normal probability plot (for the normal probability assumption) A transformation might be necessary if the assumptions made do not appear to be met.

- If required, convert the data to the least square using the transformed data, construct a regression line.
- If a change has been completed, return to the previous process 1. If not, continue to phase 5.
- When a "good-fit" classic is defined, write the least-square regression line equation. Consist of normal estimation, estimation, and R-squared errors.

Linear regression formulas look like this:

$$Y = \theta_1 X_1 + \theta_2 X_2 + \dots + \theta_n X_n$$

**R-Square:** Defines the difference in X (depending variable) explains the total variance in Y (dependent variable) (independent variable). This can be expressed mathematically as

$$R - Square = 1 - \frac{\sum(Y_{actual} - Y_{predicted})^2}{\sum(Y_{actual} - Y_{mean})^2}$$

### B. Polynomial Regression Algorithm

- Polynomial Regression is a relapse calculation that modules the relationship here among dependent(y) and the autonomous variable(x) in light of the fact that as most extreme limit polynomial. The condition for polynomial relapse is given beneath:  $y = b_0 + b_1x_1 + b_2x_1^2 + b_3x_1^3 + \dots + b_nx_1^n$
- It is regularly alluded to as the exceptional instance of various straight relapse in ML. Since we apply some polynomial terms to the numerous straight relapse condition to change it to polynomial relapse adjustment to improve accuracy.
- The informational collection utilized for preparing in polynomial relapse is of a non-straight nature.
- It uses a linear regression model to fit complex and non-linear functions and datasets.

### C. Ridge Regression

Ridge regression is a model tuning tool used to evaluate any data that suffers from multicollinearity. This method performs the L2 regularization procedure. When multicollinearity issues arise, the least squares are unbiased and the variances are high, resulting in the expected values being far removed from the actual values.

The cost function for ridge regression:

$$\text{Min}(\|Y - X(\theta)\|^2 + \lambda\|\theta\|^2)$$

### D. XGBoost Regression

“Extreme Gradient Boosting” is same but much more effective to the gradient boosting system. It has both a linear model solver and a tree algorithm.

Which permits “xgboost” in any event multiple times quicker than current slope boosting executions. It underpins various target capacities, including relapse, order and rating. As “xgboost” is extremely high in prescient force however generally delayed with organization, it is appropriate for some rivalries. It likewise has extra usefulness for cross-approval and finding significant factors.

## IV. RESULT AND DISCUSSION

### Liner Regression

TABLE 2: Shows the linear regression result on the various parameter

Parameter	value
MSE	7.4631
MAE	1.166
RMSE	2.731

### Polynomial regression

TABLE 3: Shows the polynomial regression result on the various parameter

Parameter	value
MSE	6.120
MAE	2.968
RMSE	7.823

### Ridge regression

TABLE 4: Shows the Ridge regression result on the various parameter

Parameter	value
MSE	3.671
MAE	8.289
RMSE	1.916

### XgBoost Regression

TABLE 5: Shows the Xgboost regression result on the various parameter

Parameter	value
MSE	0.001
MAE	0.029
RMSE	0.032

### Frequency of item\_fat\_content

TABLE 6: Shows the Xgboost regression frequency of item fat content

Parameter	value
Low Fat	5089
Regular	2889
LF	316
reg	117

TABLE 7: Comparison of MAE, MSE, RMSE with the Model

Model	MSE	MAE	RMSE
Linear Regression	7.4631	1.166	2.731
Polynomial Regression	2.0364	7.002	1.427
Ridge Regression	3.6712	8.289	1.916
Xgboost Regression	0.001	0.029	0.0321

## V. CONCLUSION

In this work, the effectiveness of various algorithms on the data on revenue and review of, best performance-algorithm, here propose a software to using regression approach for predicting the sales centered on sales data from the past the accuracy of linear regression prediction can be enhanced with this method, polynomial regression, Ridge regression, and Xgboost regression can be determined. So, we can conclude ridge and Xgboost regression gives the better prediction with respect to Accuracy, MAE and RMSE than the Linear and polynomial regression approaches. In future, the forecasting sales and building a sales plan can help to avoid unforeseen cash flow and manage production, staff and financing needs more effectively. In future work we can also consider with the ARIMA model which shows the time series graph.

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