电子科技大学<u>格拉斯哥</u>学院 <u>UOG-UESTC Joint School</u> of UESTC

标准实验报告 Lab Report

(实验)课程名称: 信号与系统
(LAB) Course Name: Signals and Systems

电子科技大学教务处制表

UoG-UESTC Joint School Lab-4 Report

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Instructor: Xu Bo

Location:

Date: 6/13/2019

Laboratory name:

Signals and Systems

 \equiv Project name:

Represent signals using MATLAB

 \equiv Lab hours: 4

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四、 Theoretical background:

- 1. The basic concepts of signals and systems arise in a variety of contexts, from engineering design to financial analysis. In this lab1, you will learn how to represent, manipulate, and analyze basic signals and systems in MATLAB.
- 2. Some basic MATLAB commands for representing signals include: zeros, ones, cos, sin, exp, real, imag, abs, angle, linspace, plot, stem, subplot, xlabel, ylabel, title
- 3. Some useful commands in Symbolic Math Toolbox are as: sym, subs, ezplot.

\pm Objective:

- 1. Understand the sampling theorem, and verify the aliasing phenomeno due to undersampling.
- 2. Perform Single-Sideband AM with Hilbert Transform.
- 3. Make pole-zero plot for CT and DT system.
- 4. Understand the pole location's influence on the frequency response of a system.

六、 Description:

- 2. Perform Single-Sideband AM with Hilbert Transform. 8.1 (c)(d)(e)(i)-(n)
- 3. Make pole-zero plot using MATLAB. 9.1 (a) (c) 10.1(a) (b)
- 4. Obtain the frequency response of a second-order system. 9.2 (a)(b)

七、 Required instruments:

八、 Procedures, Analysis of Lab data & result and Conclusion:

```
7.1(a)(b)

n=0:8191;

omega_0=2000*pi;

T=1/8192;

t=n.*T;%t:[0:1],step1/8192

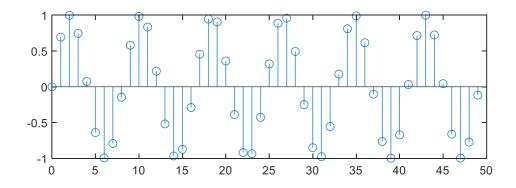
x=sin(omega_0.*t);

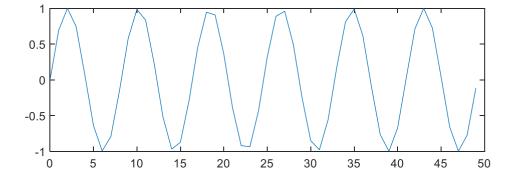
subplot(2,1,1)

stem(0:49,x(1:50))

subplot(2,1,2)

plot(0:49,x(1:50))
```

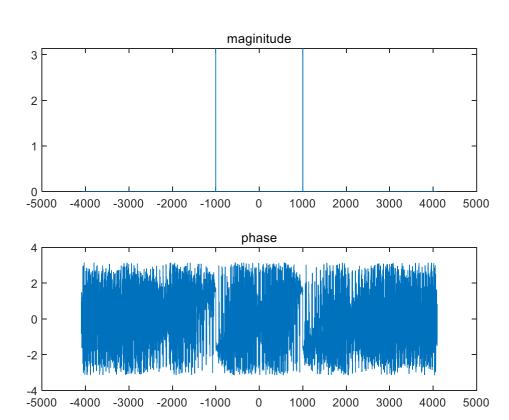




```
7.1(c)
n=0:8191;
omega=2000*pi;
T=1/8192;
t=n.*T;%t:[0:1],step1/8192
x=sin(omega.*t);
[X,w]=ctfts (x,T);
subplot(2,1,1)
plot(w,abs(X),'r');
title('maginitude');
subplot(2,1,2)
plot(w,angle(X),'b');
title('phase');
```

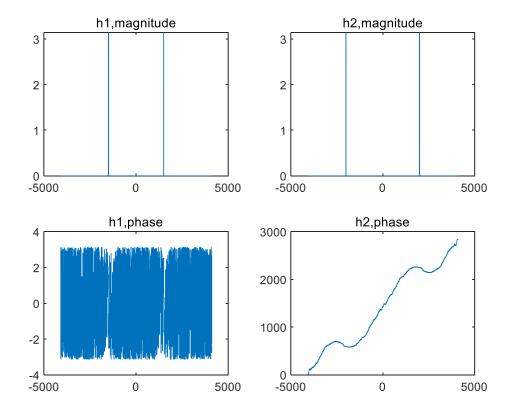
```
function ctfts
function [X,w]=ctfts (x,T);
```

```
 \begin{aligned} & \text{N=length} \, (\text{x}) \, ; \\ & \text{X=fftshift} \, (\text{fft} \, (\text{x}, \text{N}) \,) \, * \, (2 \, * \, \text{pi/N}) \, ; \\ & \text{w=linspace} \, (-1, 1 - 1 / \text{N}, \text{N}) \, / \, (2 \, * \, \text{T}) \, ; \\ & \text{end} \end{aligned}
```



The magnitude is correct, while the phase is not.

```
7.1(d)
n=0:8191;
omega1=3000*pi;
omega2=4000*pi;
T=1/8192;
t=n.*T;%t:[0:1],step1/8192
x1=sin(omega1.*t);
x2=sin(omega2.*t);
[X1,w1] = ctfts (x1,T);
[X2, w2] = ctfts (x2, T);
subplot(2,2,1)
plot(w1,abs(X1));
title('h1, magnitude')
subplot(2,2,3)
plot(w1, angle(X1))
title('h1, phase');
subplot(2,2,2)
plot(w2, abs(X2));
title('h2,magnitude')
subplot(2,2,4)
plot(w2, phase(X2))
title('h2,phase')
```



The magnitude is correct, while the phase is not.

8.1(c)

The inpulse response is $\frac{1-(-1)^{n-\alpha}}{\pi(n-\alpha)}$, and this is symmetric at $n=\alpha$

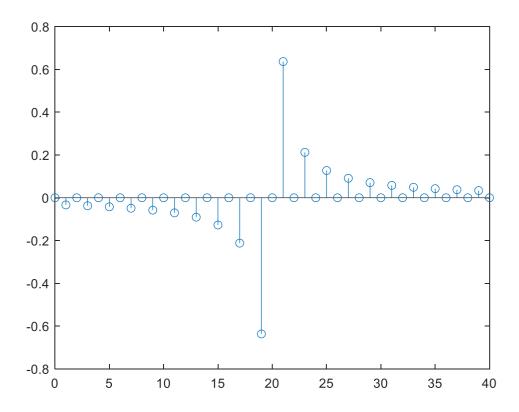
```
8.1(d)

n=0:40;

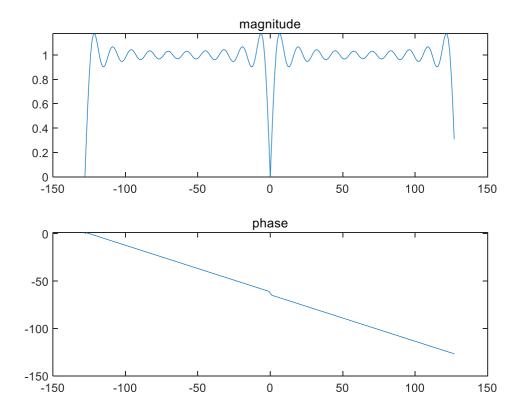
h(1:41)=1./(pi.*(n-20)).*(1-(-1).^(n-20));

h(21)=0;

stem(n,h)
```



```
8.1(e)
n=0:40;
h(1:41)=1./(pi.*(n-20)).*(1-(-1).^(n-20));
h(21)=0;
H=fftshift(fft(h,256)); %the symmertic shoud be at omega=0
subplot(2,1,1);
plot(-128:127,abs(H));
title('magnitude');
subplot(2,1,2);
plot(-128:127,unwrap(angle(H)));
title('phase');
```



The magnitude and phase is similar to the ideal one.

```
8.1(i)

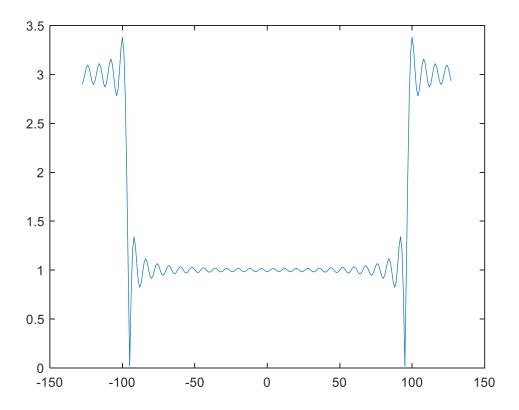
n=0:64;

x(1:65)=sin(pi/4.*(n-32))./(pi/4.*(n-32));

x(33)=0;

X=fft(x,256);

plot(-128:127,abs(X));
```



The band limit is demonstrates in the plot.

```
8.1 (j)

n=0:64;

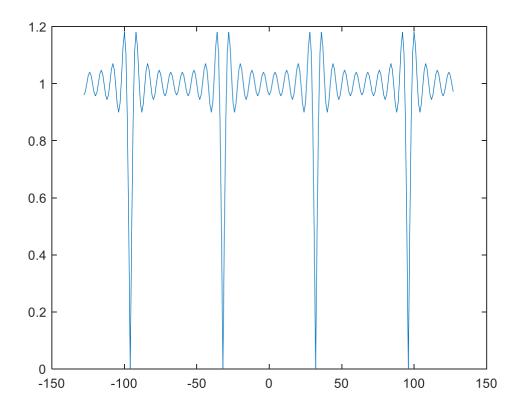
x(1:65)=sin(pi/4.*(n-32))./(pi/4.*(n-32));

x(33)=0;

x1=x.*cos(pi/2.*n);

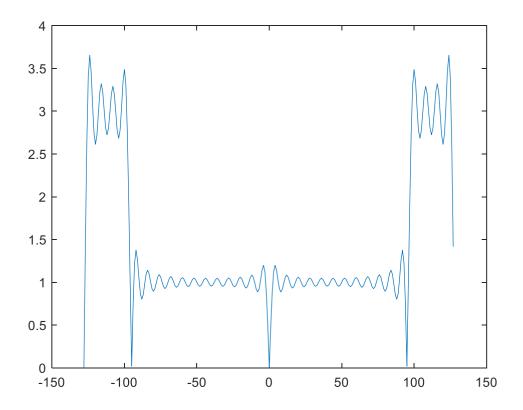
X1=fft(x1,256)

plot(-128:127,abs(X1));
```



The plot is the compress and shifting of X.

```
8.1(k)(1)
n=0:64;
h(1:65)=1./(pi.*(n-32)).*(1-(-1).^(n-32));
h(33)=0;%the hilbert
x(1:65)=sin(pi/4.*(n-32))./(pi/4.*(n-32));
x(33)=0;%the signal
xh=conv(h,x);
Xh=fft(xh,256);
plot(-128:127,abs(Xh))
```



```
8.1 (m)

n=0:64;

h(1:65)=1./(pi.*(n-32)).*(1-(-1).^(n-32));

h(33)=0;%the hilbert

x(1:65)=sin(pi/4.*(n-32))./(pi/4.*(n-32));

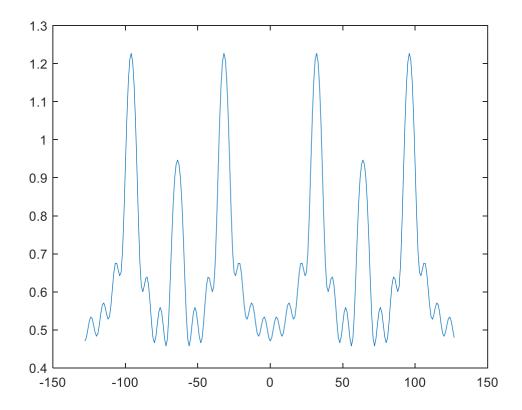
x(33)=0;%the signal

xh=conv(h,x);%after convolution

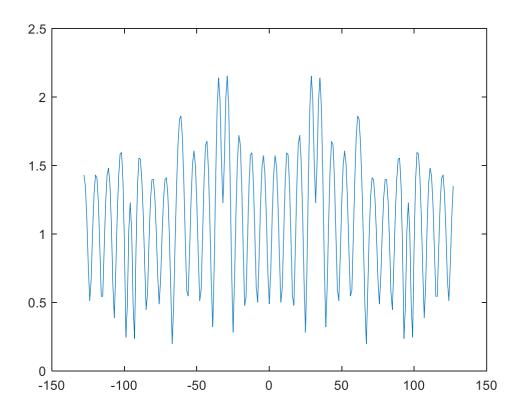
x2=xh(1:65).*sin(pi/2.*n);

X2=fft(x2,256);

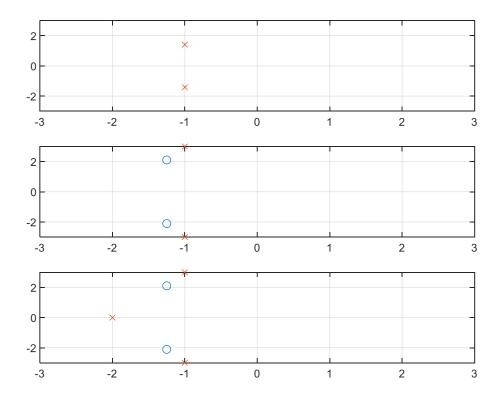
plot(-128:127,abs(X2))
```



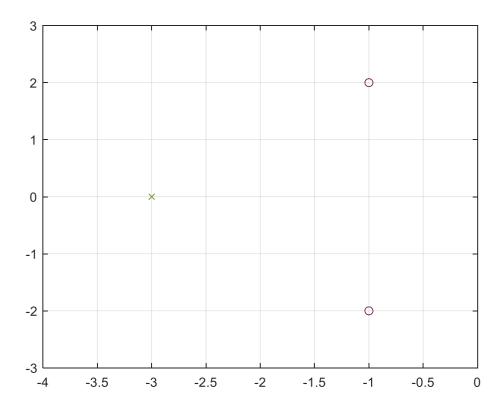
```
8.1(n)
n=0:64;
h(1:65)=1./(pi.*(n-32)).*(1-(-1).^(n-32));
h(33)=0;%the hilbert
x(1:65)=sin(pi/4.*(n-32))./(pi/4.*(n-32));
x(33)=0;%the signal
x1=x.*cos(pi/2.*n);%x1
xh=conv(h,x);
x2=xh(1:65).*sin(pi/2.*n);%x2
y=x1+x2;
Y=fft(y,256);
plot(-128:127,abs(Y))
```



```
9.1(a)
b1= [1,5];%get the a&b
a1=[1,2,3];
b2 = [2, 5, 12];
a2=[1,2,10];
b3 = [2, 5, 12];
a3=[1,4,14,20];
zs1=roots(b1);%get the roots
ps1=roots(a1);
zs2=roots(b2);
ps2=roots(a2);
zs3=roots(b3);
ps3=roots(a3);
subplot(3,1,1)%plot
plot(real(zs1),imag(zs1),'o')
hold on
plot(real(ps1), imag(ps1), 'x')
grid
axis([-3 \ 3 \ -3 \ 3])
subplot(3,1,2)
plot(real(zs2),imag(zs2),'o')
hold on
plot(real(ps2),imag(ps2),'x')
grid
axis([-3 \ 3 \ -3 \ 3])
subplot(3,1,3)
plot(real(zs3),imag(zs3),'o')
hold on
plot(real(ps3),imag(ps3),'x')
grid
axis([-3 \ 3 \ -3 \ 3])
```

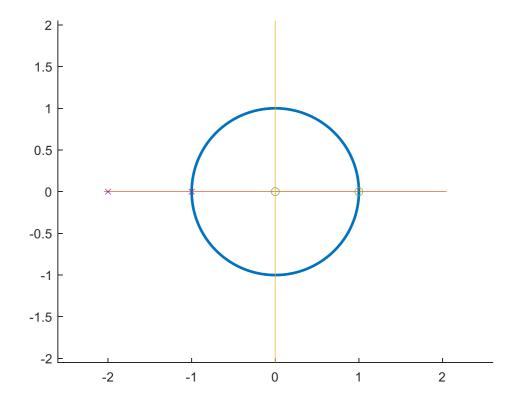


```
9.1(c)
b=[1,2,5];%get the a&b
a=[1,3];
zs=roots(b);%get the roots
ps=roots(a);
plot(real(zs),imag(zs),'o');%plot
hold on
plot(real(ps),imag(ps),'x');
grid on
axis([-4 0 -3 3])
```

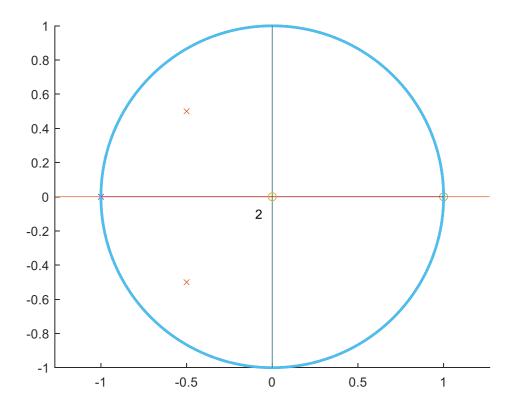


```
10.1(a)
b=[1,-1];
a=[1 \ 3 \ 2];
dpzplot(b,a)
function dpzplot
function dpzplot(b,a);
% dpzplot (b, a)
% Plots the pole-zero diagram for the discrete-time system
function
% H(z) = b(z)/a(z) defined by numerator and denominator
polynomials b and a.
lb=length(b);
la=length(a);
if (la>lb)
b= [b zeros(1, la-lb)];
else if (lb>la),
a= [a zeros(1, lb-la) ];
    end
end
ps = roots(a);
zs = roots (b) ;
mx = max(abs([ps'zs'.95])) + .05;
axis ( [-mx mx -mx mx] );
axis('equal');
hold on
w = [0: 0.01:2*pi];
plot (cos (w) , sin(w) , ' . ' ) ;
plot ( [-mx mx] , [0 0] );
plot ( [0\ 0] , [-mx\ mx] );
```

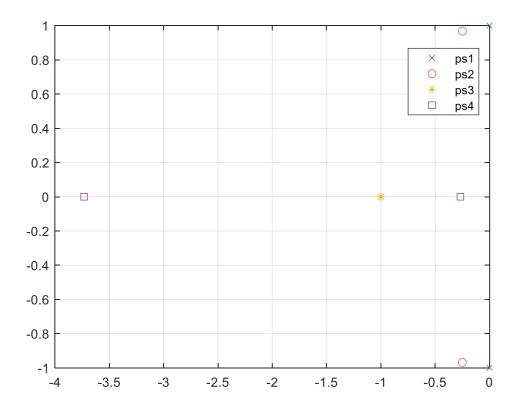
```
%text(0.1,1.1,'Im','sc');
%text(1.1,0.1,'Re','sc');
plot(real(ps),imag(ps),'x');
plot(real(zs),imag(zs),'o');
numz=sum(abs (zs)==0);
nump=sum(abs (ps)==0);
if numz>1
text(-0.1,-0.1,num2str(numz));
elseif nump>1
text(-0.1,-0.1,num2str(nump));
end
hold off;
end
```



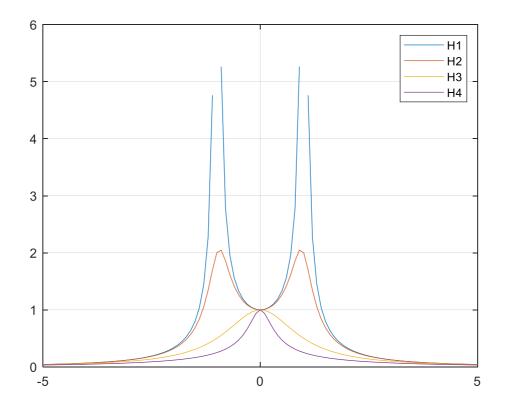
```
10.1(b)
b=[1];
a=[1,1,0.5];
dpzplot(b,a)
```



```
9.2(a)
b=1; %get the a&b
a1=[1,0,1];
a2=[1,0.5,1];
a3=[1,2,1];
a4=[1,4,1];
%no zeros for the numerator
ps1=roots(a1);
ps2=roots(a2);
ps3=roots(a3);
ps4=roots(a4);
plot(real(ps1),imag(ps1),'x');%plot
hold on;
plot(real(ps2),imag(ps2),'o');
hold on;
plot(real(ps3),imag(ps3),'*');
hold on;
plot(real(ps4),imag(ps4),'s');
grid on
legend('ps1','ps2','ps3','ps4')%label
```



```
9.2(b)
omega=[-5:0.1:5];
b=1;%get the a&b
a1=[1,0,1];
a2=[1,0.5,1];
a3=[1,2,1];
a4=[1,4,1];
h1=freqs(b,a1,omega);%find the frequency responses
h2=freqs(b,a2,omega);
h3=freqs(b,a3,omega);
h4=freqs(b,a4,omega);
plot(-5:0.1:5, abs(h1)); %plot
hold on;
plot(-5:0.1:5, abs(h2));
hold on;
plot(-5:0.1:5, abs(h3));
hold on;
plot(-5:0.1:5, abs(h4));
grid on
legend('H1','H2','H3','H4')%label
abs(h1)
%from the graph, the H1 diverges to infinity at omega=-0.9 and
1.1
```



According to the plot, the highest value f frequency response for the $\zeta \ge 1$ is at $\omega = 0$, while that of the $\zeta \le 1$ is not. And when $\omega = 0$, the equation (9.4) will no longer contain the ζ , so the value is all the same.

九、 Summary and comments:

The lab demonstrates the application of the knowledge we acquire from chapter 7 to chapter 10 in a very simple and clear way.

+. Suggestion for this lab:

Score

Instructo

r: