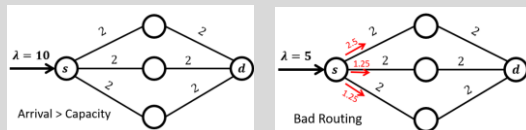


# Ph.D. Research Poster: Analysis & Optimization for Networks in Overload

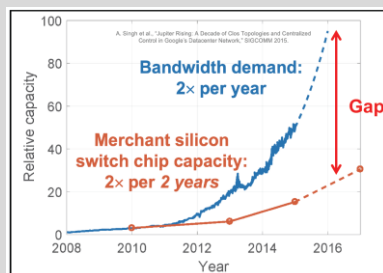
## Motivation

**Overload: Demand > Capacity**



**Network Overload** is more frequent with **unsystematic** study

- **Rate control** to guarantee QoS
- **Risk** evaluation & protection



## Contribution

### 1. Rate Control

- Policy design for network **stability**, **fairness** & **delay** to mitigate overload effect by fluid-queue model

### 2. Risk Analysis

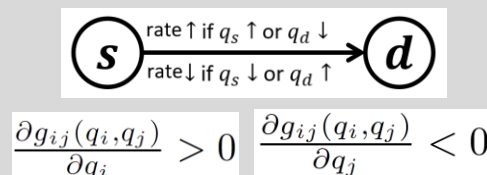
- Quantification of **node attack impact** on overload & Identification of **critical nodes to shield**

## Series 1: Rate Control

**Core: Fluid-queue model** facilitates optimal rate control in overload

### Stability

Prove **explicit conditions** to avoid queue overload in networks with bounded buffer



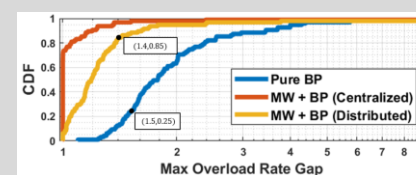
#### Highlights:

- **Generalizing a set of policies** that stabilize the networks, including backpressure
- **Extendable** to multi-commodity systems, and arbitrary buffer settings
- **Explicit conditions** for the guidance of policy design

### Fairness

[PaperLink](#)

Prove **policies to achieve most balanced overload** in networks with bounded buffers



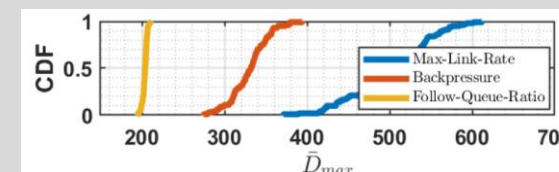
#### Highlights:

- Applicable to arbitrary buffer size and capacity, and **agnostic of arrival rate**
- Both **centralized and distributed** implementation
- **Extendable** to multi-layer networks (Fat-tree, Clos)

### Delay

[PaperLink](#)

Prove a **follow-queue-ratio** policy to minimize queueing delay in overloaded networks



#### Highlights:

- Reveal counterintuition that **serving in maximum rate is NOT necessarily delay-optimal**
- Show we can optimize the delay with fewer transmission resources than link capacity
- **Reduces >10% of average delay and >50% of max delay** compared with backpressure & max-rate serving

## Series 2: Risk Analysis

**Core: Fundamental limit analysis** for node attackers to cause overload

**Problem Setting:** Given  $G = (V, E)$ , where each link  $l$  has capacity  $c_l$ . Suppose an adversary controls a subset of nodes  $V_A$ . The adversary can modify the routing policy of nodes in  $V_A$ . Given a flow  $(s, d, r)$  with default routing policy  $P$ .

#### Questions:

- **Optimal routing of nodes in the given  $V_A$**  controlled by adversary that maximizes overload?
- **Optimal choice of  $V_A$**  for the adversary to maximize overload?

**Related attacks:** BGP Hijacking; SQL Injection; Routing Table Poisoning, etc.

**Motivation & Significance:** (1) Evaluate the influence and limits of node attack on overload (2) Identify critical nodes that should be shielded to prevent from severe overload due to node attack

**Primary results:** NP-hardness, algorithms with promising results

**Plans:** Prove performance guarantee & Solve different variants

- Single flow -> Multiple flows
- Throughput -> Loss; Fairness; Delay
- Fixed routing of normal nodes -> Dynamic routing of normal nodes
- Deterministic flow model -> Stochastic queueing model