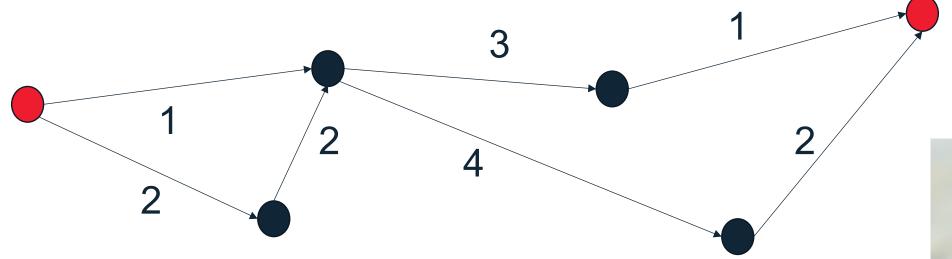




Computational complexity of algorithms

Dr. Anna Kalenkova

# Travel application. Shortest route







### Travel application. Shortest route. Worst case.

Each point **i** is connected to each point **j**.

Paths without repetitions that contain all the points:

s,1,2,3,e

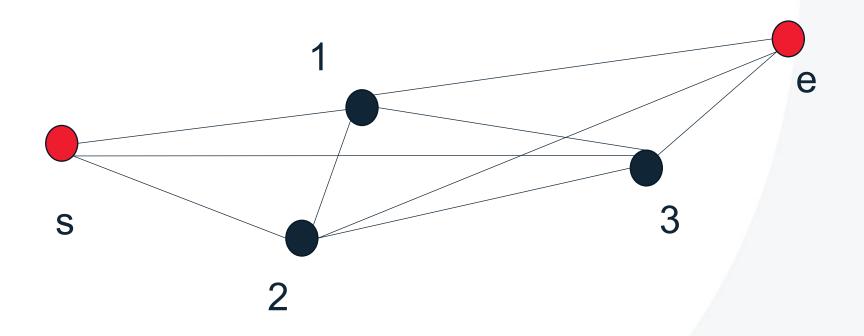
s,1,3,2,e

s,2,1,3,e

s,2,3,1,e

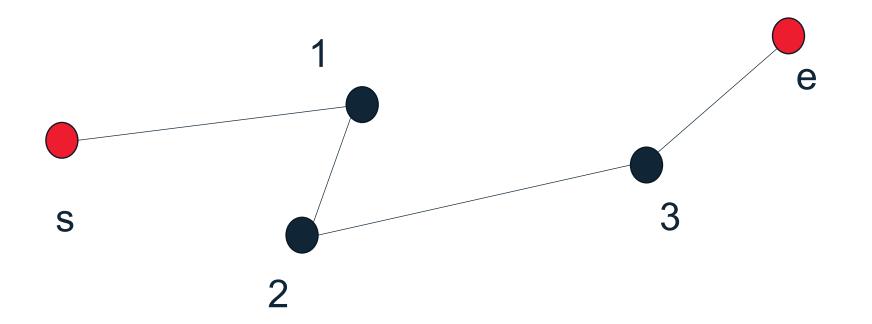
s,3,1,2,e

s,3,2,1,e





# Travel application. Shortest route. Best case.





#### Exhaustive search algorithm

```
a [0] a[1] a[2] a[3] a[n-1] a [1] a
```

```
for(int i=0; i<n; i++) {
    if (a[i] == value) {
        return i; // found it!!!
    }
    ...
}</pre>
```

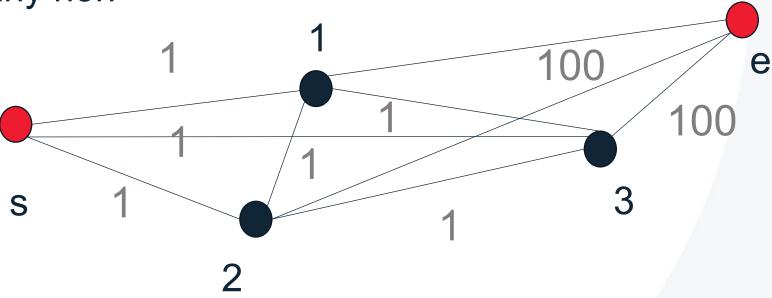


Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.

Distance from any i to e is larger than any non-

cyclic path inside.



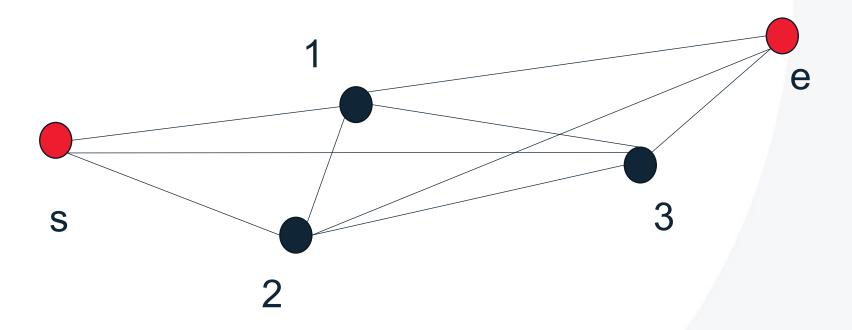
100

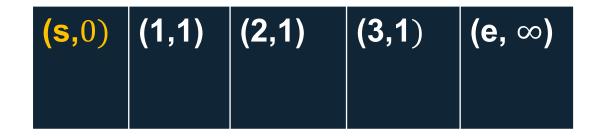




Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.



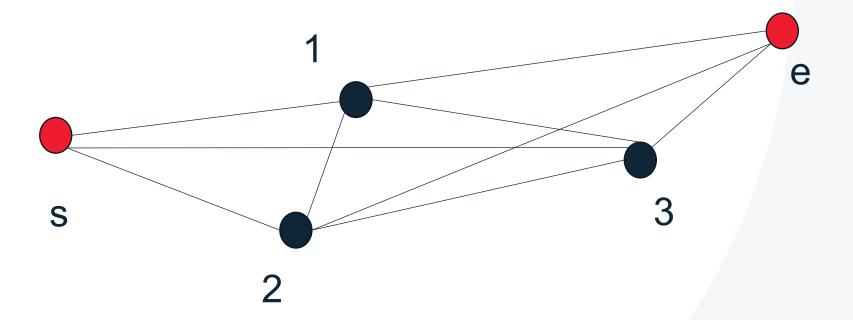


consider 4 elements



Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.

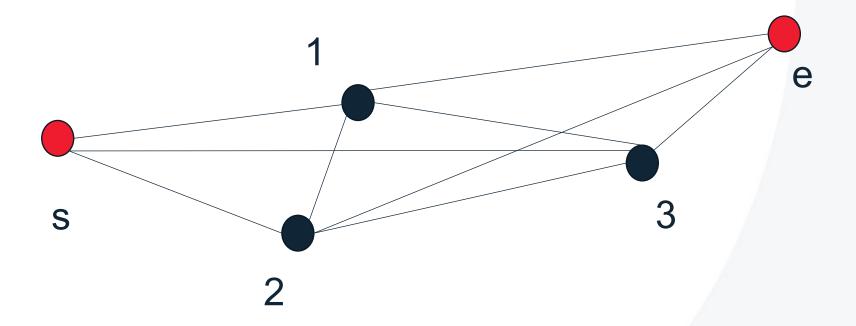


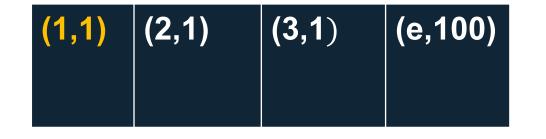




Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.



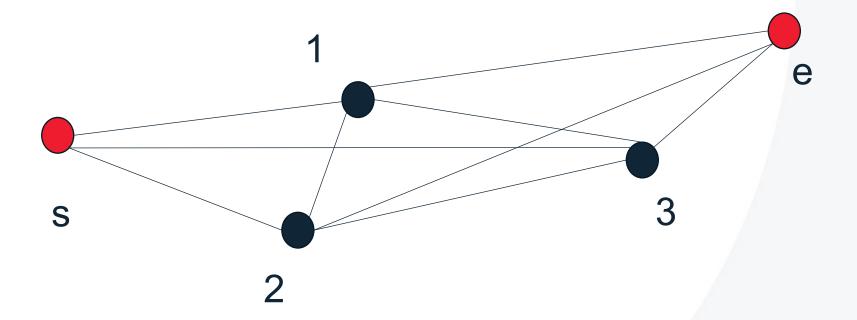


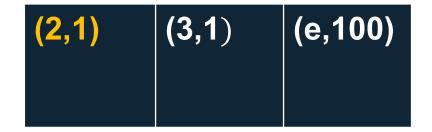
consider 3 elements



Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.

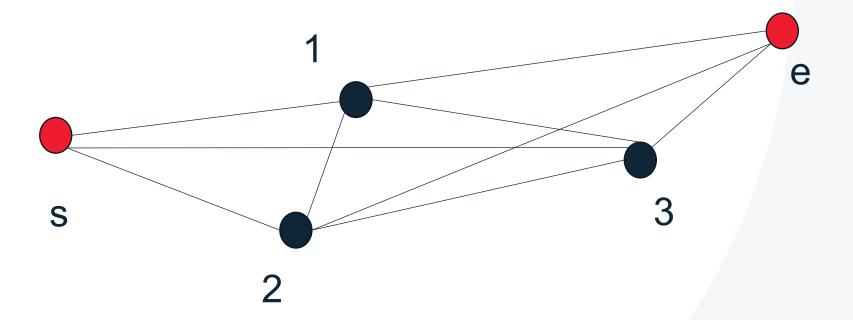






Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.



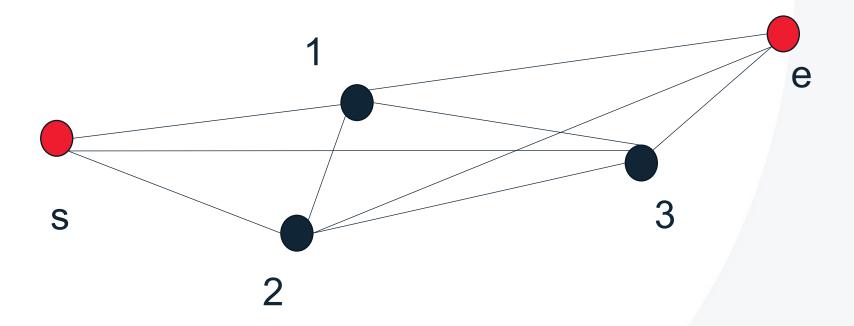


consider 2 elements



Each point i is connected to each point j.

Distance between any i and any j (i≠j) is 1.



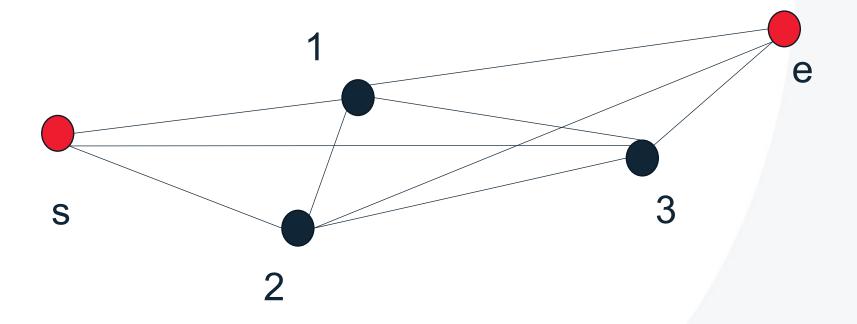


consider 1 element



Each point i is connected to each point j.

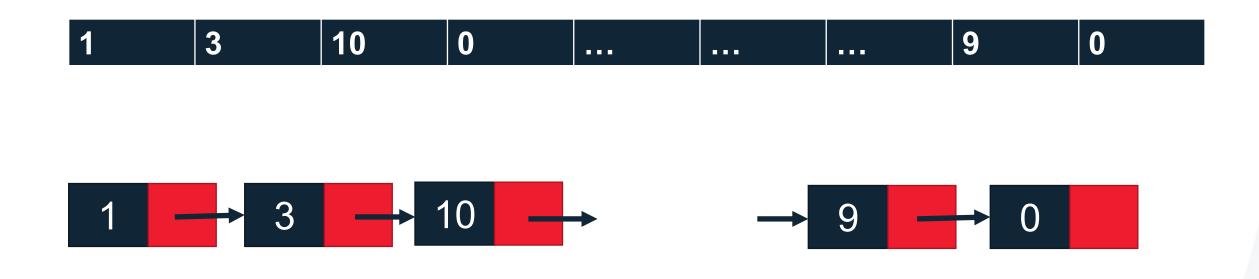
Distance between any i and any j (i≠j) is 1.



(e,100)



#### **Arrays vs Linked /Lists**



- Access using index i
- Adding/removing elements at index i

