## ECON 35101 International Macroeconomics and Trade: Assignment 2

Xianglong (Sean) Kong\*
October 31, 2021

## Table 1

Table 1: Log-linear estimation

Panel A: driving distance

	(1)	(2)	(3)	(4)
	reg	xtreg	areg	reghdfe
log(driving distance)	$-0.407^{***}$ $(0.00120)$	$-0.407^{***}$ $(0.00120)$	$-0.407^{***}$ $(0.00120)$	$-0.407^{***}$ $(0.00120)$
Observations $R^2$ T	358160	358160	358160	358159
	0.502	0.482	0.502	0.502
	62.61	34.13	28.34	1.724

Standard errors in parentheses

Panel B: driving time

	(1) reg	(2) xtreg	(3) areg	(4) reghdfe
log(driving time)	-0.861***	-0.861***	-0.861***	-0.861***
	(0.00218)	(0.00218)	(0.00218)	(0.00218)
Observations $R^2$ T	358160	358160	358160	358159
	0.542	0.524	0.542	0.542
	64.38	34.64	25.32	1.489

Standard errors in parentheses

1. Are the point estimates and standard errors numerically identical across the different estimators? Should they be?

Yes, and they should be.

2. Are the number of observations and R-squared statistics identical? Should they be?

reghtfe drops singletons, which is why it has one less observation than the other three. xtreg reports different R<sup>2</sup>, see Stata FAQ page for explanations.

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

<sup>\*</sup>Kenneth C. Griffin Department of Economics, University of Chicago. Email: xlkong@uchicago.edu.

3. Compare the relative computation times of these estimators.

From the slowest to the fastest: reg > xtreg > areg > reghtfe.

4. Are the coefficients on the distance and time covariates the same? Should they be?

No, and they shouldn't be. Intuitively, driving time is affected by driving distance as well as other factors (e.g. traffic).

Table 2

Table 2: Zeros

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
log(driving distance)	-0.407*** (0.00120)	-0.309*** (0.000891)	-0.328*** (0.000586)	-1.057*** (0.00243)	-4.616*** (0.0127)	-0.372*** (0.00306)	-0.372*** (0.00306)	-0.280*** (0.00190)
Observations $R^2$	358159 0.502	358159 0.516	1352569 $0.526$	$1352569 \\ 0.429$	$1243585 \\ 0.401$	1350243	1350243	358159
T	1.502	2.939	3.046	3.114	3.334	164.1	23.71	6.702

Standard errors in parentheses

1. Are your results sensitive to the omission of zeros?

Yes. For log-linear regression, the results from (1)-(2) (where we drop zeros) are quite different from those from columns (3)-(5) (where we keep zeros in various ways). Moreover, Poisson models give different estimates compared with log-linear models, whether we keep zeros or not.

2. How well does transforming the dependent variable to be  $\log(x+1)$ ,  $\log(x+0.01)$ , or  $10^{-12}X_{jj}$  if zero work? Is the result sensitive to the choice of transformation?

None of them works well, and the result is quite sensitive to the choice of transformation.

3. Examine the residuals from your log-linear regression. Are they heteroskedastic? Report a Breusch-Pagan test statistic and a scatterplot of the residuals that addresses this question.

Yes, the errors are heteroskedastic. The Breusch–Pagan test statistic is 90992.82 (for the regression underlying column (1) in Table 2). See Figure 1 for a scatterplot (heatplot) of the residuals.

4. How do the computation times compare?

Computing times are faster with less observations. Columns (1)-(5) use reght fe, which is overall faster, with or without zeros. Poisson models are slower, partly because they involve maximizing likelihoods.

## Table 3

1. Verify that reghtfe, FixedEffectModels, and fixest return identical point estimates. Are the standard errors identical?

Yes, point estimates and standard errors are identical.

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

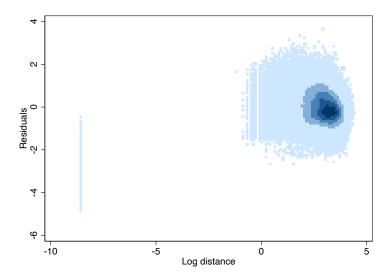


Figure 1: Residuals

Table 3: Comparing Stata's reghtfe, Julia's FixedEffectModels, R's fixest

	(1)	(2)	(3)
	Stata	Julia	R
log(driving distance)	-0.407*** (0.003)	-0.407*** (0.003)	$-0.407^{***}$ $(0.003)$
Observations $R^2$ T	358159	358159	358160
	0.502	0.502	0.502
	1.054	0.729	0.447

 ${\bf Heterosked a sticity - robust\ standard - errors\ in\ parentheses}$ 

## $2. \ \ Which \ estimator \ is \ faster? \ By \ what \ magnitude?$

R's fixest is faster than Julia's FixedEffectModels, which is faster than Stata's reghdfe, although differences in run times are within an order of magnitude.

<sup>\*\*\*: 0.01, \*\*: 0.05, \*: 0.1</sup>