

# Compiler Design

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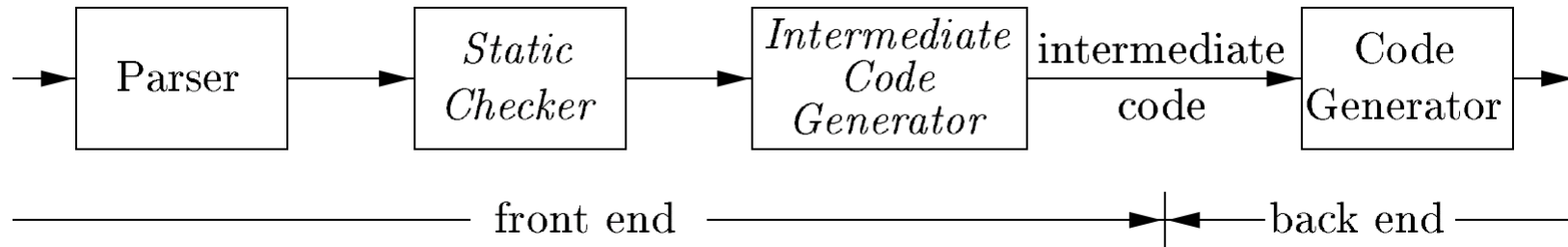
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# Intermediate-Code Generation

# Intermediate-Code Generation

- $m * n$  compilers can be built by writing just  $m$  front ends and  $n$  back ends



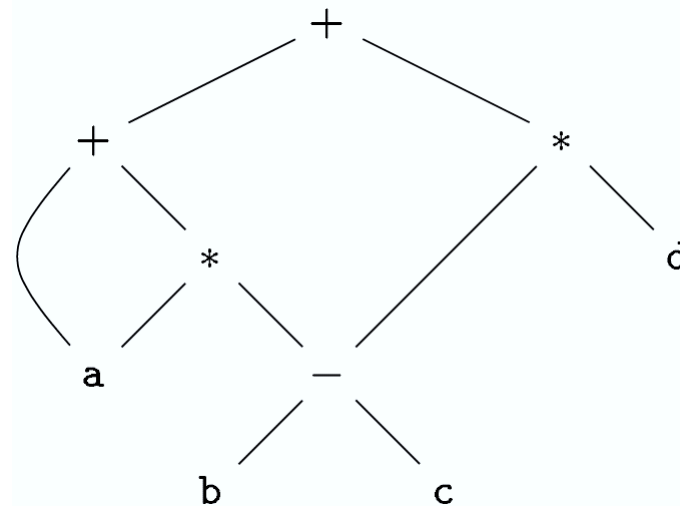
- An intermediate representation may either be an actual language
- C is a programming language, yet it is often used as an intermediate form because **it is flexible, it compiles into efficient machine code, and its compilers are widely available**
  - The original C++ compiler consisted of a front end that generated C, treating a C compiler as a back end

# Directed Acyclic Graph

- A directed acyclic graph (DAG) for an expression identifies the **common subexpressions** of the expression
- DAGs can be constructed by using the same techniques that construct syntax trees
  - A DAG has leaves corresponding to atomic operands and interior nodes corresponding to operators
  - A node  $N$  in a DAG has more than one parent if  $N$  represents a common subexpression

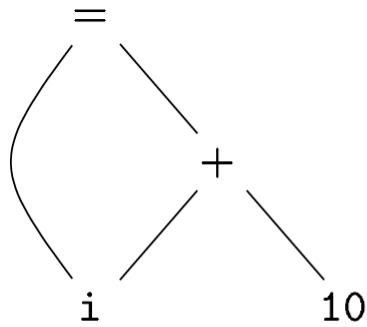
- **Example**

- $a + a * (b - c) + (b - c) * d$



# The Value-Number Method for Constructing DAGs

- Often, the nodes of a syntax tree or DAG are stored in an array of records



(a) DAG

1	id			to entry for i
2	num		10	
3	+	1	2	
4	=	1	3	
5		...		

(b) Array.

- In this array, we refer to nodes by giving the **integer index of the record for that node within the array**, which called the **value number** for the node or for the expression represented by the node

# The Value-Number Method for Constructing DAGs

**Algorithm 6.3:** The value-number method for constructing the nodes of a DAG.

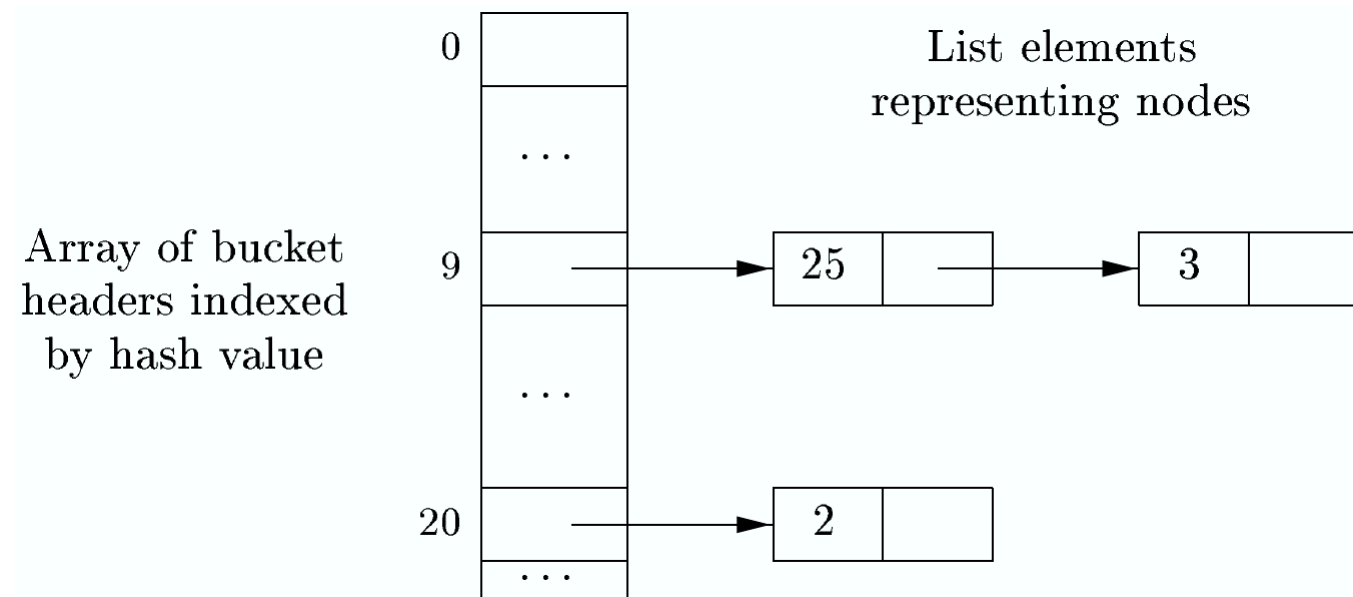
**INPUT:** Label  $op$ , node  $l$ , and node  $r$ .

**OUTPUT:** The value number of a node in the array with signature  $\langle op, l, r \rangle$ .

**METHOD:** Search the array for a node  $M$  with label  $op$ , left child  $l$ , and right child  $r$ . If there is such a node, return the value number of  $M$ . If not, create in the array a new node  $N$  with label  $op$ , left child  $l$ , and right child  $r$ , and return its value number.  $\square$

# The Value-Number Method for Constructing DAGs

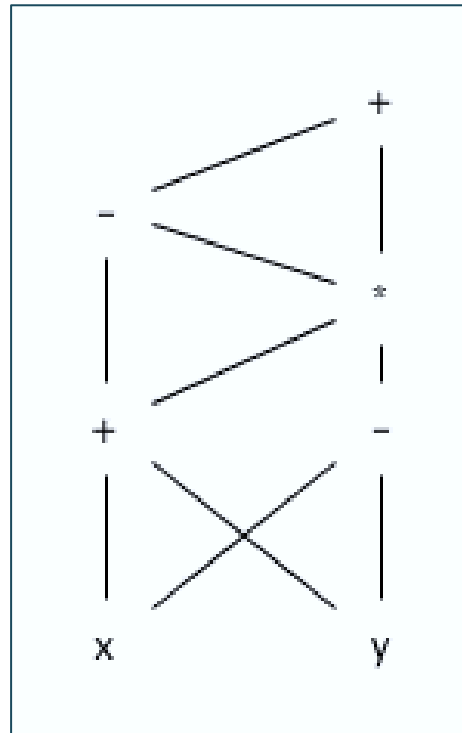
- Searching the entire array every time we are asked to locate one node is expensive
- A more efficient approach is to use a **hash table**, in which the nodes are put into buckets, each of which typically will have only a few node



# Directed Acyclic Graph

**Exercise 6.1.1:** Construct the DAG for the expression

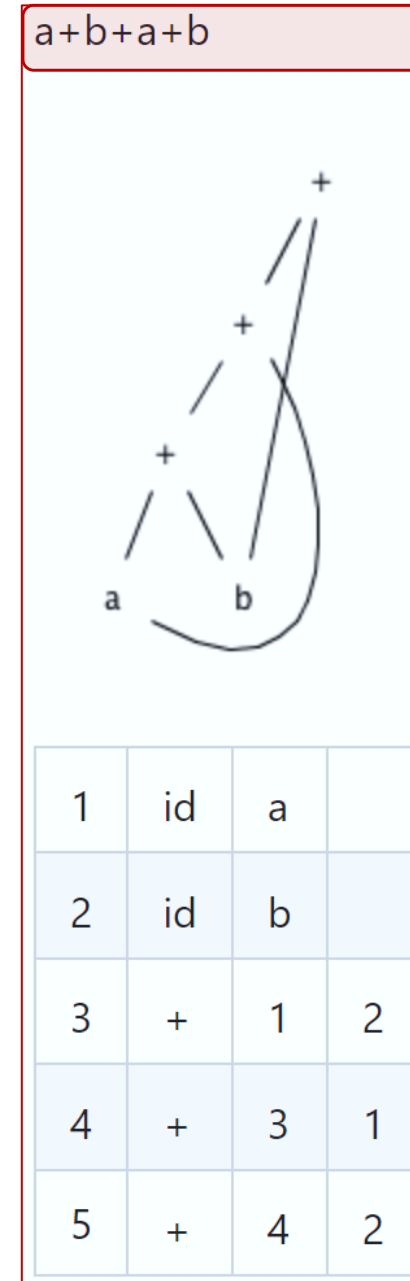
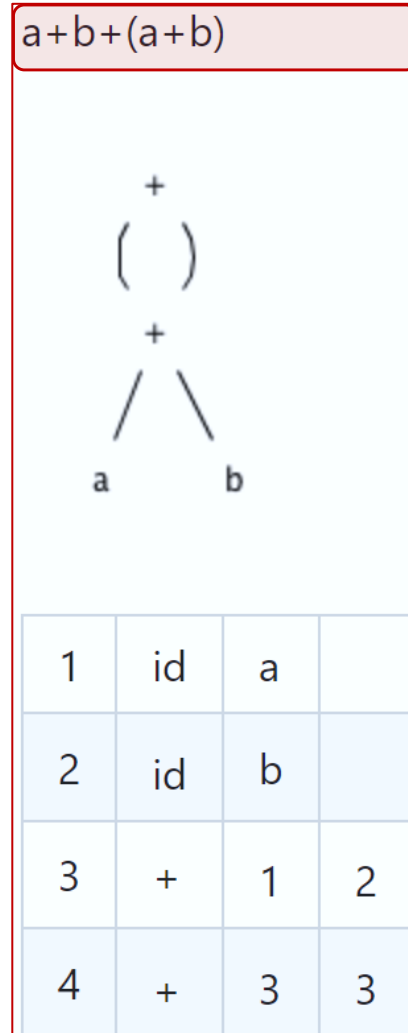
$$((x + y) - ((x + y) * (x - y))) + ((x + y) * (x - y))$$





# Directed Acyclic Graph

- **Example**

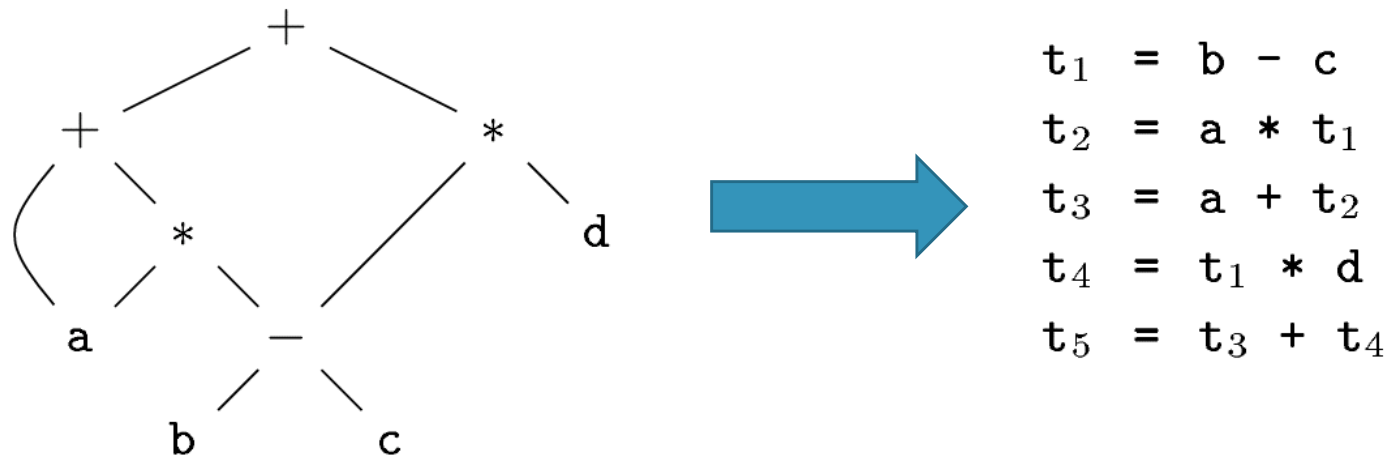


# Three-Address Code

- In three-address code, there is at most one operator on the right side of an instruction

- **Example**

- $x + y * z \longrightarrow \begin{array}{l} t_1 = y * z \\ t_2 = x + t_1 \end{array}$



# Three-Address Code

- Three-address code is built from two concepts: **addresses** and **instructions**
- An address can be one of the following
  - *Name*
    - We allow source-program names to appear as addresses in three-address code
  - *Constant*
    - A compiler must deal with many different types of constants and variables
  - *Compiler-generated temporary*
    - It is useful, especially in optimizing compilers, to create a distinct name each time a temporary is needed

# Three-Address Code

- A list of the common three-address instruction forms

1. Assignment instructions of the form  $\mathbf{x = y \ op \ z}$
2. Assignments of the form  $\mathbf{x = op \ y}$ , where op is a unary operation
3. Copy instructions of the form  $\mathbf{x = y}$
4. An unconditional jump  $\mathbf{goto \ L}$
5. Conditional jumps of the form  $\mathbf{if \ x \ goto \ L}$  and  $\mathbf{if \ False \ x \ goto \ L}$
6. Conditional jumps such as  $\mathbf{if \ x \ relop \ y \ goto \ L}$
7. Procedure (Function) calls and returns

```
param  $x_1$   
param  $x_2$   
...  
param  $x_n$   
call  $p, n$ 
```

8. Indexed copy instructions of the form  $\mathbf{x = y[i]}$  and  $\mathbf{x[i]=y}$
9. Address and pointer assignments of the form  $\mathbf{x = \&y}$ ,  $\mathbf{x = *y}$ , and  $\mathbf{*x = y}$

# Three-Address Code

- **Example**

- *do*  $i = i + 1$ ; *while* ( $a[i] < v$ );

Symbolic  
Label

L:  $t_1 = i + 1$   
 $i = t_1$   
 $t_2 = i * 8$   
 $t_3 = a [ t_2 ]$   
*if*  $t_3 < v$  *goto* L

The multiplication  $i*8$  is appropriate for an array of elements that each take 8 units of space

- **Three representations for three-address code are as follows**
  - Quadruples
  - Triples
  - Indirect triples

# Three-Address Code

- **Quadruples**

- A quadruple has four fields, which we call **op**, **arg1**, **arg2**, and **result**
- **Some exceptions**
  - Instructions with unary operators like  $x = \text{minus } y$  or  $x = y$  do not use **arg2**
    - Note that for a copy statement like  $x = y$ , **op** is **=**, while for most other operations, the assignment operator is implied
  - Operators like **param** use neither **arg2** nor **result**
  - Conditional and unconditional jumps put the target label in **result**

- **Example**

- $a = b * -c + b * -c;$

```
t1 = minus c
t2 = b * t1
t3 = minus c
t4 = b * t3
t5 = t2 + t4
a = t5
```

(a) Three-address code

	<i>op</i>	<i>arg<sub>1</sub></i>	<i>arg<sub>2</sub></i>	<i>result</i>
0	minus	c		t <sub>1</sub>
1	*	b	t <sub>1</sub>	t <sub>2</sub>
2	minus	c		t <sub>3</sub>
3	*	b	t <sub>3</sub>	t <sub>4</sub>
4	+	t <sub>2</sub>	t <sub>4</sub>	t <sub>5</sub>
5	=	t <sub>5</sub>		a
	...			

(b) Quadruples

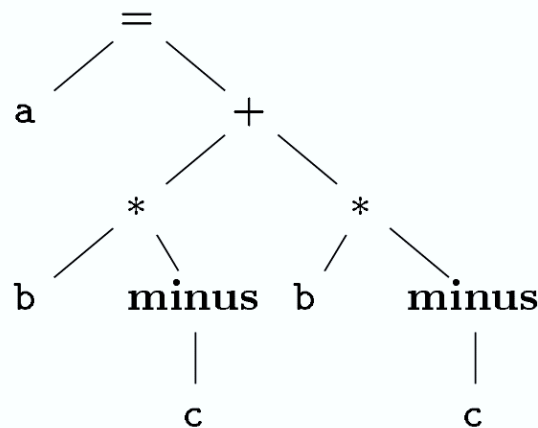
# Three-Address Code

- **Triples**

- A triple has only three fields, which we call op, arg1, and arg2
- We refer to the result of an operation  $x \text{ op } y$  by its position, rather than by an explicit temporary name

- **Example**

- $a = b * -c + b * -c;$



(a) Syntax tree

	<i>op</i>	<i>arg</i> <sub>1</sub>	<i>arg</i> <sub>2</sub>
0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)
	...		

(b) Triples

# Three-Address Code

- **Indirect triples**

- A benefit of quadruples over triples can be seen in an optimizing compiler, where instructions are often moved around
  - With triples, moving an instruction may require us to change all references to that result
- **Indirect triples** consist of a listing of pointers to triples, rather than a listing of triples themselves
  - With indirect triples, an optimizing compiler can move an instruction by reordering the instruction list

- **Example**

- $a = b * -c + b * -c;$

*instruction*

35	(0)
36	(1)
37	(2)
38	(3)
39	(4)
40	(5)
	...

*op*    *arg<sub>1</sub>*    *arg<sub>2</sub>*

0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)
		...	



# Three-Address Code

- **Example**

- $a + -(b + c)$

- **Quadruple**

	on	arg1	arg2	result
0	+	b	c	t1
1	minus	t1		t2
2	+	a	t2	t3

- **Triple**

	on	arg1	arg2
0	+	b	c
1	minus	(0)	
2	+	a	(1)

## Indirect triples

	on	arg1	arg2
0	+	b	c
1	minus	(0)	
2	+	a	(1)

	instruction
0	(0)
1	(1)
2	(2)

# Three-Address Code

- **Example**

- $a = b[i] + c[j]$

- **Quadruple**

0)	= [ ]	b	i	t1
1)	= [ ]	c	j	t2
2)	+	t1	t2	t3
3)	=	t3		a

- **Triple**

0)	= [ ]	b	i
1)	= [ ]	c	j
2)	+	(0)	(1)
3)	=	a	(2)

# Three-Address Code

- **Example**

- $a[i] = b * c - b * d$

- **Quadruple**

0)	*	b	c	t1
1)	*	b	d	t2
2)	-	t1	t2	t3
3)	[ ]=	a	i	t4
4)	=	t3		t4

- **Triple**

0)	*	b	c
1)	*	b	d
2)	-	(0)	(1)
3)	[ ]=	a	i
4)	=	(3)	(2)

# Three-Address Code

- **Example**

- $x = f(y + 1) + 2$

- **Quadruple**

0)	+	y	1	t1
1)	param	t1		
2)	call	f	1	t2
3)	+	t2	2	t3
4)	=	t3		x

- **Triple**

0)	+	y	1
1)	param	(0)	
2)	call	f	1
3)	+	(2)	2
4)	=	x	(3)

# Translation of Expressions

- **Goal**

- Translation of expressions and statements into three-address code

- **Example**

- Attributes ***S.code*** and ***E.code*** denote the three-address code for ***S*** and ***E***, respectively
- Attribute ***E.addr*** denotes the address that will hold the value of ***E***
  - Recall that an address can be a name, a constant, or a compiler-generated temporary

PRODUCTION	SEMANTIC RULES
$S \rightarrow \mathbf{id} = E ;$	$S.code = E.code \parallel$ $gen(top.get(\mathbf{id.lexeme}) '=' E.addr)$
$E \rightarrow E_1 + E_2$	$E.addr = \mathbf{new Temp}()$ $E.code = E_1.code \parallel E_2.code \parallel$ $gen(E.addr '=' E_1.addr '+' E_2.addr)$
$\quad   \quad - E_1$	$E.addr = \mathbf{new Temp}()$ $E.code = E_1.code \parallel$ $gen(E.addr '=' 'minus' E_1.addr)$
$\quad   \quad ( E_1 )$	$E.addr = E_1.addr$ $E.code = E_1.code$
$\quad   \quad \mathbf{id}$	$E.addr = top.get(\mathbf{id.lexeme})$ $E.code = ''$

Let ***top*** denote the current symbol table.