



GRADE/GRAAD 12

SEPTEMBER 2022

TECHNICAL MATHEMATICS P1 MARKING GUIDELINE/ TEGNIESE WISKUNDE V1 NASIENRIGLYN

MARKS/PUNTE: 150

	MARKING CODES / NASIENKODES		
A	Accuracy/ Akkuraatheid		
AO	Answer only / Slegs antwoord		
CA	Consistent accuracy / Volgehoue akkuraatheid		
M	Method / Metode		
R	Rounding / Afronding		
NPR	No penalty for rounding / Geen penalisering vir afronding nie		
NPU	No penalty for units omitted / Geen penalisering vir weglating van eenhede nie		
S	Simplification / Vereenvoudiging		
F	Correct formula / Korrekte formule		
SF	Substitution in the correct formula / Vervanging in die korrekte formule		

This marking guideline consists of 16 pages. / Hierdie nasienriglyn bestaan uit 16 bladsye.

NOTE:

- If a candidate answers a question TWICE, only mark the FIRST attempt.
- The method of consistent accuracy marking must be applied to all aspects of the marking guideline where applicable as indicated with the marking code CA.
- If a candidate strikes off a response to a question and does not attempt the question again, then the struck off question should be marked.

LET WEL:

- Indien 'n kandidaat 'n vraag TWEE keer beantwoord, sien slegs die EERSTE poging na.
- Die metode van volgehoue akkuraatheid-nasien moet waar moontlik op alle aspekte van die nasienriglyn toegepas word soos aangedui deur die nasienkode CA.
- Indien 'n kandidaat 'n antwoord deurhaal en nie poog om die vraag weer te beantwoord nie, dan moet die deurgehaalde antwoord gemerk word.

1.1.1	x(x+7) + 10 = 0 $x^2 + 7x + 10 = 0$	✓ standard form/standaardvorm A
	$x = \frac{-(7) \pm \sqrt{(7)^2 - 4(1)(10)}}{2(1)} \text{ OR/OF } (x+7)(x+5) = 0$	✓ substitution / factorisation Substitusie / faktorisering SF
	$\therefore x = -2 \text{ or/of } x = -5$	✓ both x-values / beide x-waardes CA (3)
1.1.2	$2x-1=\frac{4}{x}$	✓ standard form/standaardvorm CA
	$2x^{2} - x = 4$ $2x^{2} - x - 4 = 0$	
	$x = \frac{-(-1) \pm \sqrt{(-1)^2 - 4(2)(-4)}}{2(-2)}$	✓ SF CA
	x = -1,69 or/ of x = 1,19	✓ both x-values / beide x-waardes CA R
1.1.3	$x^2 + \frac{7x}{2} + 3 \le 0$	✓ factorisation/substitution (3)
	$x = \frac{-\left(\frac{7}{2}\right) \pm \sqrt{\left(\frac{7}{2}\right)^2 - 4(1)(3)}}{2(1)} \text{ OR / OF } (2x+3)\left(\frac{x}{2}+1\right) = 0$	Faktorisering / substitusie A
	Critical Values / Kritiese waardes: -2 en $-\frac{3}{2} \approx -1.5$	✓ both critical values/ beide kritiese waardes CA
	$\therefore -2 \le x \le -1,5 \mathbf{OR}/\mathbf{OF} x \in [-2; -1,5] \mathbf{OR}/\mathbf{OF}$	✓ correct notation/ <i>korrekte notasie</i>
	$x \le -2$ and/en $x \le -1,5$	A (3)

1.2 x-y-1=0(1)

and/en

$$xy + y^2 = x$$
....(2)

$$x = y + 1$$
....(3)

$$(y+1)y+y^2=y+1$$

$$y^2 + y + y^2 = y + 1$$

$$2v^2 - 1 = 0$$

$$y = \frac{-0 \pm \sqrt{0^2 - 4(2)(-1)}}{2(2)} \mathbf{OR} / OF \left(\sqrt{2}y - 1\right) \left(\sqrt{2}y + 1\right) = 0$$

$$\therefore y = \pm \frac{1}{\sqrt{2}} = \pm 0.71$$

$$x = 1 \pm \frac{1}{\sqrt{2}}$$

$$\therefore x = 1,71 \text{ or/} of x = 0,29$$

OR/OF

$$x-y-1=0$$
(1)

and /en

$$xy + y^2 = x$$
....(2)

$$y = x - 1$$
....(3)

$$x(x-1)+(x-1)^2=x$$

$$x^2 - x + x^2 - 2x + 1 = x$$

$$2x^2 - 4x + 1 = 0$$

$$x = \frac{-(-4) \pm \sqrt{(-4)^2 - 4(2)(1)}}{2(2)}$$

 $\therefore x = 1.71 \text{ or } / of x = 0.29$

$$y = 1.71 - 1 \text{ or/} of \quad y = 0.29 - 1$$

$$\therefore y = \pm \frac{1}{\sqrt{2}} = \pm 0,71$$

✓ x subject/onderwerp

 \mathbf{A}

✓ substitution/vervanging

CA

CA

✓ correct standard form/

korrekte standaard vorm

✓ both/beide y –values/-waardes **CA**

✓ both/*beide x* –values/-*waardes* **CA**

OR/OF

- ✓ y subject / onderwerp

A

CA

- ✓ substitution/ *vervanging* CA
- ✓ correct standard form/ korrekte standaardvorm
- ✓ both *x* –values /beide *x*-waardes **CA**
- ✓ both *y*-values/ beide *y*-waardes

CA NPR

(5)

1.3	1.3.1	$EBAC = \frac{(BWb \times SD) \times C}{GBW \times BWt} - GMR \times DP$	
		$EBAC(GBW \times BWt) = (BWb \times SD) \times C - GMR \times DP(GBW \times BWt)$	
		$EBAC(GBW \times BWt) + GMR \times DP(GBW \times BWt) = (BWb \times SD) \times C$	✓
		$\therefore \frac{EBAC(GBW \times BWt) + GMR \times DP(GBW \times BWt)}{BWb \times C} = SD$	$(BWb \times SD) \times C$ subject / onderwerp
			✓ SD CA
		OR/OF	OR/OF
		$EBAC = \frac{(BWb \times SD) \times C}{GBW \times BWt} - GMR \times DP$	
		$EBAC(GBW \times BWt) = (BWb \times SD) \times C - GMR \times DP(GBW \times BWt)$	
		$EBAC + GMR \times DP = \frac{(BWb \times SD) \times C}{GBW \times BWt}$	√
		$GBW \times BWt (EBAC + GMR \times DP) = (BWb \times SD) \times C$	$(BWb \times SD) \times C$ subject / onderwerp A
		$\therefore \frac{GBW \times BWt(EBAC + GMR \times DP)}{BWb \times C} = SD$ $EBAC = 7 \times 10^{-2}$	\checkmark SD CA (2)
	1.3.2 (a)	$EBAC = 7 \times 10^{-2}$	✓ Form / vorm A
			(1)
	1.3.2 (b)	$SD = \frac{GBW \times BWt(EBAC + GMR \times DP)}{BWb \times C}$	
		$=\frac{0.58\times140(0.07+0.18\times2)}{1.806\times3.2}$	✓ Substitution /substitusie A
		= 6 drinks/drankies	✓ 6 CA
		OR/OF	OR/OF

		$EBAC = \frac{(BWb \times SD) \times C}{GBW \times BWt} - GMR \times DP$	✓ Substitution /substitusie	A
		$0.07 = \frac{(1.806 \times SD) \times 3.2}{0.58 \times 140} - 0.18 \times 2$	√ 6	CA
		$SD = \frac{0.58 \times 140(0.07 + 0.18 \times 2)}{1.806 \times 3.2}$		
		SD = 6 drinks / drankie		(2)
	1.3.2 (c)	He will be punished for $6 - 4 = 2$ drinks / Hy sal gestraf word vir $6 - 4 = 2$ drankies	✓ 2	CA
1.4	111 + 1 1000	12	✓ 10001 ₂	A
	11000	$1_2 = 14 + 3 = 17 = 10001_2$	Ignore base / Ignoreer basis	
				(1) [21]

2.1	x = 5	or/of x = -5	√ 5	A
			√ − 5	\mathbf{A}
				(2)
	2.2.1	$\Delta = b^2 - 4ac = 0$	√ 0	A
	2.2.1	$\Delta = 0$ $\pm ac = 0$		(1)
	2.2.2	Roots are Real and Equal / Wortels is reëel en	✓ Real /reëel	A
		gelyk	✓ Equal /gelyk	\mathbf{A}
				(2)
	2.2.3	k > 0	✓ k > 0	A
				(1)
				[6]

CA CA (3) riem A
riem A
A
CA
CA CA (3)
A
CA (3)
-

	222	(.)	1 (2 2 2 0	
	3.2.2	$\log_a 3x = \log_a \left(2x^2 - 9\right)$	$✓ 3x = 2x^2 - 9$ ✓ Standard form/ <i>vorm</i>	A CA
		$3x = 2x^2 - 9$	Standard formi vorm	CA
		$2x^2 - 3x - 9 = 0$		
			✓ Substitution / Factors	~ .
		$(2) + \sqrt{(2)^2 + 4(2)(-0)}$	Substitusie / faktore	CA
		$x = \frac{-(-3) \pm \sqrt{(-3)^2 - 4(2)(-9)}}{2(2)} \mathbf{OR} / OF \ (2x+3)(x-3) = 0$	$\checkmark x = 3$	CA
			$x \neq -\frac{3}{2}$	·
		$\therefore x = 3 \text{ or } / \text{ of } x \neq -\frac{3}{2}$	√ ∠	CA (5)
3.3	3.3.1	z. $2-5i$		(3)
	3.3.1	$\frac{z_1}{z_2} = \frac{2-5i}{1+i}$		
		-		
		$\frac{z_1}{z_2} = \frac{2 - 5i}{1 + i} \times \frac{1 - i}{1 - i}$	✓ Conjugate ratio /	$\mathbf{C}\mathbf{A}$
		-	toegevoegde verhouding	CA
		$\frac{z_1}{z_2} = \frac{2 - 5i - 2i + 5i^2}{1 - i^2}$	✓ Simplification /	
			vereenvoudiging	CA
		$\frac{z_1}{z_2} = \frac{2 - 7i + 5(-1)}{1 - (-1)}$	$\checkmark i^2 = -1$	CA
			✓ Simplification /	CA
		$\frac{z_1}{z_2} = \frac{-3}{2} - \frac{7i}{2}$	vereenvoudiging	CA
				(4)
	3.3.2	$ z = \sqrt{\left(\frac{-3}{2}\right)^2 + \left(\frac{-7}{2}\right)^2}$	✓ Substitution / vervanging CA	
		$\therefore z = \frac{\sqrt{58}}{2} = 3.81$	$\sqrt{\frac{\sqrt{58}}{2}} = 3.81$	CA (2)
	3.3.3	7 3	✓ tan ratio /verhouding	(2)
		$\tan\theta = \frac{7}{2} \div \frac{3}{2}$	CA	
		$\theta = \tan^{-1}\left(\frac{7}{3}\right)$		
		Ref / Verw \angle : $\theta = 66,80^{\circ}$		
		$\theta = 66,80^{\circ} + 180^{\circ} = 246,80^{\circ}$	✓ reference angle /	
		$0.0 - 00,80 + 180^{\circ} - 240,80^{\circ}$	verwysingshoek	CA
			✓ 246,80°	CA
	3.3.4	50	✓ Form / vorm	(3) CA
	J.J. T	$\frac{\sqrt{58}}{2}cis246,80^{\circ}$	- I OIIII / VOI III	(1)
3.4	x = -1	3 and / en y = 0	$\sqrt{x} = -3$	A
			$\begin{array}{c} \checkmark & x = -3 \\ \checkmark & y = 0 \end{array}$	A
			,	(2)
				[26]

	1			1
4.1	4.1.1	y=1	$\checkmark y = 1$	A (1)
	4.1.2	x = 0	$\checkmark x = 2$	A
	4.1.2			(1)
	4.1.3	x = 2	$\checkmark x = 4$	A (1)
	4.1.4	y = 2	✓ y = 2	A
	4.1.5	n, 41	✓ critical values / kritiese	(1)
	4.1.5	$y \neq 1$ OR / <i>OF</i>	waardes	A
		$m < n < 1$ or $/$ of $1 < n < \infty$		
		$-\infty < y < 1 \text{ or } / \text{ of } 1 < y < \infty$	✓ correct notation / korrekt	te
		OR / OF	notasie	A
		$y \in (-\infty;1) \text{ or } / \text{ of } y \in (1;\infty)$		
	4.1.6		(, , 2	(2)
	4.1.6	x < -2 or of 0 < x < 2	✓ <i>x</i> < 2	A
		OR / OF	✓ critical values / kritiese waardes	A
		$x \in (-\infty; -2)$ or $/ of x \in (0; 2)$		
			✓ notation / notasie	A (3)
4.2	4.2.1	Since it is a semi circle, a vertical line drawn across	✓ Explanation /	(0)
		the graph will cut the graph once. /	verduideliking	A
		Aangesien dit 'n halfsirkel is, sal 'n vertikale lyn wat oor die grafiek getrek word, die grafiek een keer sny.		
		OR/OF		
		The function is a many to one relationship /		(1)
	4.2.2	Die funksie is 'n baie tot een verwantskap $y = 3$	$\checkmark y = 3$	(1) A
	1.2.2	<i>y</i> 3		(1)
	4.2.3	y=3	✓ <i>y</i> = 3	A
	4.2.4	$2x^2 - 7x + 3 = 0$		(1)
		$x = \frac{7 \pm \sqrt{49 - 4(2)(3)}}{2(2)} \text{or/of} (2x - 1)(x - 3) = 0$	✓ Factors / Substitution	
		` '	Faktore / vervanging	A
		$x = \frac{1}{2}$ or/of $x = 3$		
		<u> </u>	$\checkmark x = 0.5 \text{ or/} of 3$	A (2)
	4.2.5	$x = \pm 3$	$\checkmark x = \pm 3$	(<u>2</u>)
				(1)

	4.2.6	$\frac{1}{-+3}$	
		$x = -\left(\frac{-7}{2 \times 2}\right) \text{ OR } / OF \ x = \frac{\frac{1}{2} + 3}{2} \text{ OR } / OF \ k'(x) = 4x - 7 = 0$	✓ Method /metode A
		$x = \frac{7}{4}$	✓ Axis of symmetry / simmetries-as CA
		$f\left(\frac{7}{4}\right) = 2\left(\frac{7}{4}\right)^2 - 7\left(\frac{7}{4}\right) + 3$ $f\left(\frac{7}{4}\right) = -\frac{25}{8} = -3{,}125$	✓ Substitution / vervanging CA
			✓ Minimum turning point / Minimum draaipunt CA
			(4)
	4.2.7	$k \bigvee_{k} V$	<i>k</i> :
		3	✓ Shape /vorm A
			✓ Intercepts / afsnitte CA
			✓ Turning Point / draaipunte CA
		$\begin{bmatrix} -3 \\ -3 \end{bmatrix}$ $\begin{bmatrix} 0 & 1 \\ \frac{1}{2} \end{bmatrix}$	l:
			✓ Shape / vorm A
		$\left(\frac{7}{4}; -\frac{28}{8}\right)$	✓ Intercepts / afsnitte CA (5)
4.3	4.3.1	y = 1	$\checkmark y = 1 $ A (1)
	4.3.2	$4=a^2$	✓ Substitution / vervanging
		$2^2 = a^2$	Α
		$\therefore a = 2$	✓ Simplification /
		2	vereenvoudiging CA ✓ 2 CA
			(3)
			[28]

5.1	5.1.1	350 100 11 020/	✓ 11,82%	A
		Percentage/Persentasie = $\frac{350}{2960} \times 100 = 11,82\%$	Accept/Aanvaar	$]_{(1)}$
	5.1.2	$HP = R2\ 960 - R350 = R2\ 610$	✓ R2 610	A (1)
	5.1.3	Money Melody paid / Geld Melody betaal = R145 × 24 = R3 480	✓ R3 480	A
		A = P(1+in) R3 480 = R2 610(1+2i)	✓SF	CA
		$2i = \frac{R3\ 480}{R2\ 610} - 1$		
		$i = \frac{1}{6}$ $\therefore \text{ Interest Rate } / \text{ Re ntekoers} = 16,67\%$	✓ Interest rate /rentekoers	CA
		OR/ <i>OF</i>	OR/OF	
		$\frac{3480 - 2610}{2 \times 2680} \times 100\%$	✓ R3 480	A
		= 16,67	✓SF ✓ Interest rate /rentekoers	CA CA (3)
5.2	5.2.1	$A = P(1+i)^n$		
		$A_3 = R20\ 000 \left(1 + \frac{0.06}{12}\right)^{3 \times 12} = R23\ 933,6105$	✓ SF ✓ R23 933,6105 ✓ SF	A CA CA
		$A_7 = R23 \ 933,6105 \left(1 + \frac{0,075}{4} \times 16\right) = R31 \ 113,69365$	✓ R31 113,69365	CA
		OR / OF	OR/ <i>OF</i> ✓ SF	
		- · · 5 -	\checkmark i and $/en$ n	A A
		$\left(\begin{array}{cccccccccccccccccccccccccccccccccccc$	✓ SF	CA
		$A = R20\ 000 \left(1 + \frac{0,06}{12}\right)^{3\times12} \left(1 + \frac{0,075}{4} \times 16\right) = R31\ 113,69365$	✓ R31 113,69365	CA (4)

5.2.2	R31 113,69365 – Amount withdrawn and interests/ Bedrag onttrek en rente = R30 000	✓ Equation / <i>vergelyking</i> ✓ Substitution / <i>vervanging</i>	CA CA
	$P(1+in) = R31\ 113,69365 - R30\ 000$ $P(1+\frac{0,075}{4} \times 4 \times 4) = R1113,69365$	✓ P subject / onderwerp	CA
		✓ R856,69	CA
	$P = \frac{R1113,69365}{\left(1 + \frac{0,075}{4} \times 4 \times 4\right)}$		
	$\therefore P = R856,69$	OR / <i>OF</i>	
	OR / <i>OF</i>		
	$(R23 933,6105 - P)$ $\left(1 + \frac{0,075}{4} \times 4 \times 4\right) = R30 000$		
	R30 000	✓ Substitution / <i>vervanging</i>	CA
	R23 933,6105 – $P = \frac{R30\ 000}{\left(1 + \frac{0,075}{4} \times 4 \times 4\right)}$	✓ Substitution / vervanging	CA
	$P = R23 \ 933,6105 - \frac{R30 \ 000}{\left(1 + \frac{0,075}{4} \times 4 \times 4\right)}$	✓ P subject / onderwerp	CA
	$\therefore P = R856,69$	✓ R856,69	CA
			(4) [13]

6.1	f(x) =	=-1-2x		
	f'(x) =	$=\lim_{h\to 0}\frac{f(x+h)-f(x)}{h}$	✓ definition/definisie	A
	=	$\lim_{h \to 0} \frac{-1 - 2(x+h) - (-1 - 2x)}{h}$	✓ SF	CA
	=	$\lim_{h \to 0} \frac{-1 - 2x - 2h + 1 + 2x}{h}$	✓ S	CA
	=	$\lim_{h \to 0} \frac{-2h}{h}$	✓S	CA
	= /	$\lim_{n \to 0} (-2)$		
	$\therefore f'(x)$) = -2	√ − 2	CA
		lty of one mark for incorrect notation liseer een punt indien notasie foutief is.	AO: 1 mark/punt	(5)
	6.2.1	$D_x(x^2+x-2)$		
		=2x+1	✓ 2 <i>x</i>	A
			√ 1	A (2)
	6.2.2	$\frac{dy}{dx} \text{ if } / \text{ as } xy = x\sqrt{x} - 9x^2 - 1$ $y = \frac{x\sqrt{x} - 9x^2 - 1}{x}$	✓ y subject / onderwerp	A
		$y = \sqrt{x} - 9x - \frac{1}{x}$ $y = x^{\frac{1}{2}} - 9x - x^{-1}$	✓ Exponential form / eksponensiële vorm 1 \frac{1}{2}	CA
		$\frac{dy}{dx} = \frac{1}{2}x^{-\frac{1}{2}} - 9 + x^{-2}$	$\frac{1}{\sqrt{2}}x^{-\frac{1}{2}}$ $\checkmark -9$ $\checkmark x^{-2}$	CA
		ax = 2	$\sqrt{-9}$	CA CA
			· A	$\begin{array}{c} \mathbf{CA} \\ (5) \end{array}$
	6.3	Average gradient / gemid grad = $\frac{5-0}{2-(-3)}$	✓ Substitution / vervanging	A
		∴ Average grad. / gemid grad = 1	√ 1	CA (2) [14]

STION/VRAAG 7	
$y = 6 \qquad \mathbf{OR}/\mathbf{OF} (0,6)$	\checkmark y-intercept/ afsnit A (1)
$f(x) = x^3 - 7x + 6$	$\checkmark f(x) = 0 $ A
$f(1) = (1)^3 - 7(1) + 6 = 0$	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	✓ First root of/ eerste wortel van f. A
$f(x) = (x-1)(x^2 + x - 6)$	✓ Quadratic factor / kwadratiese
f(x) = (x-1)(x-2)(x+3) = 0	faktor CA
x = 1 or/ of x = 2 or/ of x = -3	✓ Factors / faktore ✓ two other x-intercepts. / twee ander x-afsnitte CA
	(5)
$f(x) = x^3 - 7x + 6$ $f'(x) = 3x^2 - 7 = 0$	$f'(x) = 3x^2 - 7$
$x = \pm \sqrt{\frac{7}{3}}$	f'(x) = 0 CA
$f\left(\sqrt{\frac{7}{3}}\right) = \left(\sqrt{\frac{7}{3}}\right)^3 - 7\left(\sqrt{\frac{7}{3}}\right) + 6 = -1,13$	$x = \pm \sqrt{\frac{7}{3}}$ CA
$f\left(-\sqrt{\frac{7}{3}}\right) = \left(-\sqrt{\frac{7}{3}}\right)^3 - 7\left(-\sqrt{\frac{7}{3}}\right) + 6 = 13,13$	$f\left(\sqrt{\frac{7}{3}}\right) = -1,13$ CA
$\left(\sqrt{\frac{7}{3}}; -1, 13\right) \text{ and } \left(-\sqrt{\frac{7}{3}}; 13, 13\right)$	$f\left(-\sqrt{\frac{7}{3}}\right) = 13,13$ CA (5)
	$y = 6 \mathbf{OR}/\mathbf{OF} (0,6)$ $f(x) = x^3 - 7x + 6$ $f(1) = (1)^3 - 7(1) + 6 = 0$ $1 : 1 0 -7 6$ $\frac{0}{1} \frac{1}{1} -6 0$ $f(x) = (x - 1)(x^2 + x - 6)$ $\therefore f(x) = (x - 1)(x - 2)(x + 3) = 0$ $x = 1 \text{ or/of } x = 2 \text{ or/of } x = -3$ $f(x) = x^3 - 7x + 6$ $f'(x) = 3x^2 - 7 = 0$ $x = \pm \sqrt{\frac{7}{3}}$ $f\left(\sqrt{\frac{7}{3}}\right) = \left(\sqrt{\frac{7}{3}}\right)^3 - 7\left(\sqrt{\frac{7}{3}}\right) + 6 = -1,13$ $f\left(-\sqrt{\frac{7}{3}}\right) = \left(-\sqrt{\frac{7}{3}}\right)^3 - 7\left(-\sqrt{\frac{7}{3}}\right) + 6 = 13,13$

7.4	$\left(-\sqrt{\frac{7}{3}};13,13\right)$	✓ Shape / vorm	A
	f 6	✓ All x – intercepts / alle x-afsn CA	itte
	-3 0 1 2 x	✓ y –intercept / afsnit	CA
	$\left(\sqrt{\frac{7}{3}}; -1,1285\right)$	✓ Both turning points / beide draaipunte	CA (4)
7.5	$f'(x) = 3x^{2} - 7$ $f'(-2) = 3(-2)^{2} - 7$	f'(-2) = 5	A
	$f'(2) = 5$ $f(-2) = (-2)^3 - 7(-2) + 6$	f'(-2) = 5 $f(-2) = 12$	CA
	f(-2) = 12		
	y = mx + c $12 = 5(-2) + c$		<u>.</u>
	c = 22	✓ c = 22	CA
	$\therefore y = 5x + 22$	$\checkmark y = 5x + 22$	CA (4) [19]

8.1	1,5 thousand/duisend = 1500	✓ 1 500	A (1)
8.2	$P(x) = -x^2 + 5x = 0$	$\checkmark P(x) = 0$	A
	$x = \frac{-5 \pm \sqrt{5^2 - 4(-1)(0)}}{2(-1)}$	✓ Factors/faktore / SF	A
	$0 = x(-x+5) \mathbf{OR}/\mathbf{OF}$	√ 0	CA
	$\therefore x = 0 \text{ OR}/OF \ x = 5$	✓ 5	CA
8.3	$P(x) = -x^2 + 5x = 0$		(4)
	$P(1) = -(1)^2 + 5(1)$	✓ P(1)	A
	$P(x) = $4\ 000$	✓ 4 000	CA
		NP	(2)
8.4	0+5 5	✓ Method / metode	(2) A
	$x = \frac{0+5}{2} = \frac{5}{2} = 2,5$		
	OR / <i>OF</i>	✓ 2,5	A
		OR/OF	
	5 5	✓ Method / metode	A
	$x = -\frac{5}{2(-1)} = \frac{5}{2} = 2,5$./ 2.5	
	\mathbf{OR} / OF	✓ 2,5	A
		OR/ OF	
	P'(x) = -2x + 5 = 0	✓ Method / metode	A
	$\therefore x = \frac{5}{2} = 2,5$	√ 2,5	A
	2		(2)
8.5	$P(2,5) = -(2,5)^2 + 5(2,5)$	✓ 6,25 ✓ 6,250	A
	$P(2,5) = 6,25 = \$6\ 250$	✓ 6 250	CA
	1 (2,2) 0,22 40 220	NP	(2)
			[11]

9.1	9.1.1		
7.1	$= \int x^{\frac{1}{2}} dx$ $= \frac{2}{3} x^{\frac{3}{2}} + c$		
	$2 \frac{3}{2}$	$\frac{2}{\sqrt{3}}x^{\frac{3}{2}}$ \sqrt{C}	
	$=\frac{1}{3}x^2+c$	$\sqrt{3}^{x^2}x$	A
		✓C	A (2)
	9.1.2 $\int \left(x^{-2} - \frac{\pi}{x}\right) dx$ $= -x^{-1} - \pi \ln x + c$		(2)
	$=-x^{-1}-\pi\ln x+c$	$\checkmark -x^{-1}$ $\checkmark -\pi \ln x + c$	A
		$\sqrt{-\pi} \ln x + c$	A (2)
9.2	$\int_{a}^{2} (5x^{2} - 20) dx$ $= \left[\frac{5x^{3}}{3} - 20x \right]^{2}$	✓ Area in integral notation / Oppervlakte in integrasie notasie A	
	$=\frac{5(2)^3}{3}-20(2)-\frac{5a^3}{3}+20a$	✓ Integral / Integraal	CA
	$45 = \frac{40}{3} - 40 - \frac{5a^3}{3} + 20a$	✓✓ SF	CA
	3 3	✓ Equating to / <i>Gelykstelling</i>	
	$45 = -\frac{80}{3} - \frac{5a^3}{3} + 20a$	aan 45 CA	
	$5a^3 - 60a + 80 - 135 = 0$		
	$a^{3}-12a-11=0$ $(a+1)(a^{2}-a-11)=0$		
	$a = -1$ or/of $a = \frac{-(-1) \pm \sqrt{(-1)^2 - 4(1)(-11)}}{2(1)}$	√s C	CA
	a = -1 or/of $a = -2.86$ or/of $a = 3.85$		
	$\therefore a = -1$	v	CA CA
			(8) 12]

TOTAL/TOTAAL: 150