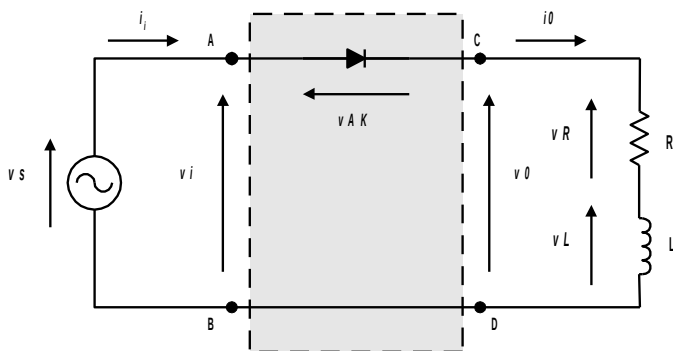


# **Retificadores Monofásicos de Meia-Onda (carga RL) Curvas de Projeto**

# RETIFICADOR MONOFÁSICO DE MEIA-ONDA NÃO CONTROLADO

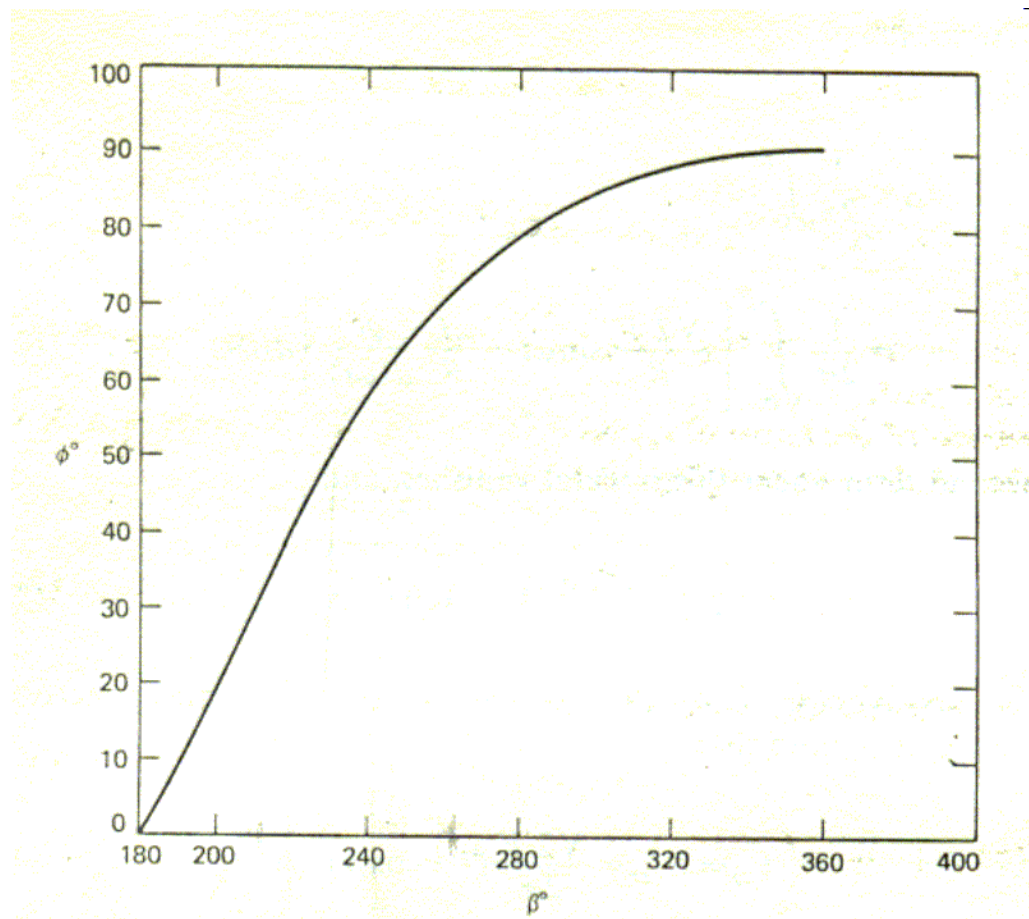
## Ângulo de Condução – Carga RL



$$\sin(\beta - \phi) + e^{-\beta / \tan \phi} \cdot \sin \phi = 0$$

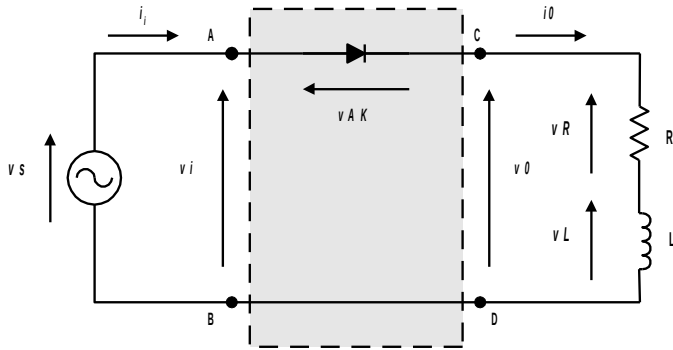
$$\gamma = \beta - \alpha$$

$$\alpha = 0^\circ$$



# RETIFICADOR MONOFÁSICO DE MEIA-ONDA NÃO CONTROLADO

## Correntes média e rms normalizadas – Carga RL

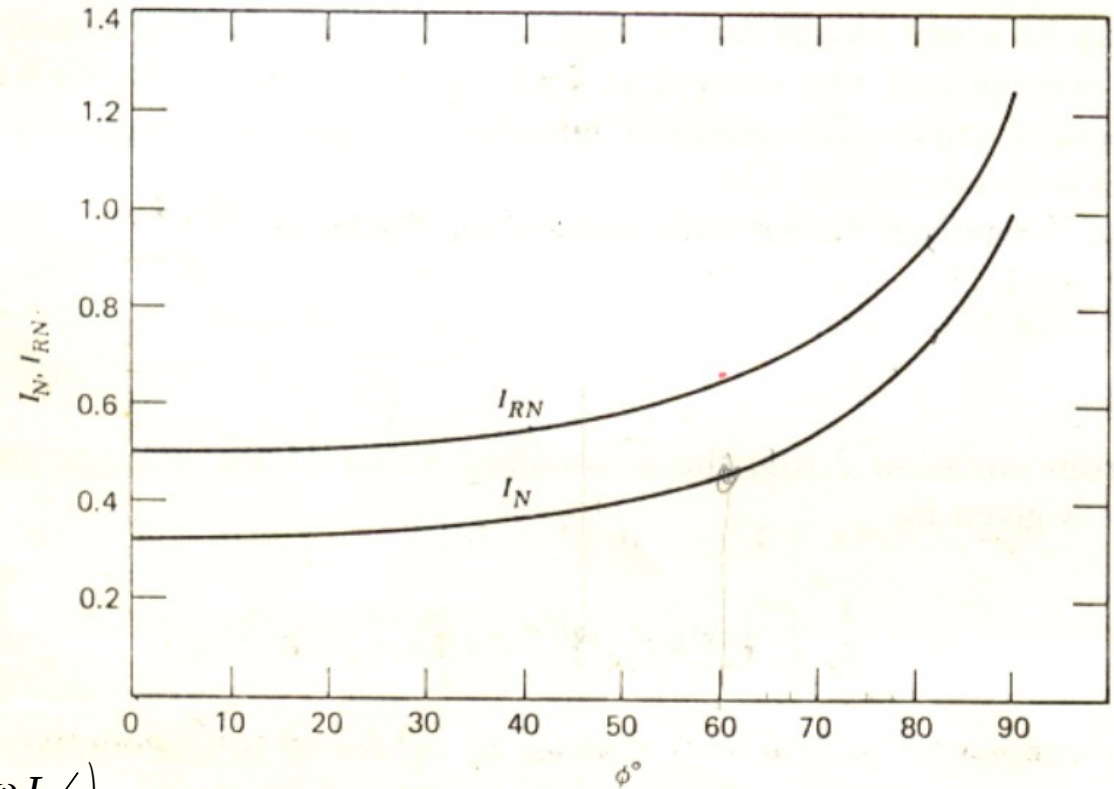


$$i_N = \sin(\omega.t - \phi) + e^{-\omega.t / \tan \phi} \cdot \sin \phi$$

$$i_N = \frac{i(\omega.t)}{I_{base}} \quad ; \quad I_{base} = \sqrt{2} \cdot V / Z$$

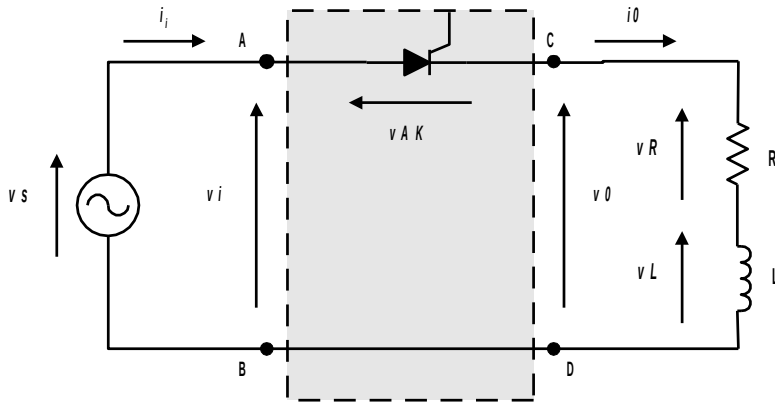
$$Z = \sqrt{R^2 + (\omega.L)^2} \quad ; \quad \phi = \arctan(\omega.L / R)$$

$$I_N = \frac{1}{2\pi} \int_{\alpha=0}^{\beta=\gamma+\alpha=\gamma} i_N \cdot d\omega t \quad ; \quad I_{RN} = \sqrt{\frac{1}{2\pi} \int_{\alpha=0}^{\beta=\gamma+\alpha=\gamma} i_N^2 \cdot d\omega t}$$



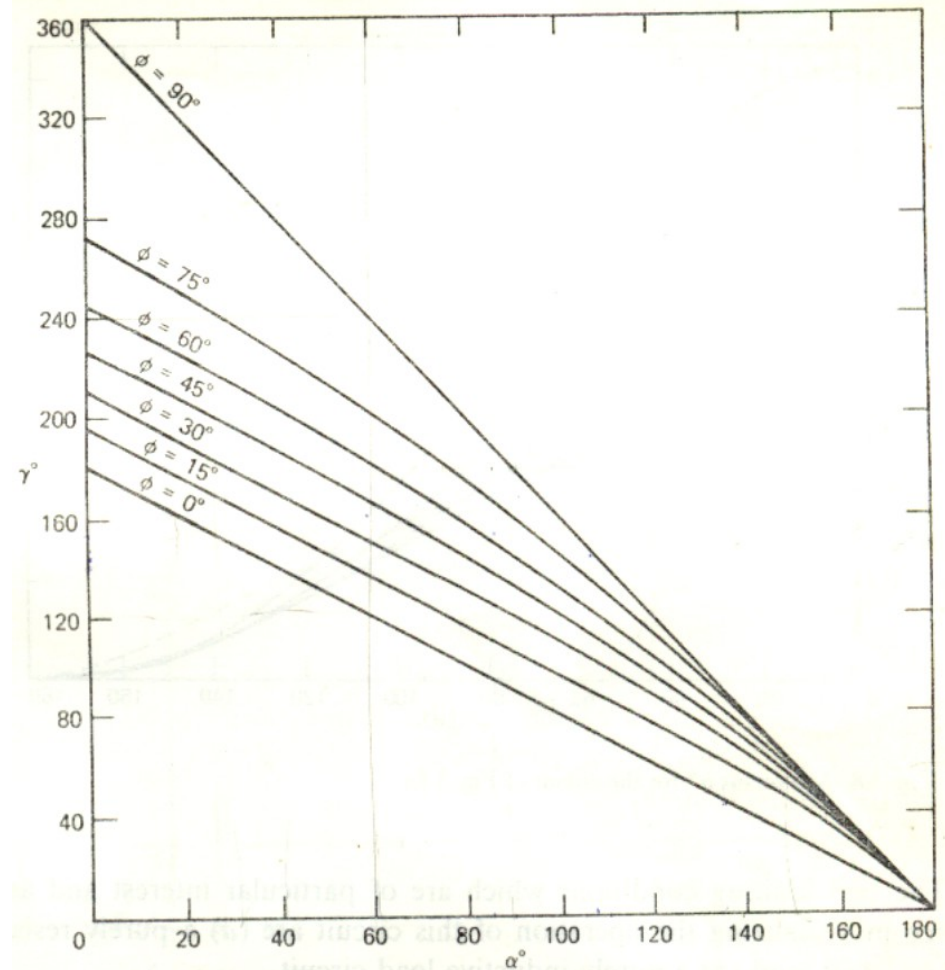
# RETIFICADOR MONOFÁSICO DE MEIA-ONDA CONTROLADO

## Ângulo de Condução – Carga RL



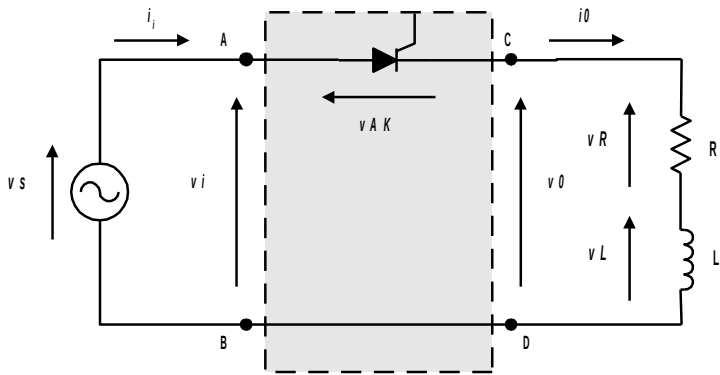
$$\sin(\beta - \phi) = \sin(\alpha - \phi) \cdot e^{[\alpha - \beta] / \tan \phi}$$

$$\gamma = \beta - \alpha$$



# RETIFICADOR MONOFÁSICO DE MEIA-ONDA CONTROLADO

## Corrente Média Normalizada – Carga RL

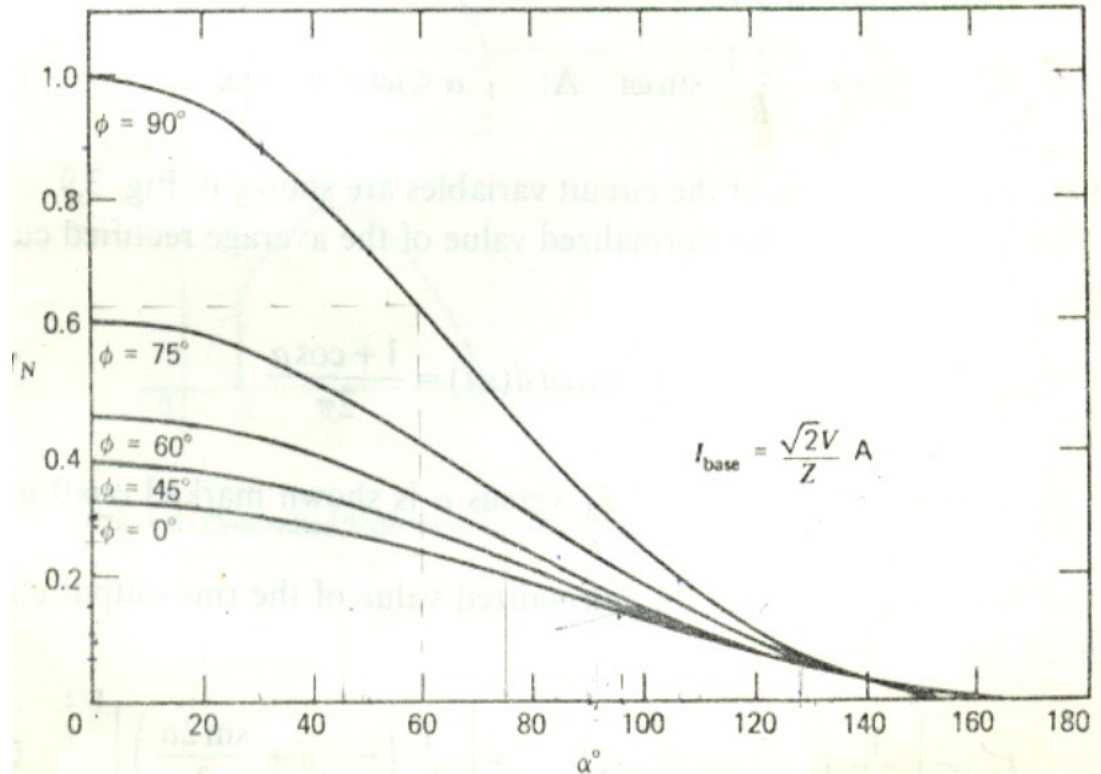


$$i_N = \sin(\omega.t - \phi) - e^{(\alpha - \omega.t)/\tan\phi} \cdot \sin(\alpha - \phi)$$

$$i_N = \frac{i(\omega.t)}{I_{base}} \quad ; \quad I_{base} = \frac{\sqrt{2} \cdot V}{Z}$$

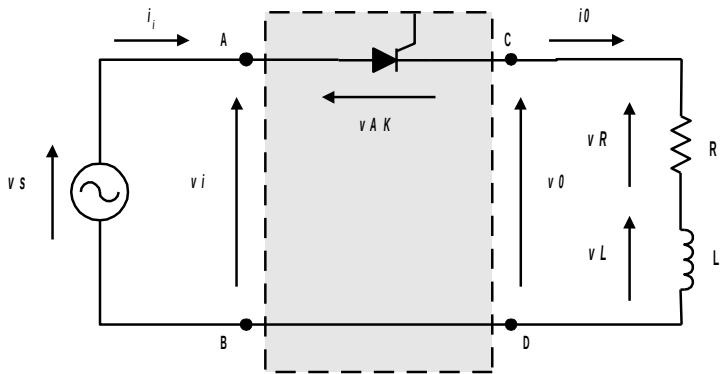
$$Z = \sqrt{R^2 + (\omega.L)^2} \quad ; \quad \phi = \arctan(\omega.L/R)$$

$$I_N = \frac{1}{2\pi} \int_{\alpha}^{\beta=\gamma+\alpha} i_N \cdot d\omega t$$



# RETIFICADOR MONOFÁSICO DE MEIA-ONDA CONTROLADO

## Corrente RMS Normalizada – Carga RL



$$i_N = \sin(\omega.t - \phi) - e^{(\alpha - \omega.t)/\tan \phi} \cdot \sin(\alpha - \phi)$$

$$i_N = \frac{i(\omega.t)}{I_{base}} \quad ; \quad I_{base} = \frac{\sqrt{2} \cdot V}{Z}$$

$$Z = \sqrt{R^2 + (\omega.L)^2} \quad ; \quad \phi = \arctan\left(\frac{\omega.L}{R}\right)$$

$$I_{RN} = \sqrt{\frac{1}{2\pi} \int_{\alpha}^{\beta=\gamma+\alpha} i_N^2 \cdot d\omega t}$$

