Out[1]:

	Date	Name	Team	Season	Round	Home Team	Away Team	Home Score	Away Score	Mar
146602	2003-03-30 00:00:00	Wayne Carey	Adelaide	2003.0	1	Adelaide	Fremantle	145	89	
146603	2003-03-30 00:00:00	Brett Burton	Adelaide	2003.0	1	Adelaide	Fremantle	145	89	
146604	2003-03-30 00:00:00	Matthew Bode	Adelaide	2003.0	1	Adelaide	Fremantle	145	89	
146605	2003-03-30 00:00:00	Rhett Biglands	Adelaide	2003.0	1	Adelaide	Fremantle	145	89	
146606	2003-03-30 00:00:00	Mark Bickley	Adelaide	2003.0	1	Adelaide	Fremantle	145	89	

5 rows × 32 columns

1 Cleaning

Out[2]:

	Date	Season	Round	Home Team	Away Team	Home Score	Away Score	Margin
0	2019-09-28 00:00:00	2019.0	GF	Richmond	Greater Western Sydney	114	25	89
44	2019-09-21 00:00:00	2019.0	PF	Collingwood	Greater Western Sydney	52	56	-4
88	2019-09-20 00:00:00	2019.0	PF	Geelong	Richmond	66	85	-19
132	2019-09-14 00:00:00	2019.0	SF	Brisbane Lions	Greater Western Sydney	80	83	-3
176	2019-09-13 00:00:00	2019.0	SF	Geelong	West Coast	88	68	20

	Date	Season	Round	Home Team	Away Team	Home Score	Away Score	Margin
146388	2003-04-26 00:00:00	2003.0	5	Adelaide	Port Adelaide	66	78	-12
146432	2003-04-20 00:00:00	2003.0	4	Adelaide	West Coast	106	73	33
146476	2003-04-13 00:00:00	2003.0	3	Sydney	Adelaide	76	103	-27
146520	2003-04-05 00:00:00	2003.0	2	St Kilda	Adelaide	99	91	8

We have 3333 games in total (what a cool number). 3151 games have Brownlow votes and 182 of them (5.4%) do not. For simplicity I will removed these games

```
In [3]:
          1 # Number of games with votes
          2 data[data['Brownlow Votes'] == 3].shape[0]
Out[3]: 3151
In [4]:
            import numpy as np
          2
          3
            def preprocess(data=data):
         4
          5
                Extract Year information
         6
                Set GameID=Day+HomeTeam for each game
         7
                Set Win True and Win False columns to tell if the player won t
         8
                Remove if game doesn't have votes
         9
         10
                data['Year'] = data['Date'].str.extract(r"(\d{4})-*")
         11
                data['Year'] = pd.to numeric(data['Year'])
         12
         13
                data['Day'] = data['Date'].str.extract(r''(\d{4}-\d{2}-\d{2})'')
         14
         15
                data['GameID'] = data['Day'] + data['Home Team']
         16
         17
                data['Win'] = ((data['Team'] == data['Away Team']) & (data['Ma'
         18
                     | ((data['Team'] == data['Home Team']) & (data['Margin'] >
         19
                data = pd.get_dummies(data, columns=['Win'])
         20
         21
                # games with other than 6 votes (1+2+3) are removed
         22
                games = data.groupby('GameID')['Brownlow Votes'].agg('sum')
         23
                valid gameIDs = games[np.where(games==6)[0]].index
         24
                data = data[data['GameID'].isin(valid_gameIDs)]
         25
         26
                del(data['Day'])
         27
                del(data['Date'])
         28
                return data
In [5]: 1 clean = preprocess(data)
```

It shows that for each game, there are 22 players on each side. There is one special case where there are only 21 players in a team, which was Adelaide on 2003-03-30. Could just be

a cut-off during scrapping?

```
In [6]:
            for i, g in clean.groupby(['Team', 'GameID']):
         2
                if g.shape[0] != 22:
          3
                    print(g.shape[0])
                    print(g[['Team', 'GameID']].iloc[0])
         4
        21
        Team
                             Adelaide
        GameID
                   2003-03-30Adelaide
        Name: 146586, dtype: object
In [7]:
         1 # Splify by removing this game:
          2 clean = clean[clean['GameID'] != '2003-03-30Adelaide']
         1 train = clean[clean['Year'] <= 2015]</pre>
In [8]:
          2 test = clean[clean['Year'] > 2015]
         3 del(clean)
          4 del(data)
In [9]:
         1 print(train.shape)
          2 print(test.shape)
        (104940, 35)
        (33660, 35)
```

2 Exploration

The number of games in train is 2333:

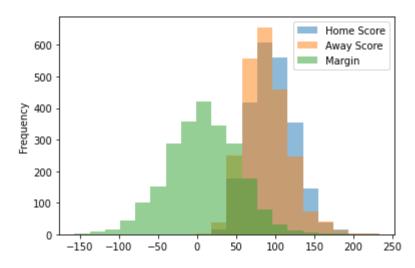
Out[10]:

	Season	Round	Home Team	Away Team	Home Score	Away Score	Margin
27412	2015.0	16	Gold Coast	Greater Western Sydney	79	94	-15
27456	2015.0	4	Greater Western Sydney	Gold Coast	119	53	66
27500	2014.0	6	Gold Coast	Greater Western Sydney	134	94	40
27544	2013.0	23	Gold Coast	Greater Western Sydney	146	63	83
27588	2013.0	5	Greater Western Sydney	Gold Coast	104	148	-44
		•••					•••
146344	2003.0	6	North Melbourne	Adelaide	70	124	-54

	Season	Round	Home Team	Away Team	Home Score	Away Score	Margin
146388	2003.0	5	Adelaide	Port Adelaide	66	78	-12
146432	2003.0	4	Adelaide	West Coast	106	73	33
146476	2003.0	3	Sydney	Adelaide	76	103	-27
146520	2003.0	2	St Kilda	Adelaide	99	91	8

```
In [11]: 1 games[['Home Score', 'Away Score', 'Margin']].plot.hist(bins=20, a
```

Out[11]: <matplotlib.axes._subplots.AxesSubplot at 0x7f96da63a410>



It shows that the Margin's mean is positive, meaning on average Home Score is higher than Away Score. Does this mean Home wins more than Away?

```
In [12]: 1 games['Home_won'] = games['Margin'] > 0
2 qames['Home_won'].value counts()
```

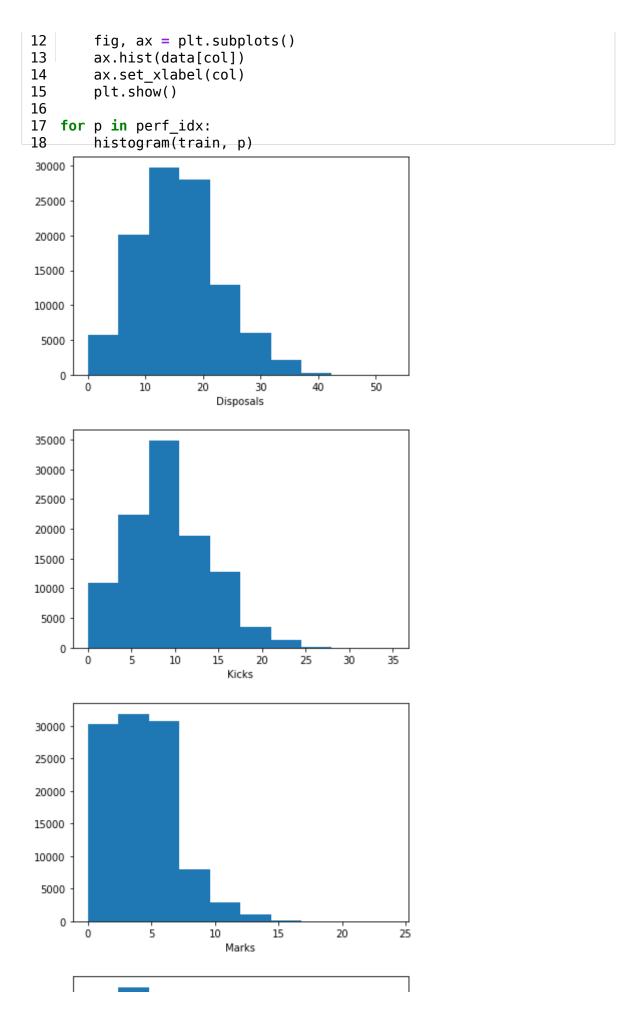
Out[12]: True 1323 False 1010

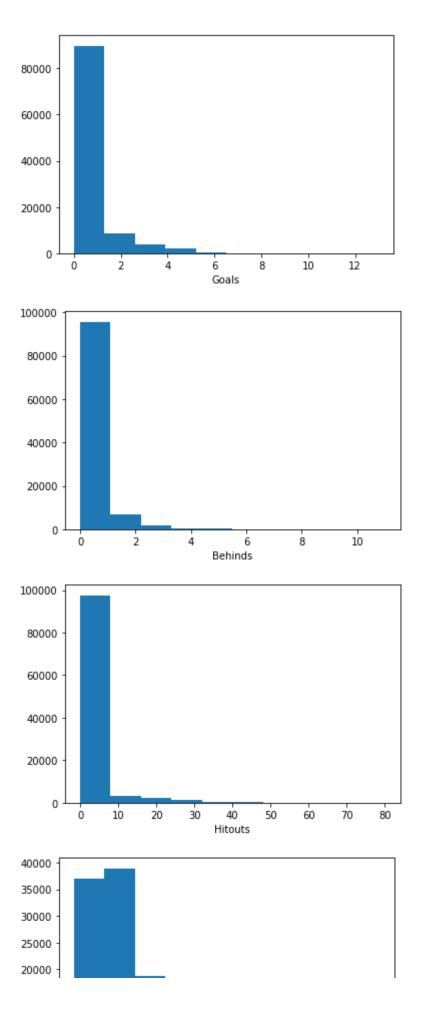
Name: Home_won, dtype: int64

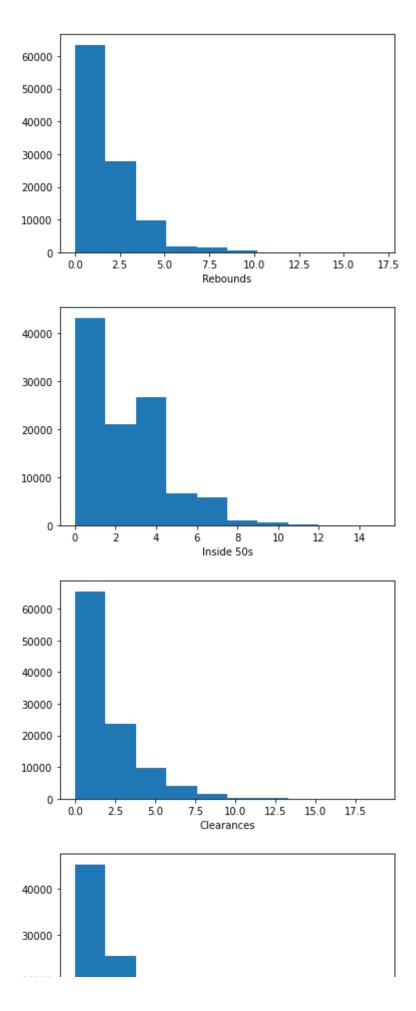
The number of Home wins is 1.3 times the number of Away wins.

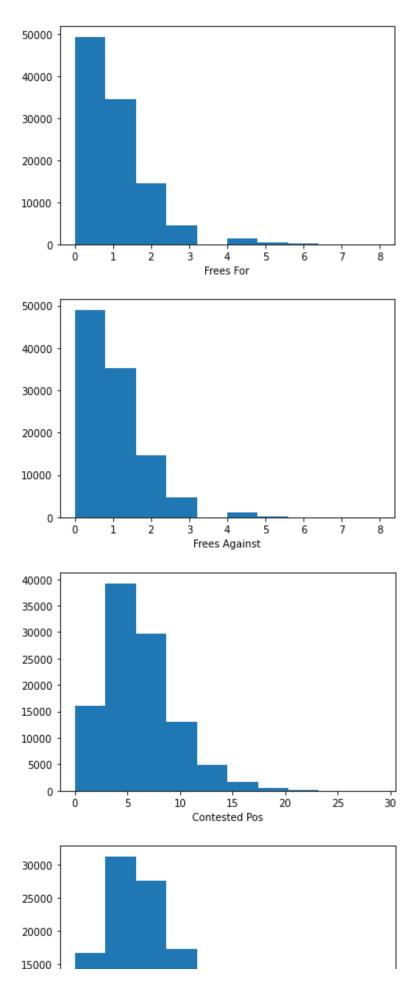
Next, let's show the distribution of performance indices:

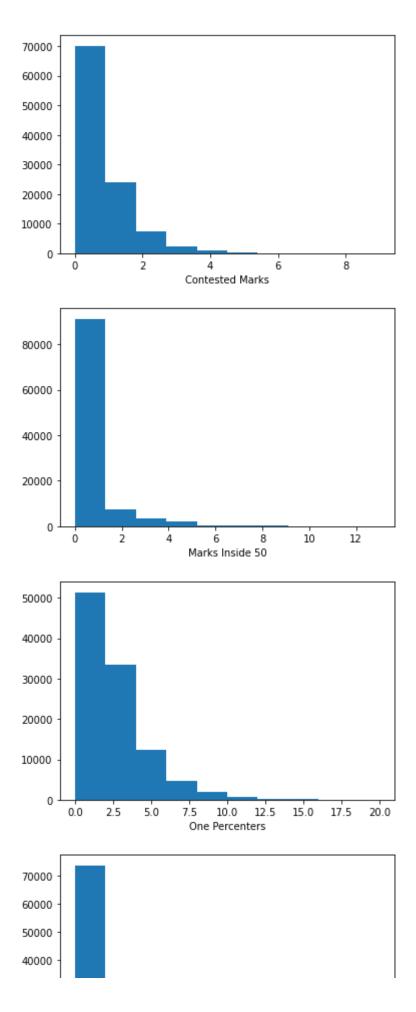
```
In [13]:
                   import matplotlib.pyplot as plt
               2
               3
               4
                   perf_idx = ['Disposals', 'Kicks', 'Marks',
                             'Handballs', 'Goals', 'Behinds', 'Hitouts', 'Tackles', 'Reb'Inside 50s', 'Clearances', 'Clangers', 'Frees For', 'Frees
               5
               6
                             'Contested Pos', 'Uncontested Pos', 'Contested Marks', 'Marks Inside 50', 'One Percenters', 'Goal Assists', 'Brown
               7
               8
               9
                             'TOG', 'Win_False', 'Win_True']
              10
              11
                  def histogram(data, col):
```

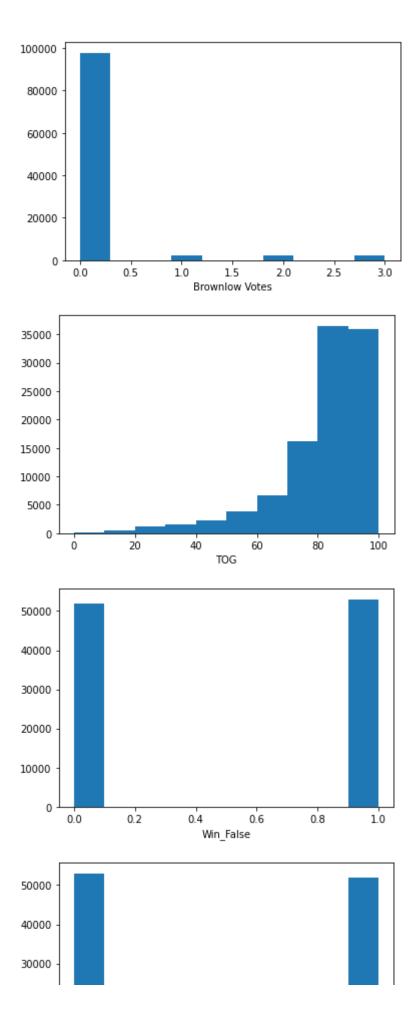






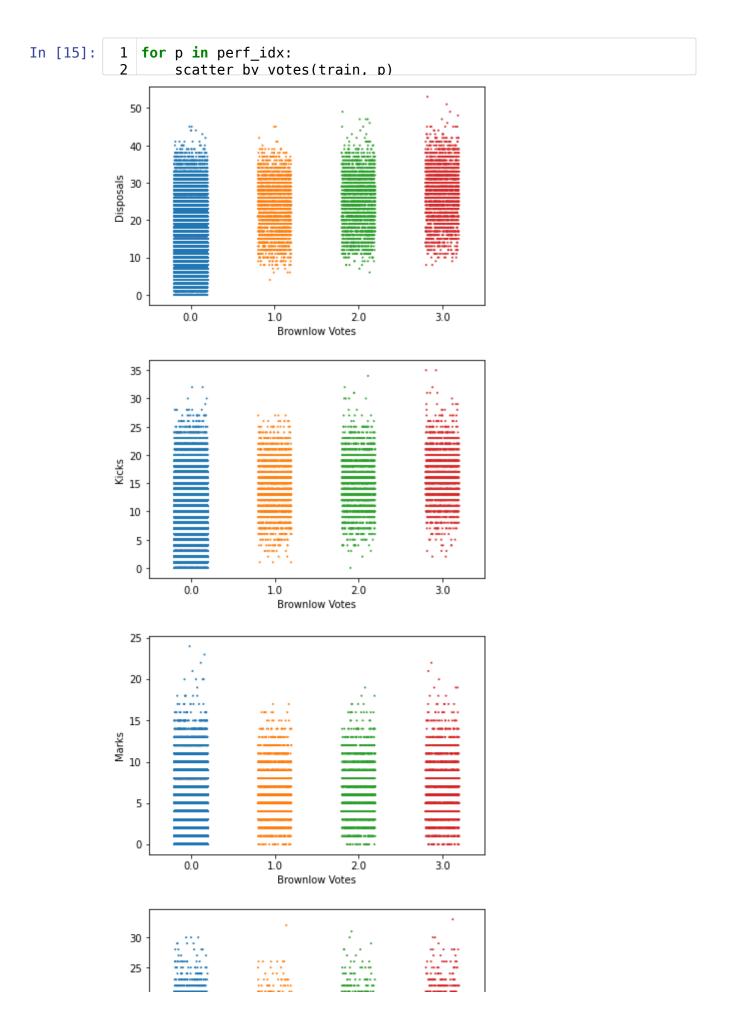


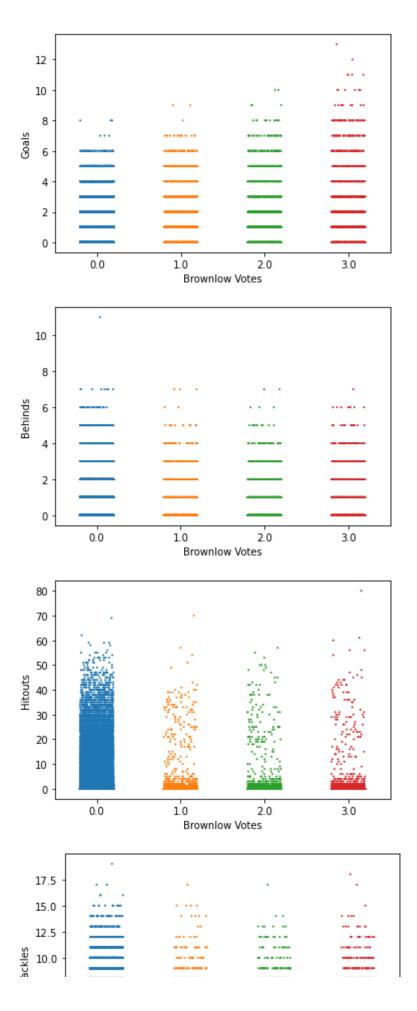


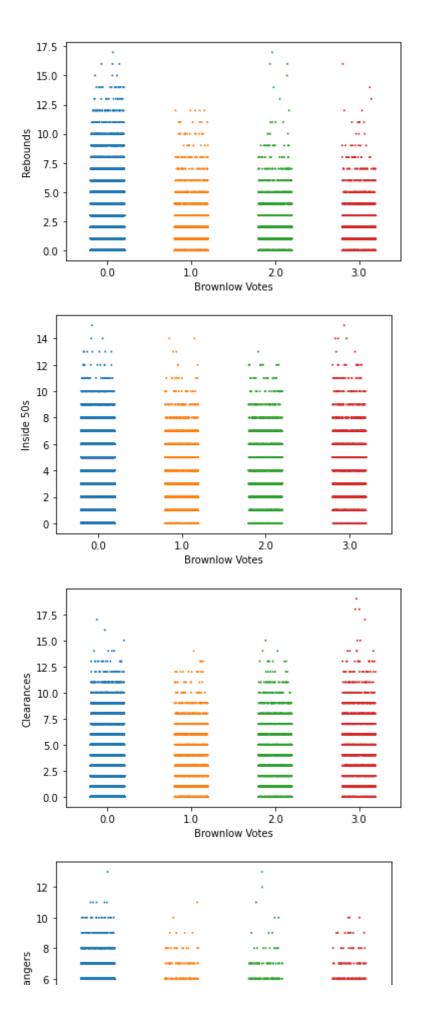


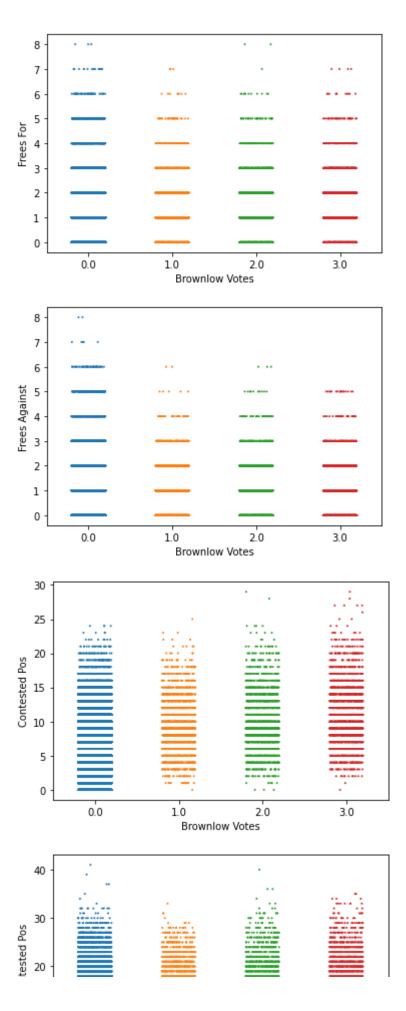
We specifically care about the difference between the normal players and the voted ones:

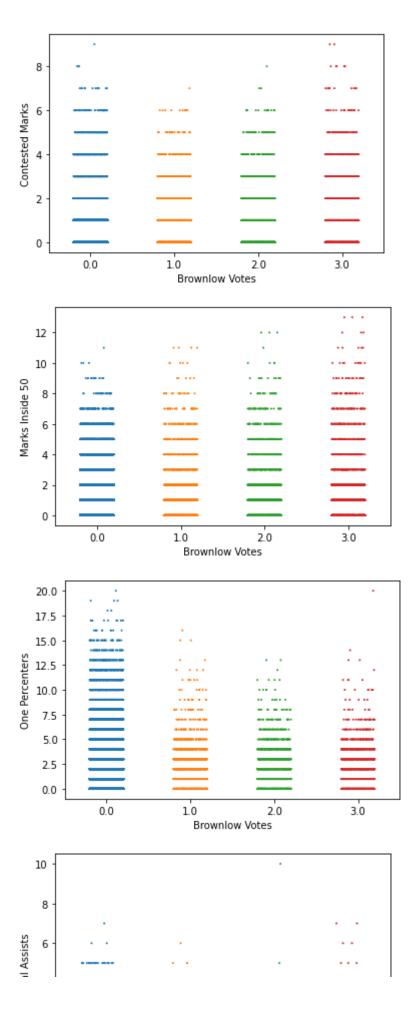
```
In [14]: 1 import seaborn as sns
    def scatter_by_votes(data, col):
        fig, ax = plt.subplots()
        sns.stripplot(train['Brownlow Votes'], train[col], jitter=0.2,
        plt.show()
```

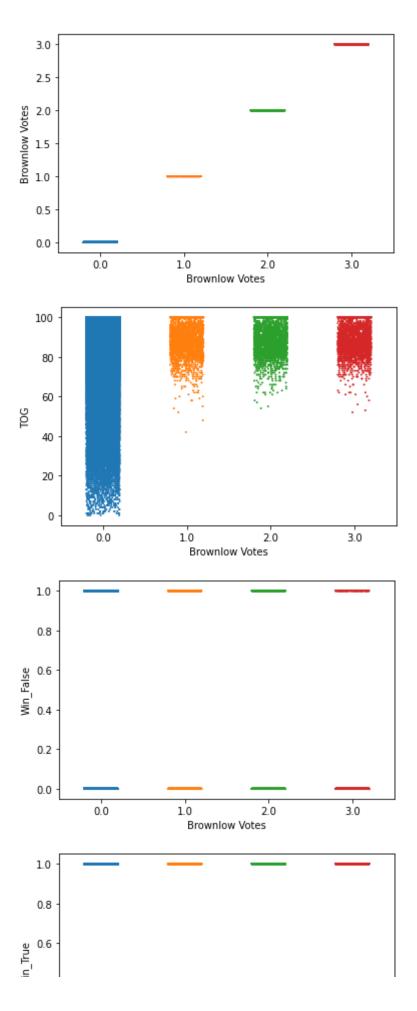












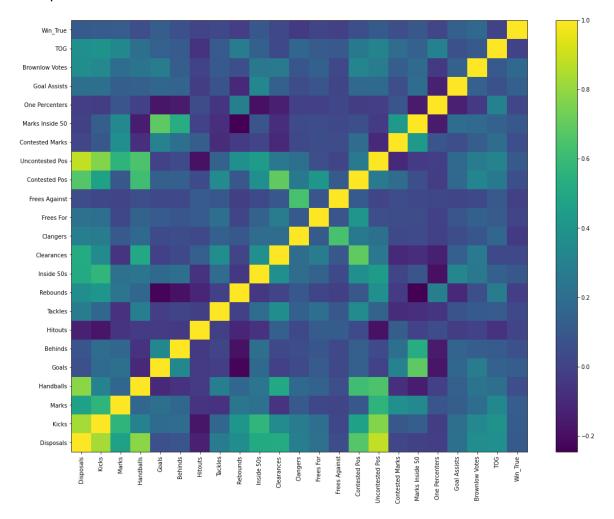
It shows that some of the most telling indices are:

- TOG: No voted player plays under 40 minutes
- Goals, Marks inside 50s, Contested Marks, Uncontested Pos, Contested Pos, Inside 50s, Handballs, Kicks, Disposals

We can confirm these with a correlation matrix:

```
In [16]: 1 train.columns
Out[16]: Index(['Name', 'Team', 'Season', 'Round', 'Home Team', 'Away Team',
                'Home Score', 'Away Score', 'Margin', 'Disposals', 'Kicks', 'M
         arks',
                'Handballs', 'Goals', 'Behinds', 'Hitouts', 'Tackles', 'Reboun
         ds',
                'Inside 50s', 'Clearances', 'Clangers', 'Frees For', 'Frees Ag
         ainst',
                'Contested Pos', 'Uncontested Pos', 'Contested Marks',
                'Marks Inside 50', 'One Percenters', 'Goal Assists', 'Brownlow
         Votes',
                'TOG', 'Year', 'GameID', 'Win False', 'Win True'],
               dtype='object')
             In [17]:
          2
          3
                    'Inside 50s', 'Clearances', 'Clangers', 'Frees For', 'Frees
                    'Contested Pos', 'Uncontested Pos', 'Contested Marks', 'Marks Inside 50', 'One Percenters', 'Goal Assists', 'Brown
          4
          5
          6
                    'TOG', 'Win True']].corr()
```

Out[18]: <matplotlib.colorbar.Colorbar at 0x7f96ba44f250>



3 Approach

It makes more sense to evaluate players in the scope of a game.

We can make an assumption that players are evaluated according to a certain linear formula of the performance indices, then we can normalize the score using softmax to pick the strongest ones.

Formally, a training example looks like this:



X



Where each row in X corresponds to a player in that game, and the corresponding entry in y is the number of votes he got.

For simplicity, I use mse as the loss function, although it seems that there should be a better one.

Because I treat this problem as a regression problem, entries in y will be continuous.

As a final step after the training, I will round these entries to get the final predictions.

For this problem, because the vote tiers are skewed (more zeros than 1, 2, 3), I choose to evaluate recall percentage for each tier rather than overall accuracy.

```
In [19]:
               features = ['Disposals', 'Kicks', 'Marks',
                       'Handballs', 'Goals', 'Behinds', 'Hitouts', 'Tackles',
            2
                       'Inside 50s', 'Clearances', 'Clangers', 'Frees For', 'Frees
            3
                       'Contested Pos', 'Uncontested Pos', 'Contested Marks', 'Marks Inside 50', 'One Percenters', 'Goal Assists',
            4
            5
                       'TOG', 'Win_False', 'Win True']
            6
            7
              n features = len(features)
            8
            9
               BATCH SIZE = 32
           10 val split = .3 # Split 30% for validation from train
```

```
In [20]:
           1
             import tensorflow as tf
           2
           3
             def make tfds(data, features=features, split=None):
           4
           5
                 For each gameID, stack all the players to get a 44xm matrix
           6
           7
           8
                 data_x, data_y = [],[]
           9
                  for i, gameid in enumerate(data['GameID'].unique()):
          10
                      game = data[data['GameID']==gameid]
          11
          12
                      X = np.array(game[features])
          13
                      y = np.array(game['Brownlow Votes'])
          14
          15
                      data x.append(X)
          16
                      data y.append(y)
          17
          18
                 data x = np.asarray(data x) # shape ?, 44, n features
          19
                 data_y = np.asarray(data_y)
          20
          21
                 data_x = np.expand_dims(data_x, -1)
          22
          23
                 if split != None: # create validation set
          24
                      split_point = int(split*data_x.shape[0])
```

```
25
                     val_x = data_x[:split_point,:,:,:]
         26
                     val y = data y[:split point,:]
         27
                     train_x = data_x[split_point:,:,:,:]
         28
                     train_y = data_y[split_point:,]
         29
                     return tf.data.Dataset.from_tensor_slices((train_x, train_
                             tf.data.Dataset.from_tensor_slices((val_x, val_y))
         30
         31
         32
                 return tf.data.Dataset.from_tensor_slices((data_x, data_y))
In [21]:
             train dataset, val dataset = make tfds(train, features, val split)
          2 test dataset = make tfds(test, features)
In [22]:
          1 train dataset = train dataset.batch(BATCH SIZE)
          2 val_dataset = val_dataset.batch(BATCH_SIZE)
          3 test dataset = test dataset.batch(BATCH SIZE)
```

4 Build and train a model

```
In [23]:
          1 import tensorflow as tf
          2 print(tf.__version__)
          3 from keras.utils import to_categorical
          4 from keras.models import Sequential
          5 from keras.layers import Dense, BatchNormalization, \
                         Flatten, Conv2D, Dropout, Lambda
          7 from keras.optimizers import SGD, Adam
         2.2.0-rc2
In [35]:
          1
             def get model():
                 model = Sequential()
          2
          3
                 model.add(Conv2D(1, (1, n_features), activation='relu', kernel
          4
                 model.add(Conv2D(1, (1, 1), kernel initializer='he uniform')),
          5
                 model.add(BatchNormalization())
          6
                 model.add(Conv2D(1, (1, 1), kernel_initializer='he_uniform')),
          7
                 model.add(BatchNormalization())
          8
                 model.add(Flatten())
          9
                 model.add(Dense(44))
         10
                 return model
```

Reasons behind this structure:

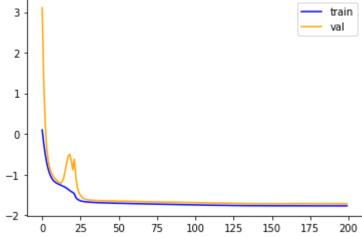
- Use conv2D to reduce each row in $44 \times m$ to a single number representing the overall performance of the player.
- Another conv2D to increase the abstraction level, followed by a Batch Norm to avoid exploding/vanishing gradients.
- Repeat.
- Final dense layer allows indirect communication between nodes in conv2D, which may represents the comparision between them.

```
In [36]: 1 model = get model()
```

```
In [37]:
          1 model.compile(optimizer=tf.keras.optimizers.Adam(learning rate=.00
                           loss='mse')
          2
In [38]: 1 model.summarv()
         Model: "sequential"
         Layer (type)
                                      Output Shape
                                                                Param #
         conv2d (Conv2D)
                                      (None, 44, 1, 1)
                                                                24
         conv2d 1 (Conv2D)
                                      (None, 44, 1, 1)
                                                                2
         batch normalization (BatchNo (None, 44, 1, 1)
         conv2d 2 (Conv2D)
                                      (None, 44, 1, 1)
                                                                2
         batch normalization 1 (Batch (None, 44, 1, 1)
         flatten (Flatten)
                                      (None, 44)
         dense (Dense)
                                      (None, 44)
                                                                1980
         Total params: 2,016
         Trainable params: 2,012
         Non-trainable params: 4
In [39]: 1 tf.keras.backend.clear session()
In [40]: 1 model.evaluate(train dataset) # loss before training
         53/53 [=============== ] - Os 2ms/step - loss: 8055.054
Out[40]: 8055.0546875
          1 history = model.fit(train_dataset, validation_data=val_dataset, ep
In [41]:
```

```
Epoch 1/200
         53/53 [======
                                   ========] - Os 3ms/step - loss: 1.1038 -
         val loss: 22.3363
             import matplotlib.pyplot as plt
In [46]:
          1
          3
             def summarize diagnostics(history):
          4
                 # plot log of loss
          5
                 plt.plot(np.log(history.history['loss']), color='blue', label=
                 plt.plot(np.log(history.history['val loss']), color='orange',
          6
          7
                 # plot accuracy
          8
                 plt.legend()
          9
                 plt.show()
          1 summarize diagnostics(history)
```

In [47]:



```
In [44]:
             # Performance on val
           2
             pred = model.predict(val_dataset)
           4
             pred = pred.flatten()
           5
           6
             truth = np.array(train['Brownlow Votes'])
           7
           8
             def custom_eval(pred, true):
           9
          10
                  count = \{'1':0, '2':0, '3':0, '0':0\}
          11
                  total = {'1':0, '2':0, '3':0, '0':0}
          12
          13
                  for p,t in zip(list(pred), list(truth)):
          14
                      total[str(int(t))] += 1
          15
                      if round(p) == t:
          16
                          count[str(int(t))] += 1
          17
                  return [count[i]/total[i]*100 for i in ('1','2','3','0')]
          18
          19
          20
             custom_eval(pred, truth)
```

[51.048951048951054, 16.223776223776223, 7.4125874125874125, 94.64438 001023366]

Summary performance on Test set:

- Recall for Brownlow=0 entries is 93.5%
- Recall for 1 entries is 55.3%
- Recall for 2 entries is 24.3%
- Recall for 3 entries is 8.5%

5 Space for improvement and experiment

This problem is close to pixel level classification in computer vision, where we feed an image (a matrix) and obtain a matrix of the same dimension with each entry is the class for the corresponding pixel in the original matrix. We can take a look at that problem to see what kind of loss they use.

As far as I know, they often use binary masks in such problems. This may lead to complication.

Another approach is to use a different model.

```
In [ ]: 1
```